



TECHNISCHE
UNIVERSITÄT
DRESDEN

DRESDEN
concept

Fakultät Mathematik und Naturwissenschaften, Fachrichtung Physik,
Institut für Festkörperphysik (IFP) & Center for Transport and Devices of Emergent Materials (CTD)

Spin Current Transport in YIG/Pt Heterostructures

Sebastian T. B. Goennenwein

21 September 2016



CENTER FOR TRANSPORT
AND DEVICES OF
EMERGENT MATERIALS

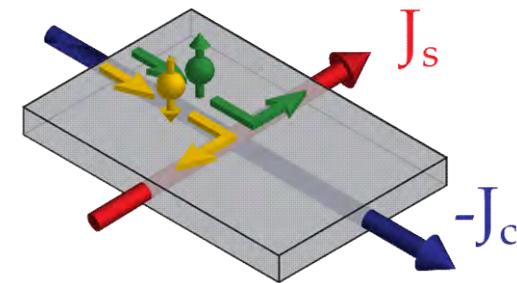
Outline

charge and spin currents

spin Hall effect(s)

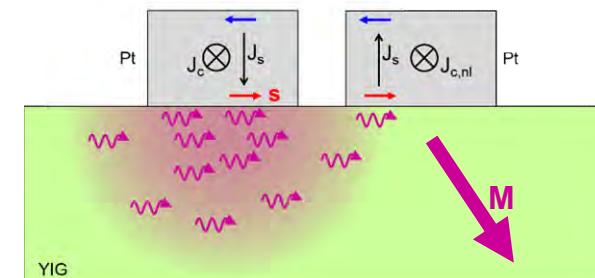
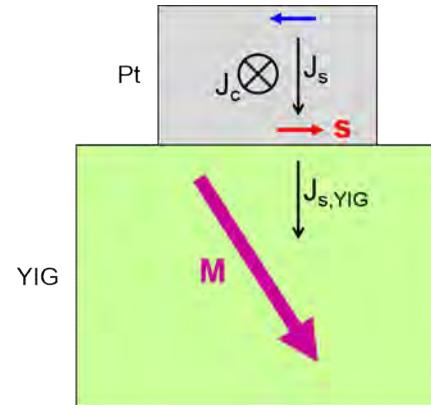
SMR = Spin Hall Magnetoresistance

... a spin current-based magnetoresistance
@ magnetic insulator / metal interfaces



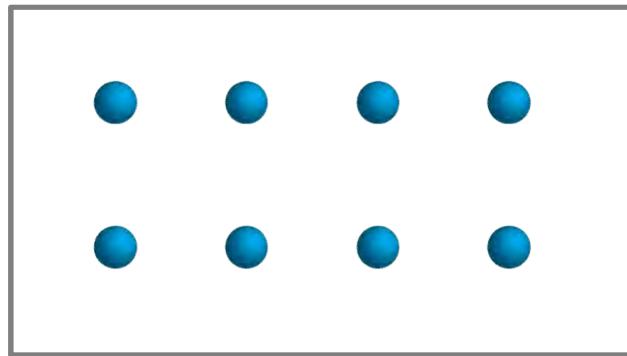
MMR = Magnon-mediated Magnetoresistance

... electrical measurement of magnon diffusion length



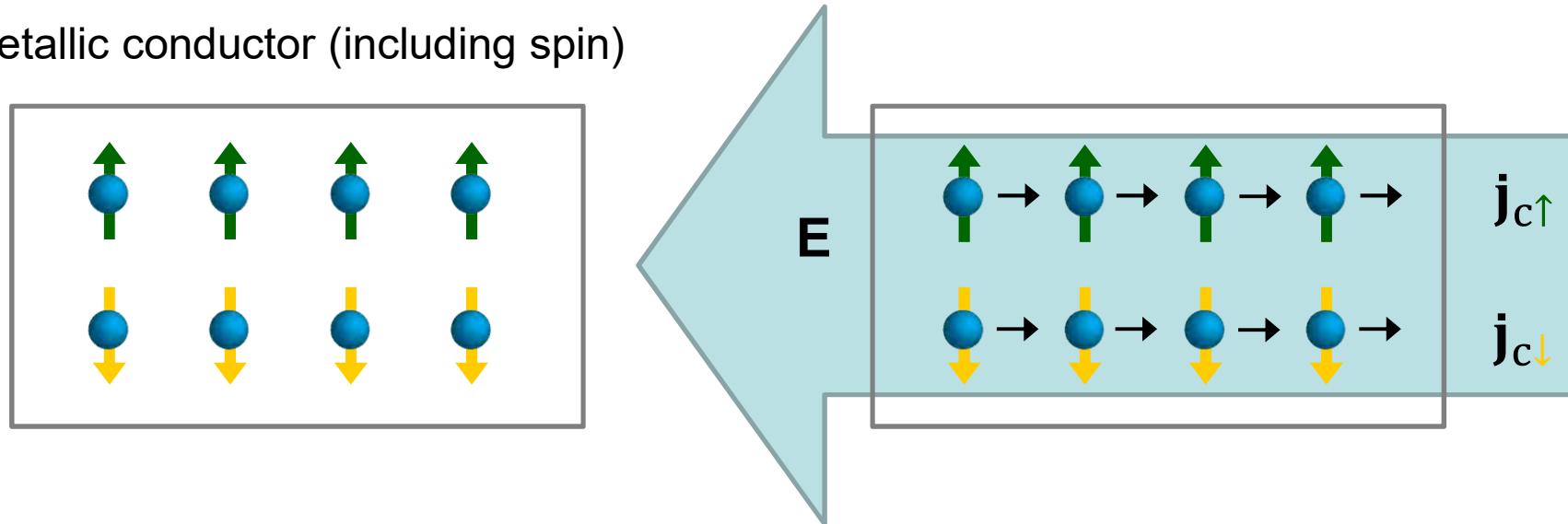
From charge to spin currents

metallic conductor



From charge to spin currents

metallic conductor (including spin)



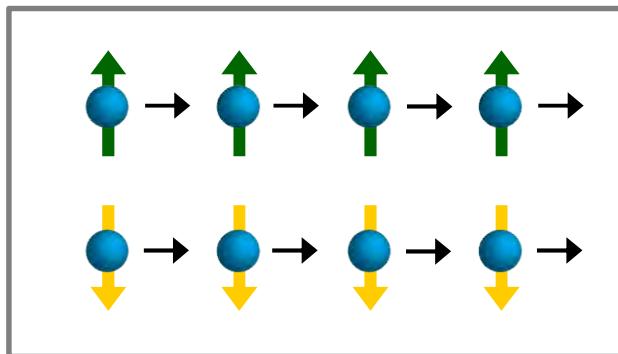
Mott's two spin current model:

charge currents from electrons with different spin are independent and simply add:

$$\left. \begin{array}{l} \mathbf{j}_{c\uparrow} = \sigma_{\uparrow} \mathbf{E} \\ \mathbf{j}_{c\downarrow} = \sigma_{\downarrow} \mathbf{E} \end{array} \right\} \quad \mathbf{j}_c = \mathbf{j}_{c\uparrow} + \mathbf{j}_{c\downarrow} = (\sigma_{\uparrow} + \sigma_{\downarrow}) \mathbf{E} = \sigma \mathbf{E}$$

R. C. O'Handley, *Modern Magnetic Materials*
(John Wiley, New York, 2000).

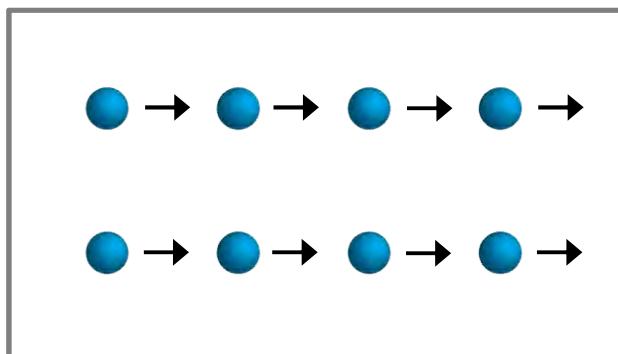
From charge to spin currents



$j_{c\uparrow}$

$j_{c\downarrow}$

... charge AND spin transport !?



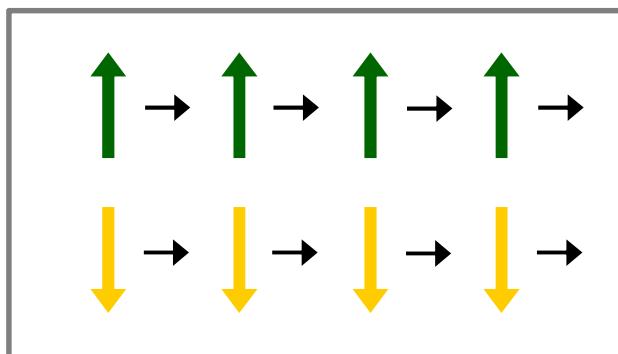
$j_{c\uparrow}$

$j_{c\downarrow}$

charge transport:

$$j_c = j_{c\uparrow} + j_{c\downarrow} = (\sigma_\uparrow + \sigma_\downarrow)E = \sigma E$$

(in „normal“ metal: $j_{c\uparrow} = j_{c\downarrow}$)



$j_{c\uparrow}$

$j_{c\downarrow}$

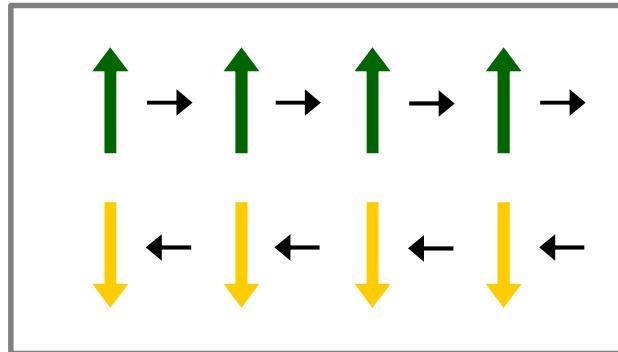
spin transport:

$$\mathbf{j}_s = \frac{+\hbar/2}{e} \mathbf{j}_{c\uparrow} + \frac{-\hbar/2}{e} \mathbf{j}_{c\downarrow} = 0$$

spin current

(for $j_{c\uparrow} = j_{c\downarrow} = j_c/2$)

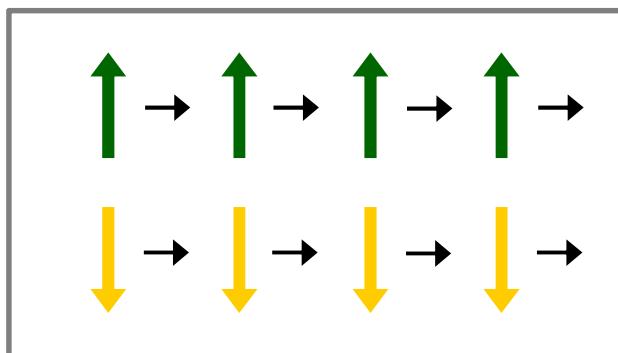
Pure spin currents



interesting: **pure spin current**

$$\mathbf{j}_s = \frac{+\hbar/2}{e} \mathbf{j}_{c\uparrow} - \frac{-\hbar/2}{e} \mathbf{j}_{c\downarrow} = 2\frac{\hbar/2}{e} \mathbf{j}_{c\uparrow} \neq 0$$
$$(j_c = j_{c\uparrow} - j_{c\downarrow} = 0 !)$$

... but how can one make electrons move in opposite directions depending on their spin orientation?



spin transport:

$$\mathbf{j}_s = \frac{+\hbar/2}{e} \mathbf{j}_{c\uparrow} + \frac{-\hbar/2}{e} \mathbf{j}_{c\downarrow} = 0$$

spin current

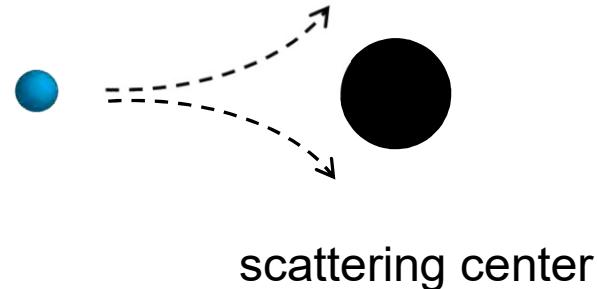
$$(\text{for } j_{c\uparrow} = j_{c\downarrow} = j_c/2)$$

Spin Hall effect

- electrically driven, transverse, pure spin currents

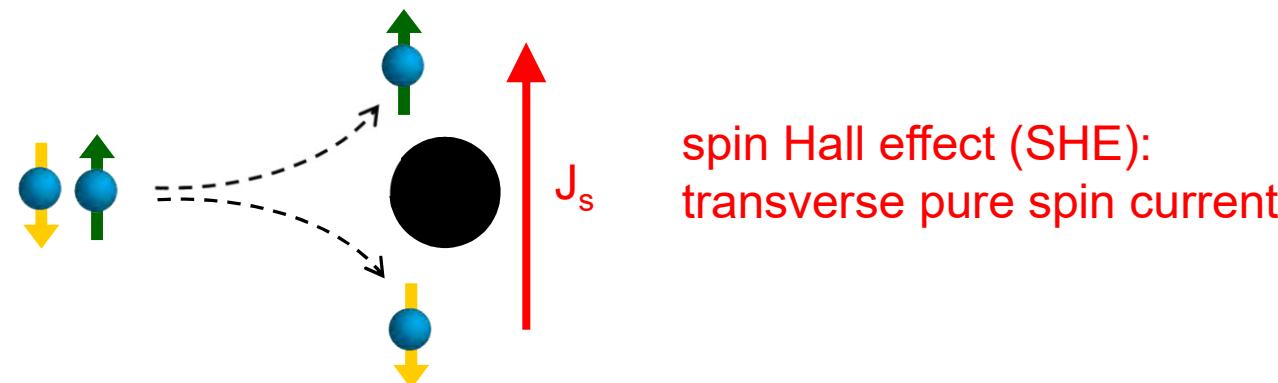
D'yakonov & Perel', JETP Lett. **13**, 467 (1971).
Hirsch, PRL **83**, 1834 (1999).

The spin Hall effect (an experimental physicist's view)



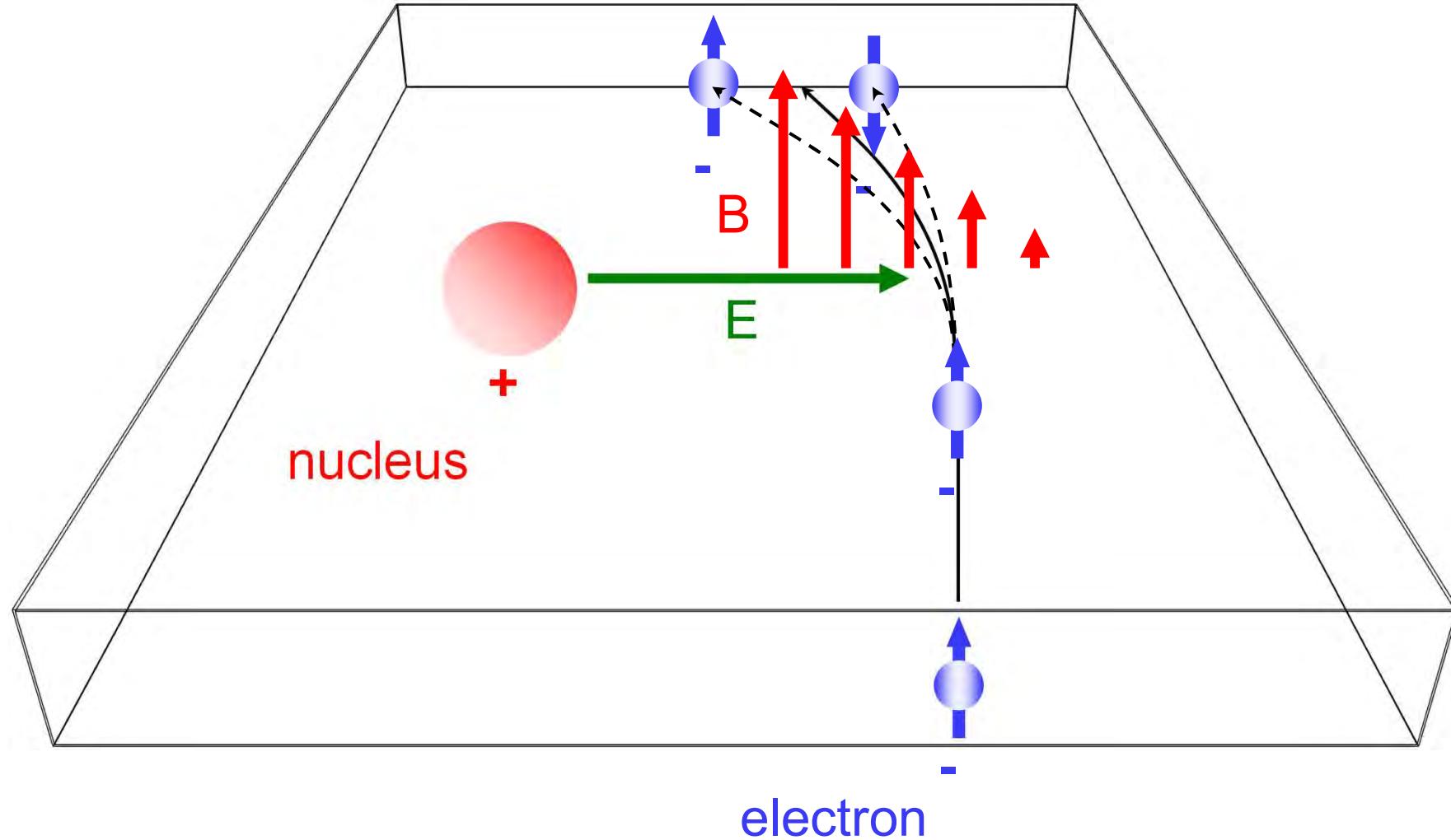
charge scattering
usually is „symmetric“
(no particular direction preferred)

Consider spin-dependent, asymmetric scattering („up→left, down→right“):



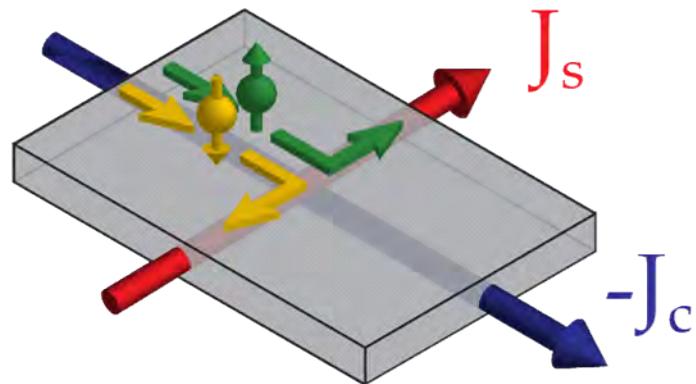
Inoue & Ohno, Science **309**, 2004 (2005).

Spin-Skew Scattering



The spin Hall effect (SHE) : spin – charge current conversion

direct spin Hall effect (SHE)



charge current  spin current 

$$\mathbf{J}_s^{\text{SHE}} = \alpha_{\text{SHE}} \frac{\hbar}{2e} [\mathbf{J}_c \times \mathbf{s}]$$

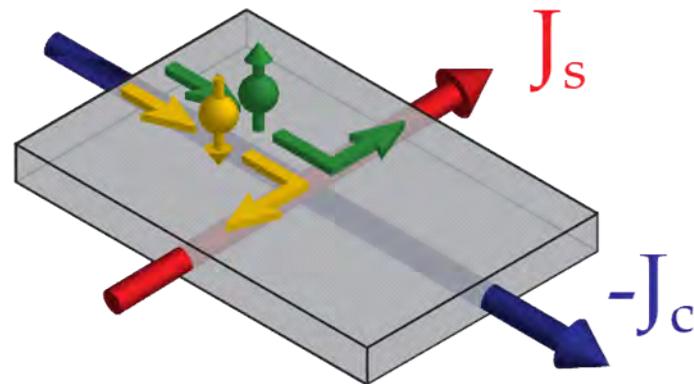
Spin Hall effect

spin-orbit coupling: interaction between spin and charge motion

spin Hall angle α_{SHE} parameterizes charge current \leftrightarrow spin current conversion efficiency

The spin Hall effect (SHE) : spin – charge current conversion

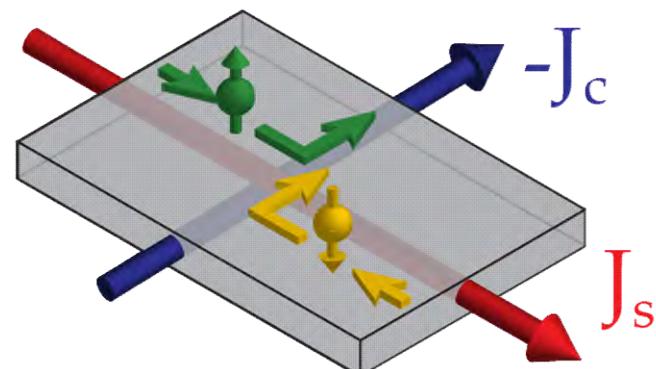
direct spin Hall effect (SHE)



charge current $\xrightarrow{\hspace{1cm}}$ spin current

$$\mathbf{J}_s^{\text{SHE}} = \alpha_{\text{SHE}} \frac{\hbar}{2e} [\mathbf{J}_c \times \mathbf{s}]$$

inverse spin Hall effect (ISHE)



spin current $\xrightarrow{\hspace{1cm}}$ charge current

$$\mathbf{J}_c^{\text{ISHE}} = \alpha_{\text{SHE}} \frac{2e}{\hbar} [\mathbf{J}_s \times \mathbf{s}]$$

take away: SHE enables “simple” spin current generation & detection

GaAs

$$\alpha_{\text{SHE}} \sim 10^{-4}$$

Aluminum

$$\alpha_{\text{SHE}} \sim 10^{-4}$$

Gold

$$\alpha_{\text{SHE}} \sim 10^{-3}$$

Bi/Ag, Ta, WO_x

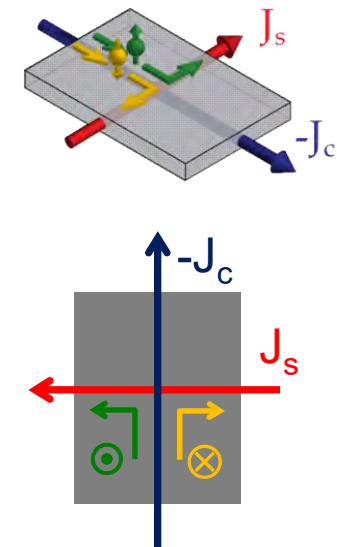
$$\alpha_{\text{SHE}} \sim 0.1 \dots 0.3$$

Platinum

$$\alpha_{\text{SHE}} \sim 0.01 \dots 0.2$$

Hoffmann, IEEE-TM **49**, 5172 (2013).
Sinova *et al.*, RMP **87**, 1213 (2015).

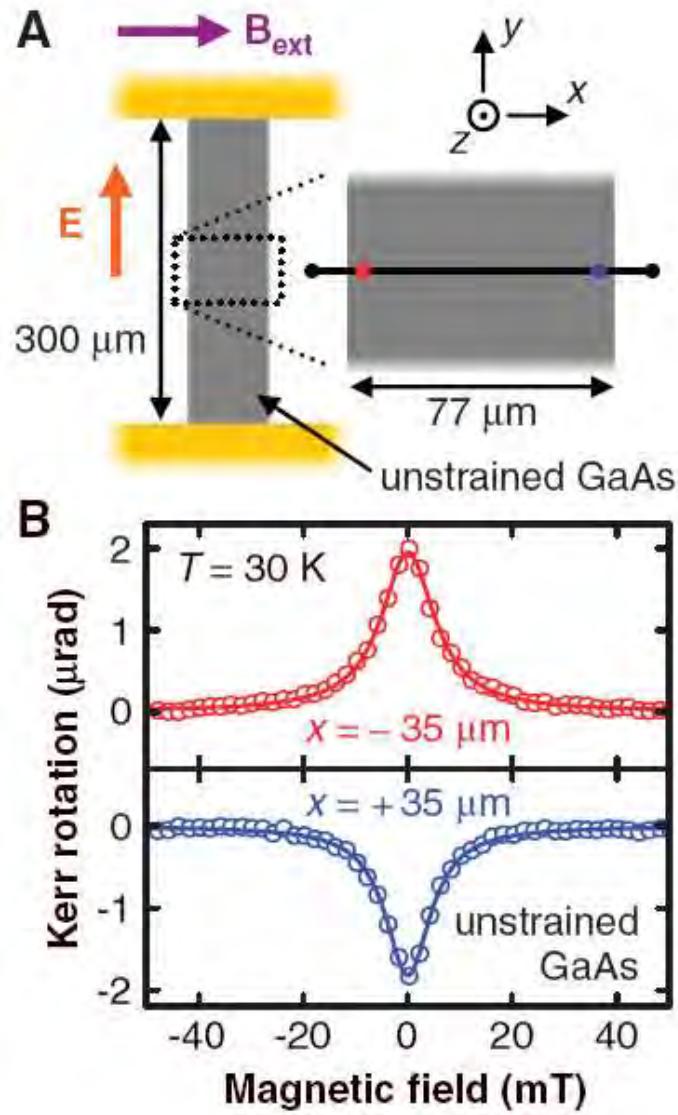
Direct spin Hall effect in GaAs



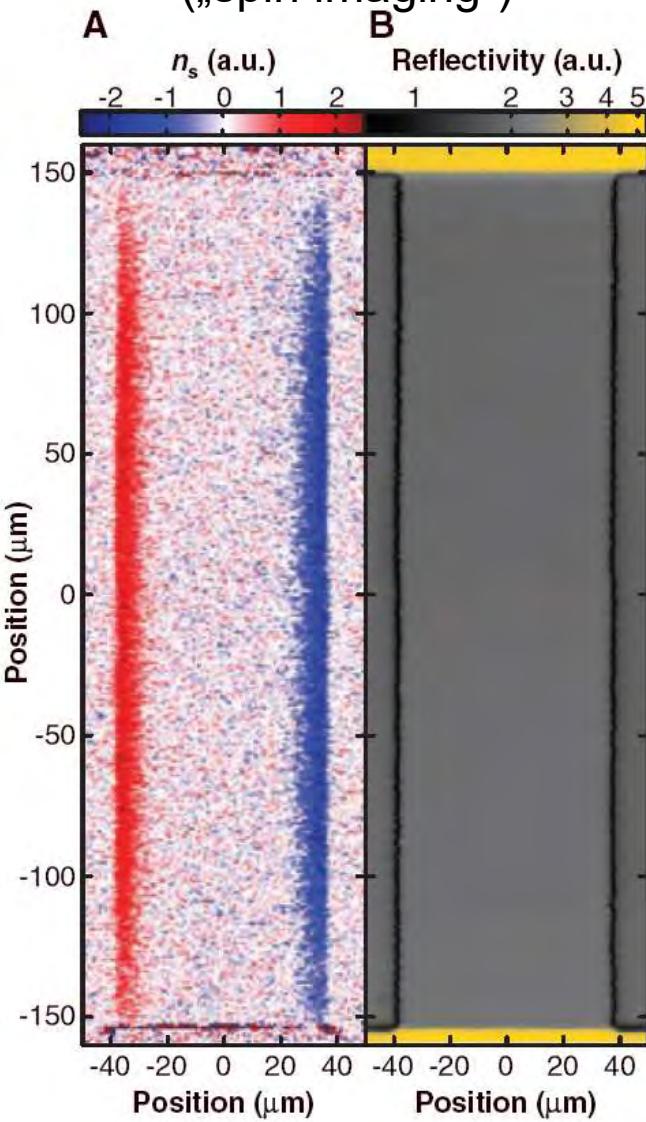
$$J_s = \alpha_{\text{SHE}} \frac{\hbar}{2e} [J_c \times s]$$

$$\alpha_{\text{SHE}}^{\text{GaAs}} \approx 2 \times 10^{-4}$$

Kato et al., Science 306, 1910 (2004).

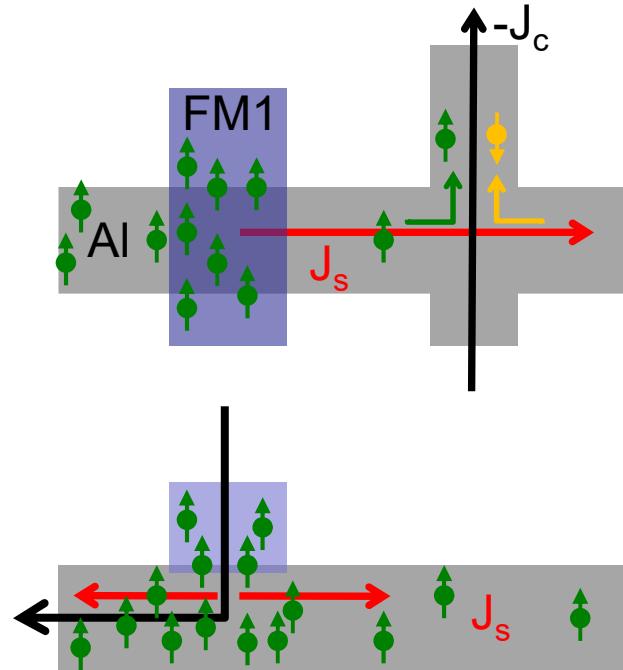


Kerr microscopy
("spin imaging")

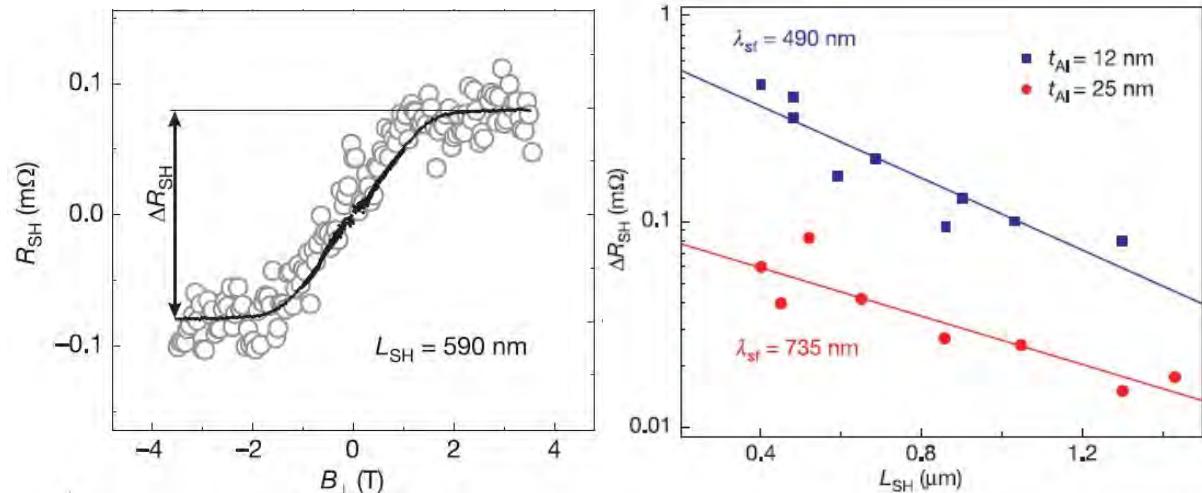


iSHE in Metallic F/N Nanostructures

Valenzuela & Tinkham, Nature **442**, 176 (2006).



$$\mathbf{J}_c^{\text{ISHE}} = \alpha_{\text{SHE}} \frac{2e}{\hbar} [\mathbf{J}_s \times \mathbf{s}]$$



$$\Delta R_{\text{SHE}} \propto \alpha_{\text{SHE}} \exp(-L_{\text{SH}} / \lambda_{\text{SF}})$$

detection of diffusive spin current
via inverse spin Hall effect

Aluminium: $\alpha_{\text{SHE}} = \frac{\sigma_{\text{SHE}}}{\sigma_c} \simeq 1 \times 10^{-4}$

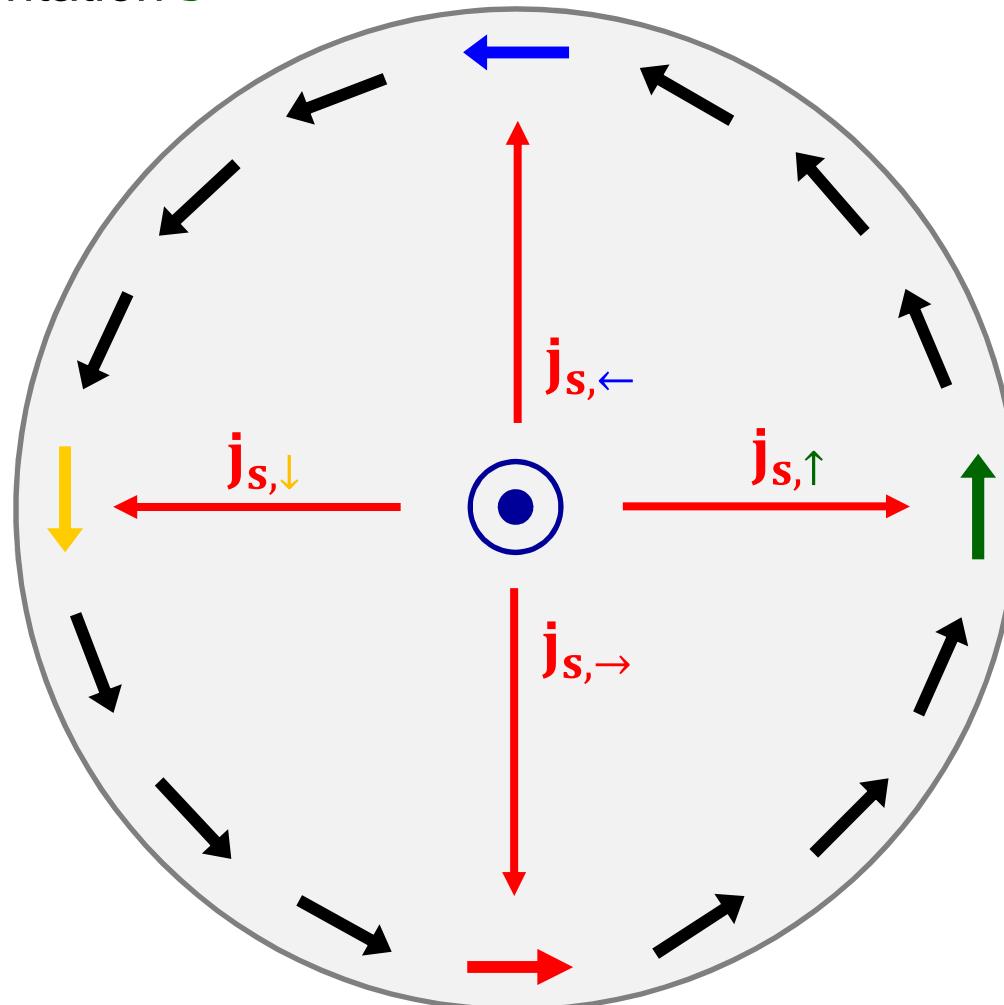
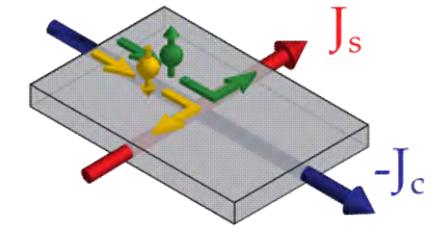
Saitoh *et al.*, APL **88**, 182509 (2006).
Mosendz *et al.*, Phys. Rev. Lett. **104**, 046601 (2010).
Liu *et al.*, Science **336**, 555 (2012).
Niimi *et al.*, Phys. Rev. Lett. **109**, 156602 (2012).
...and many more ...
→ review: Hoffmann, IEEE-TM **49**, 5172 (2013).
Sinova *et al.*, RMP **87**, 1213 (2015).

Gold :	$\alpha_{\text{SHE}} = 0.0016$
Platinum :	$\alpha_{\text{SHE}} = 0.013 \dots 0.11$ (0.16)
Bi, Bi/Ag, Ta :	$\alpha_{\text{SHE}} = 0.1 \dots 0.3$

spin Hall effect

Nota bene:

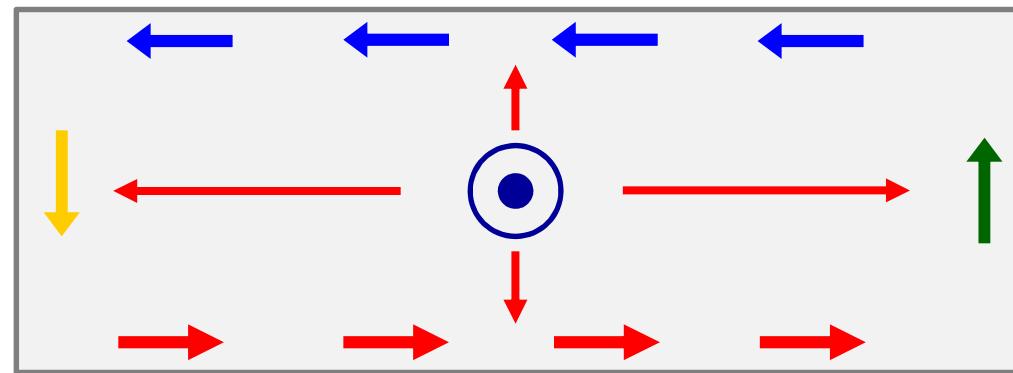
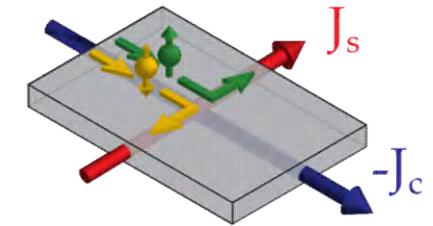
spin currents have a direction of propagation \mathbf{j}_s
AND a spin orientation \mathbf{s}



spin Hall effect

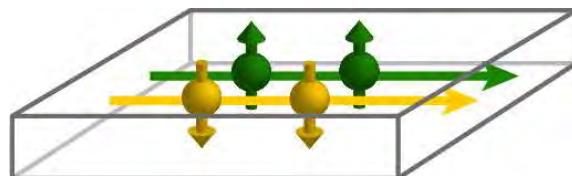
Nota bene:

spin currents have a direction of propagation \mathbf{j}_s
AND a spin orientation \mathbf{s}

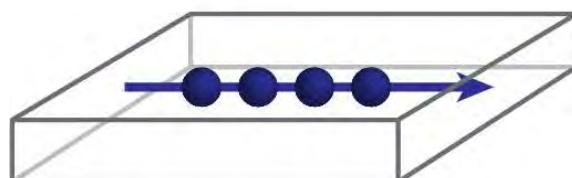


Charge vs. spin currents

wrap-up: pure charge current



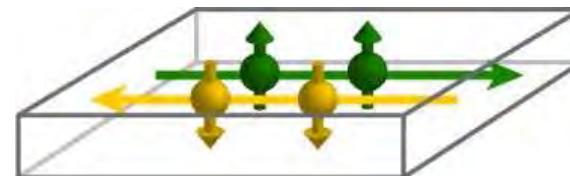
=



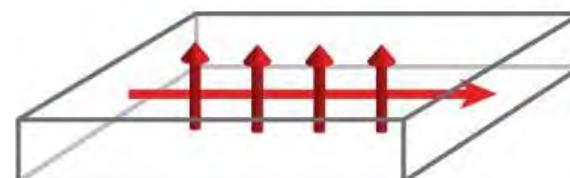
j_c finite

j_s zero

pure spin current

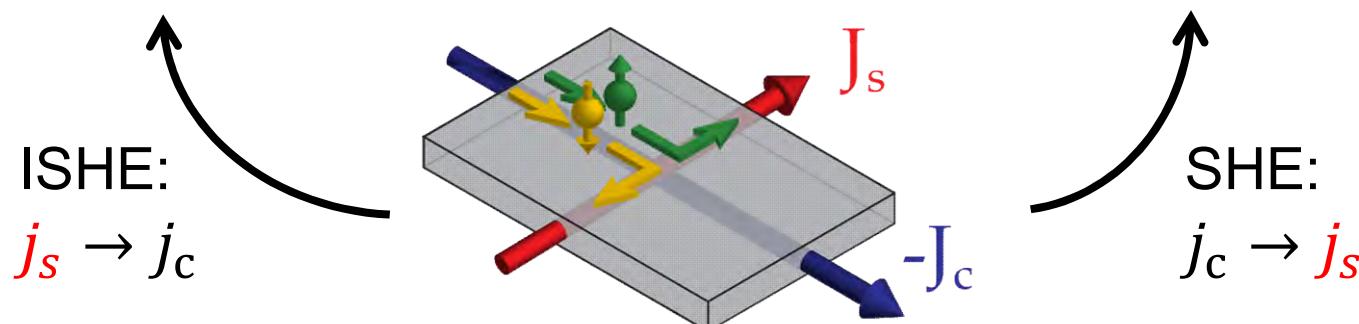


=



j_c zero

j_s finite



Outline

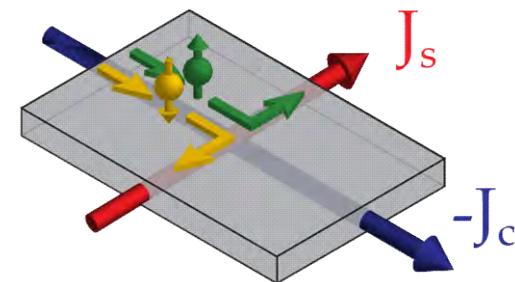
pure spin currents spin Hall effect

Hoffmann, IEEE-TM **49**, 5172 (2013).
Sinova *et al.*, RMP **87**, 1213 (2015).

$$g^{\uparrow\downarrow} \cong 10^{19} \text{ m}^{-2}$$

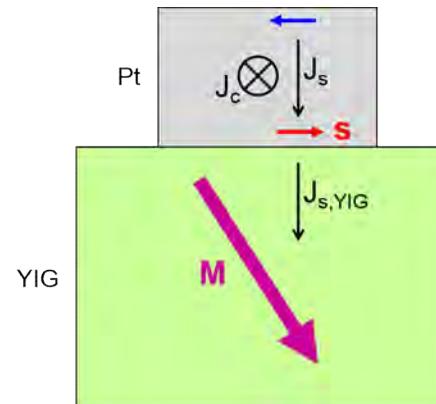
$$\alpha_{\text{SHE,Pt}} = 0.1$$

$$\lambda_{\text{SD,Pt}} = 1.5 \text{ nm}$$

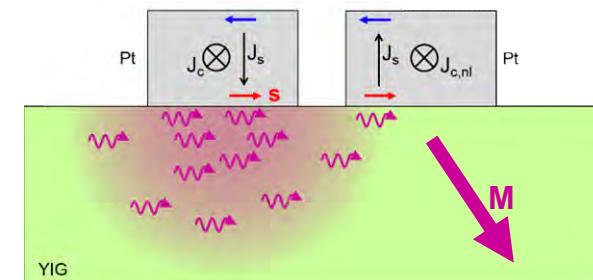


SMR = Spin Hall Magnetoresistance

... a spin current-based magnetoresistance
@ magnetic insulator / metal interfaces

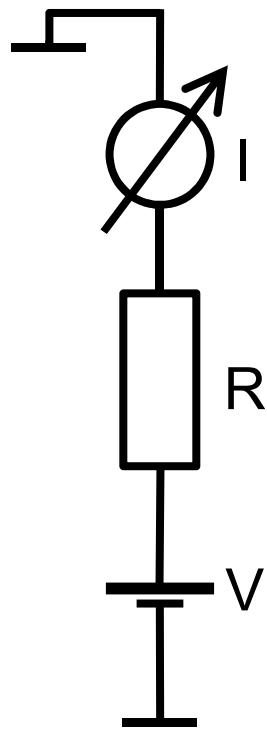


MMR = Magnon-mediated MagnetoResistance

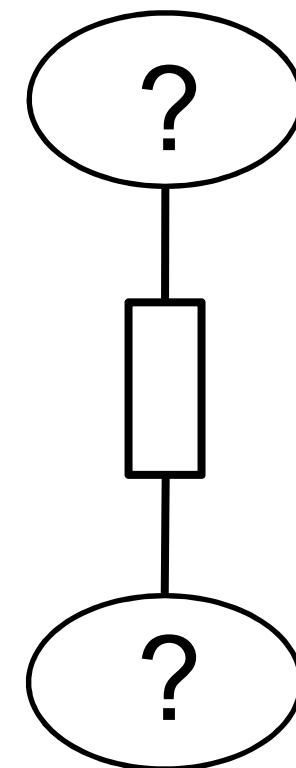


spin current circuits

charge-tronic circuit



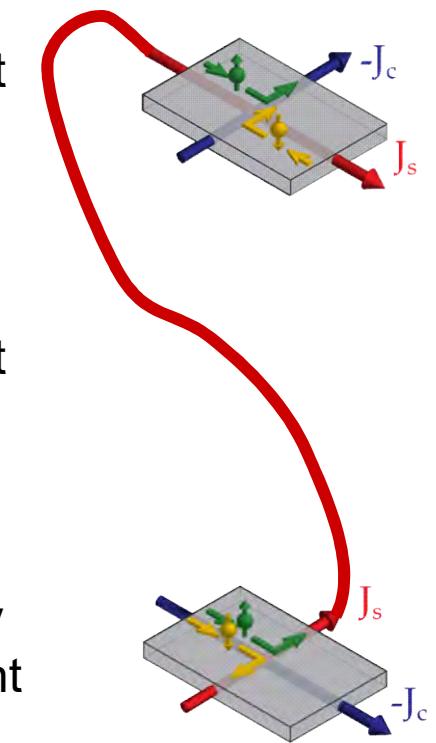
spin-tronic circuit



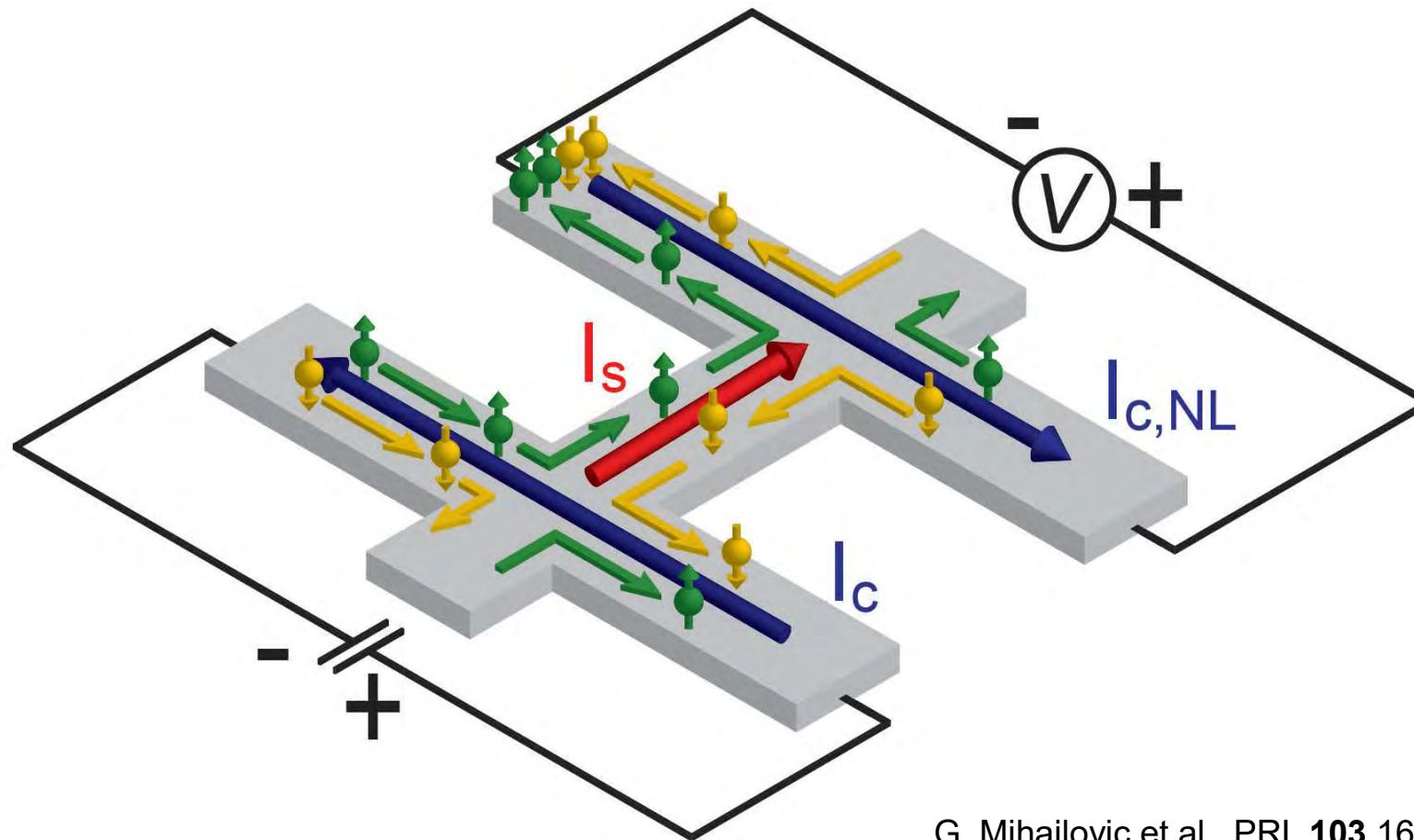
spin current
detector

spin current
conductor

spin battery
(spin current
source)

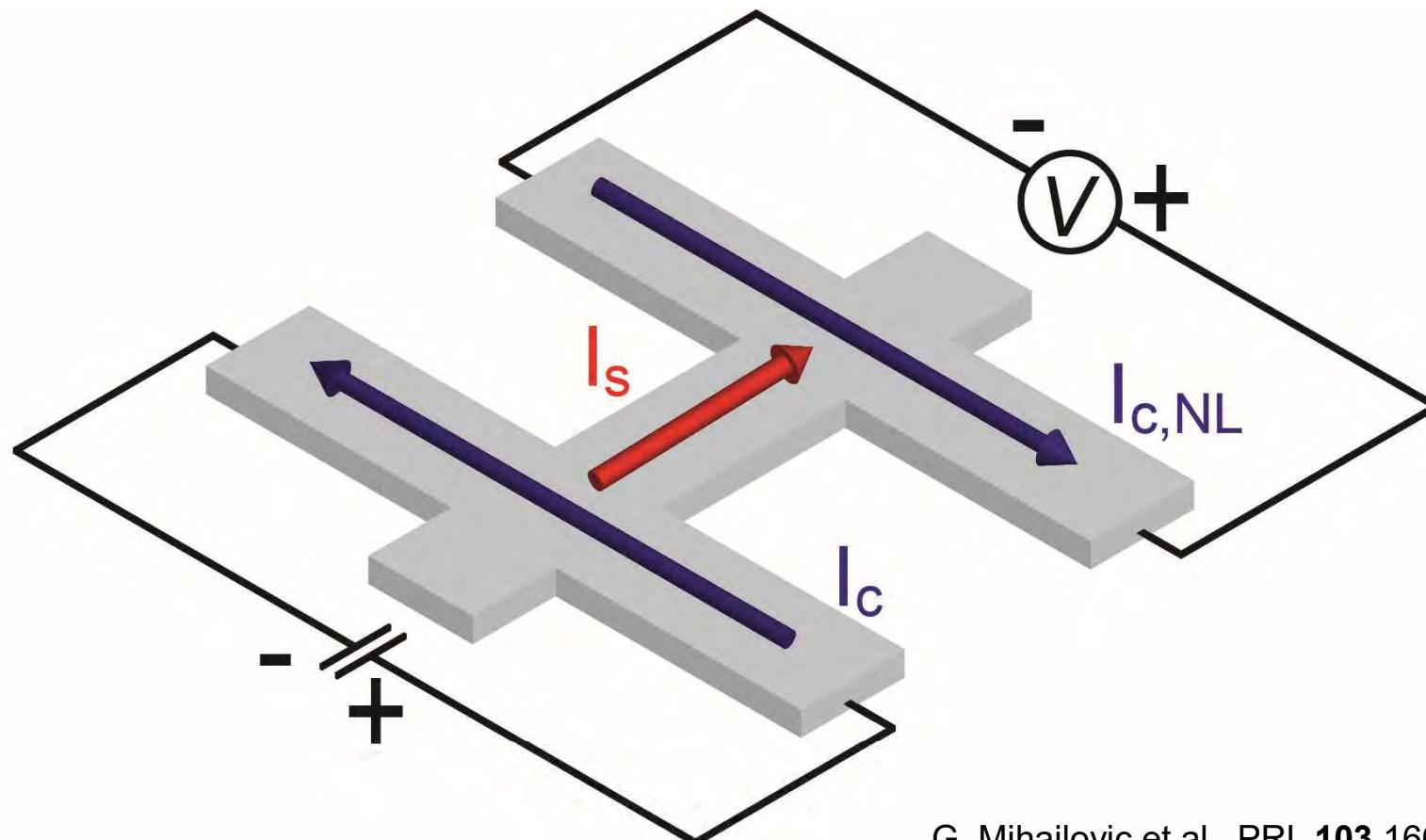


SHE & iSHE in a single metallic nanostructure



G. Mihajlovic et al., PRL **103**, 166601 (2009).
F. Czeschka, PhD Thesis, TUM (2011).

SHE & iSHE in a single metallic nanostructure



Issues:

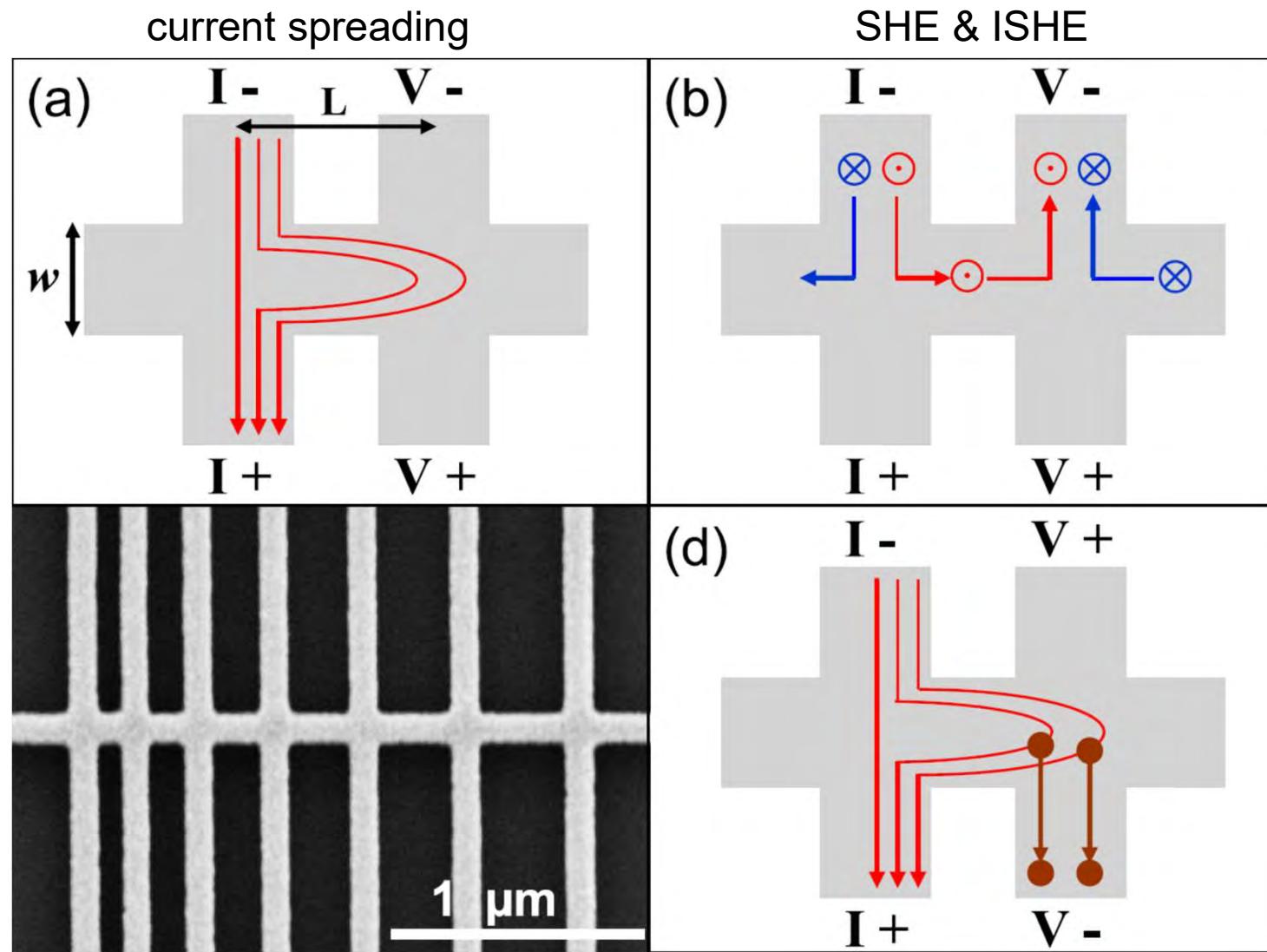
- current spreading (spurious signals)
- large $\alpha_{\text{SHE}} \leftrightarrow$ small spin diffusion length

$$\alpha_{\text{SHE},\text{Pt}} = 0.1 \leftrightarrow \lambda_{\text{SD},\text{Pt}} = 1.5\text{nm}$$

G. Mihajlovic et al., PRL 103, 166601 (2009).
F. Czeschka, PhD Thesis, TUM (2011).

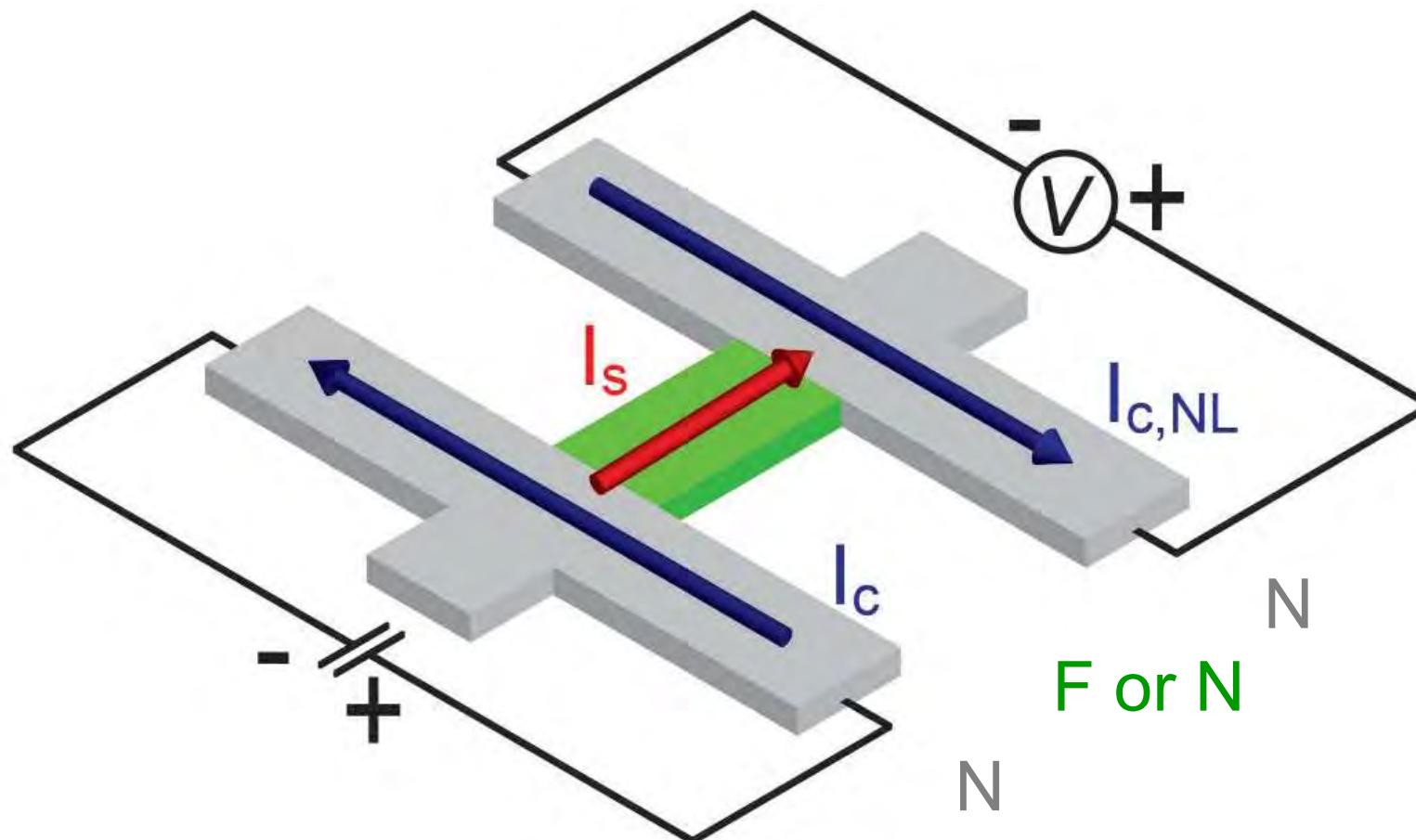
→ heterostructures !!

SHE & iSHE in a Single Metallic Nanostructure

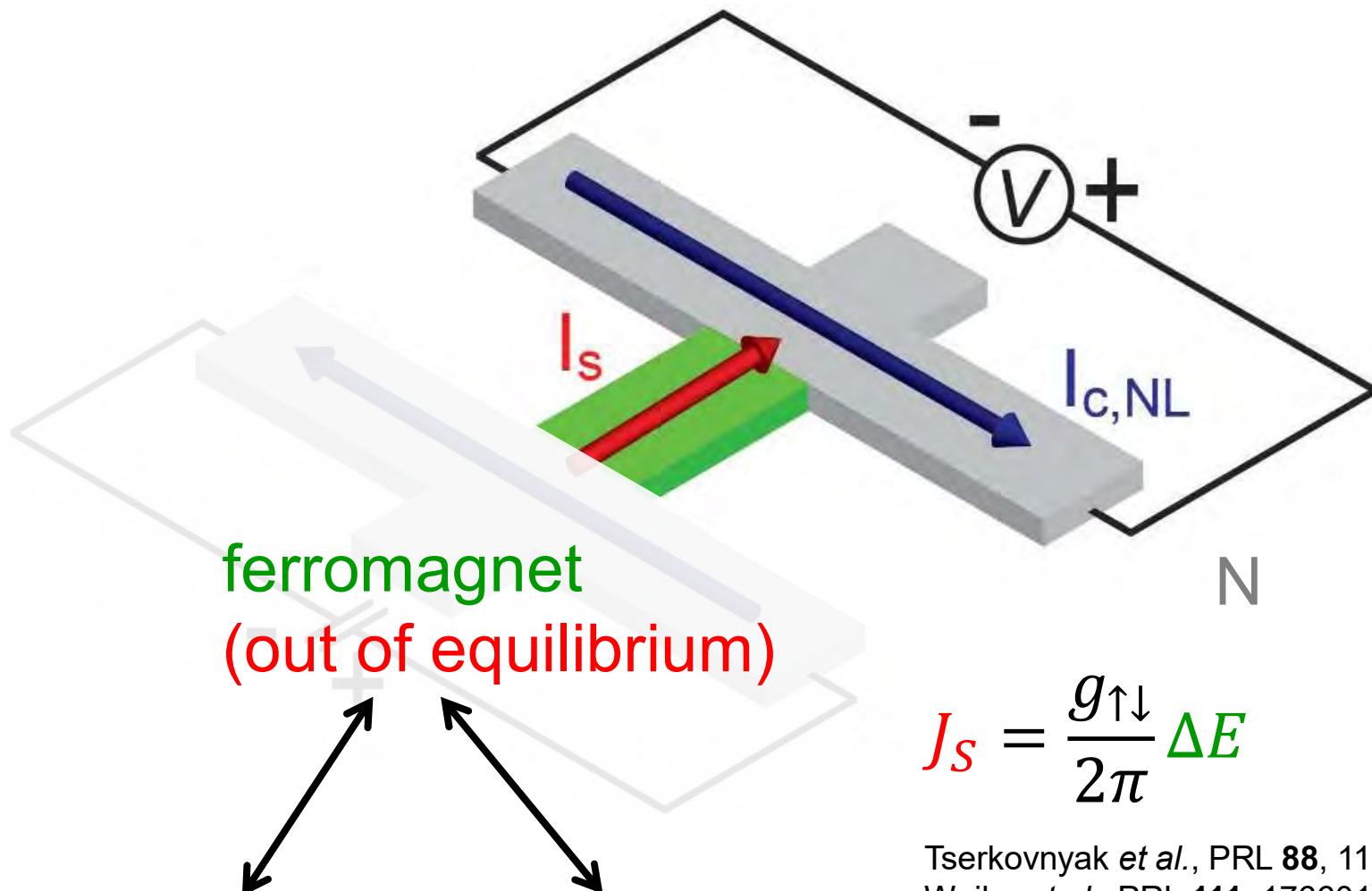


G. Mihajlovic et al., PRL 103, 166601 (2009). F. Czeschka, PhD Thesis, TUM (2011).

Spin current circuits



Spin current circuits



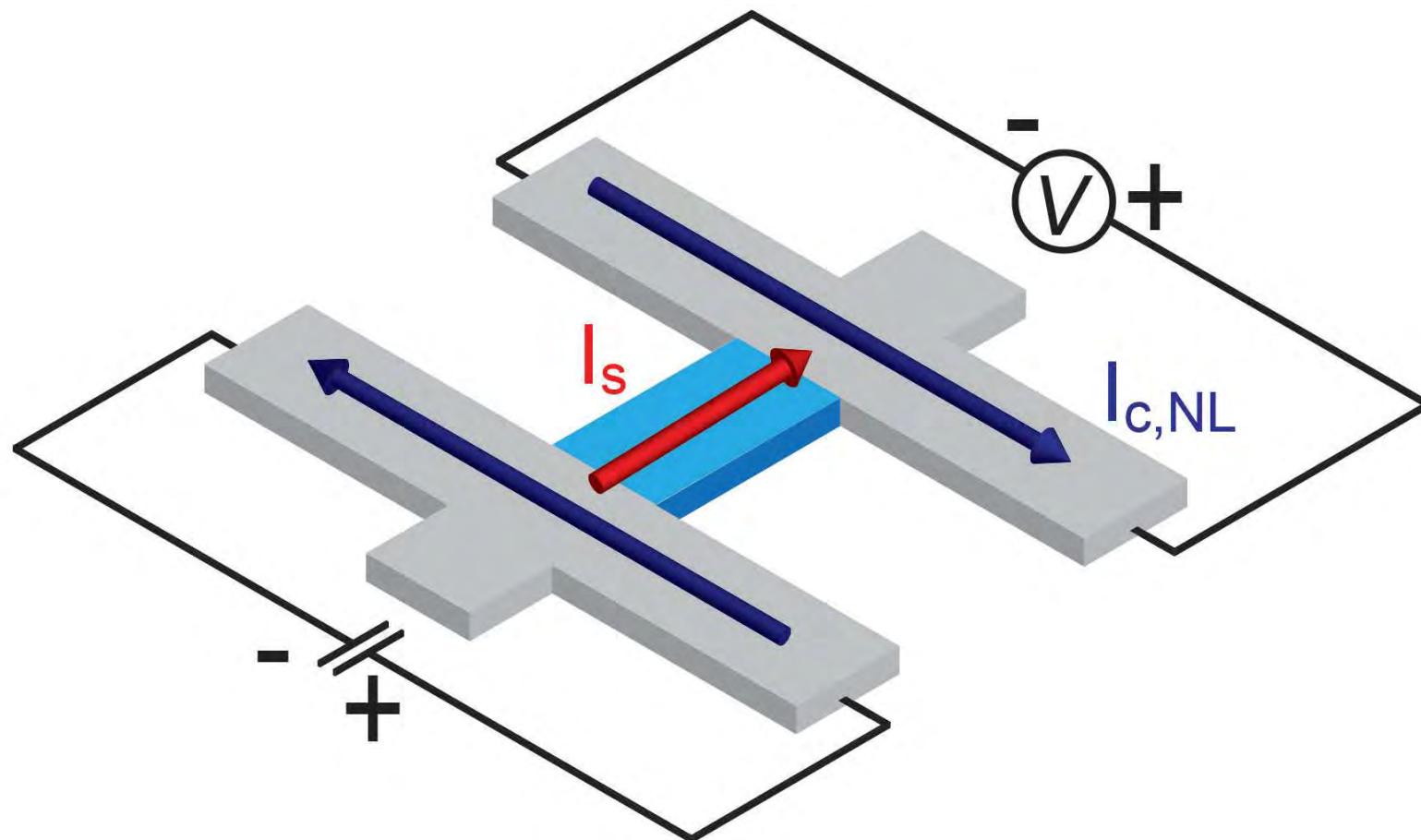
$$J_S = \frac{g_{\uparrow\downarrow}}{2\pi} \Delta E$$

Tserkovnyak *et al.*, PRL **88**, 117601 (2002).
Weiler *et al.*, PRL **111**, 176601 (2013).

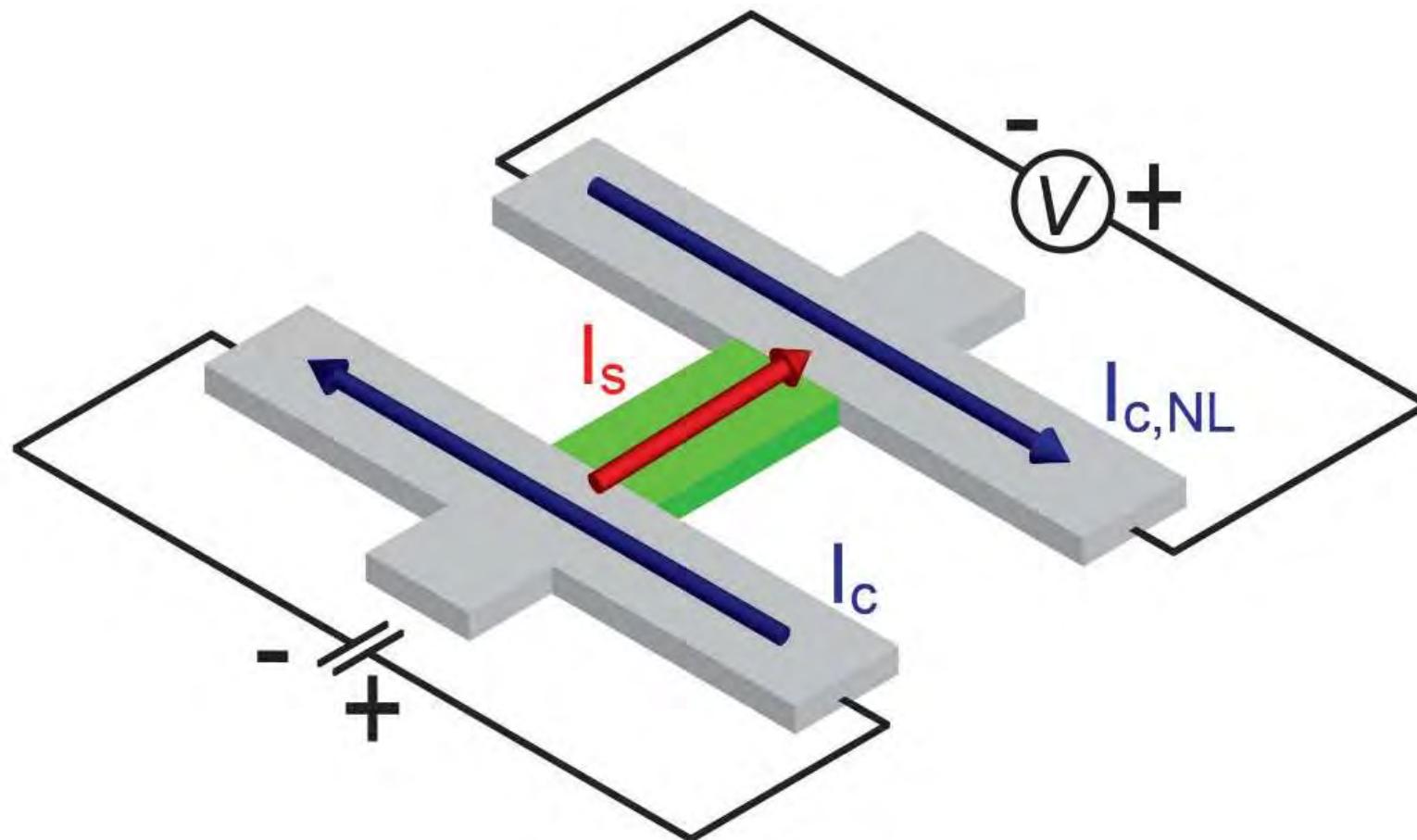
thermal excitation:
spin Seebeck effect

resonant excitation:
spin pumping

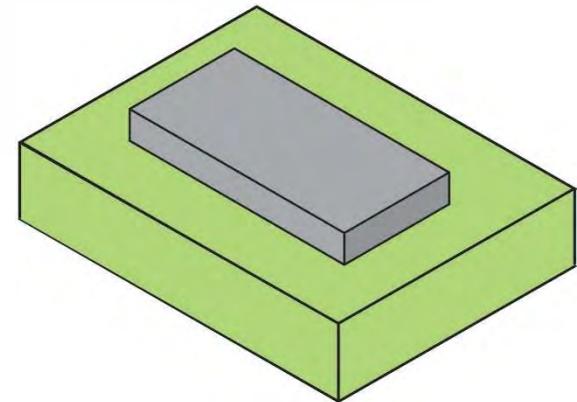
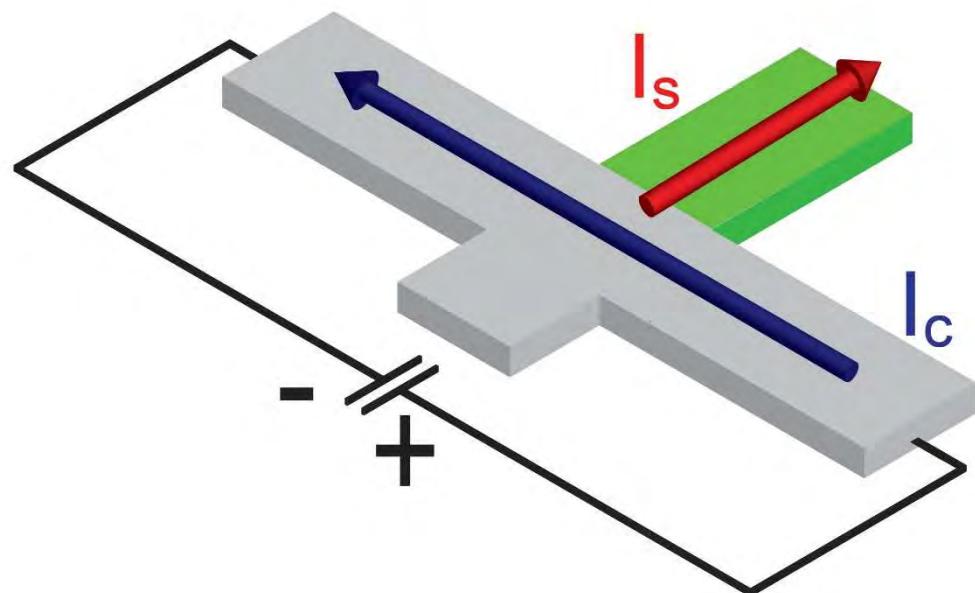
Spin current circuits



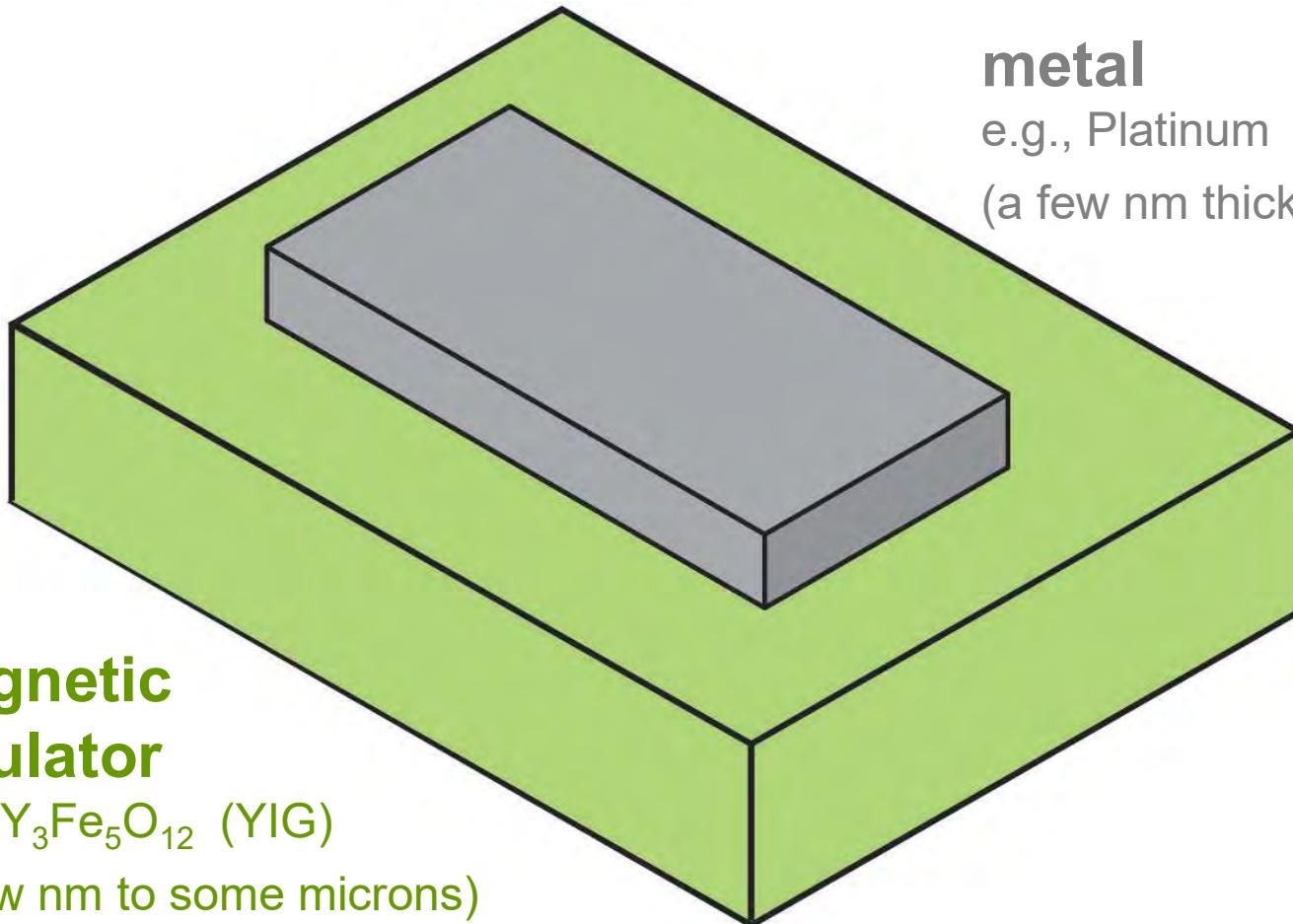
Spin current circuits

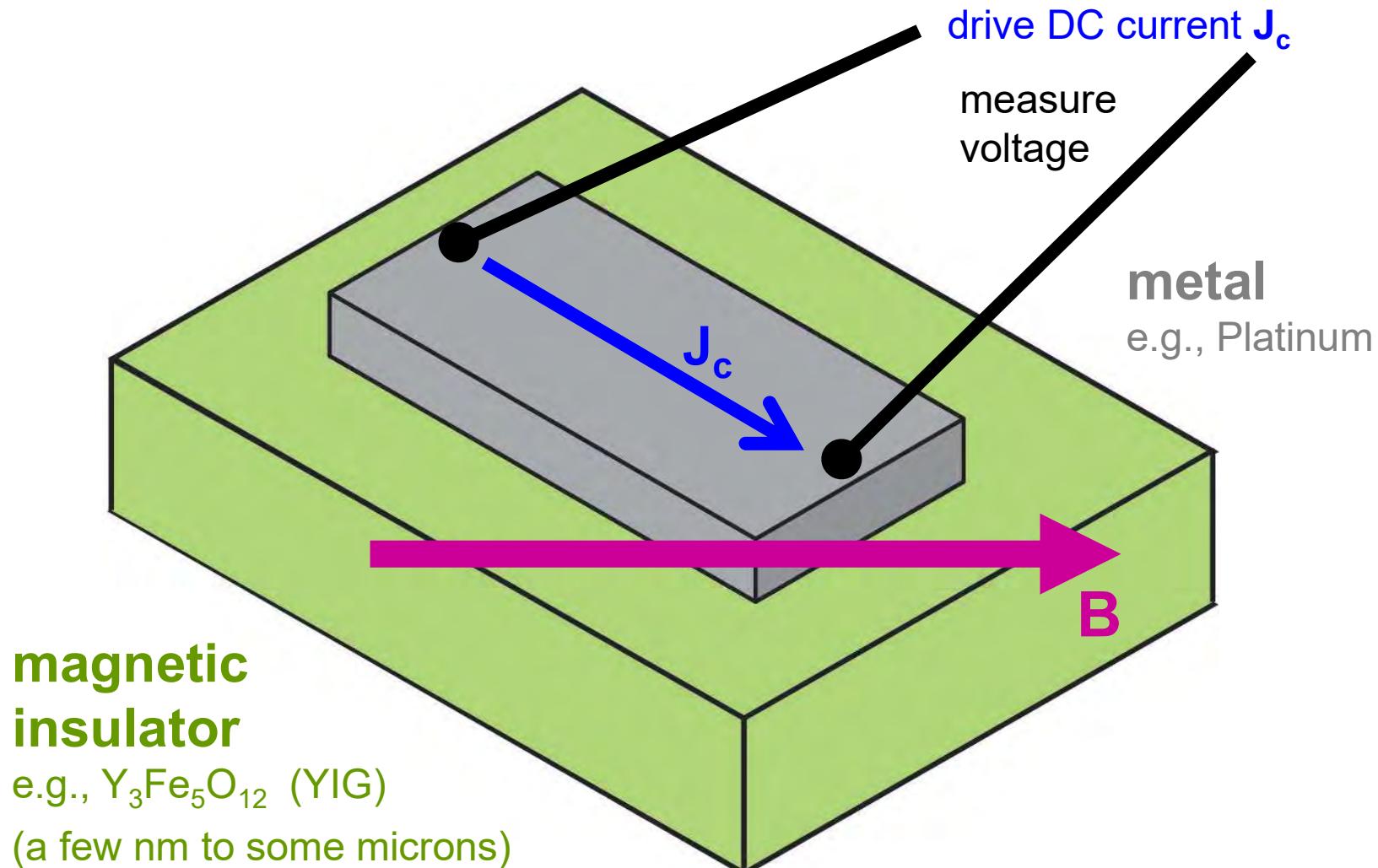


Spin current circuits

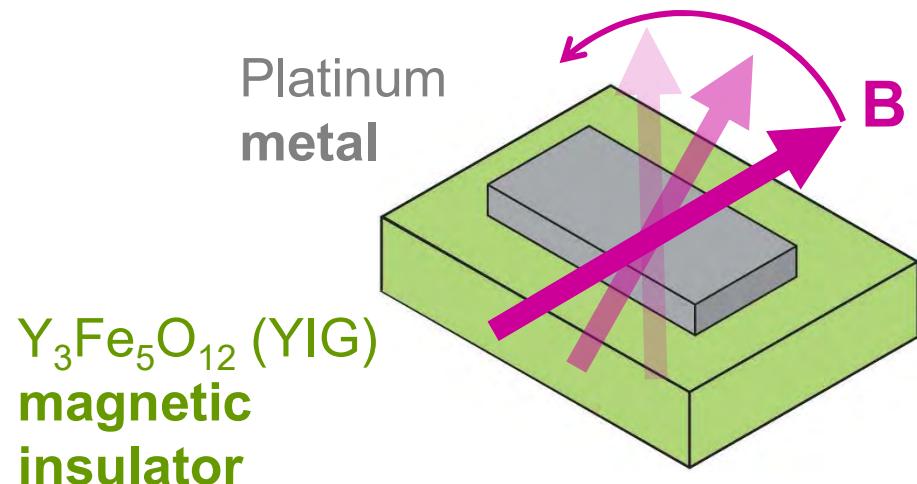
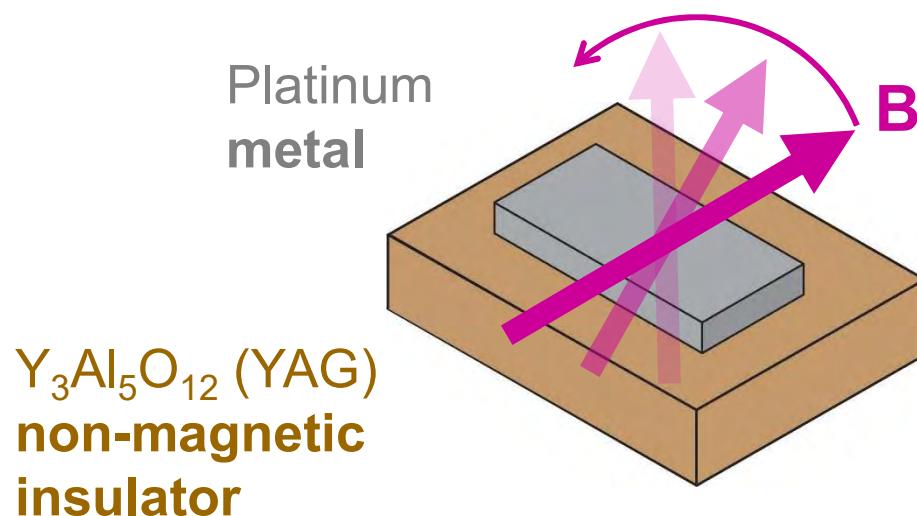


**magnetic
insulator**
e.g., $\text{Y}_3\text{Fe}_5\text{O}_{12}$ (YIG)
(a few nm to some microns)



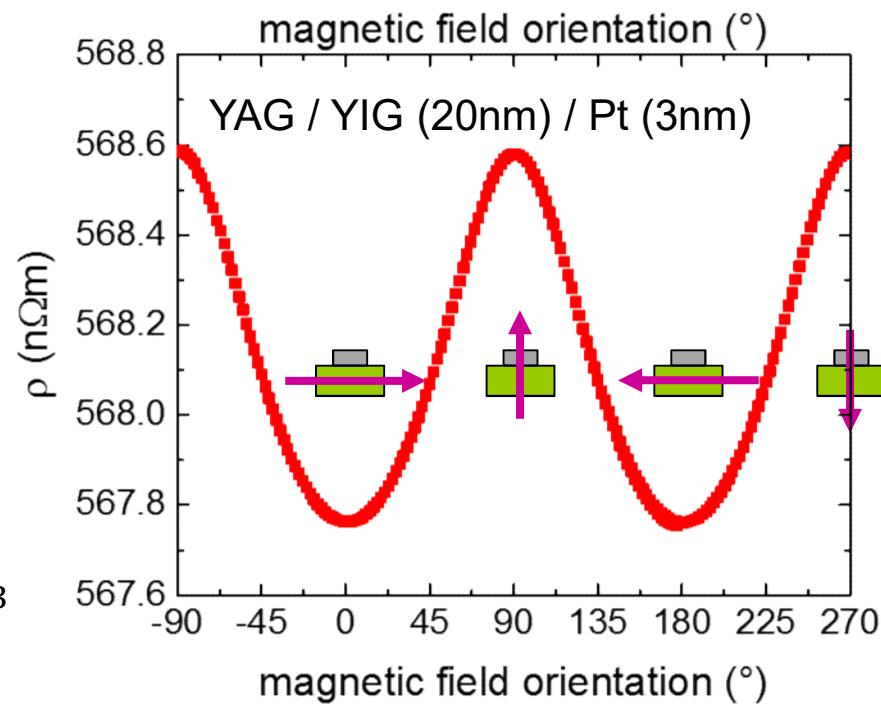
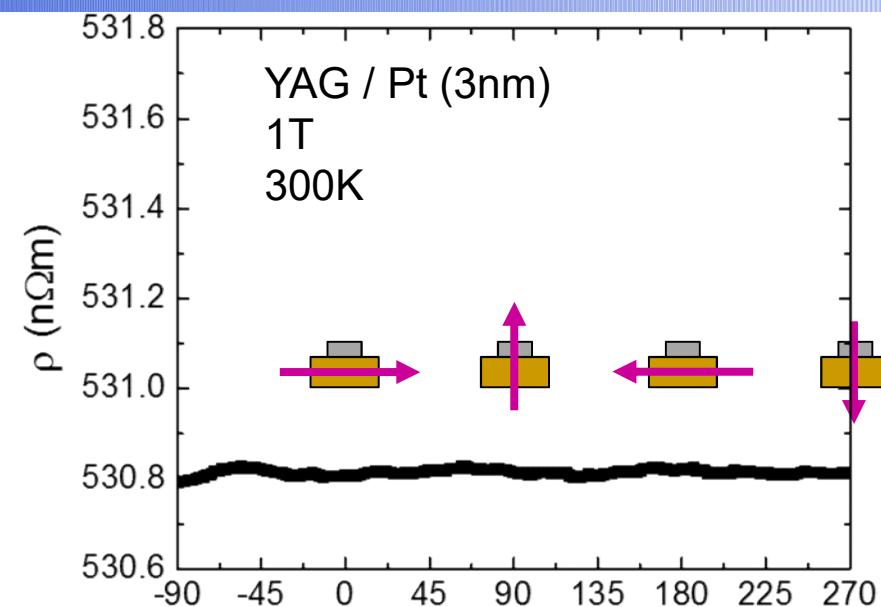


measure resistance R of the metal ... as a function of the applied **magnetic field B**
(via current-bias, 4-point voltage measurements)



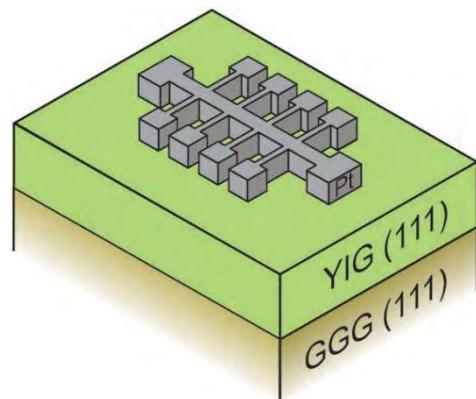
SMR = Spin-Hall magnetoresistance

$$\frac{\Delta\rho}{\rho} = 1.5 \times 10^{-3}$$



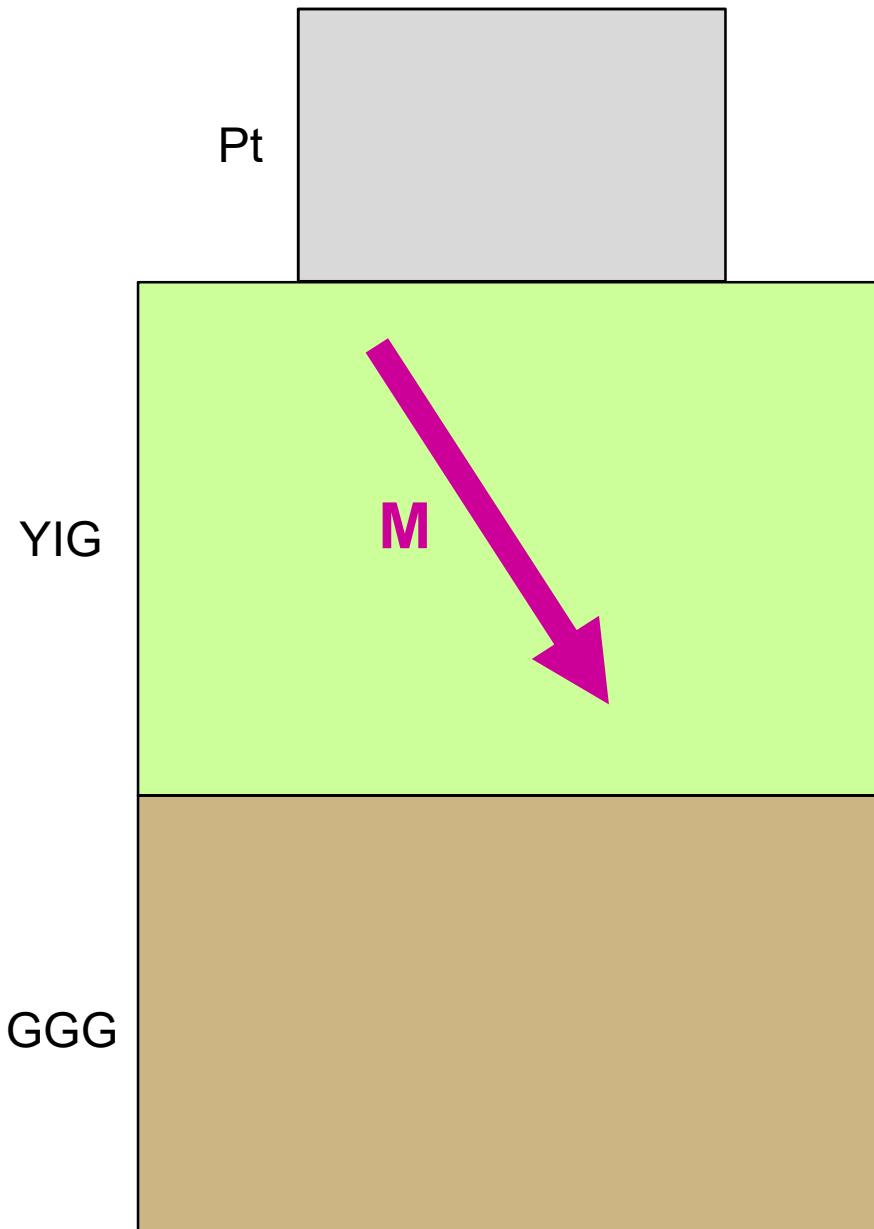
spin Hall magnetoresistance

(a spin current MR @ FMI / N interfaces)

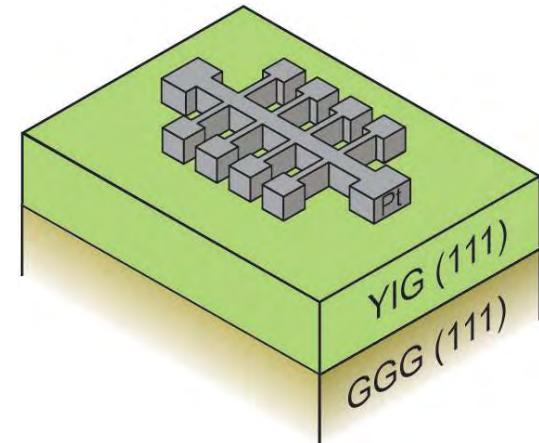


- Nakayama *et al.*, PRL **110**, 206601 (2013).
Chen *et al.*, PRB **87**, 144411 (2013).
Hahn *et al.*, PRB **87**, 174417 (2013).
Vlietstra *et al.*, PRB **87**, 184421 (2013).
Althammer *et al.*, PRB **87**, 224401 (2013).
Meyer *et al.*, APL **104**, 242411 (2014).
Lotze *et al.*, PRB **90**, 174419 (2014).
review: Chen *et al.*, J. Phys.: Condens. Matter **28**, 103004 (2016).

YIG/Pt bilayer sample



Platinum
here: $\sim 10\text{nm}$

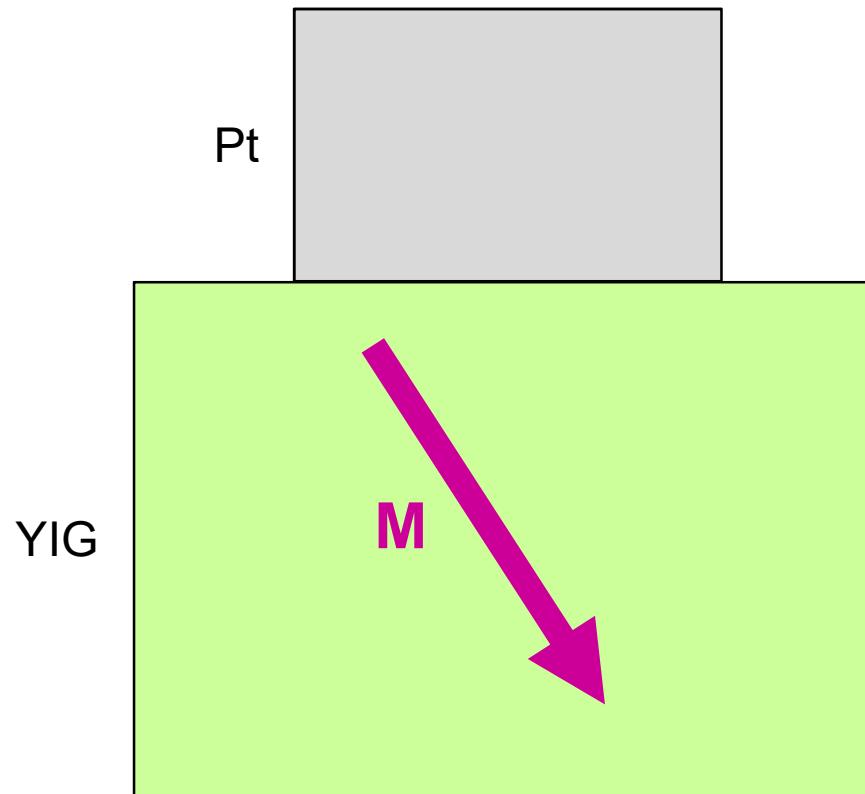


electrically insulating ferrimagnet
("magnetic insulator")
with net magnetization **M**

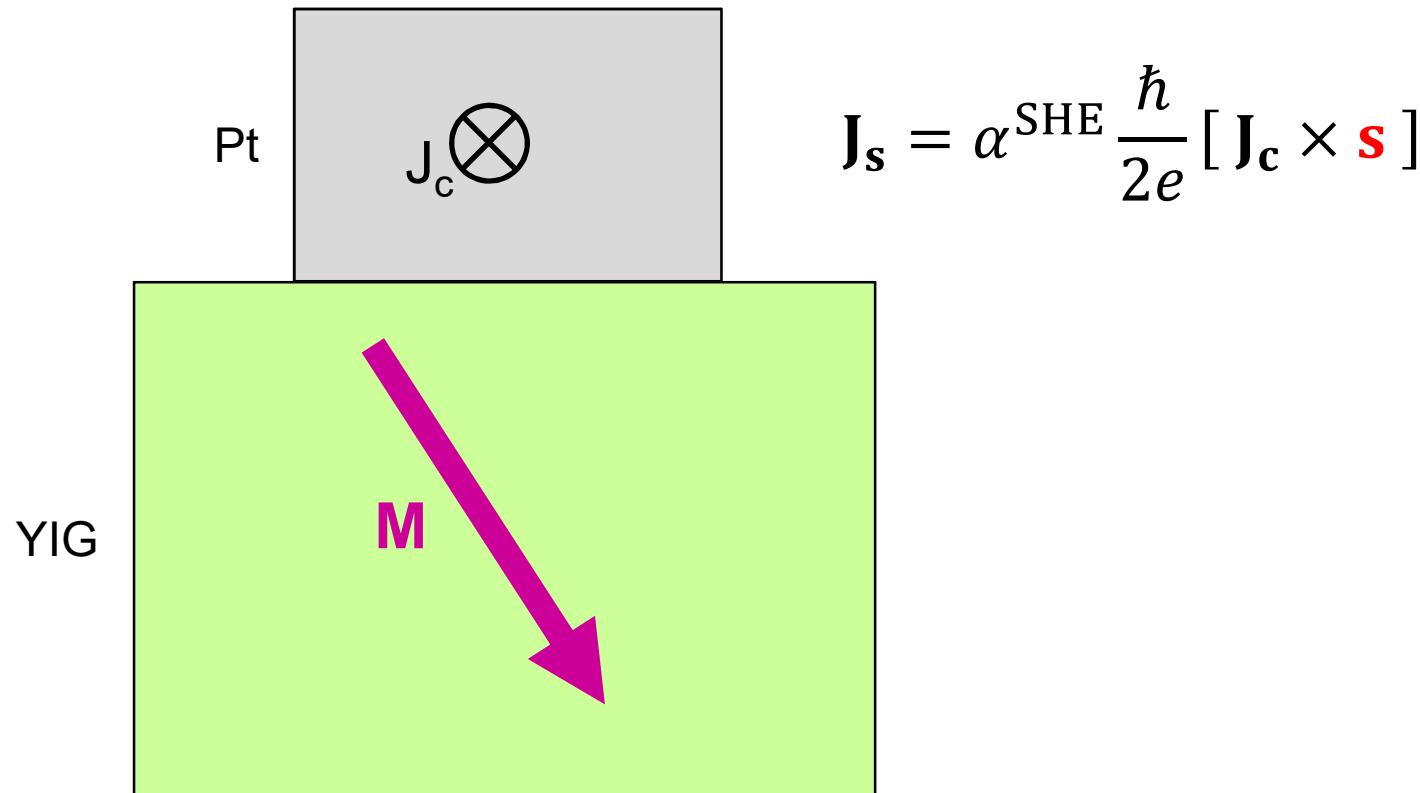
here: $3\mu\text{m}$ thick YIG film

grown onto $500\mu\text{m}$ of GGG = $\text{Gd}_3\text{Ga}_5\text{O}_{12}$
via liquid phase epitaxy (LPE)

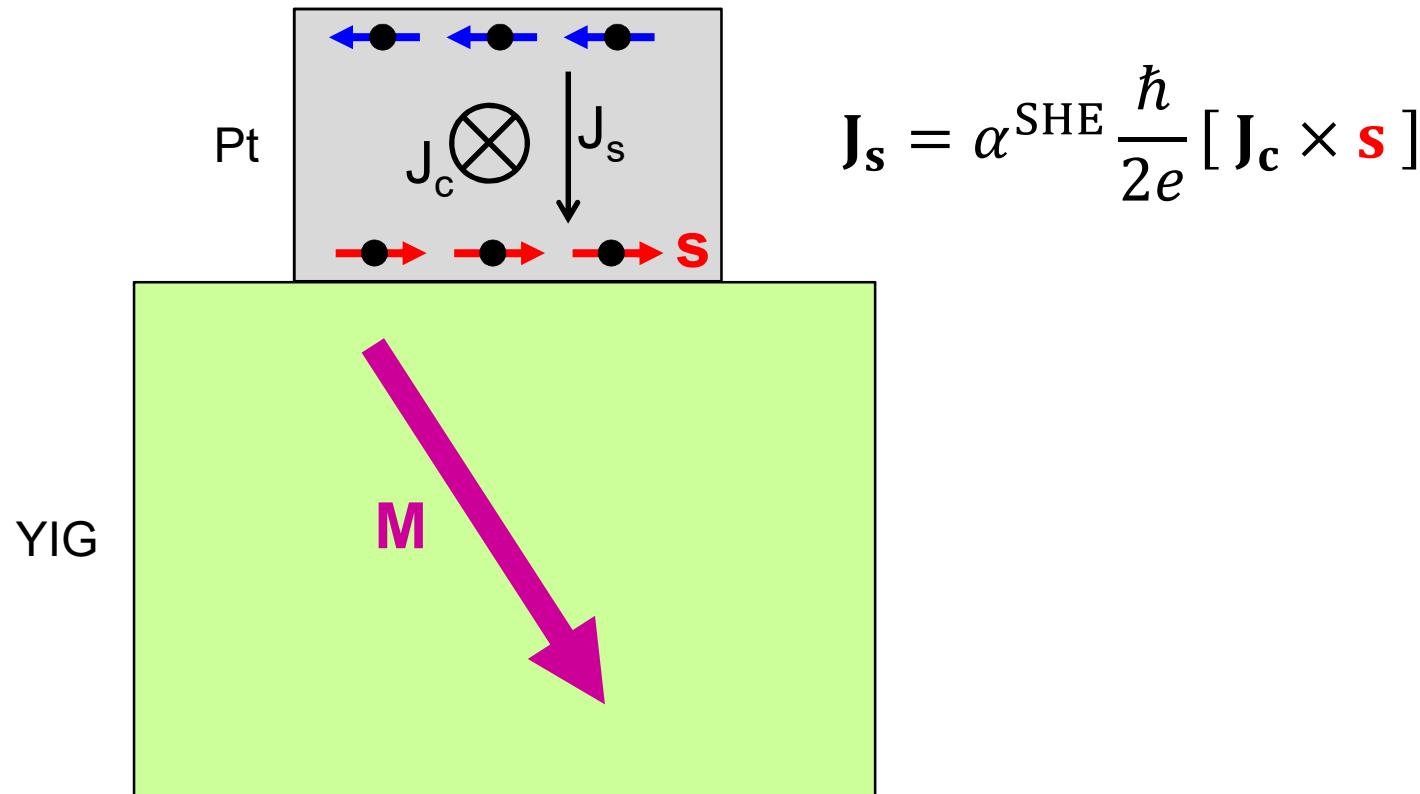
SMR mechanism



SMR mechanism

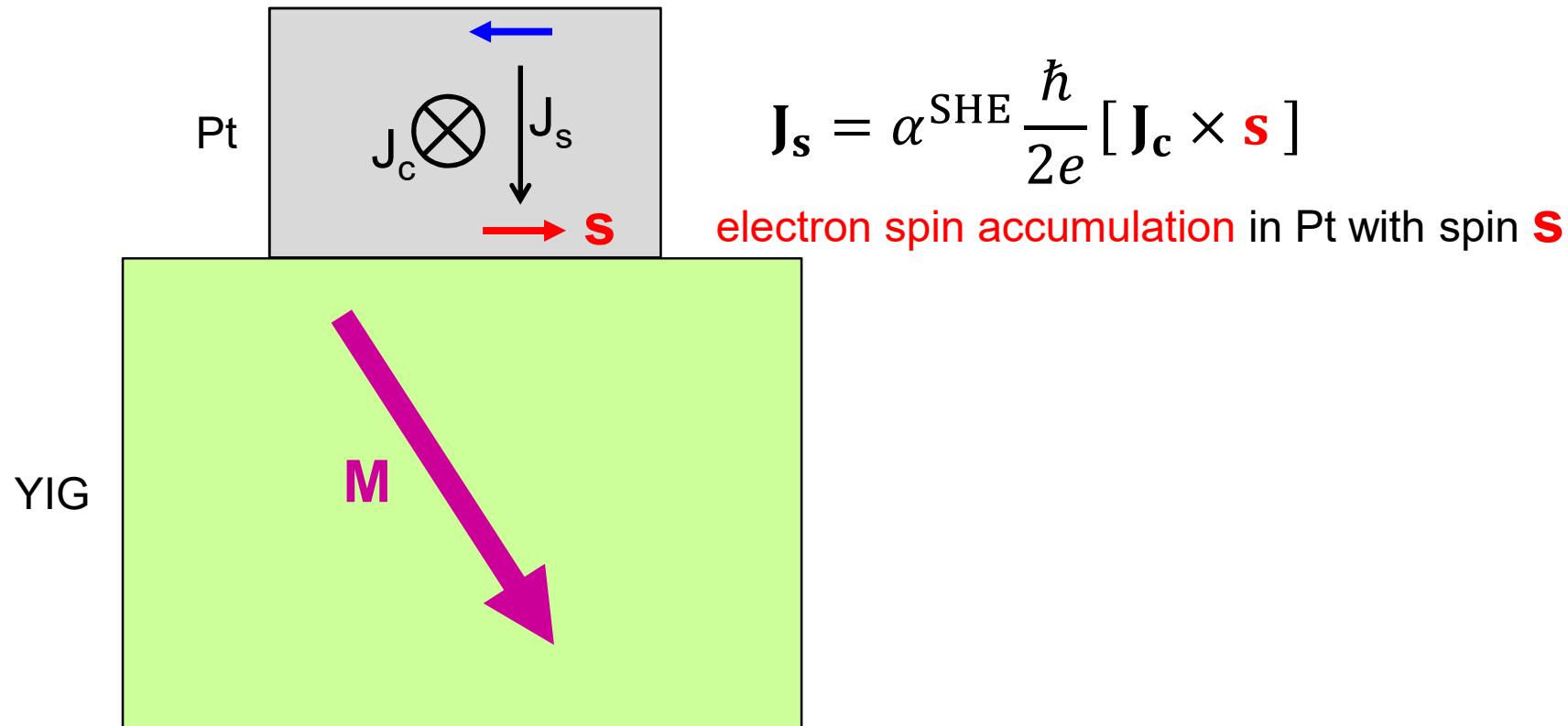


SMR mechanism

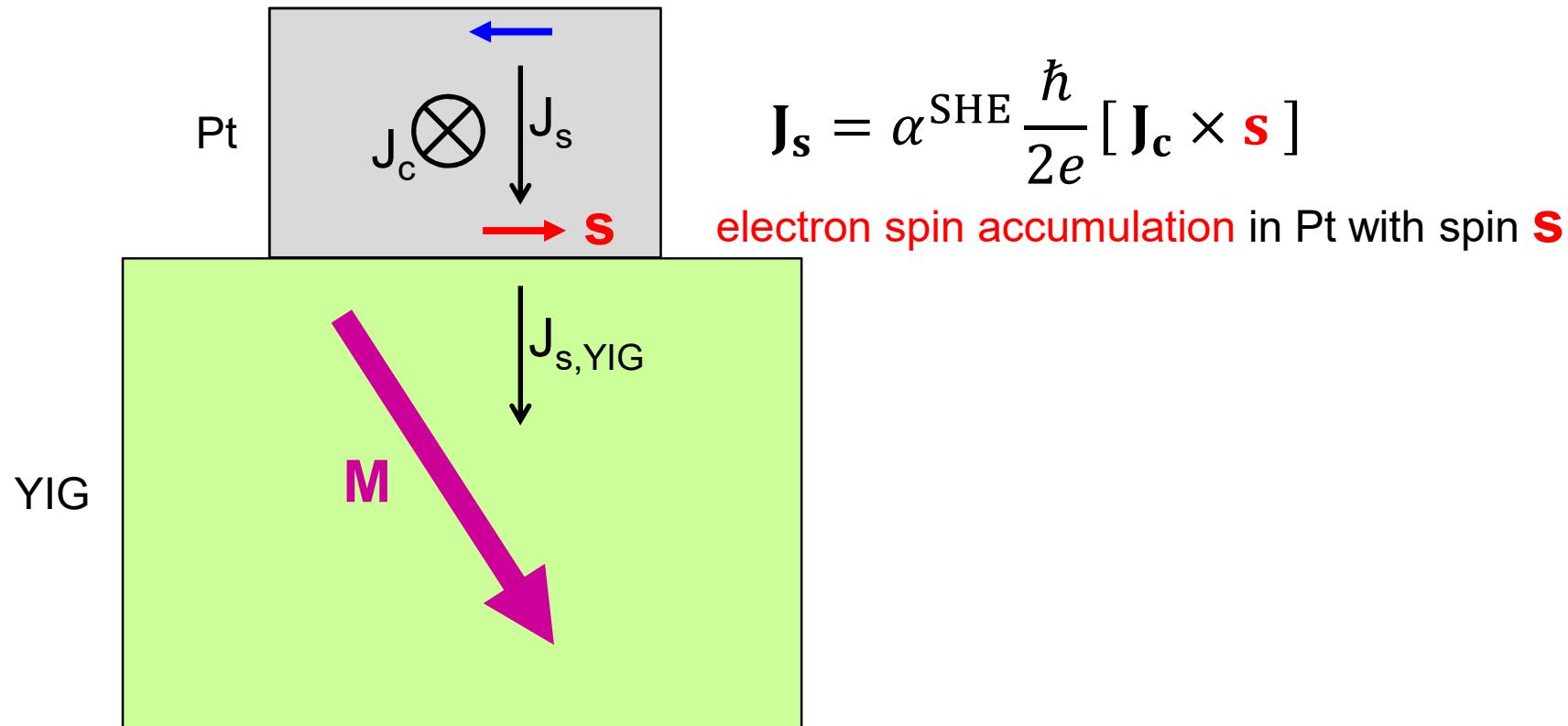


$$J_s = \alpha^{\text{SHE}} \frac{\hbar}{2e} [J_c \times \mathbf{s}]$$

SMR mechanism



SMR mechanism



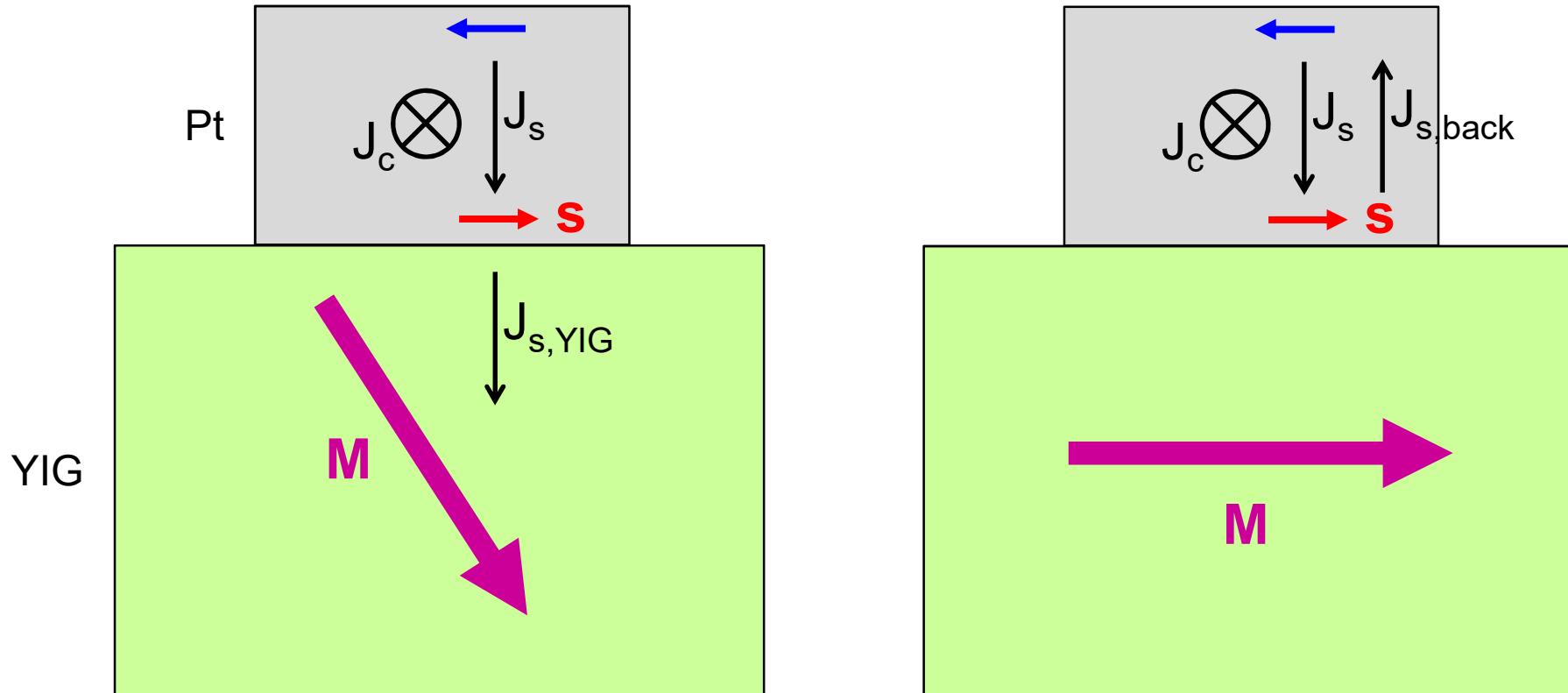
if $\tau_{\text{STT}} \propto \mathbf{M} \times (\mathbf{M} \times \mathbf{s})$ is finite

\Rightarrow outflow of J_s into YIG

enhanced dissipation in Pt

\Rightarrow **larger Pt resistance**

SMR mechanism



if $\tau_{\text{STT}} \propto \mathbf{M} \times (\mathbf{M} \times \mathbf{s})$ is finite

\Rightarrow outflow of J_s into YIG

enhanced dissipation in Pt

\Rightarrow **larger Pt resistance**

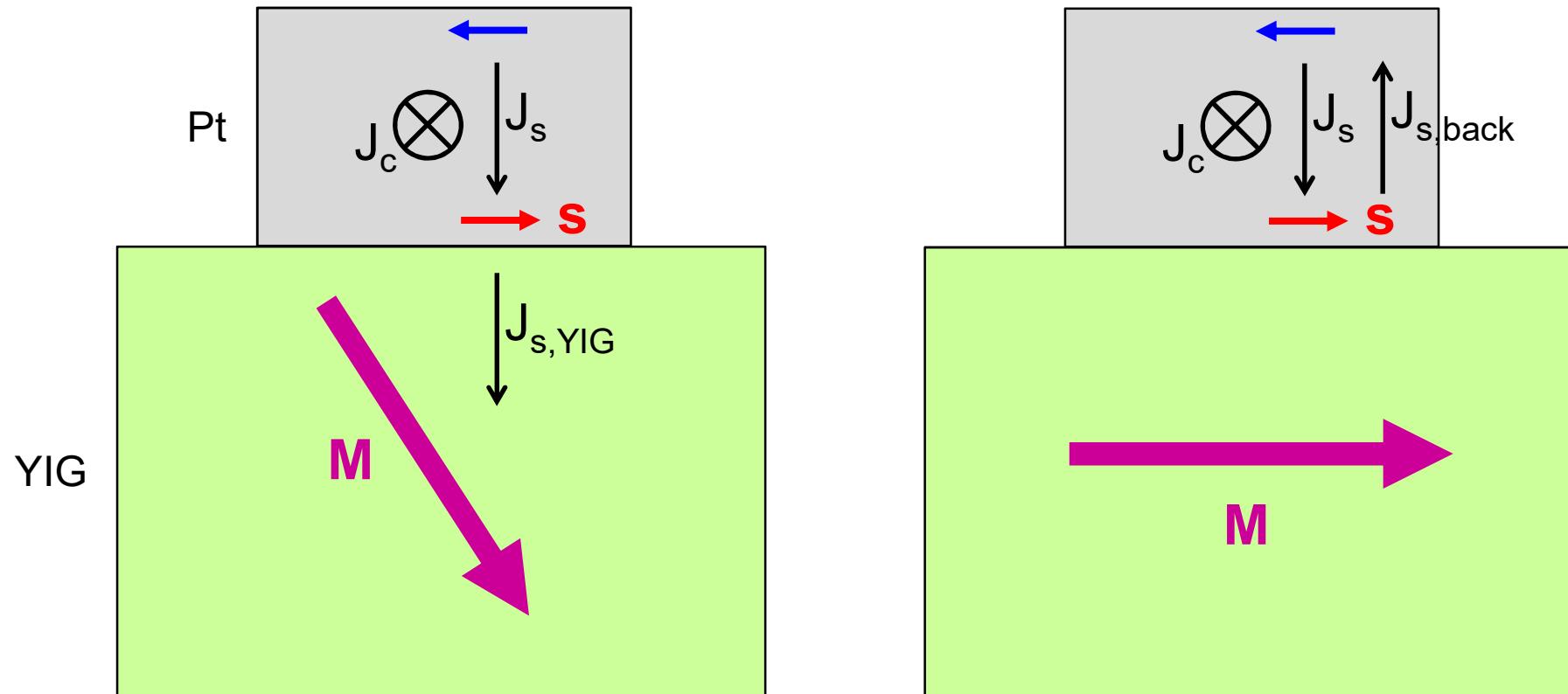
$\tau_{\text{STT}} \propto \mathbf{M} \times (\mathbf{M} \times \mathbf{s}) = 0$

\Rightarrow open boundary conditions for J_s

reduced dissipation

\Rightarrow **smaller Pt resistance**

SMR mechanism

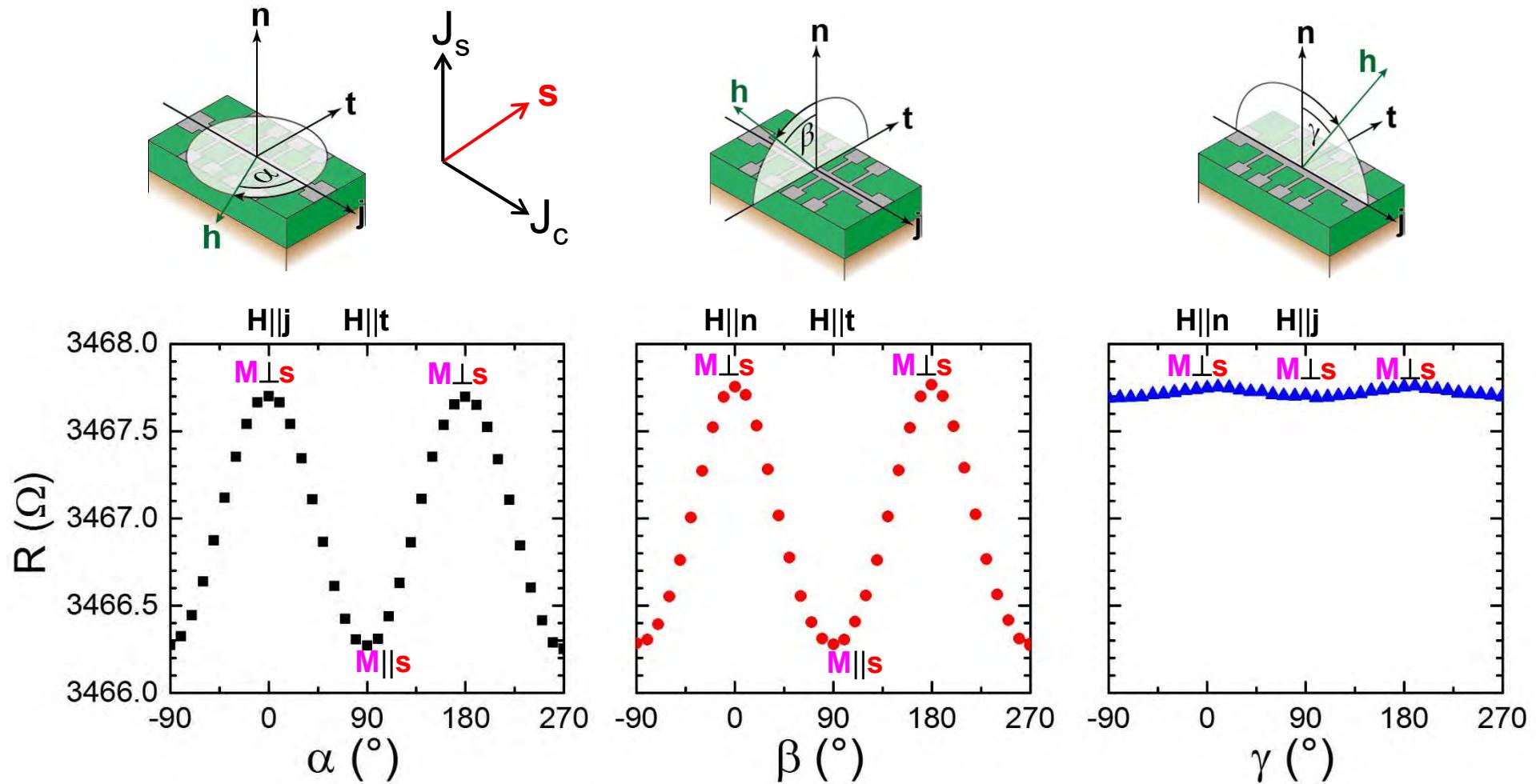


Spin Hall MR (SMR): R smallest for $M \parallel s$, larger otherwise

$$\begin{aligned} R &= R_0 - R_1 (\mathbf{m} \cdot \mathbf{s})^2 \\ &= R_0 - R_1 \cos^2(\alpha) \end{aligned}$$

SMR fingerprint

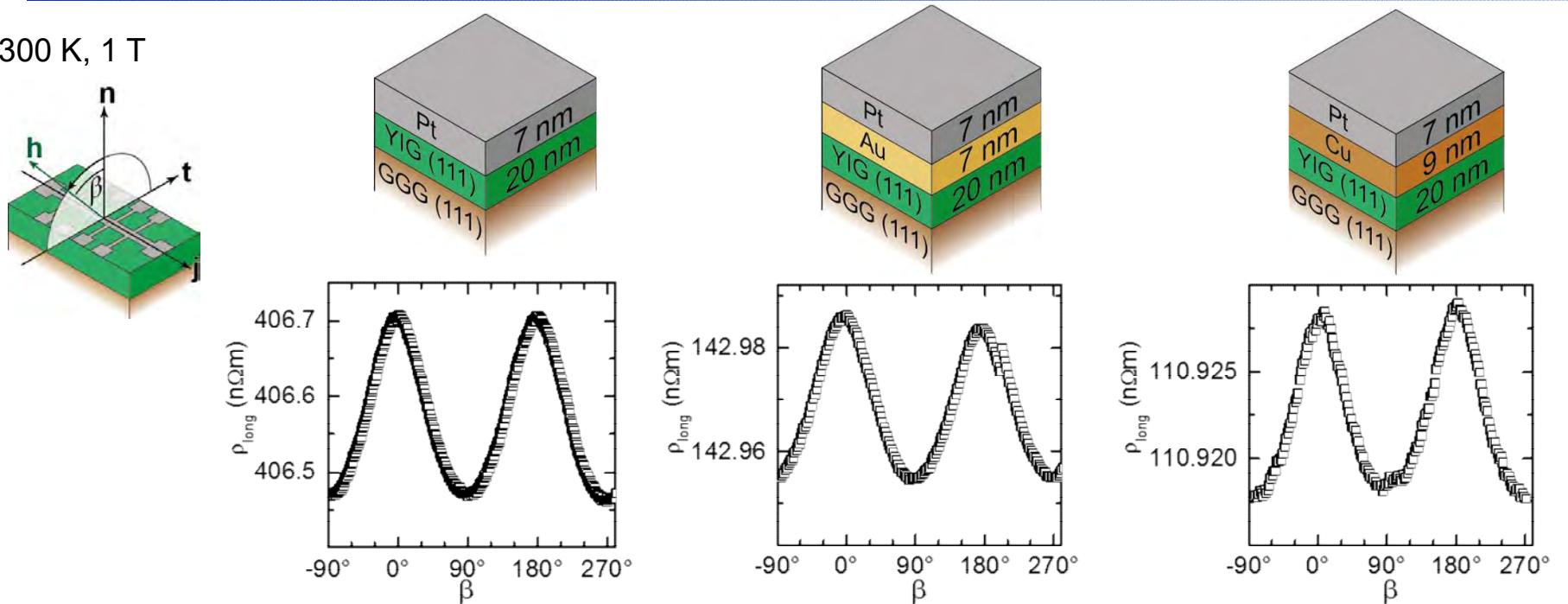
Spin Hall MR (SMR): R smallest for $\mathbf{M} \parallel \mathbf{s}$ (viz. $\mathbf{H} \parallel \mathbf{t}$) , larger otherwise



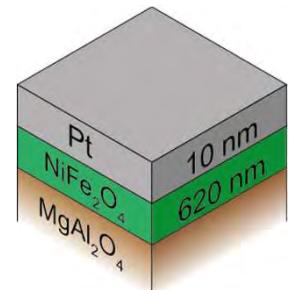
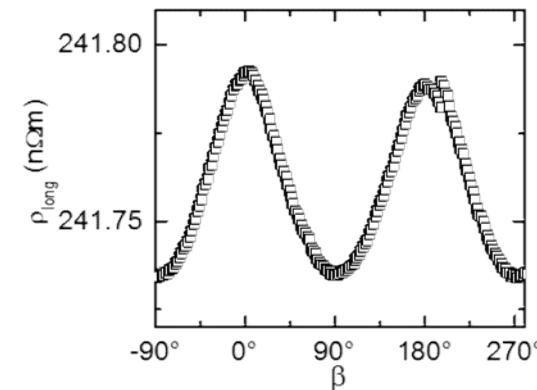
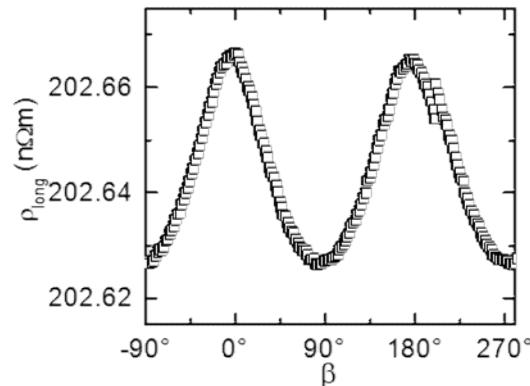
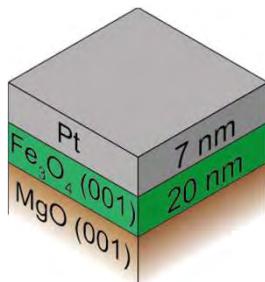
SMR amplitude in YIG/Pt: $\frac{\Delta R}{R} \leq 2 \times 10^{-3}$, ideally $\frac{\Delta R}{R} \leq (\alpha_{Pt}^{SHE})^2 \approx 0.01$

SMR in YIG/NM/Pt hybrids

300 K, 1 T

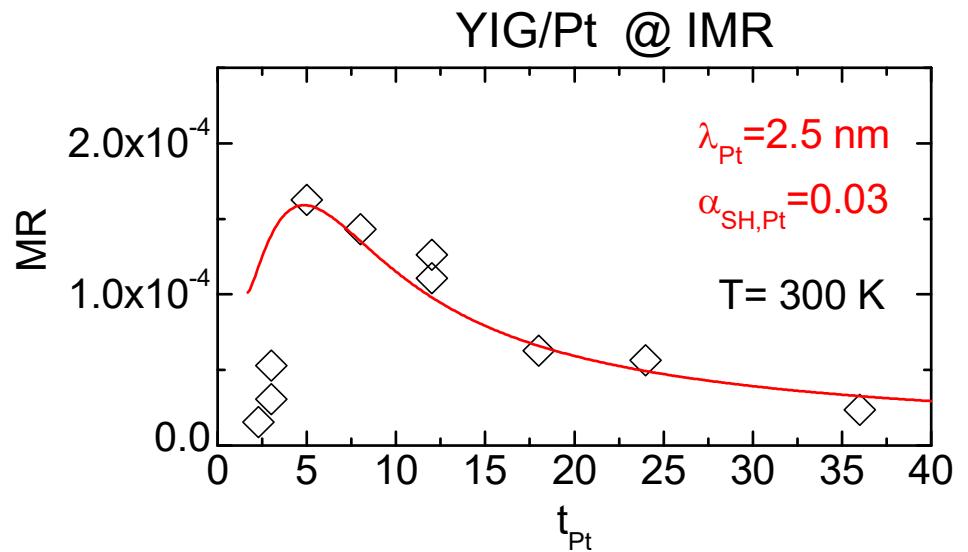
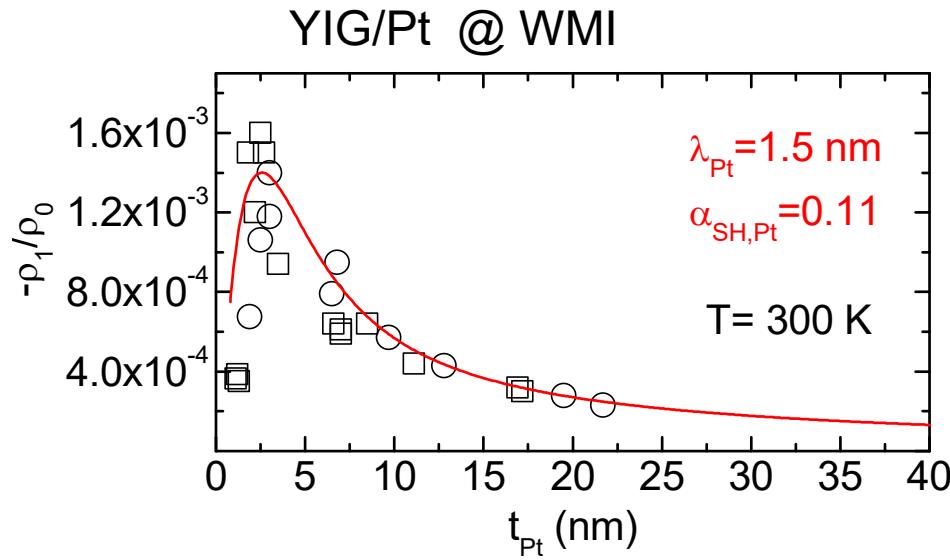


⇒ **spin current physics !** (NOT static proximity effect as in Huang *et al.*, PRL **109**, 107204 (2012).)

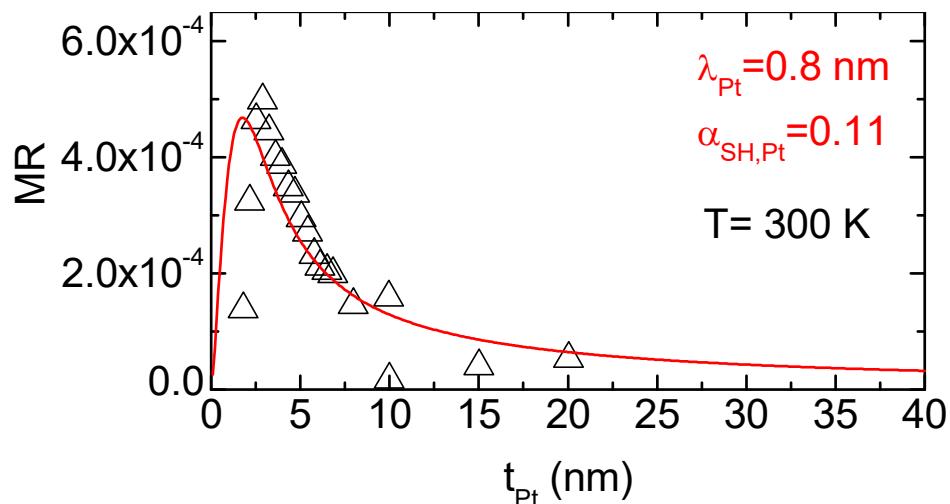


NFO thin film samples: A. Gupta, University of Alabama, and T. Kuschel, Universität Bielefeld

Extraction of spin Hall angle from SMR



YIG/Pt @ Huang et al., PRL, 109, 107204 (2012)

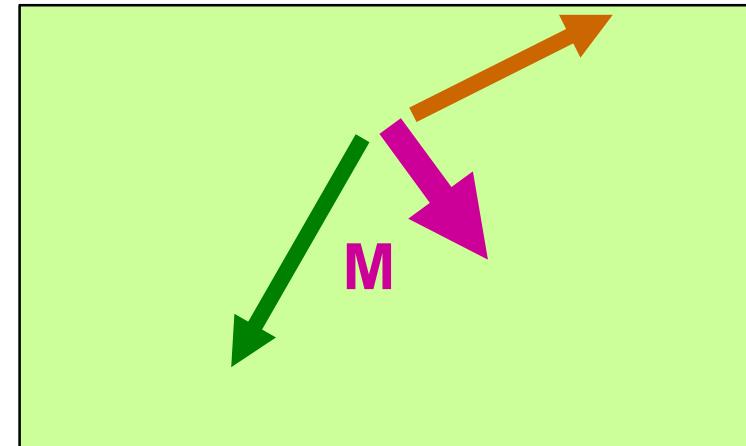
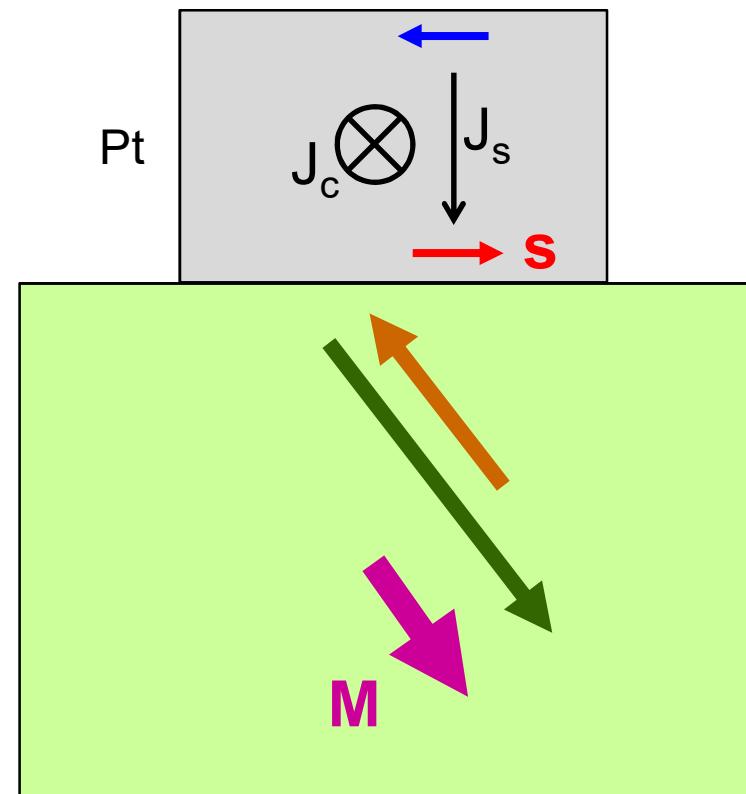
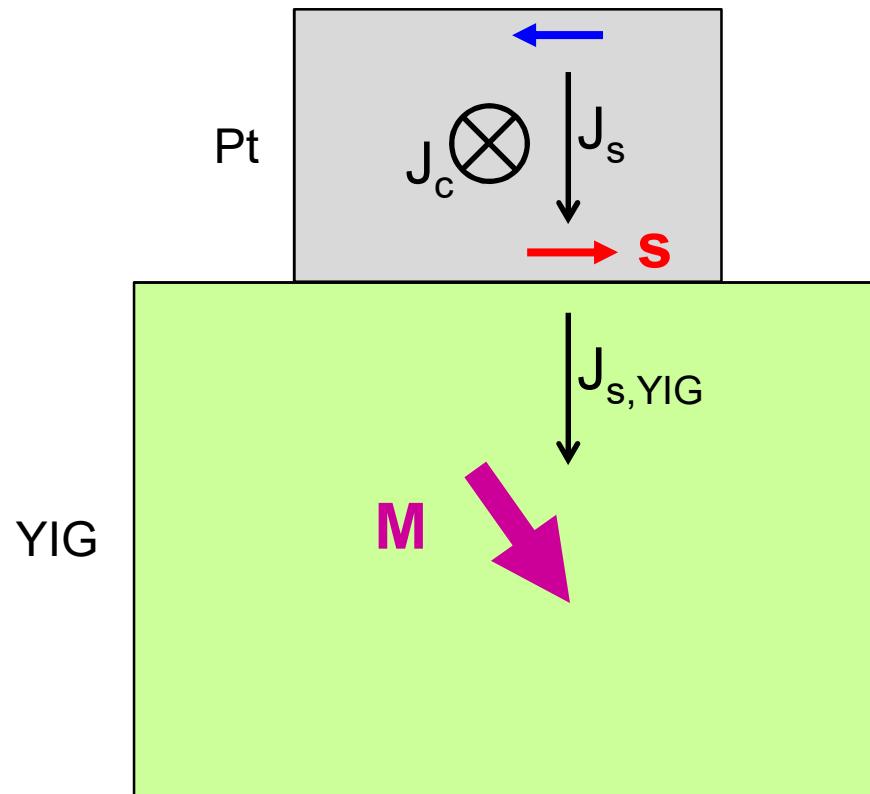


Spin Hall magneto-resistance:

- ✓ MR in (nonmagnetic) Pt, governed by **M** in insulating YIG
- ✓ “simple” measurement of spin Hall transport parameters
- ✓ electrical detection of **M** in FMI

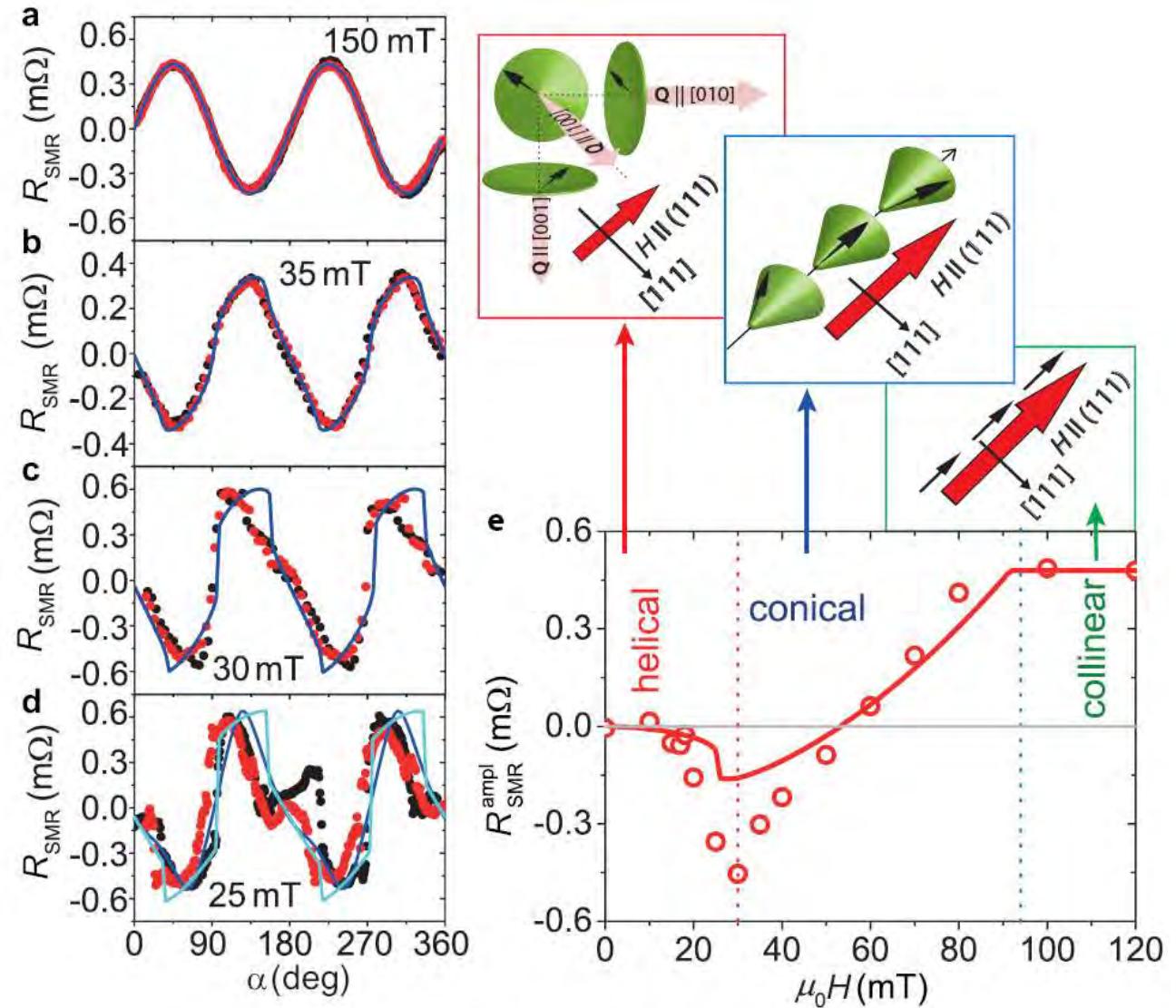
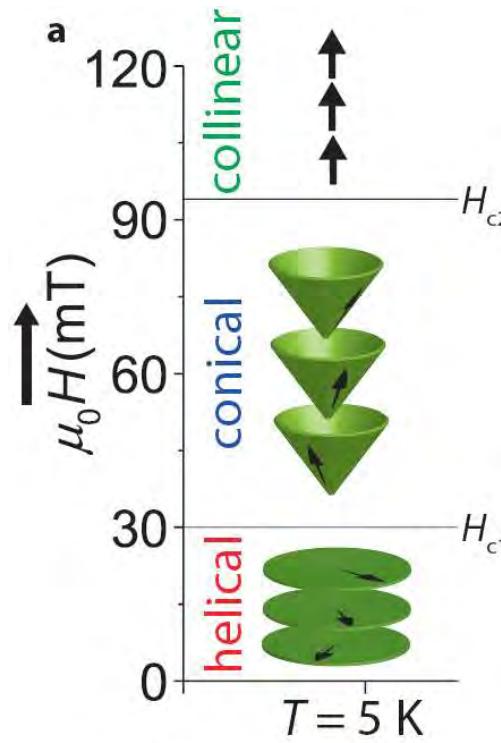
Pt thickness dependence → spin Hall angle and spin diffusion length in Pt

(open) issues ...



SMR in Cu_2OSeO_3 / Pt heterostructures

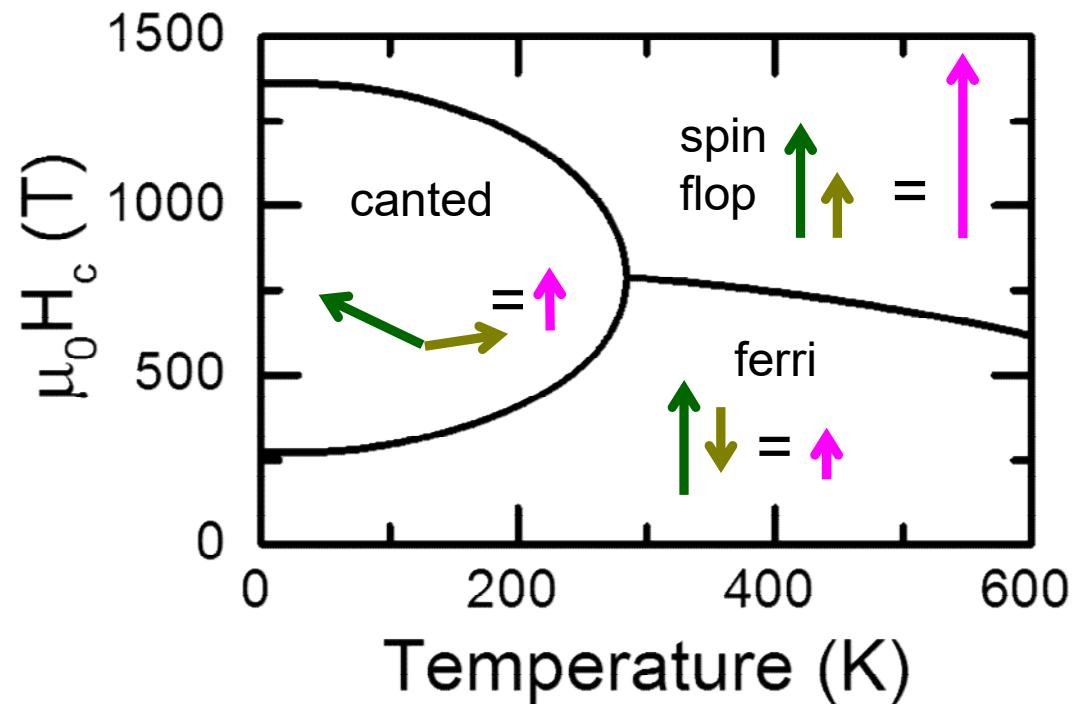
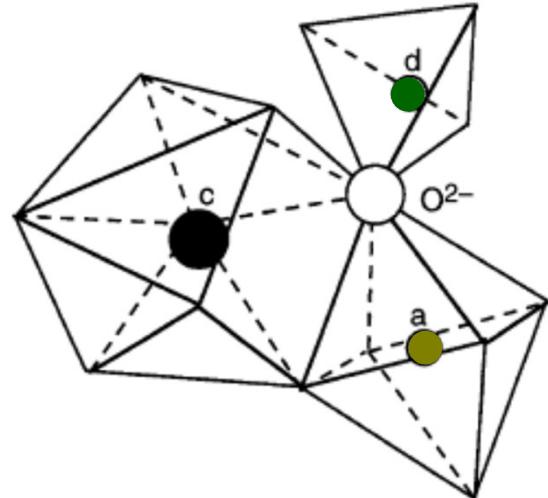
Aqeel *et al.*, arXiv 1607:056301



SMR Outlook - Magnetic Garnets



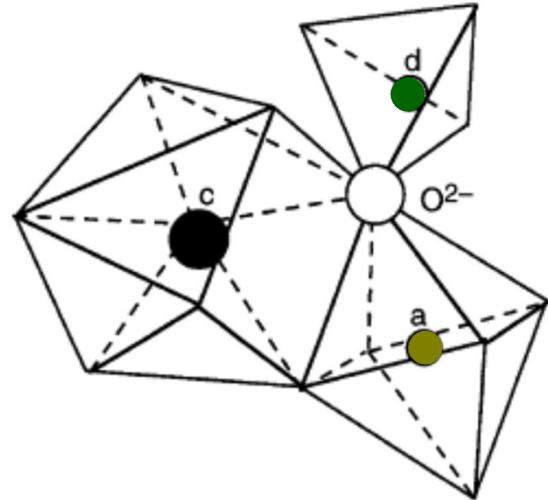
is the prototype magnetic garnet



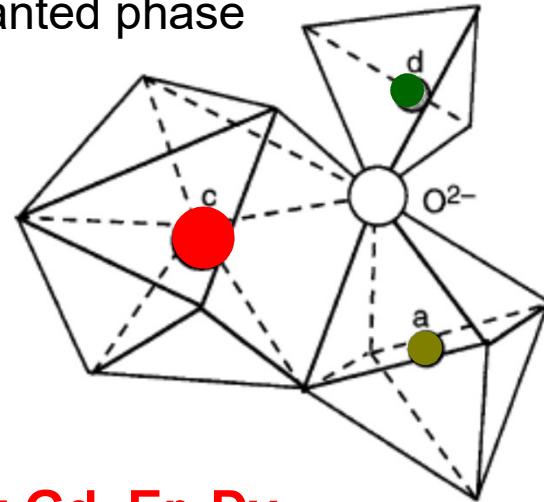
SMR Outlook - Magnetic Garnets



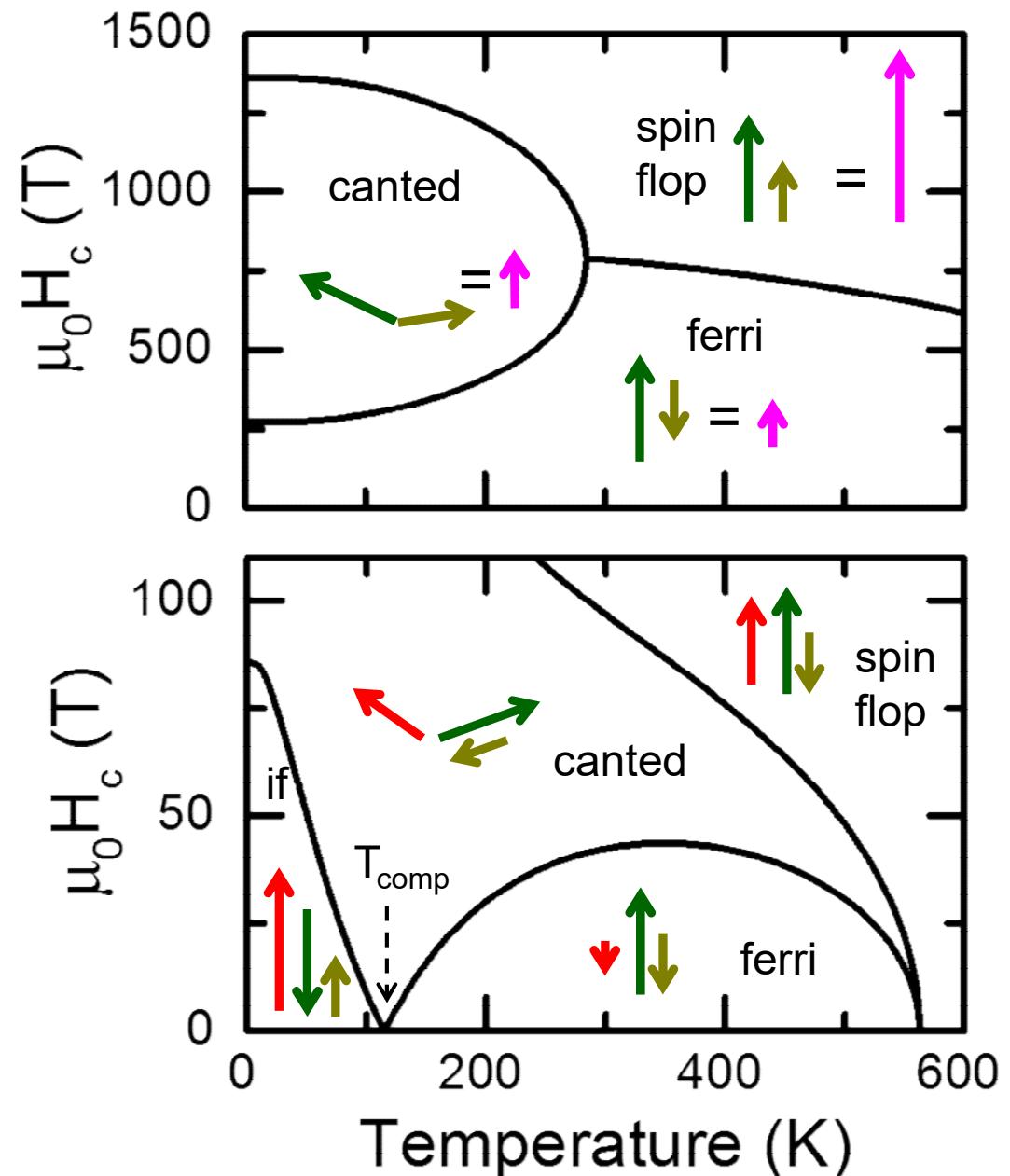
is the prototype magnetic garnet



with canted phase

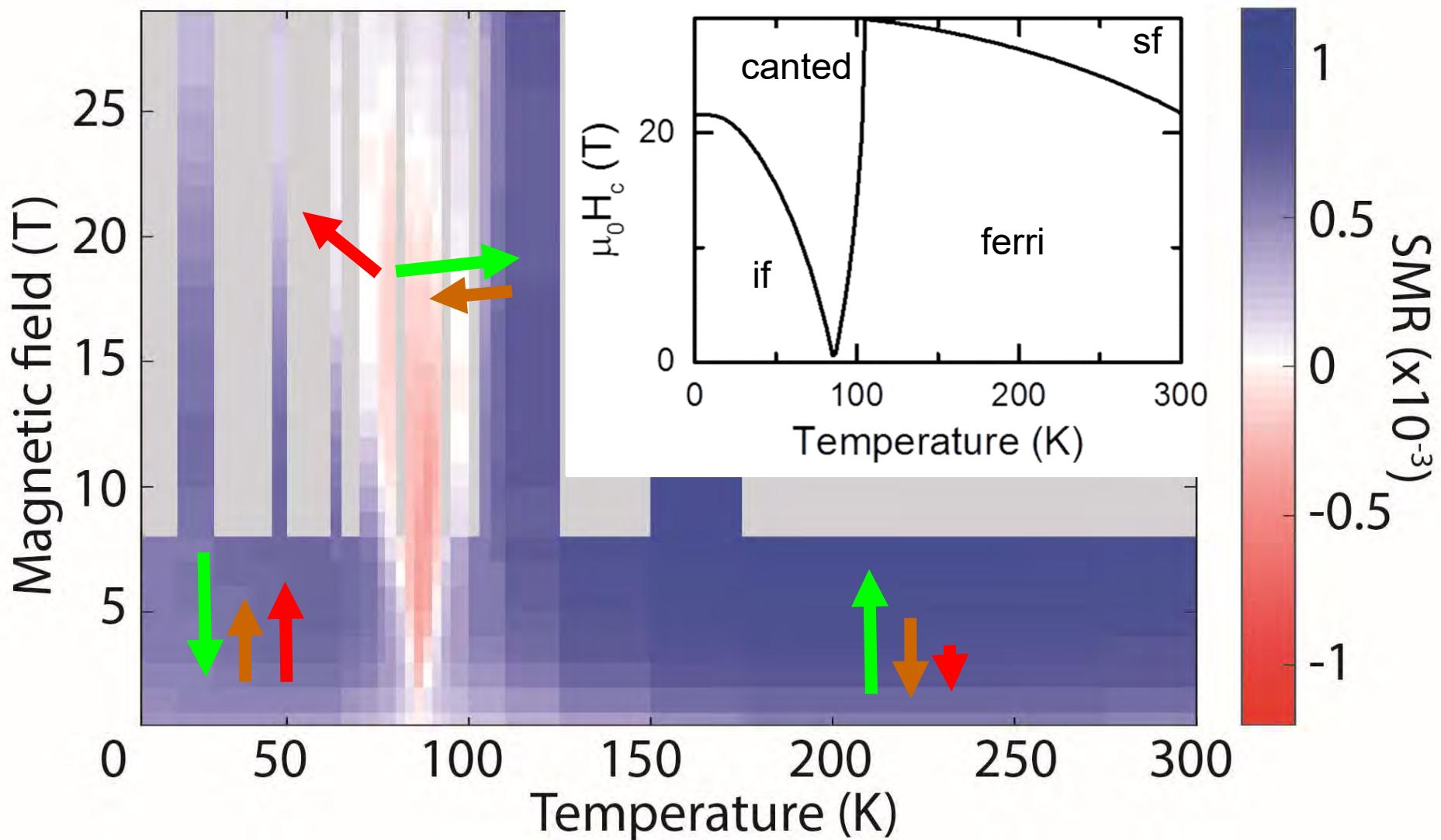


$\text{Re} = \text{Gd, Er, Dy, ...}$



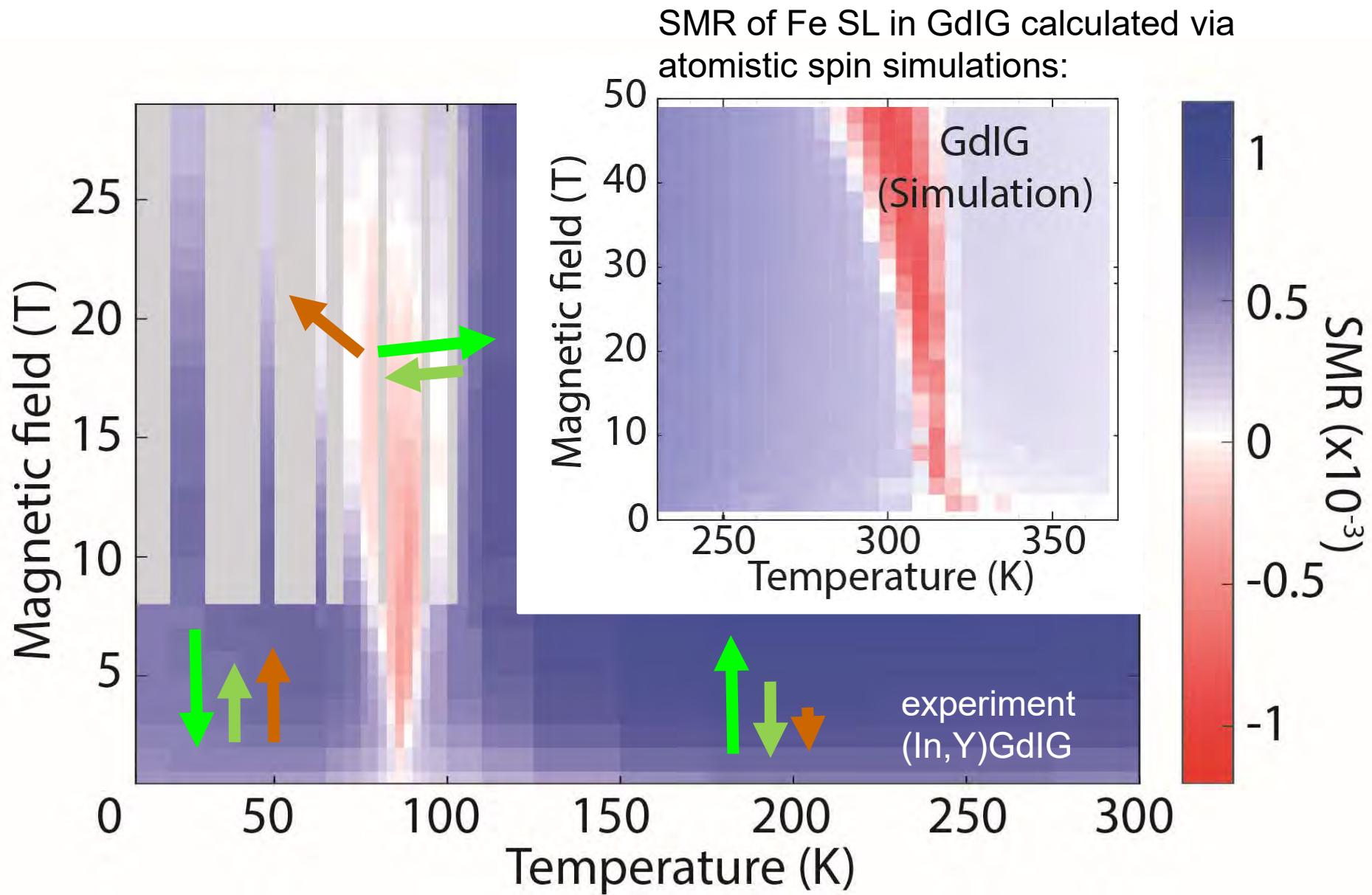
SMR in compensated garnet/Pt hybrids

2 sublattice mean field model :



w/ B. A. Piot, Laboratoire National des Champs Magnétiques Intenses, Grenoble

SMR in compensated garnet/Pt hybrids



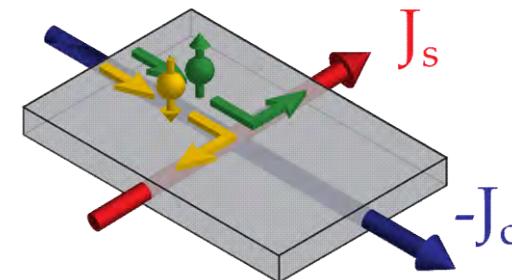
Ganzhorn *et al.*, PRB **94**, 094401 (2016).

Conclusions

pure spin currents spin Hall effect(s)

Hoffmann, IEEE-TM **49**, 5172 (2013).

Sinova *et al.*, RMP **87**, 1213 (2015).



SMR = Spin Hall Magnetoresistance

... a spin current-based magnetoresistance
@ magnetic insulator / metal interfaces

Nakayama *et al.*, PRL **110**, 206601 (2013).

Chen *et al.*, PRB **87**, 144411 (2013).

Hahn *et al.*, PRB **87**, 174417 (2013).

Vlietstra *et al.*, PRB **87**, 184421 (2013).

Althammer *et al.*, PRB **87**, 224401 (2013).

Meyer *et al.*, APL **104**, 242411 (2014).

Lotze *et al.*, PRB **90**, 174419 (2014).

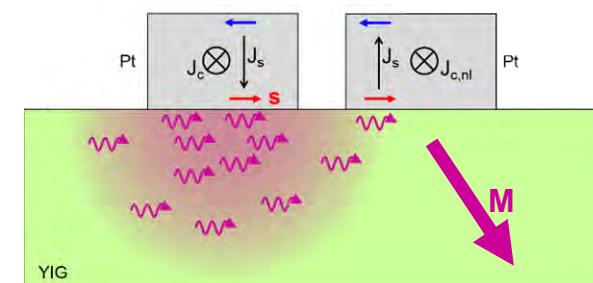
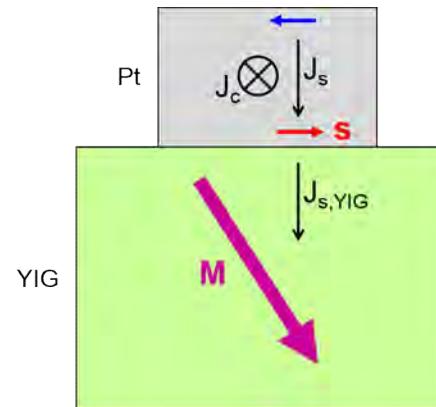
review: Chen *et al.*, J. Phys.: Condens. Matter **28**, 103004 (2016).

Ganzhorn *et al.*, PRB **94**, 094401 (2016).

Aqeel *et al.*, PRB **92**, 224410 (2015) & arXiv 1607:056301

MMR = Magnon-mediated MagnetoResistance

... electrical measurement of magnon diffusion length

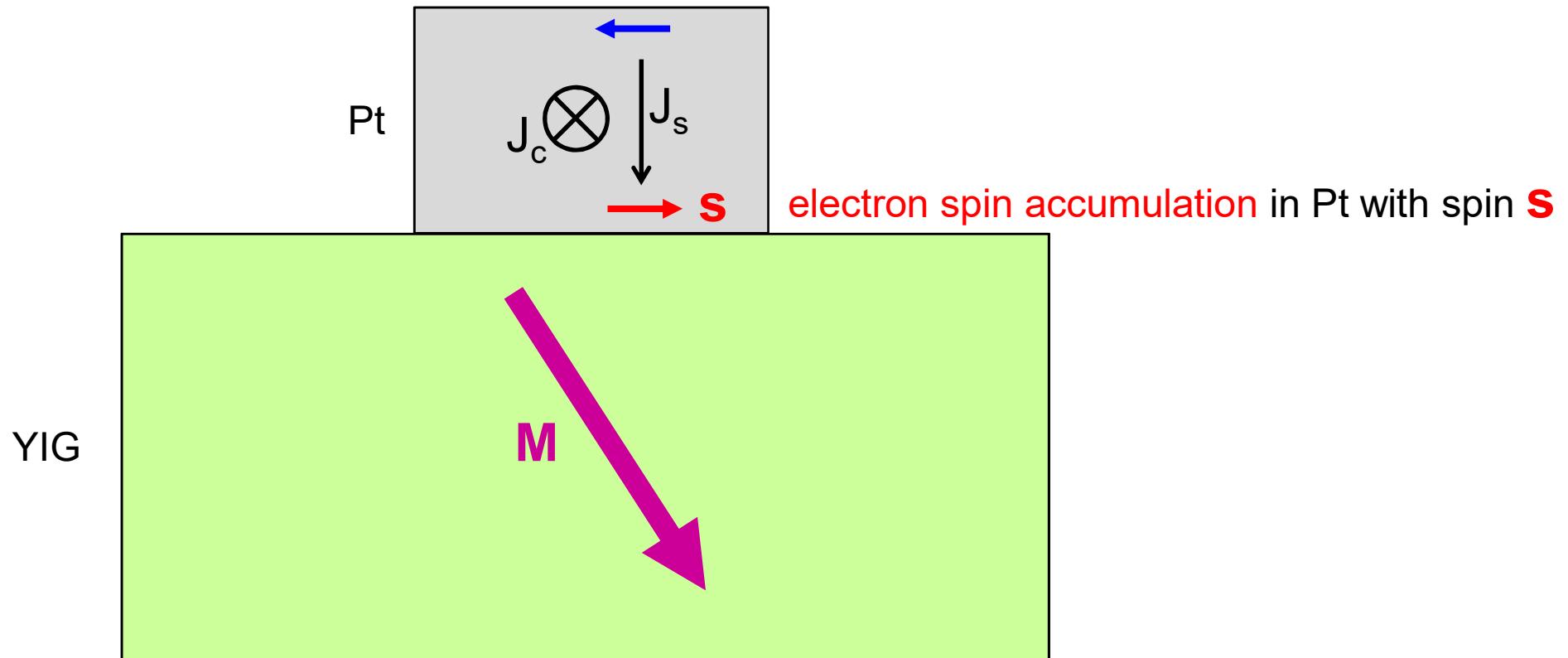


Magnon-Mediated Magnetoresistance (MMR)

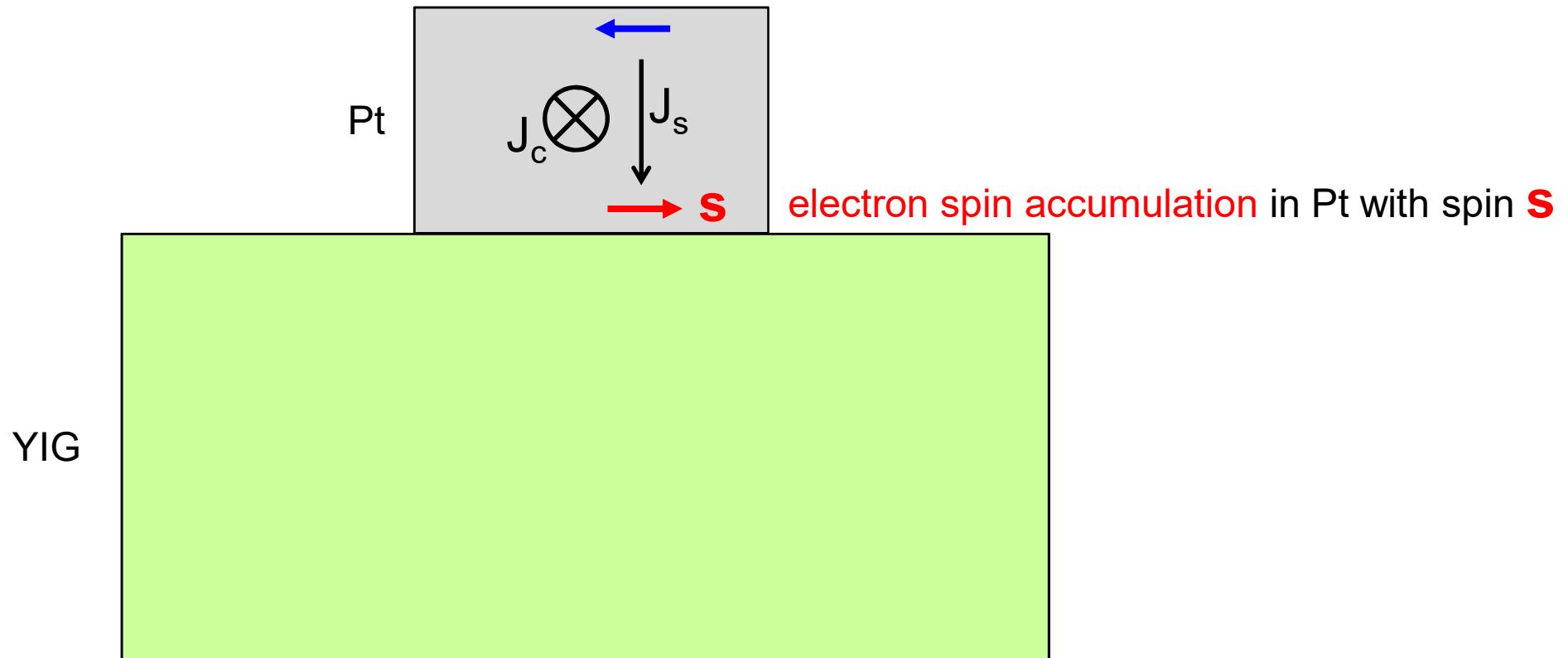
a non-local, magnon-based MR
@ FMI / N interfaces

Zhang & Zhang, PRB **86**, 214424 (2012).
Cornelissen *et al.*, Nature Phys. **11**, 1022 (2015).
Goennenwein *et al.*, APL **107**, 172405 (2015).

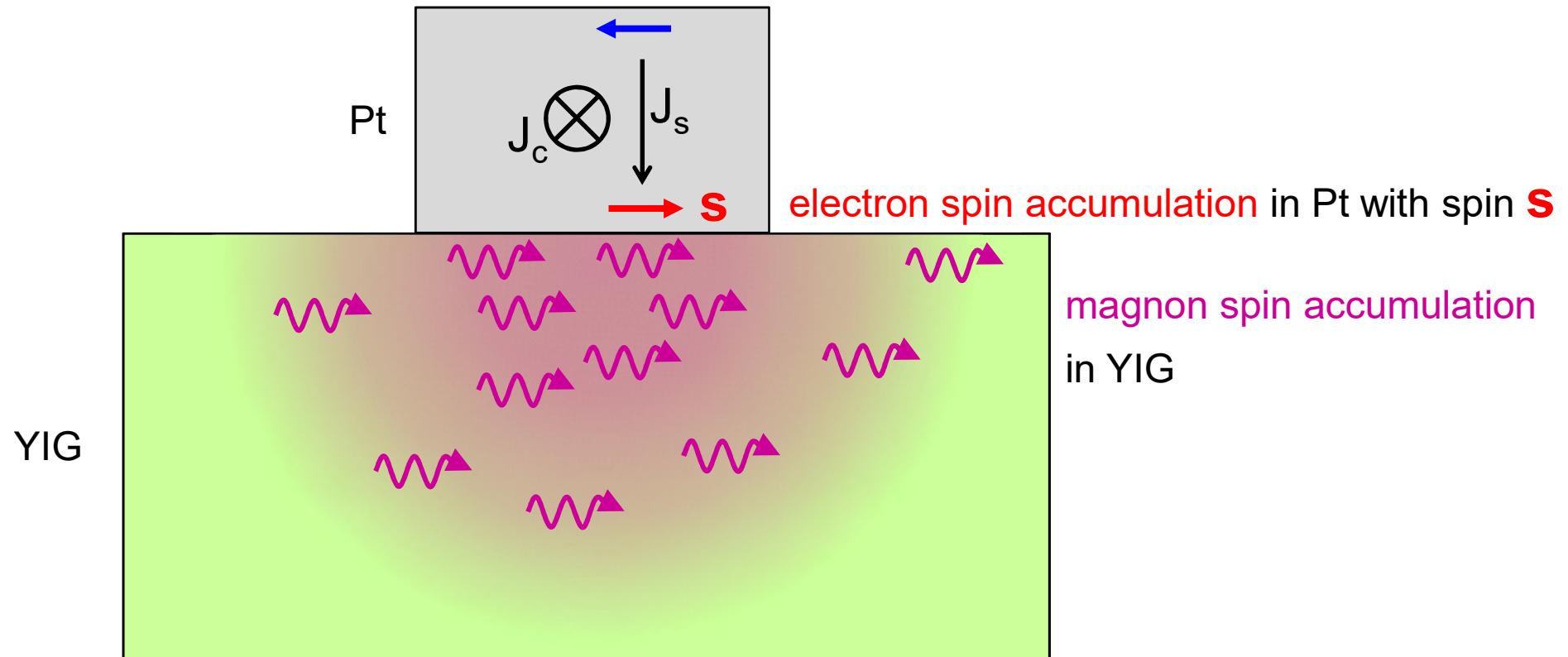
SHE spin current in YIG/Pt revisited



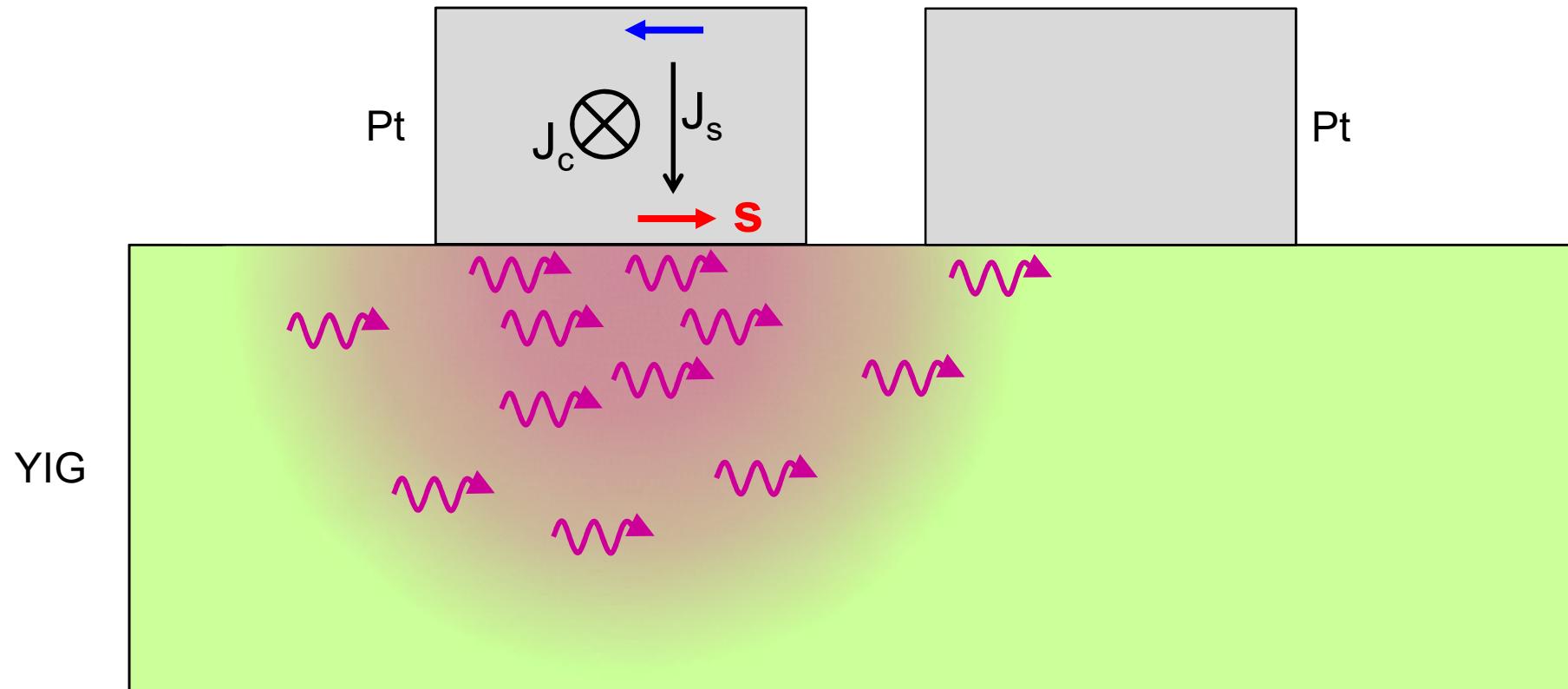
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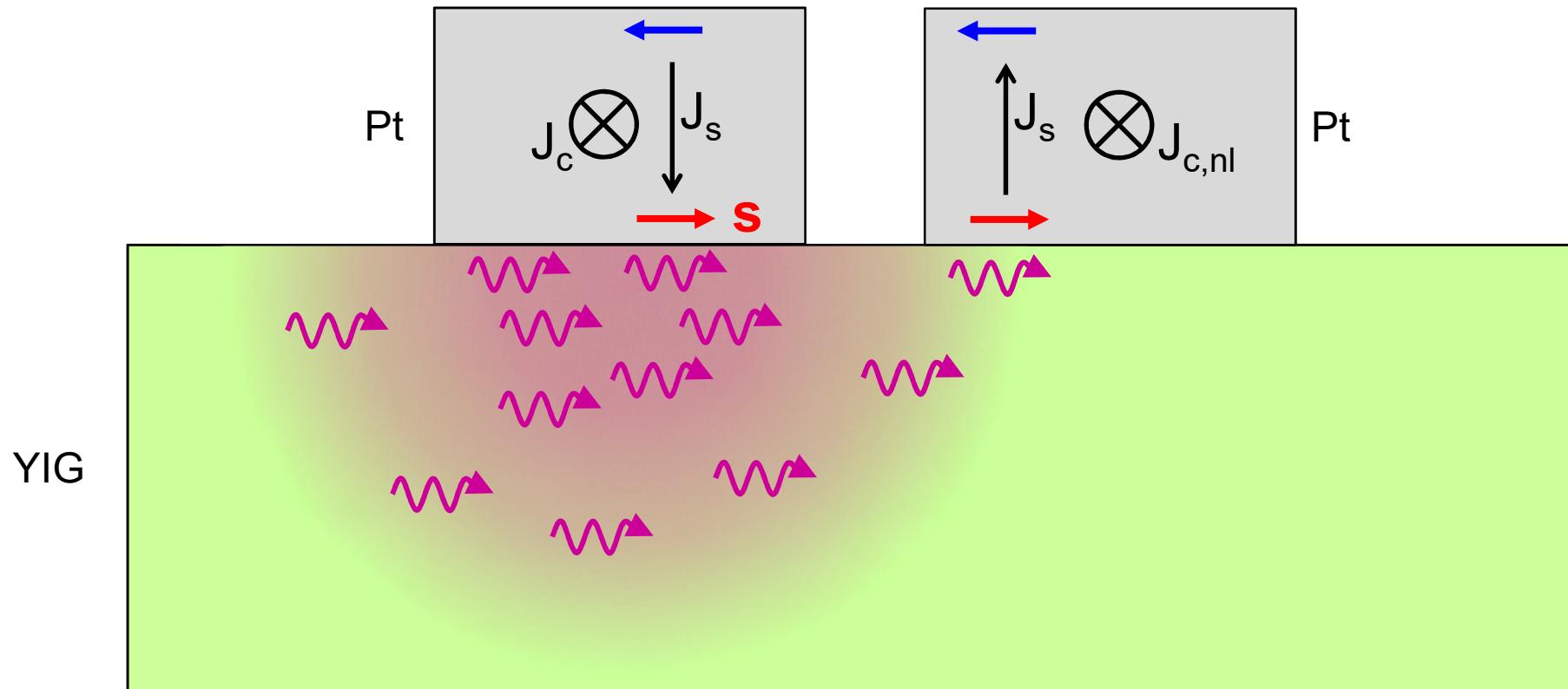
SHE-induced magnon accumulation



SHE-induced magnon accumulation



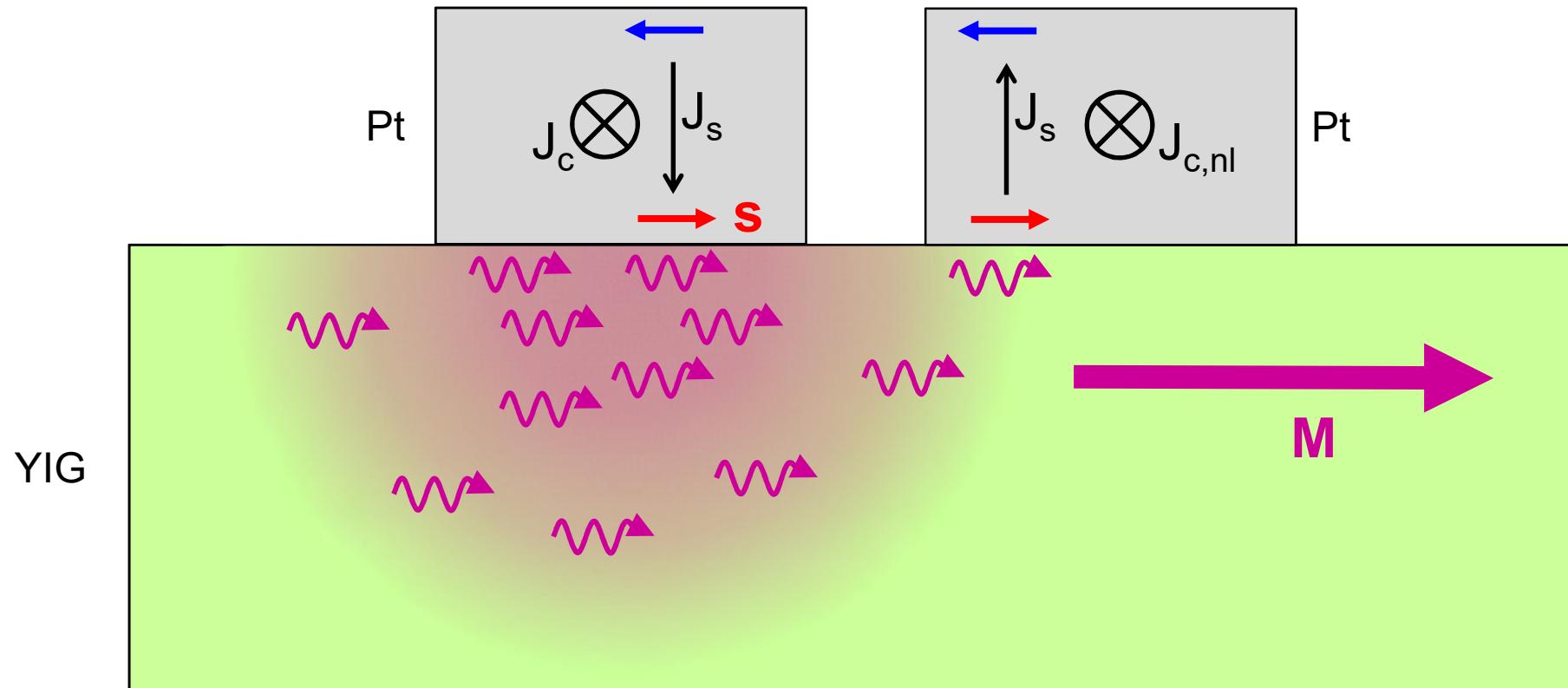
MMR: a non-local, magnon-driven analogon of the SMR



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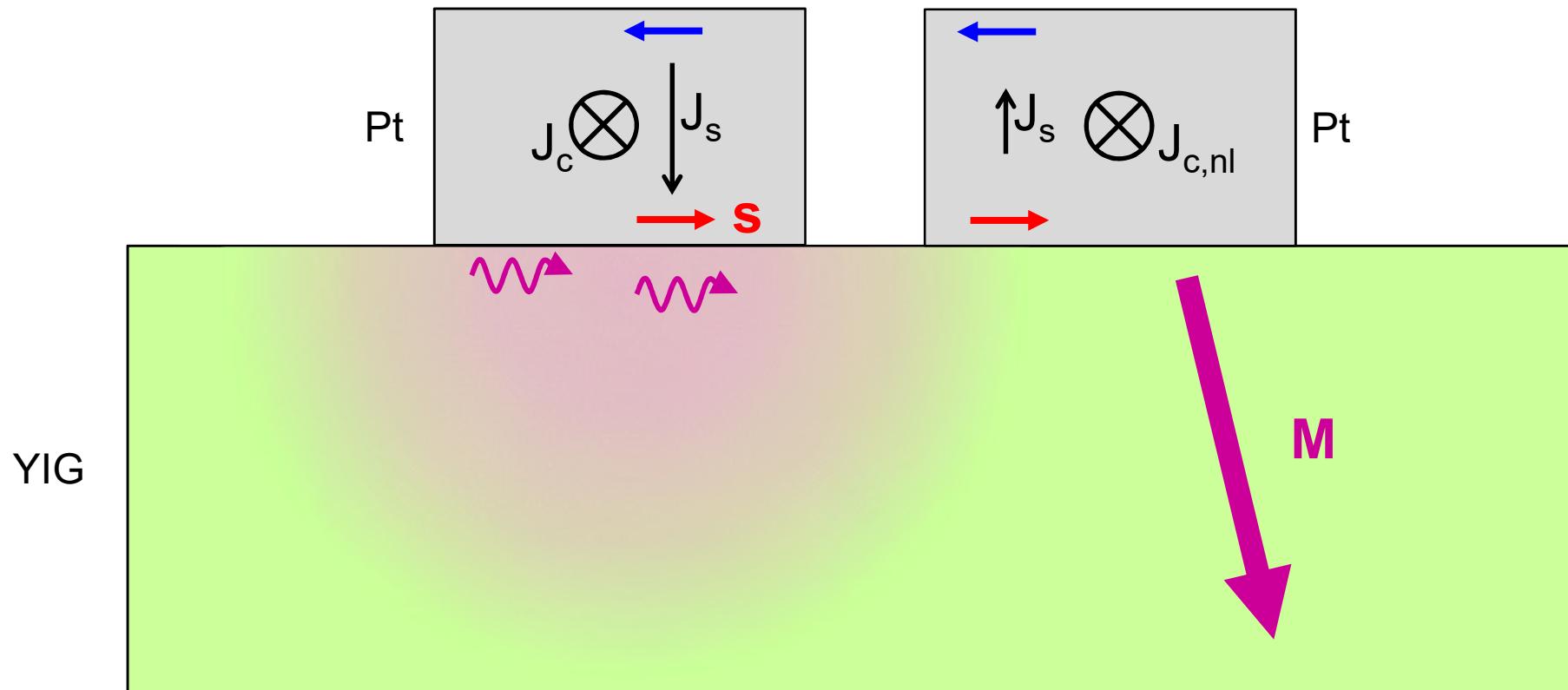
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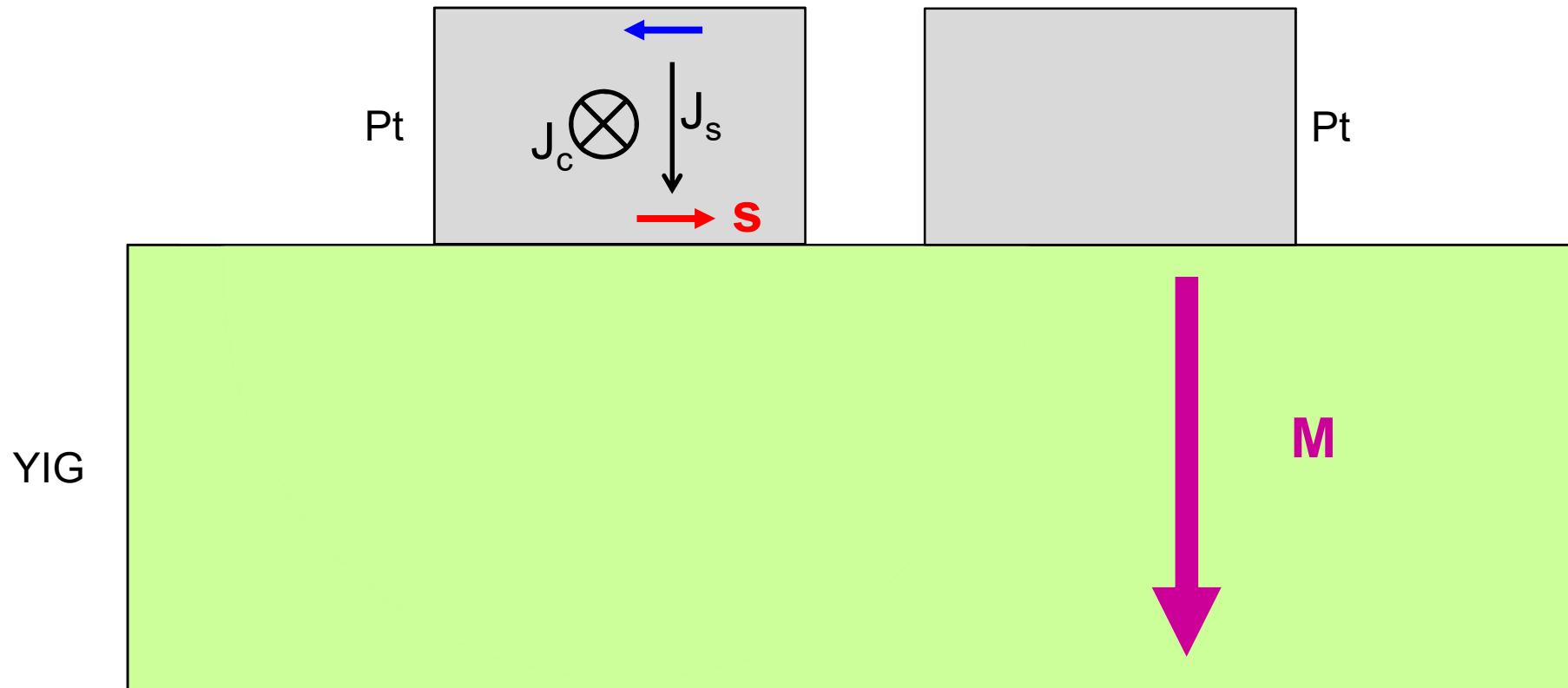
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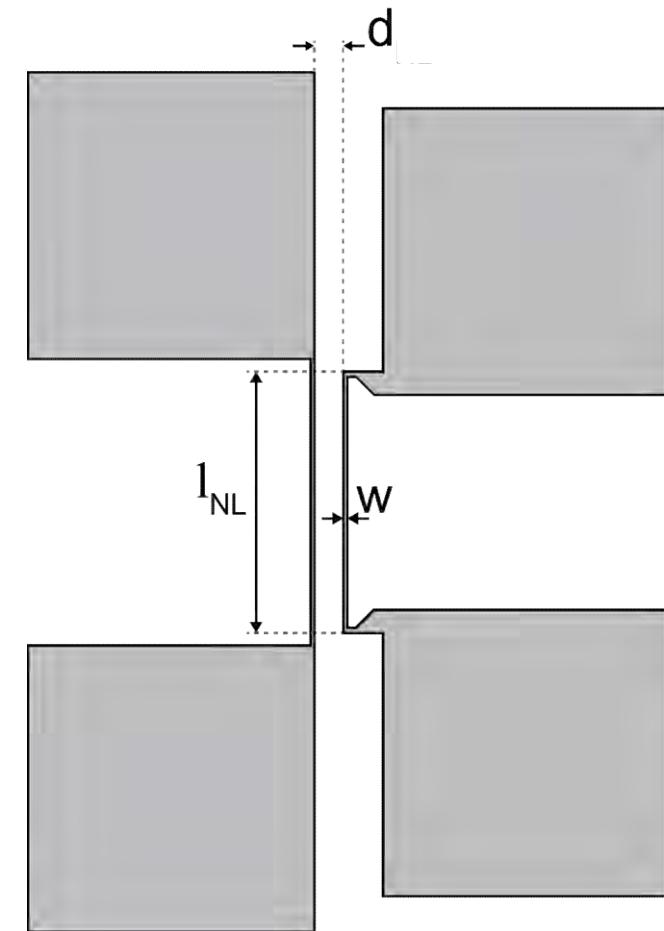
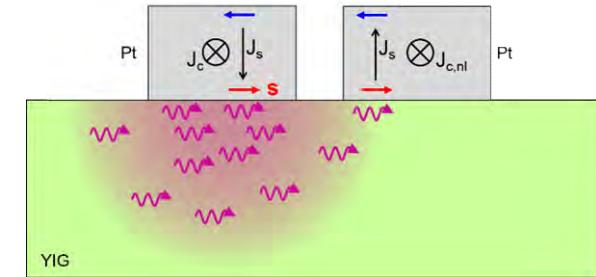
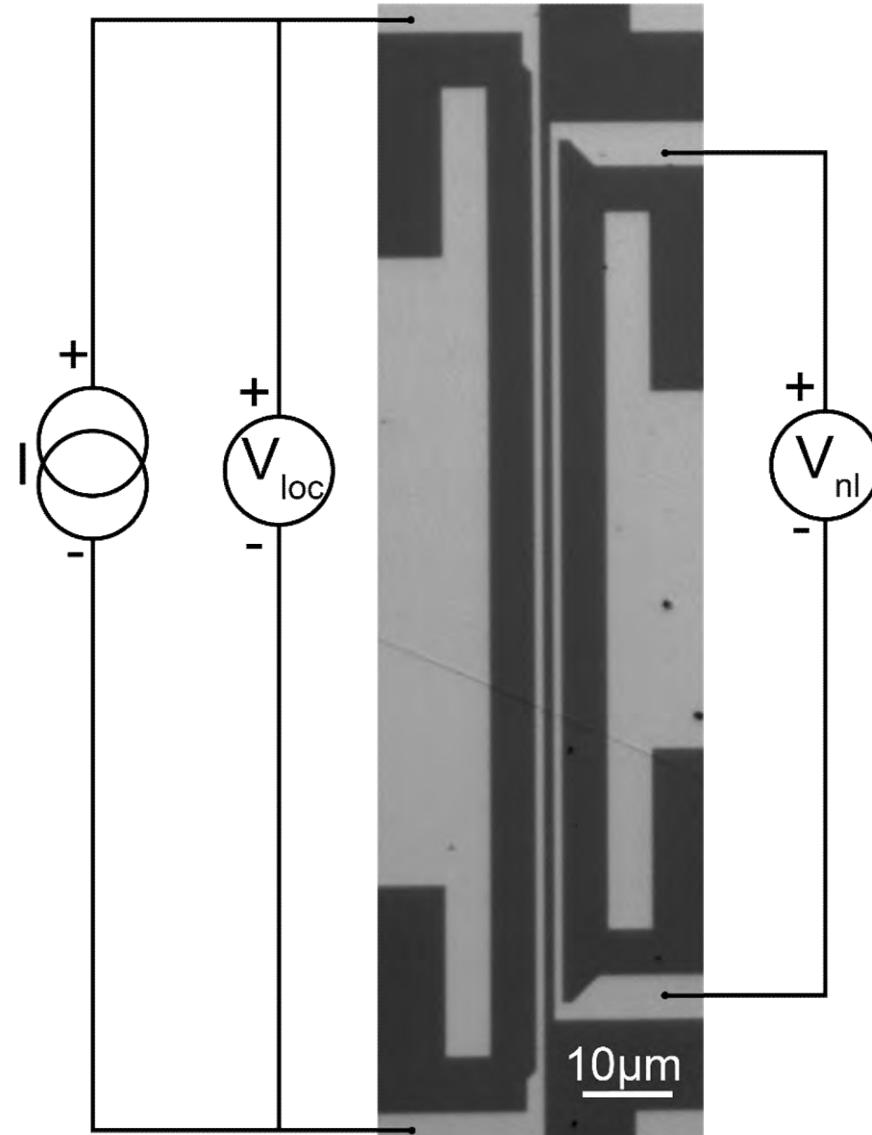
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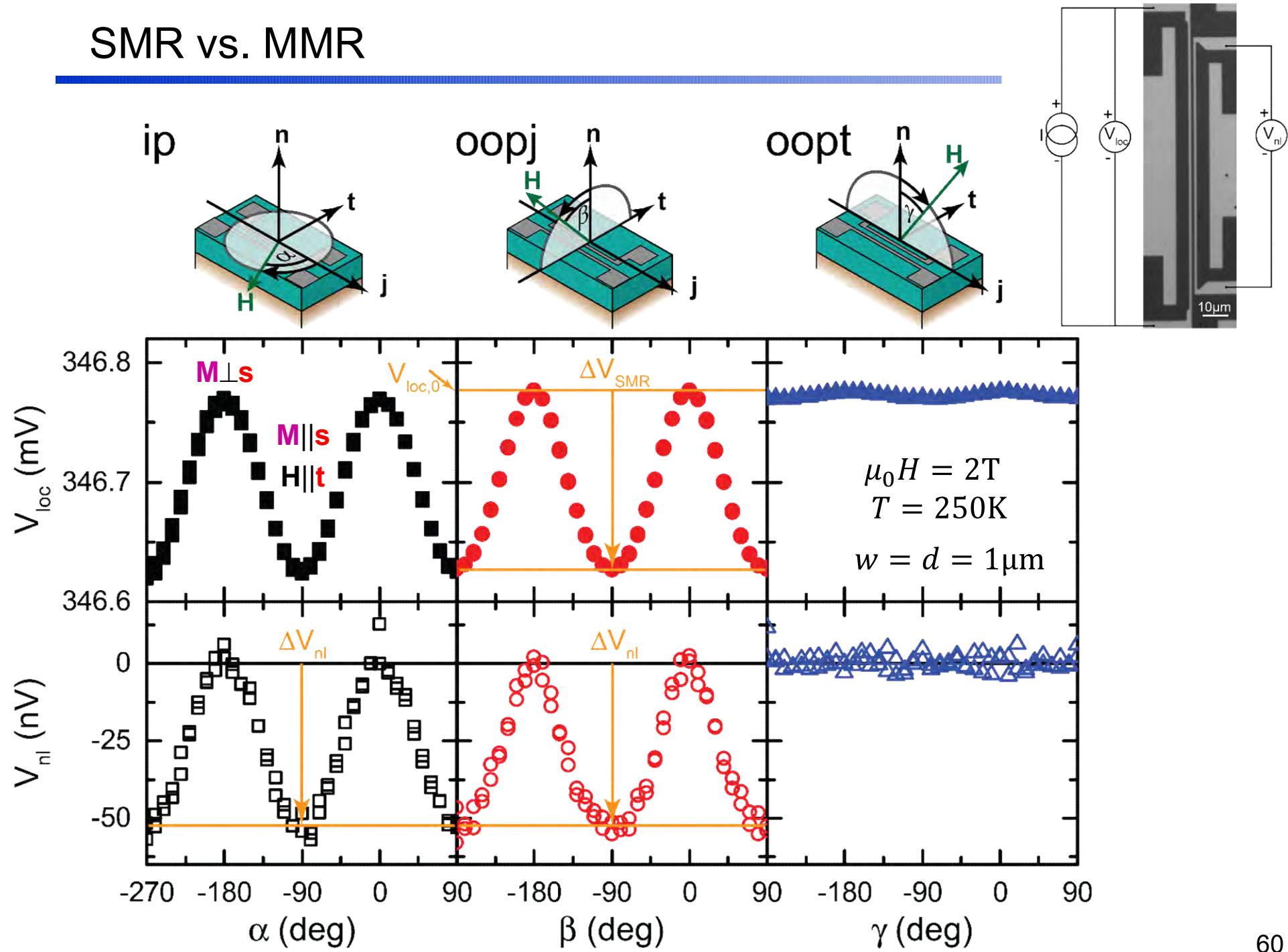
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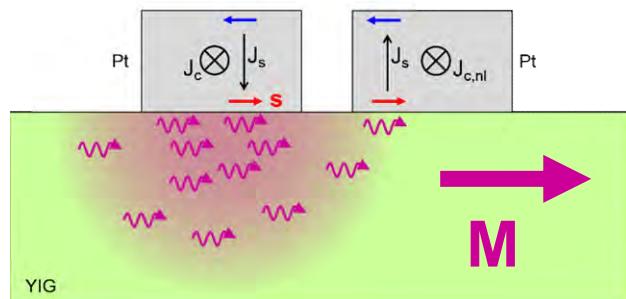
YIG/Pt nanostructures



SMR vs. MMR

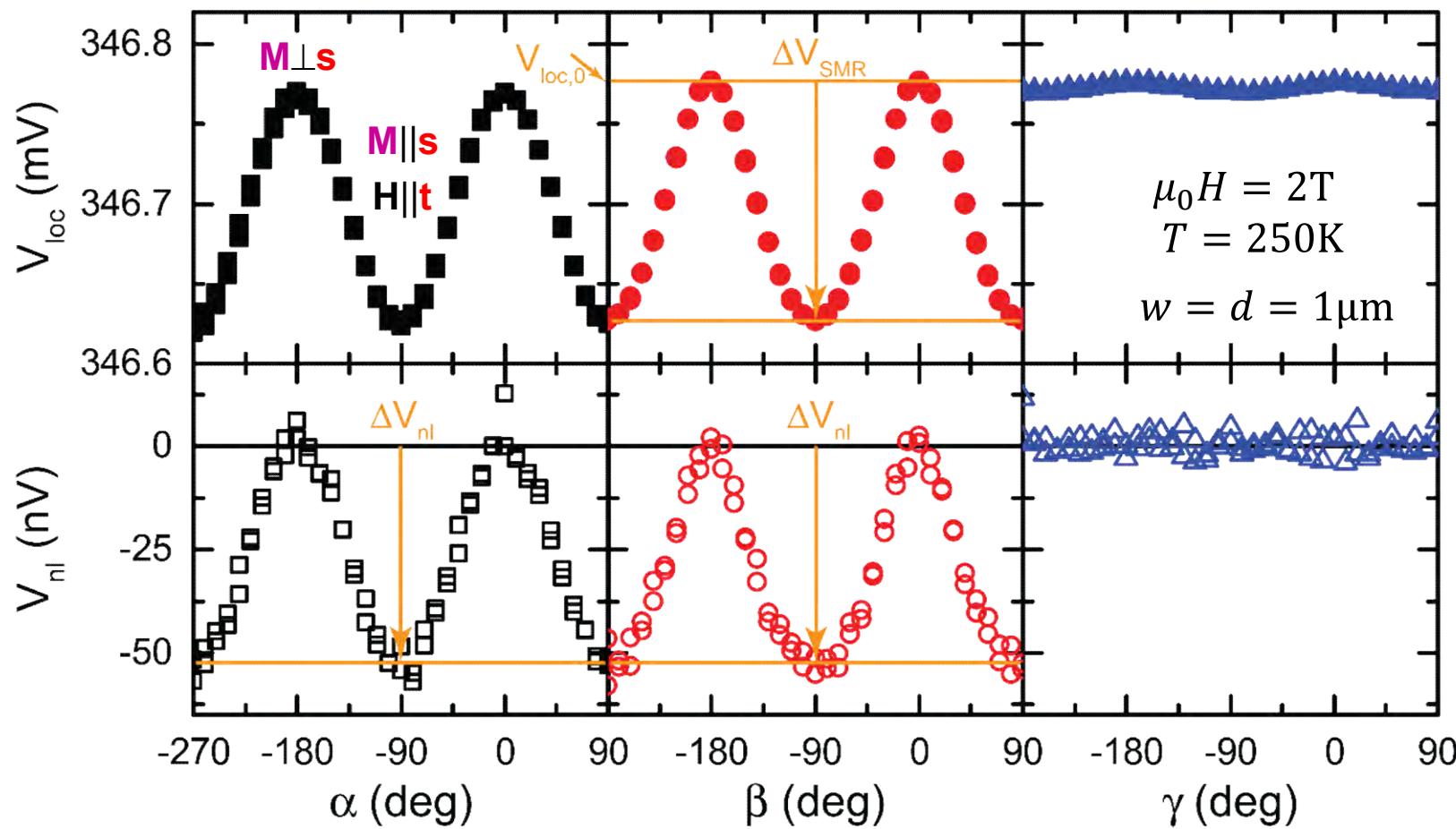
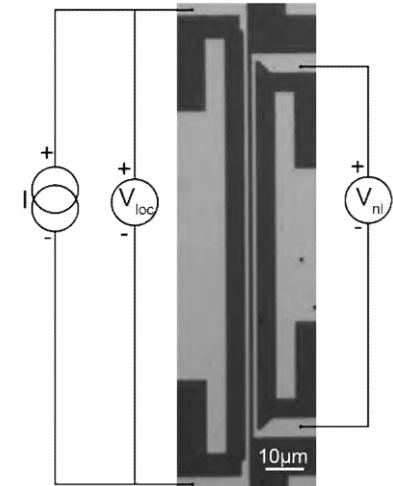


SMR vs. MMR

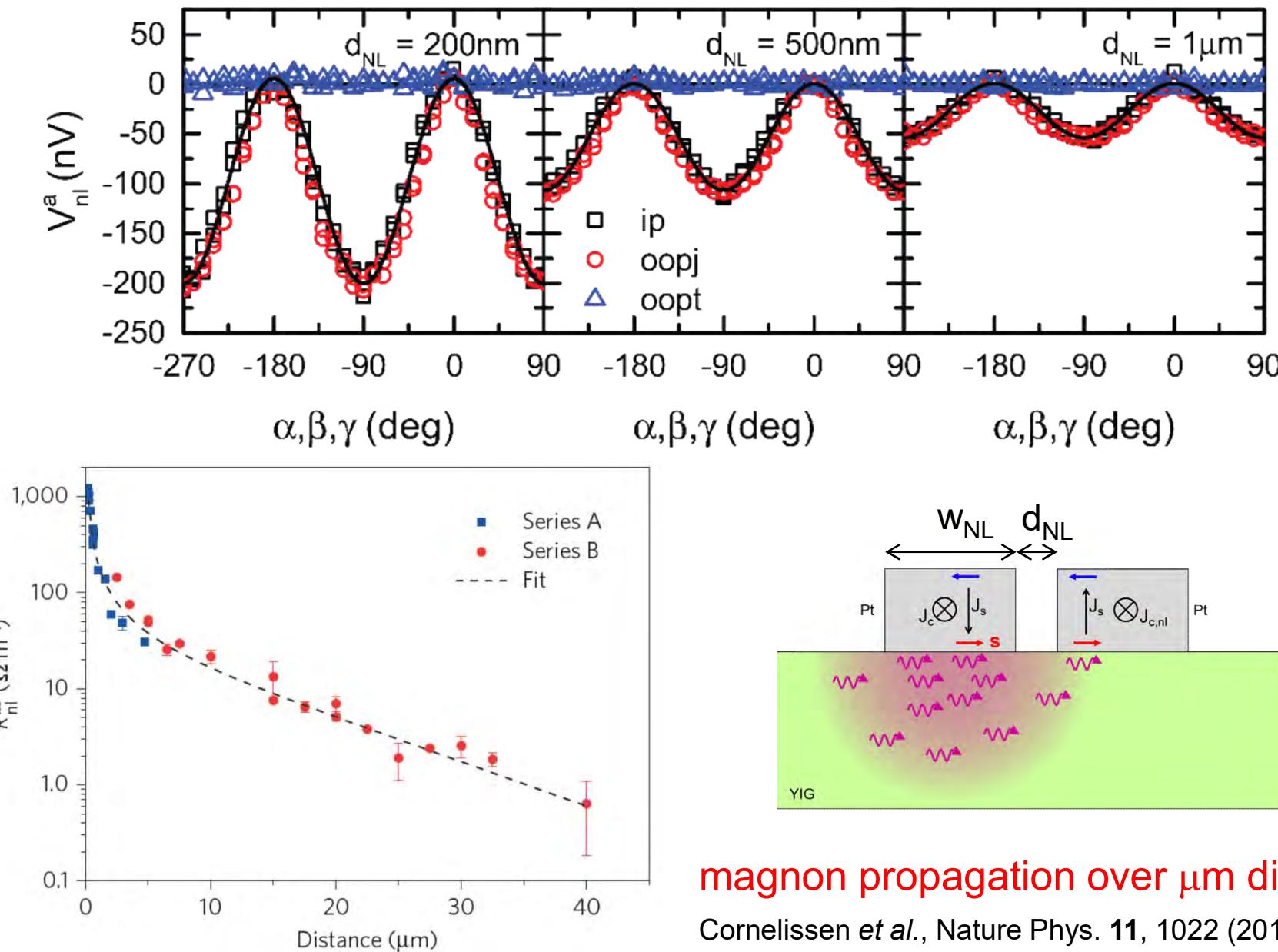


V_{nl} large ($<0!$) for
 $M \parallel s$ (viz. $M \parallel t$)

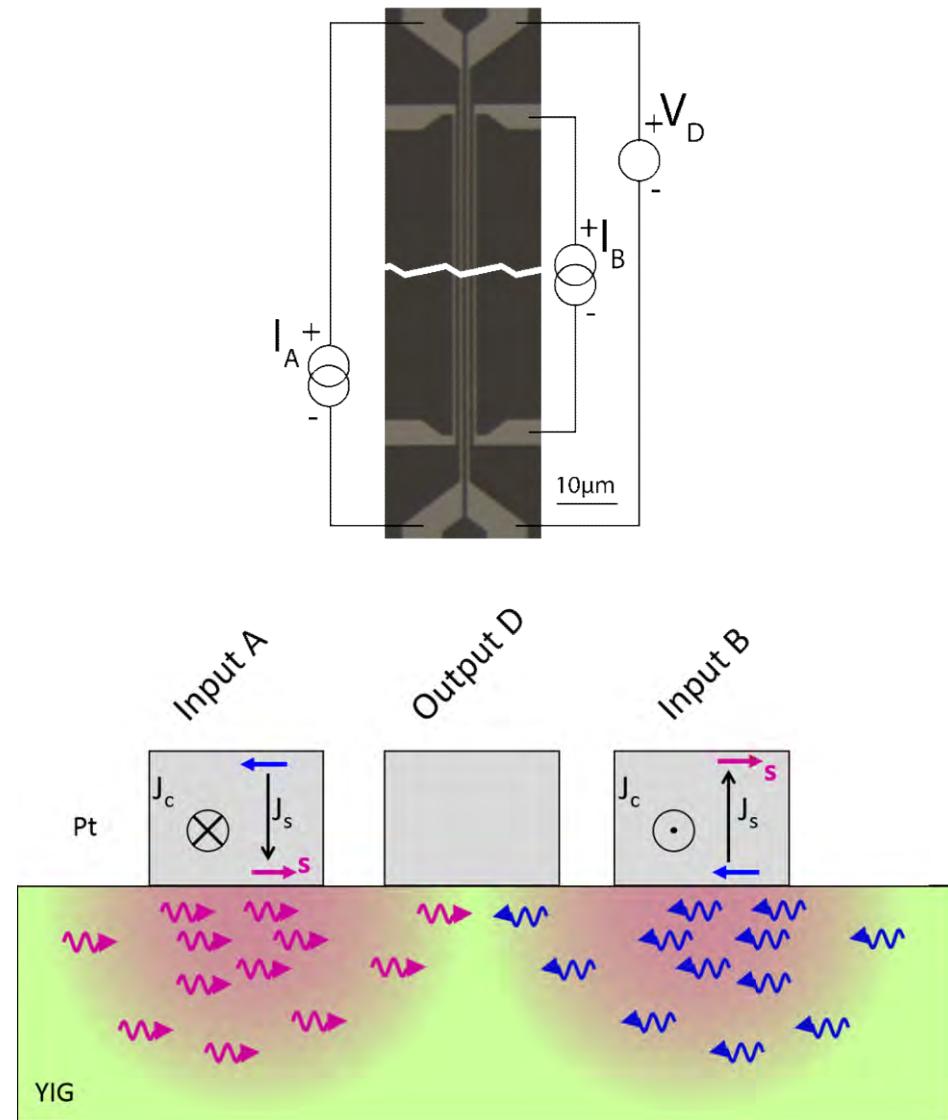
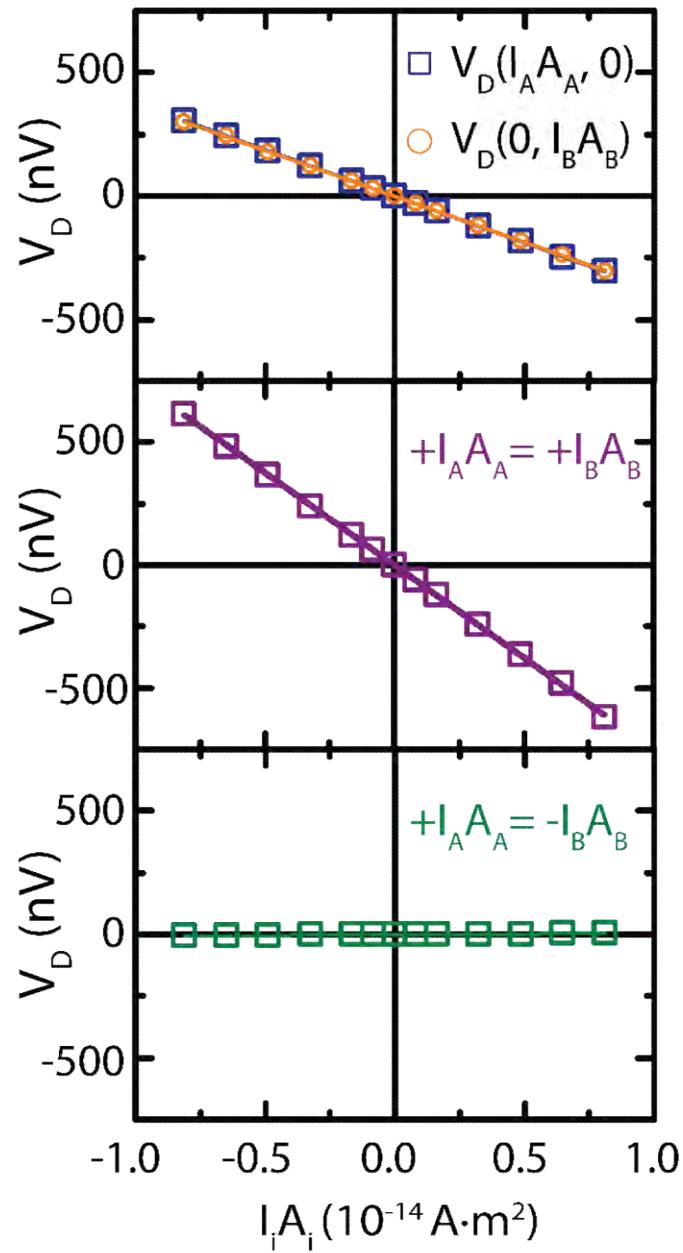
V_{nl} vanishes for
for $M \perp s$ (viz. $M \perp t$)



Gap dependence



Incoherent Superposition of Magnons

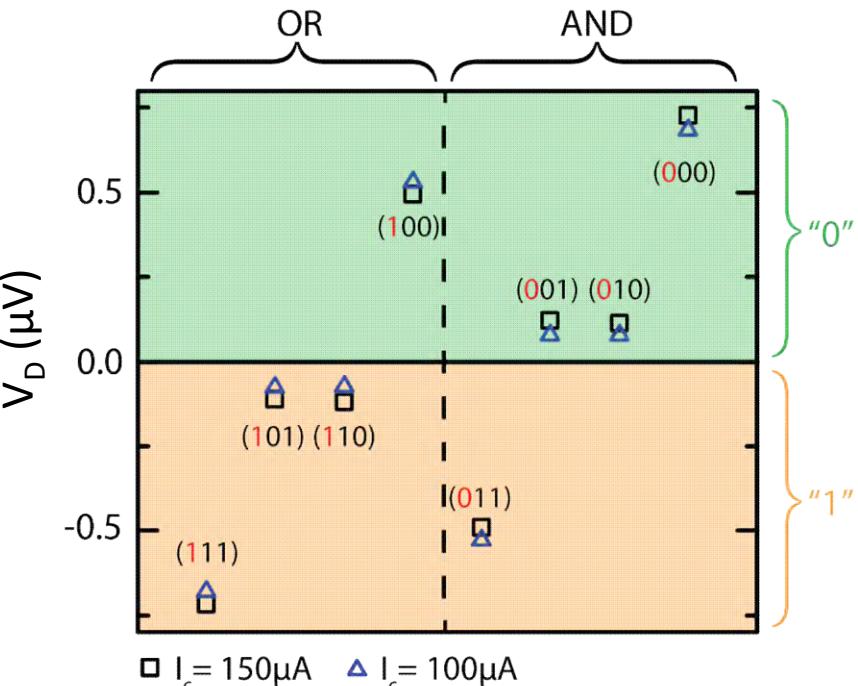
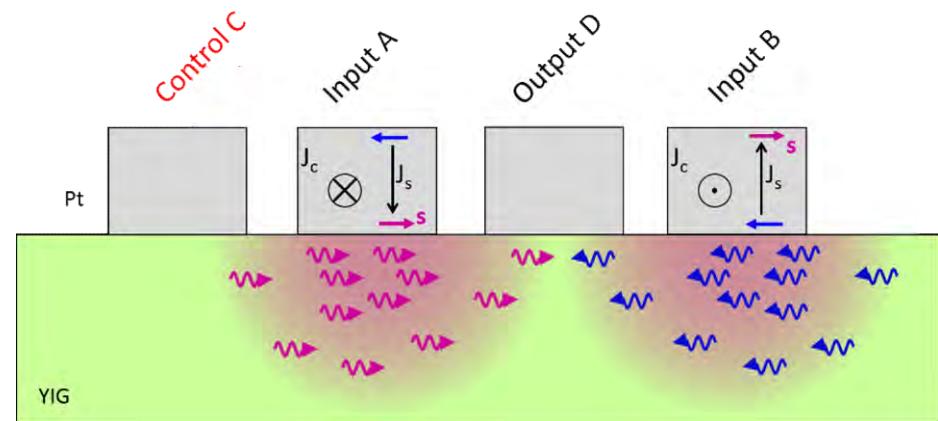


Magnon Majority Gate

C	A	B	D
0	0	0	0
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	1
1	1	0	1
1	1	1	1

I_c	I_A	I_B	V_D
-	-	-	+
-	-	+	+
-	+	-	+
-	+	+	-
+	-	-	+
+	-	+	-
+	+	-	-
+	+	+	-

AND
OR



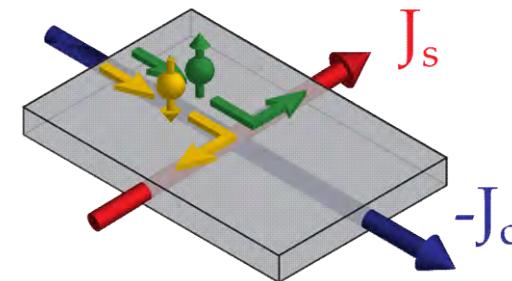
GHz frequencies,
straightforward downscaling

Conclusions

pure spin currents spin Hall effect(s)

Hoffmann, IEEE-TM **49**, 5172 (2013).

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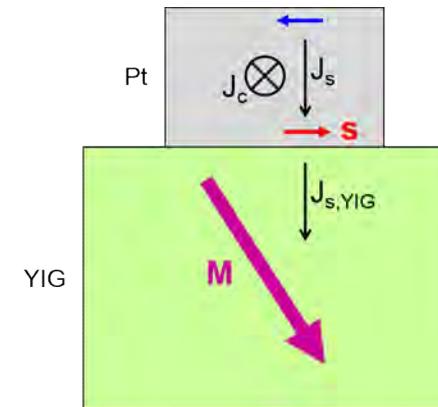
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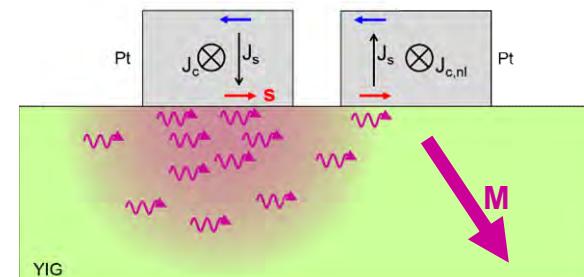
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Ganzhorn *et al.*, APL **109**, 022405 (2016).



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Kavli Institute of NanoScience, TU Delft, NL

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Kavli Institute of NanoScience, TU Delft, NL

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