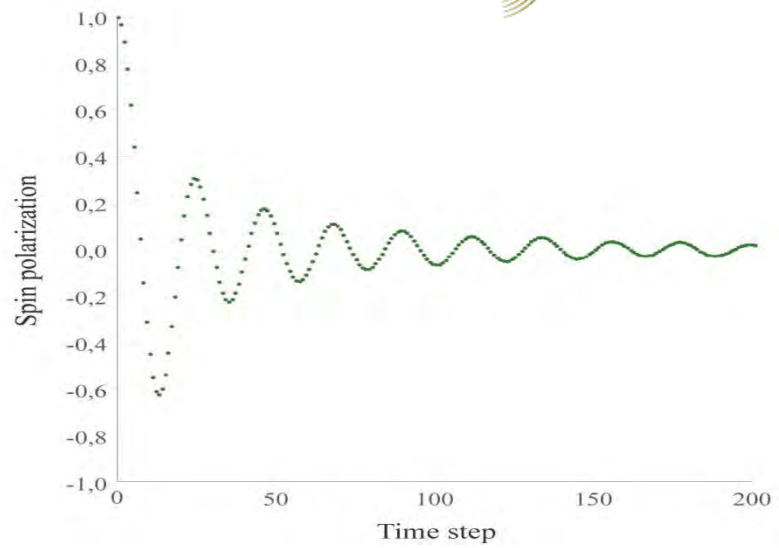
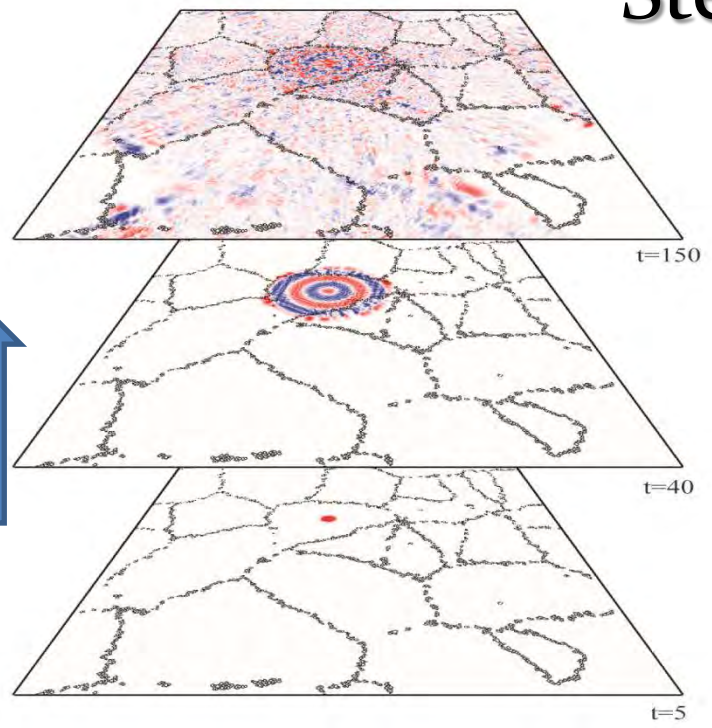


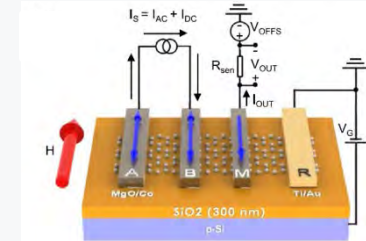
Proximity effects and Spin dynamics in Dirac Matter?

Stephan Roche

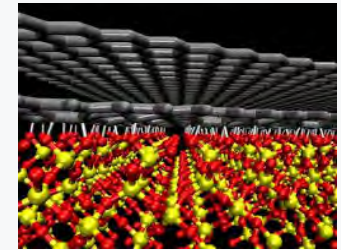


OUTLINE

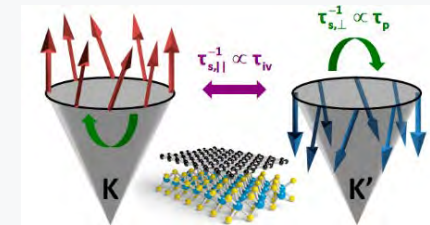
Why Spintronics using 2D Materials ?



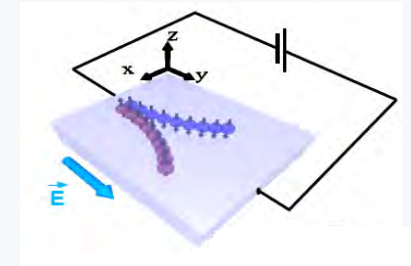
How the substrate controls spin dynamics?



*Giant spin transport anisotropy
in graphene induced by strong SOC
Proximity effect*



*Weak antilocalization & Spin Hall Effect
in Graphene/TMDC*



Acknowledgements

Group Members



Aron Cummings



José García



D. Van Tuan



David Soriano



Marc Vila

Spintronics Coworkers



Branislav Nikolic
(Univ. Delaware, USA)



Jaroslav Fabian
(Univ. Regensburg)



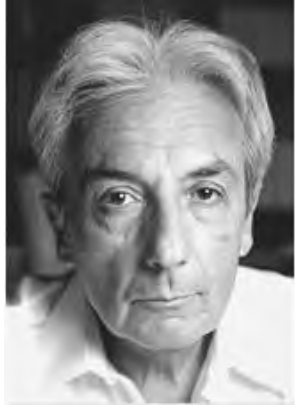
Xavier Waintal
(CEA)



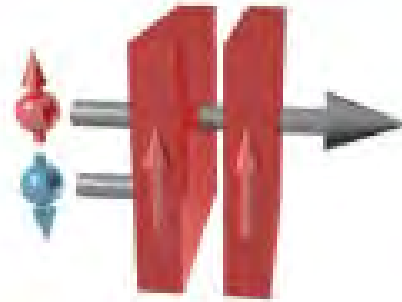
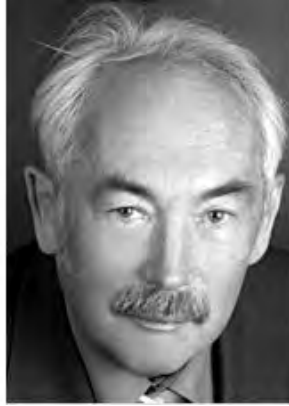
Sergio Valenzuela
(ICN2)

Spintronics and its industrial/Societal impact

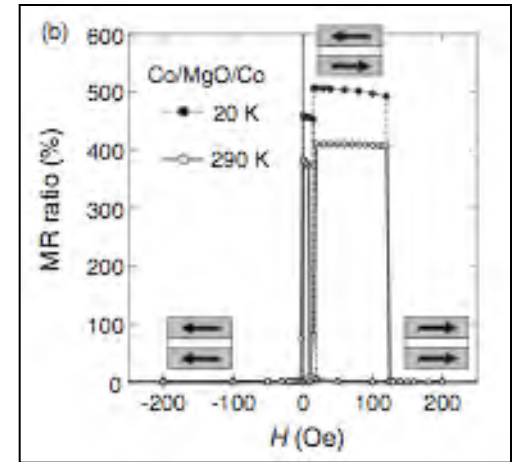
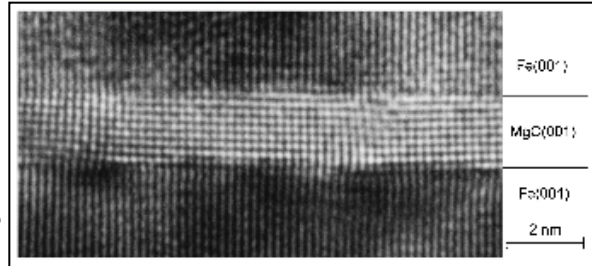
Albert Fert



Peter Grünberg

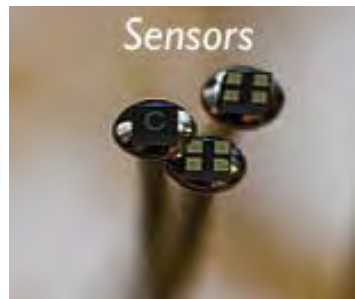


$$MR = \frac{R_{AP} - R_P}{R_P}$$



2007 Physics Nobel Laureates

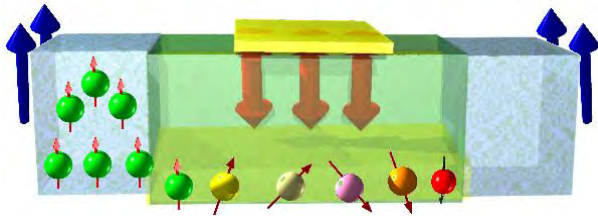
Magnetic field sensors used to read data in hard disk drives, microelectromechanical systems (MEMS), minimally invasive surgery
Automotive sensors for fuel handling system, Anti-skid system, speed control & navigation
Magnetoresistive random-access memory (MRAM)
Spin transfer Torque MRAM



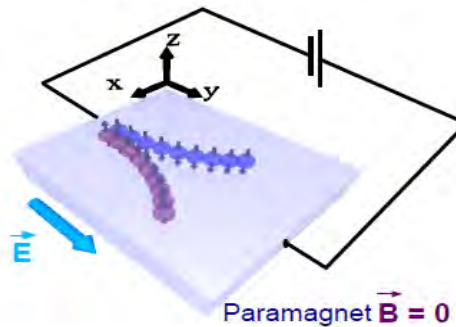
Spin-based information processing ?

Active devices based on **Spin manipulation** ?

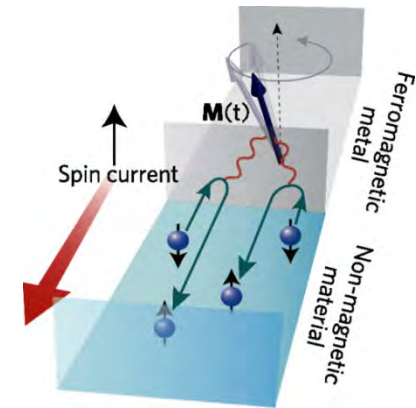
**Datta-Das
spin transistor**



Spin Hall Effect



Spin torques

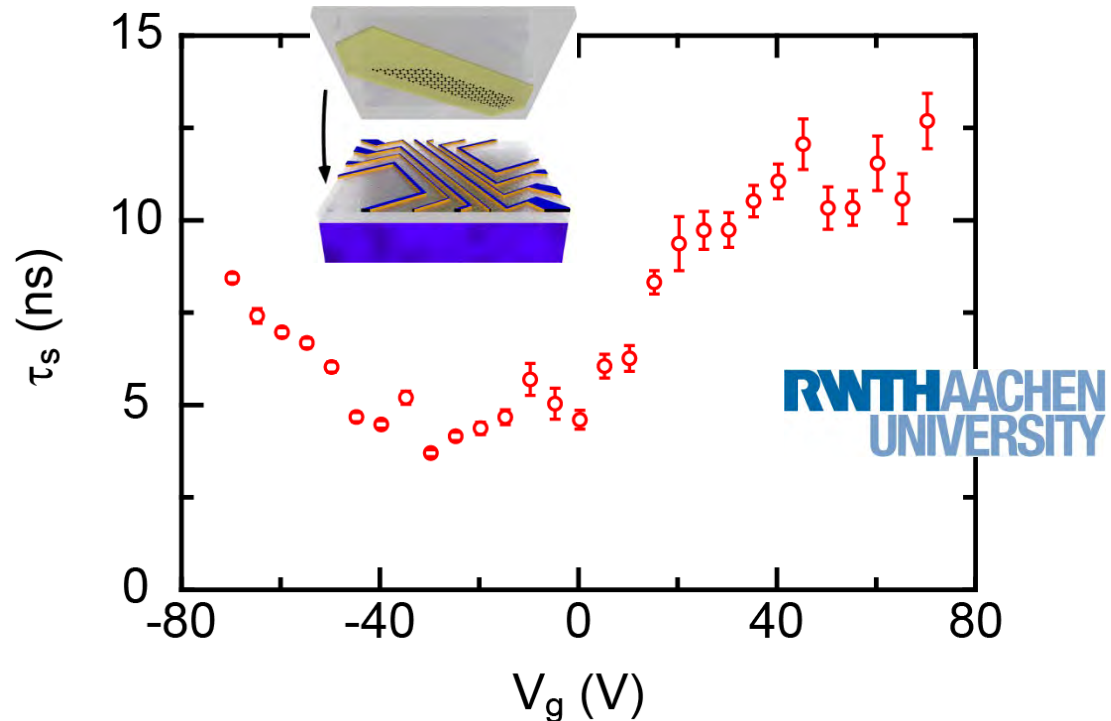
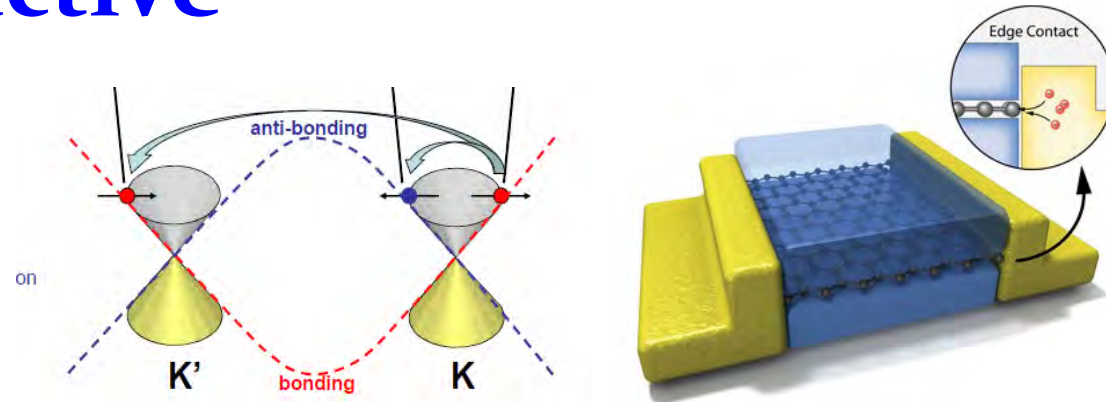


**Need for spin information transport on long distance (room T)
Spin injection and detection (ferromagnets/non magnetic materials)**

Metals/semiconductors... short spin diffusion length
(spin lifetime 0.1-1ns), 1% (or below) of MR signal

What makes graphene attractive

- Ambipolar/tuneable transport
- **Large mobilities**
($> 100\text{ k cm}^2/\text{V.s}$ at RT, $1\text{ M cm}^2/\text{V.s}$ at 4K)
- **Low spin-orbit interaction**
- Graphene properties can be tailored by proximity effects

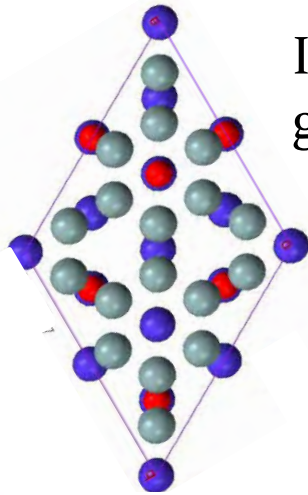
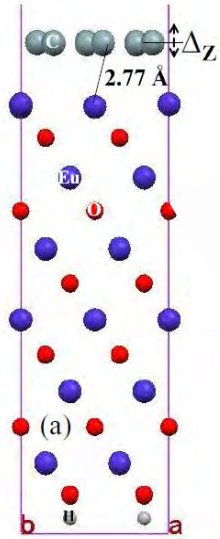
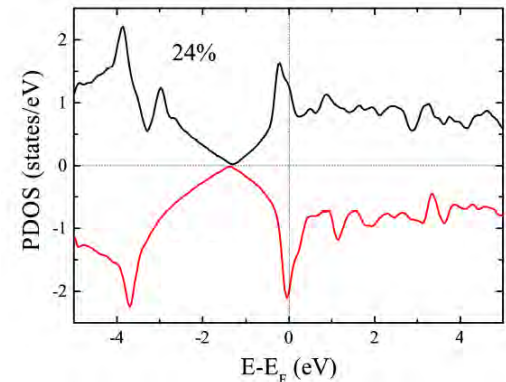


Magnetic oxides induce spin filtering/gap

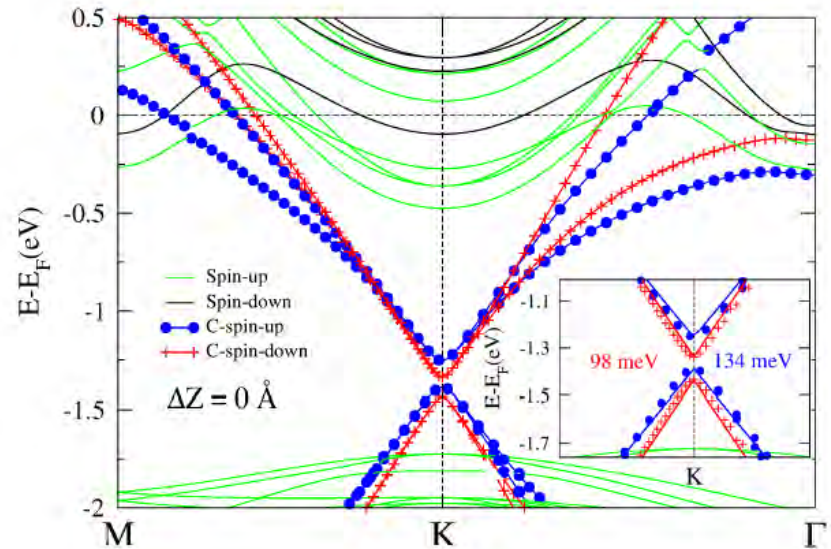
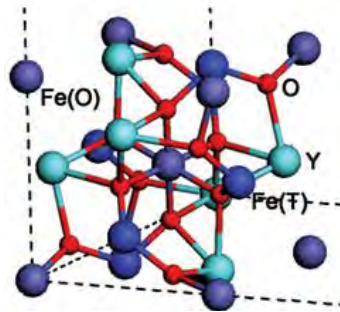
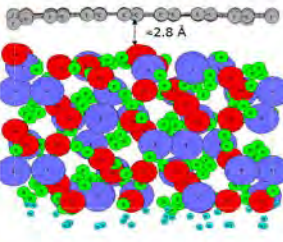
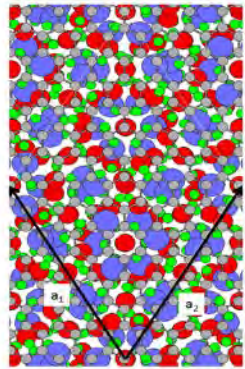
Spin Filtering and Exchange Splitting Gaps

Induced spin polarization in graphene by EuO

$$\mathcal{P} = \frac{n^{\downarrow} - n^{\uparrow}}{n^{\downarrow} + n^{\uparrow}}$$



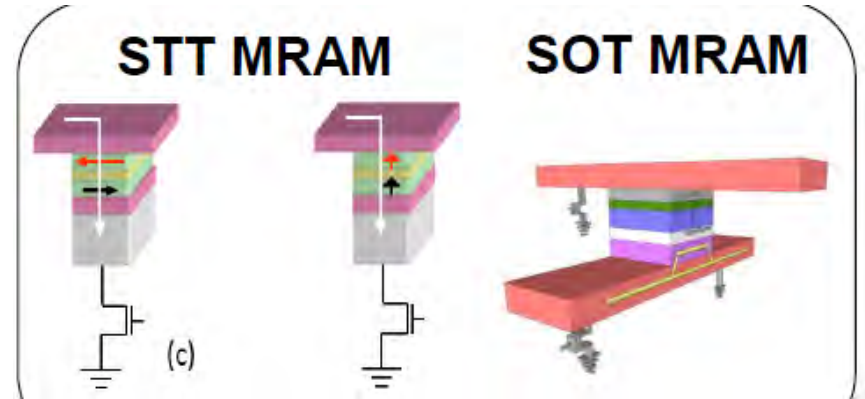
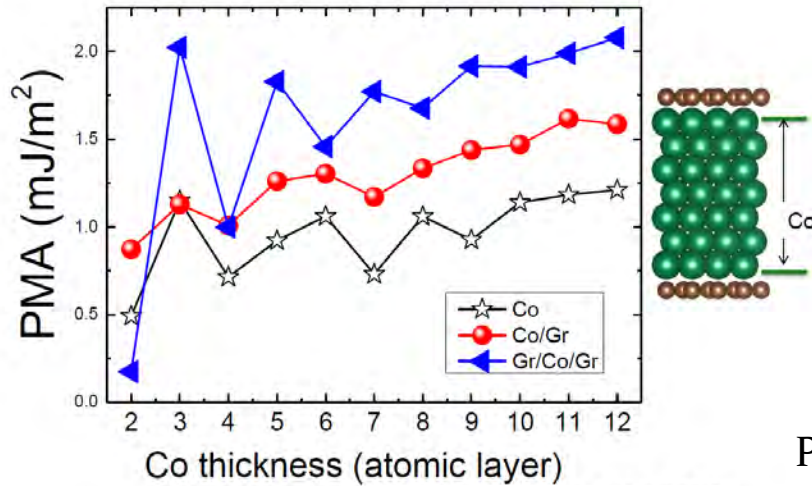
Gr/Y₃Fe₅O



Exchange splitting (G/YIG)
= 40 meV

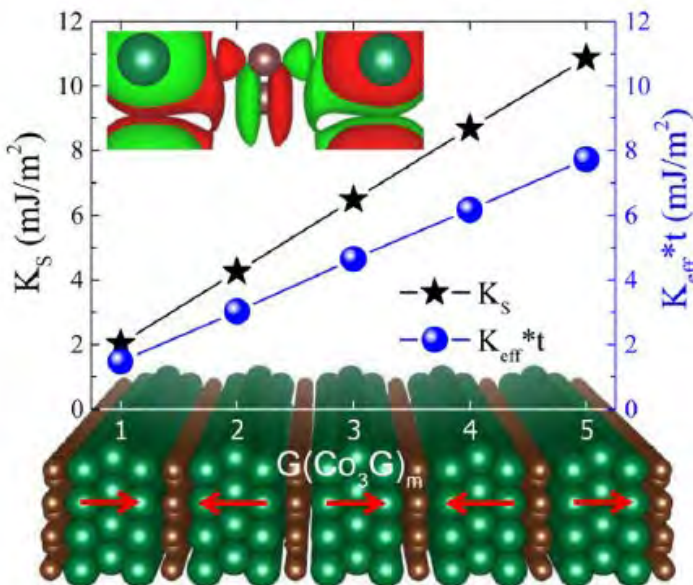
Yang, Hallal, Terrade, Waintal,
Roche, Chshiev, **PRL 110, 046603 (2013)**
Hallal et al. **2D materials 4, 025074 (2017)**

Potential of 2d Materials for STT-MRAM technologies



Perpendicular Magnetic Anisotropy in FM/Ox and FM/Graphene interfaces :
Strongly enhanced PMA of Co realized by graphene coating

Layer and orbital resolved contributions unveil the PMA mechanisms
Superlattice structures to obtain Giant PMA



$$K_{eff} = \frac{K_s}{t_{Co}} - E_{demag}$$

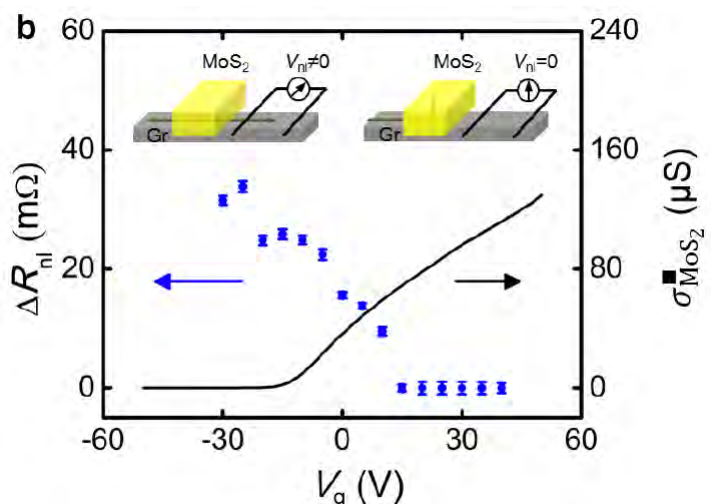
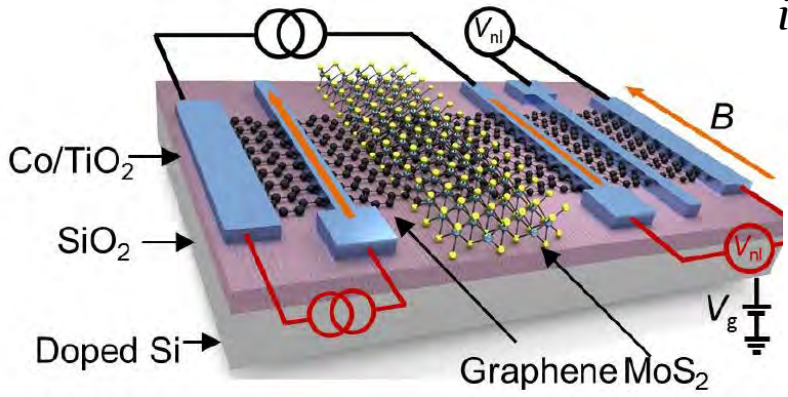
Yang, Chshiev et al, **Nano Letters** 16, 145 (2015)

Graphene-based Spintronic logic demonstrators

W. Yan et al.

Nature Comm. 7, 13372 (2016)

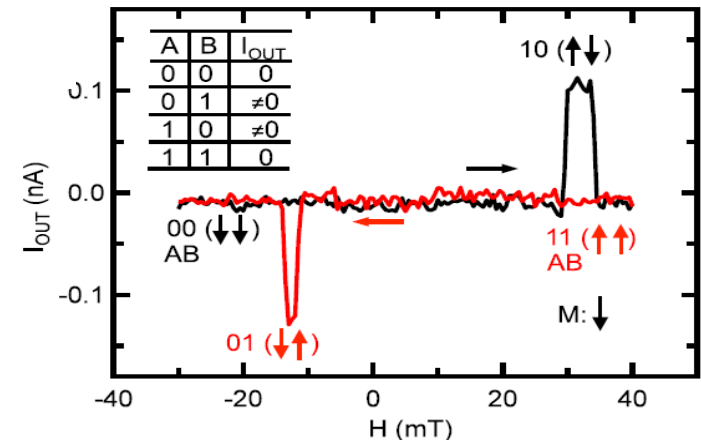
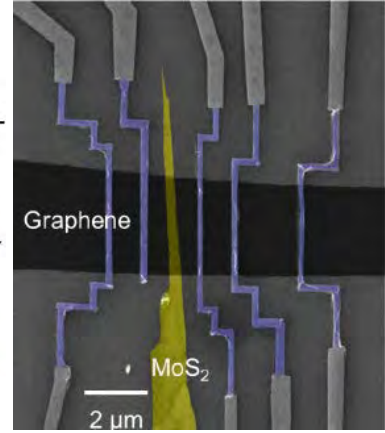
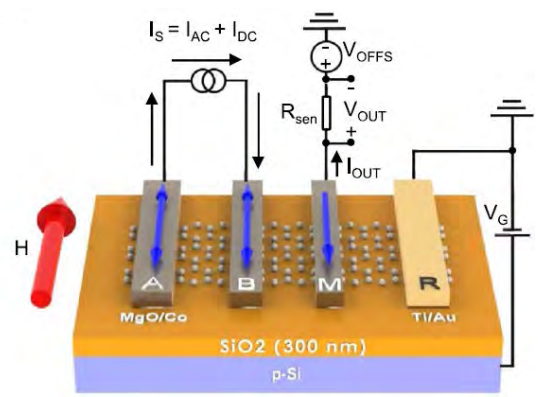
SPIN-FET



Hua Wen et al.

Phys. Rev. Applied 5, 044003 (2016)

Experimental demonstration of XOR operation in graphene Magnetologic Gates at room temperature





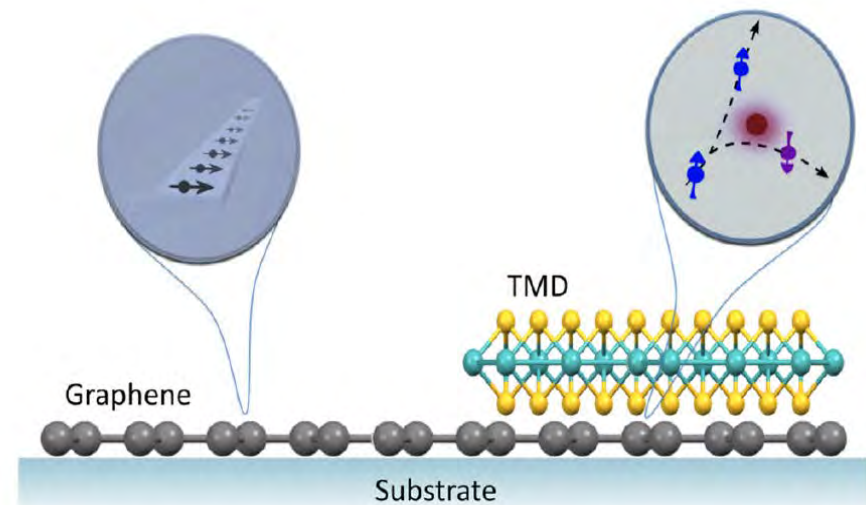
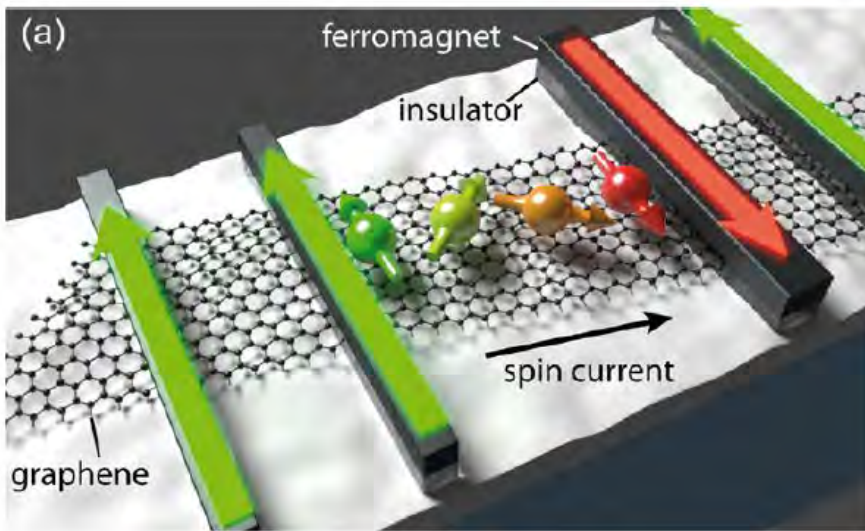
2D Materials

EDITORIAL

Graphene spintronics: the European Flagship perspective

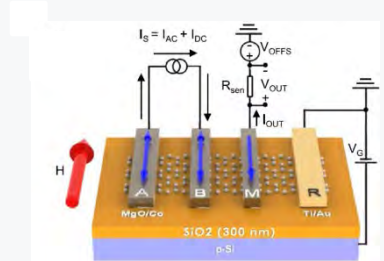
Stephan Roche^{1,2}, Johan Åkerman^{3,4,5}, Bernd Beschoten⁶, Jean-Christophe Charlier⁷, Mairbek Chshiev^{8,9},
 Saroj Prasad Dash¹⁰, Bruno Dlubak¹², Jaroslav Fabian¹¹, Albert Fert¹², Marcos Guimarães^{13,19},
 Francisco Guinea^{14,15}, Irina Grigorieva¹⁴, Christian Schönberger¹⁶, Pierre Seneor¹²,
 Christoph Stampfer¹⁷, Sergio O Valenzuela^{1,2}, Xavier Waintal^{9,18} and Bart van Wees¹⁹

2D Mater. 2 (2015) 030202

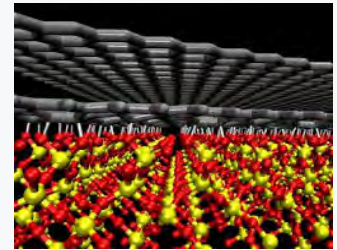


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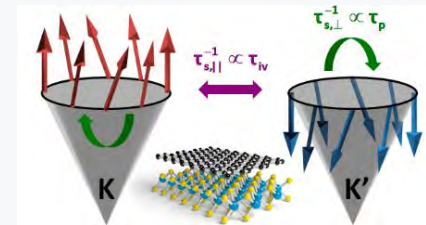
Why Spintronics using 2D Materials ?



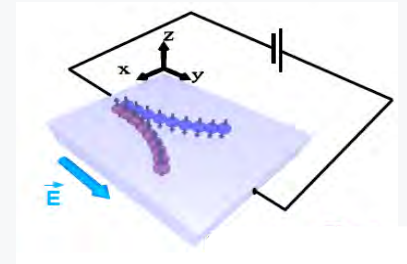
How the substrate controls spin dynamics?



*Giant spin transport anisotropy
in graphene induced by strong SOC
Proximity effect*



*Spin Hall Effect & Weak antilocalization
in Graphene/TMDC*



“Unprecedented spin lifetimes in ultraclean graphene”??

Homogeneous Rashba + disorder (density of impurities)

Numerical calculation of the spin relaxation time by performing Monte Carlo simulations

*Along any given classical trajectory $[\mathbf{r}(t), \mathbf{k}(t)]$
the spin dynamics is described by Bloch spin equation*

$$\frac{d\mathbf{S}}{dt} = \Omega_R[\mathbf{r}(t)](\mathbf{n}[\mathbf{k}(t)] \wedge \mathbf{S})$$

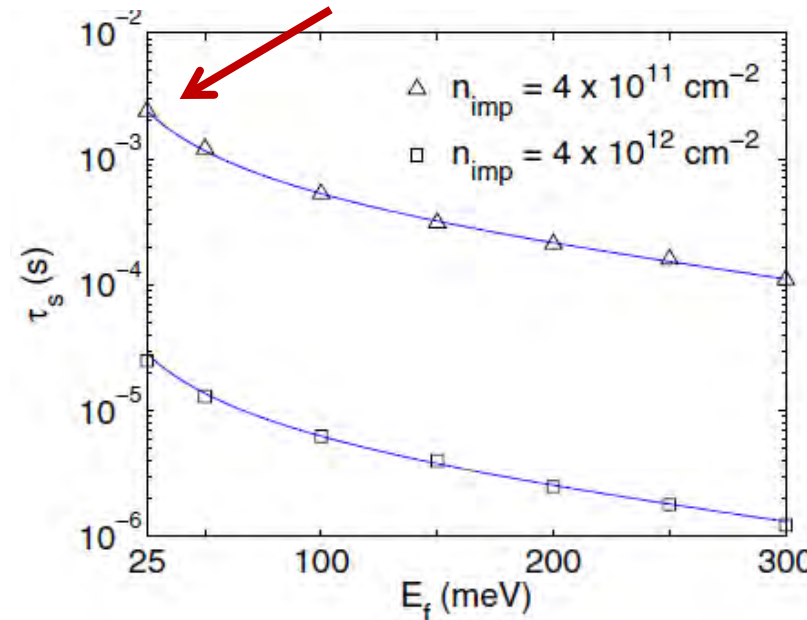
Spin lifetime is calculated by averaging over random trajectories with different initial momenta, assuming

$$t \gg \tau_{tr}$$

$$S_\alpha(t) \sim e^{-t/\tau_\alpha}$$

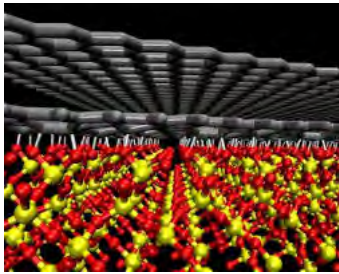
$$\tau_\alpha \rightarrow \mu\text{s} - \text{ms}!!!$$

**Maximum at Dirac point
Elliot Yaffet**

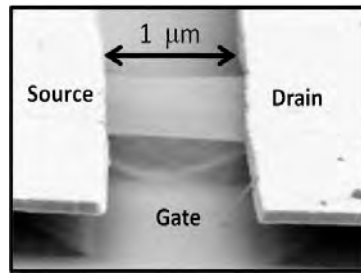


Experimental spin lifetime features

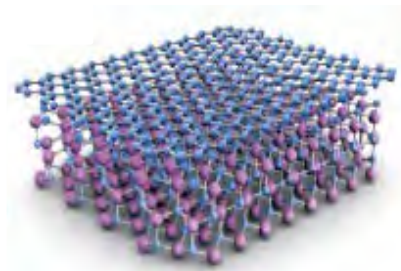
*Graphene
on SiO₂*



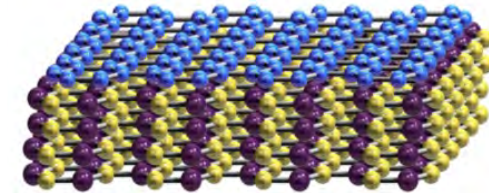
*Suspended
Graphene*



*Epitaxial graphene
on SiC*



*Graphene
on BN*

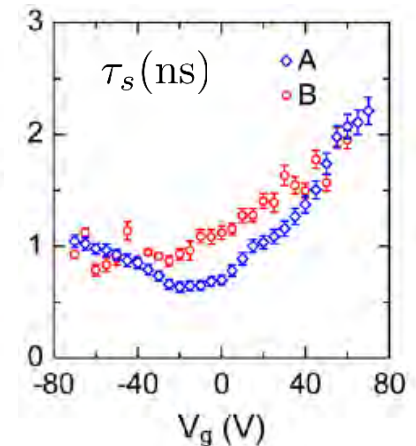
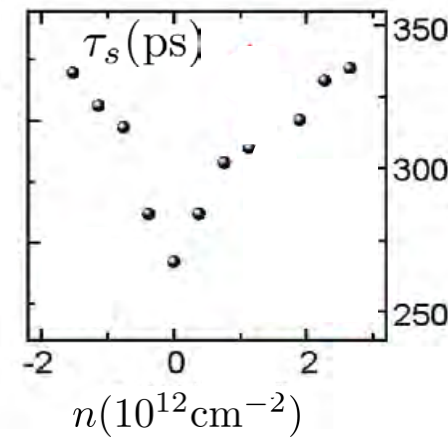


charge mobility $\mu \sim 100 - 100.000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$

Room temperature

$$\tau_s \sim 0.1 - 10 \text{ ns}$$

- Avsar et al, *Nano Lett.* **11**, 2363 (2011)
Drögeler et al. *Nano Lett.* **14**, 6050 (2014)
Guimarães et al *Phys Rev Lett* **113**, 086602 (2014)



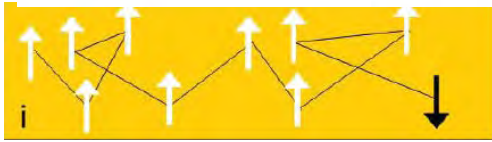
Which relaxation mechanism at play ?

Metals

Elliott-Yafet mechanism



$$\tau_s \sim 10^4 - 10^6 \tau_p$$



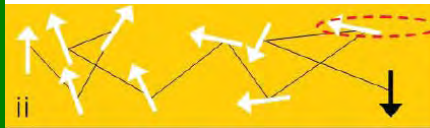
$$\tau_s^{EY} \sim \epsilon_F^2 \tau_p / \lambda_R^2$$

Small gap semiconductor

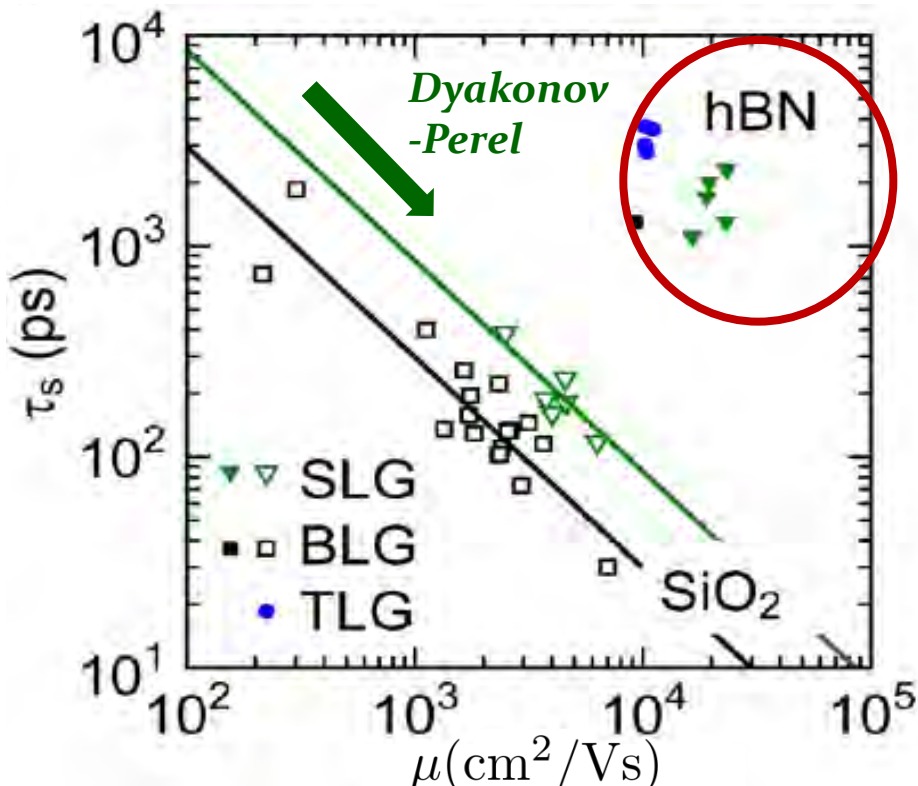
Dyakonov-Perel mechanism



$$\tau_s \sim \frac{1}{\tau_p}$$



$$\tau_s^{DP} \sim \hbar^2 / (\lambda_R^2 \tau_p)$$



Drögeler et al. *Nano Lett.* 14, 6050 (2014)
 Guimarães et al *PRL* 113, 086602 (2014)

Cleaner samples for SiO_2 substrates lead to lower spin lifetime

“opposite trend” for hBN Substrates?

Origin of spin dephasing

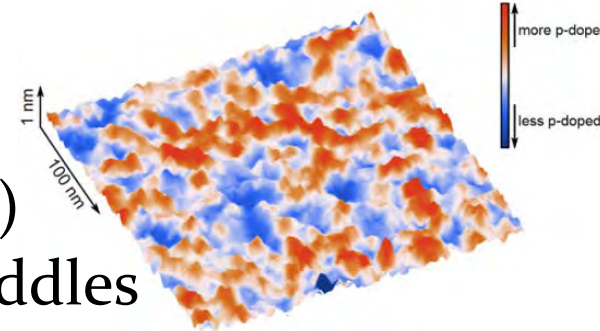
Spin-orbit coupling in graphene

“clean limit”

Intrinsic
spin-orbit coupling



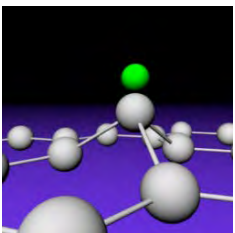
Substrate effects
(Rashba electric field)
and electron-hole puddles



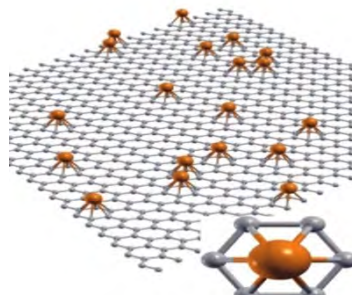
“dirty limit”

*Etching transfer processes : contamination with ionic impurities
(from metal etchants) or **metallic residues (from incomplete etching)**,
+ PMMA residues (transfer)*

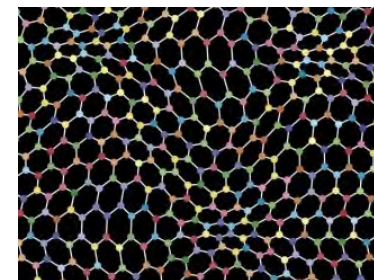
sp³ defects
(σ - π hybridization)
Hydrogen ad-atoms-



Transition- metal adatoms
(Cu, Ni, Au,...)



Deformation fields
(Strain, ripples, bubbles...)

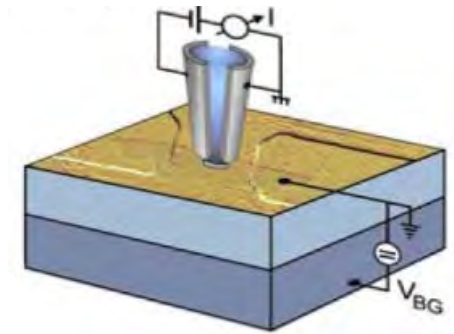
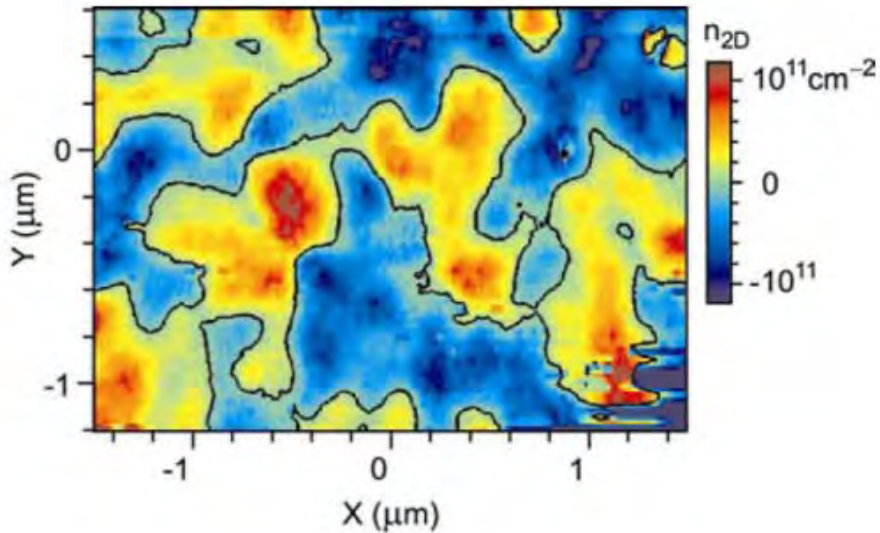


Spin relaxation in supported clean graphene

-beyond semiclassical approximations-

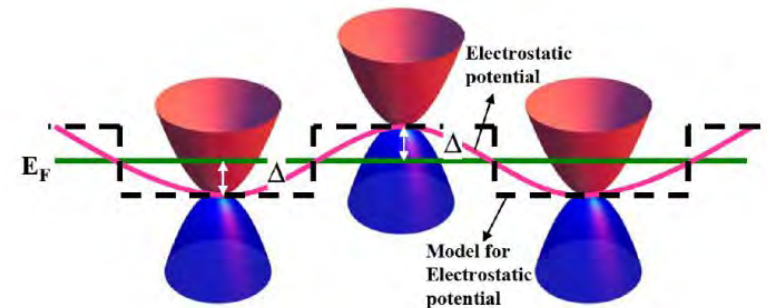
Disorder: Electron-holes puddles

Spatial (long range) charge density fluctuations



Electrons locally screen charged impurities trapped in the substrate

J. Martin et al, **Nat. Phys. 4, 144 (2008)**



Spin-orbit interaction :

Uniform Rashba SOC-field **10 μeV**

(substrate effect/mirror symmetry breaking)

$\tau_s \sim \mu\text{s} - \text{ms} ???$

Tight-binding Modelling

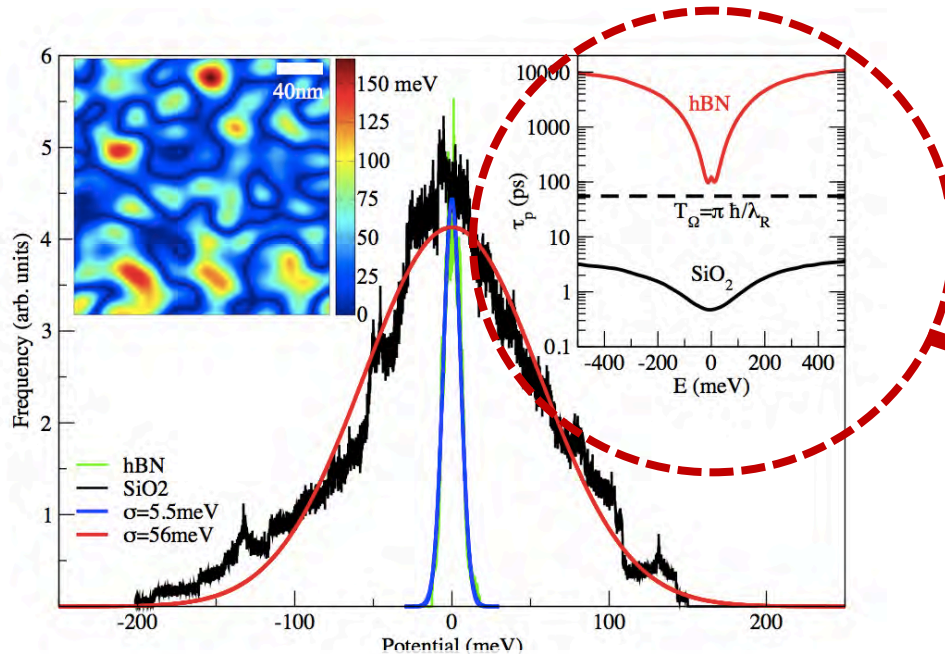
$$\mathcal{H} = -\gamma_0 \sum_{\langle ij \rangle} c_i^\dagger c_j + \sum_{\langle i \rangle} V_i c_i^\dagger c_i + iV_R \sum_{\langle ij \rangle} c_i^\dagger \vec{z} \cdot (\vec{s} \times \vec{d}_{ij}) c_j$$

Screened Coulomb potential

Long range (Gaussian) potential

$$V_i = \sum_{\alpha=1}^{N_\alpha} \varepsilon_\alpha \exp(-|\mathbf{r}_\alpha - \mathbf{r}_i|^2 / (2\xi^2))$$

Shaffique Adam et al **Phys. Rev. B** 84, 235421 (2011)



Onsite energy distribution of the π -orbitals with standard deviation for hBN (5meV) & SiO₂ (56meV)

Rashba SOC

$$V_R \sim 20\mu\text{eV}$$

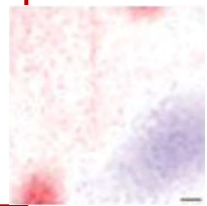
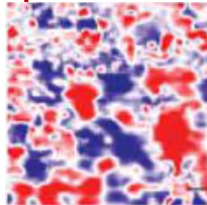


Graphene on SiO₂


$$\tau_p^{\text{SiO}_2} / T_\Omega \ll 1$$

Graphene on hBN

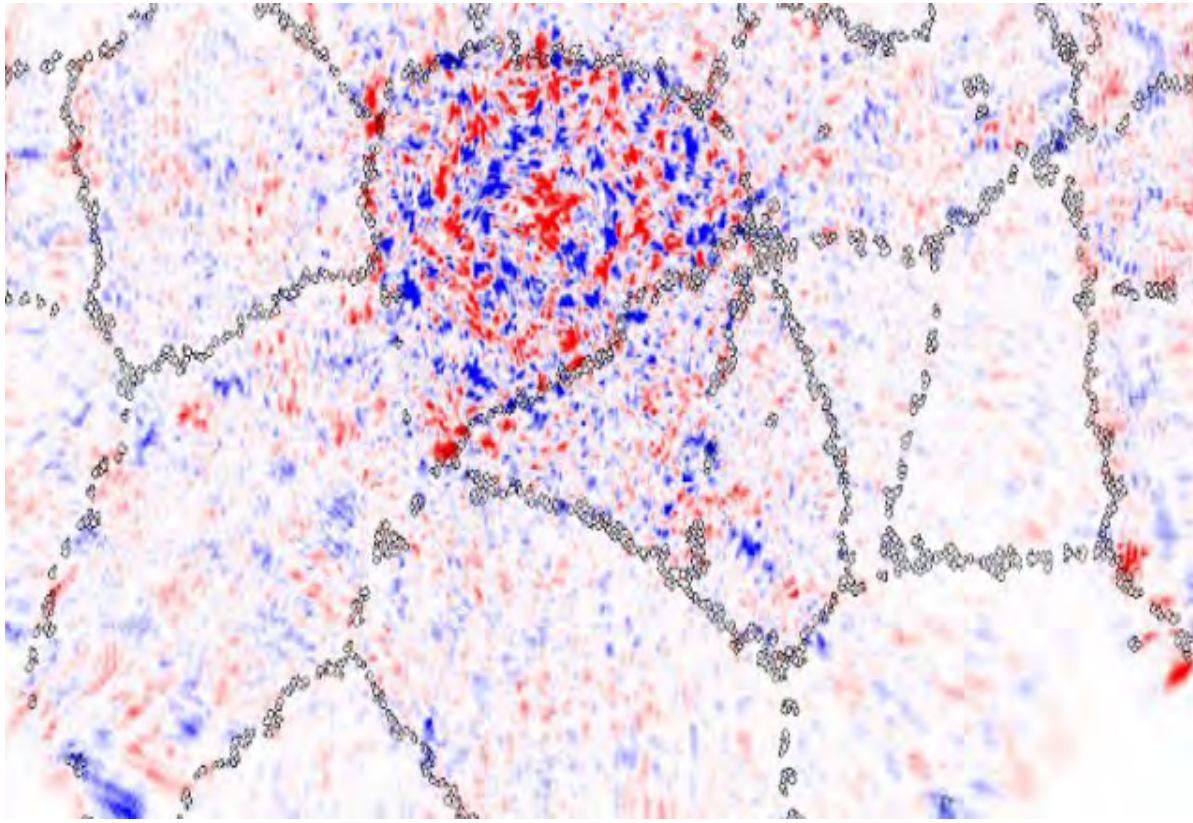
$$\tau_p^{\text{hBN}} / T_\Omega \geq 1$$

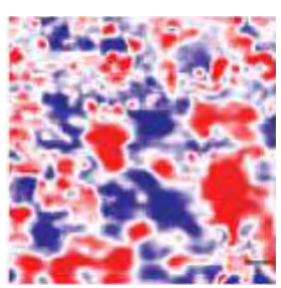


Spin dynamics of propagating wavepacket

 $|\Psi_{\perp}(0)\rangle = \begin{pmatrix} 1 \\ 0 \end{pmatrix} |\varphi_{RP}\rangle \quad |\Psi(t)\rangle = e^{-i\hat{\mathcal{H}}t/\hbar} |\Psi(0)\rangle$

$s_i(t) = |\Psi_i^{\uparrow}(t)|^2 - |\Psi_i^{\downarrow}(t)|^2$ (*time-dependent*)
Local spin density in real space

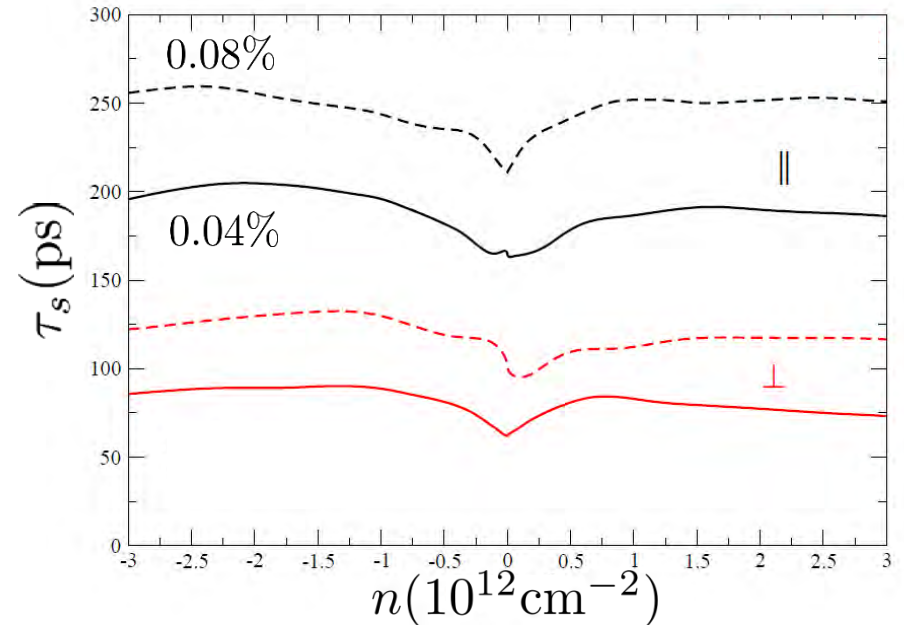
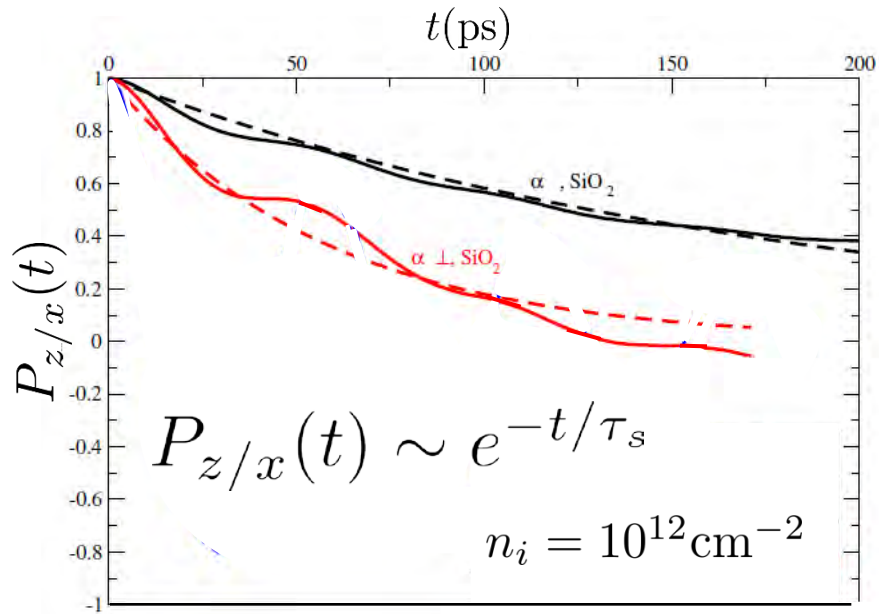




Graphene on SiO₂

electron-hole puddles drive the relaxation

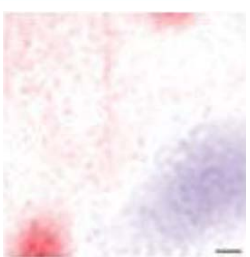
$$\tau_p^{\text{SiO}_2} / T_\Omega \ll 1$$



$$\tau_s \sim \frac{1}{n_i} \quad \text{increases with defect density}$$

$$\tau_s^\perp / \tau_s^\parallel \rightarrow 0.5$$

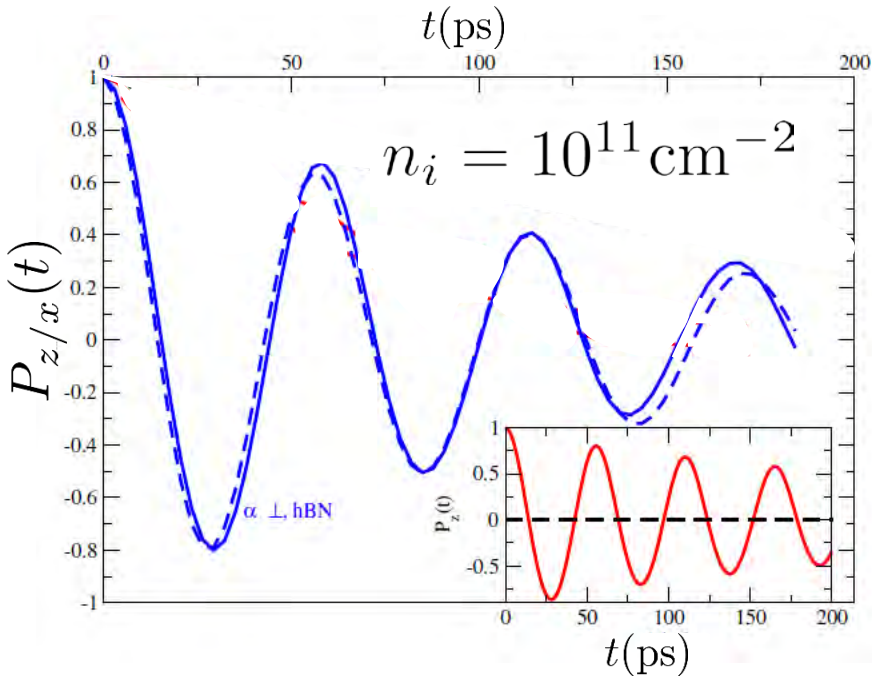
Dyakonov-Perel
relaxation mechanism



Graphene on hBN

electron-hole puddles drive the relaxation

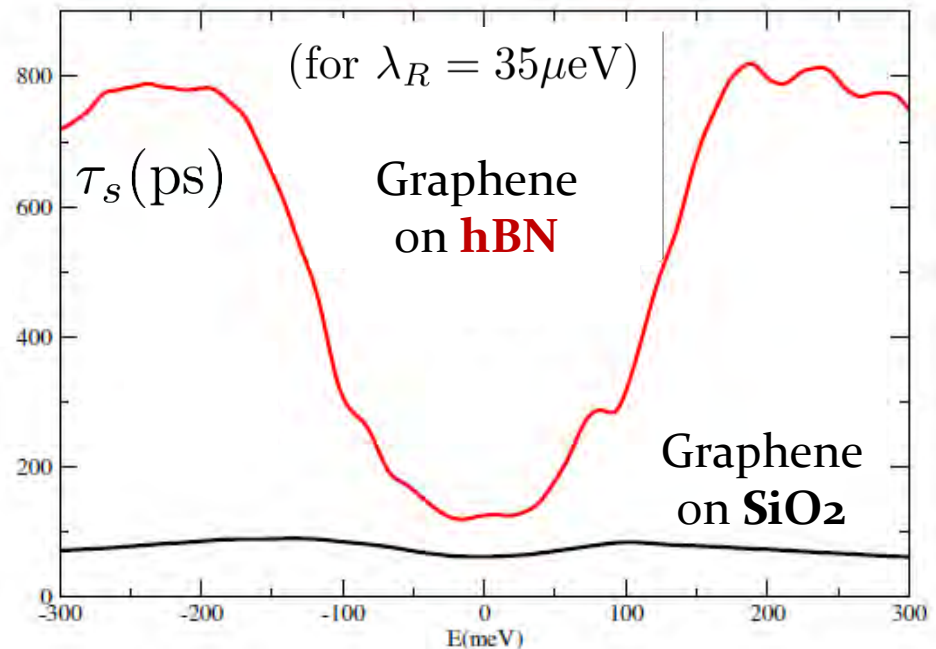
$$\tau_p^{\text{hBN}} / T_\Omega \geq 1$$



Dephasing driven by an entangled dynamics between spin and pseudospin

- D. Van Tuan et al, **Nature Physics** 10, 857 (2014)
- „ **Sci. Reports** 6, 21046 (2016)
- A.W. Cummings and SR, **PRL** 116, 086602 (2016)

$$P_{z/x}(t) \sim \cos\left(\frac{2\pi t}{T_\Omega}\right) e^{-t/\tau_s}$$

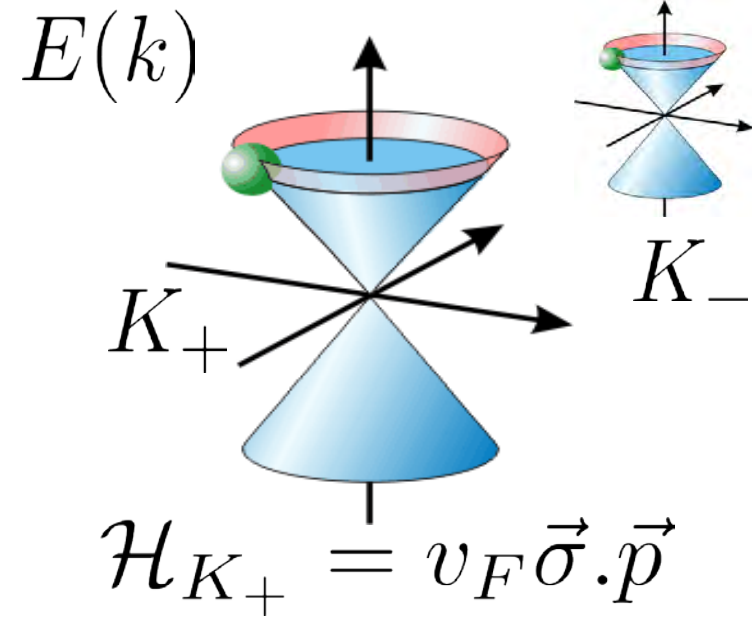
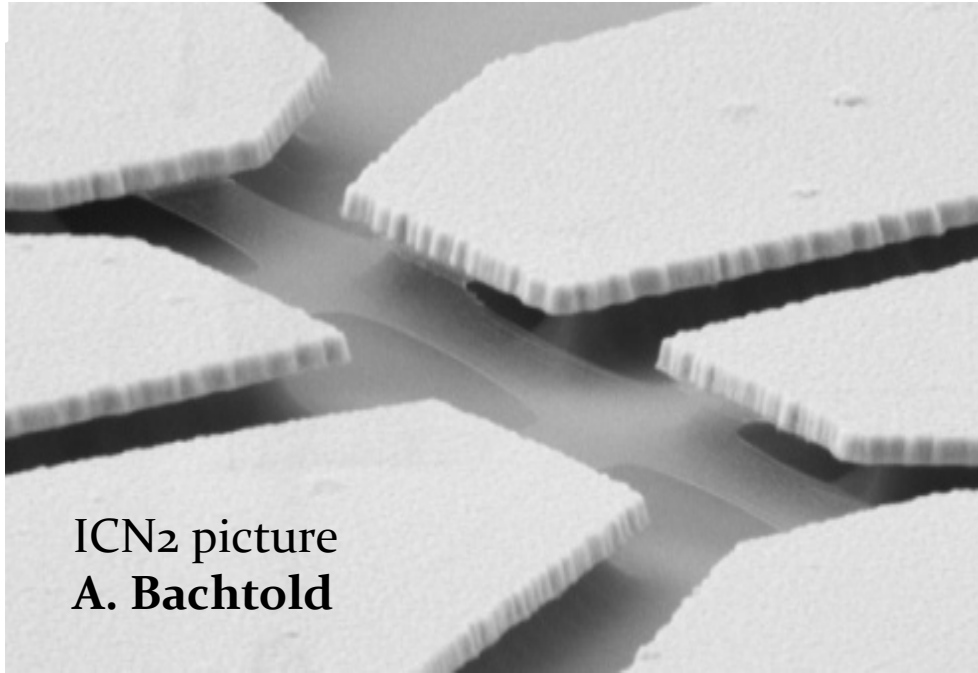


$$\tau_s(E) \approx 4T_\Omega \approx 4 \frac{\pi \hbar}{\lambda_R}$$

$$\tau_s \simeq 1 - 10 \text{ ns}$$

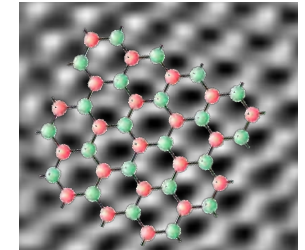
(for $\lambda_R \rightarrow 5 \mu\text{eV}$)

“Unique properties of Clean graphene”



pseudospin

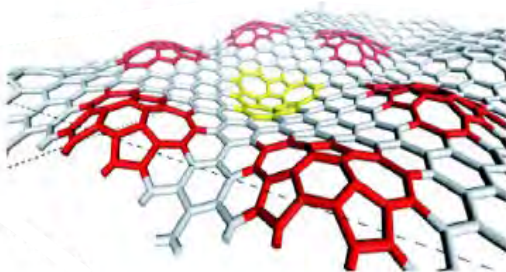
$$|\downarrow\rangle = \begin{pmatrix} 0 \\ 1 \end{pmatrix}$$



Long range potential

Intravalley scattering

(short momentum transfer)

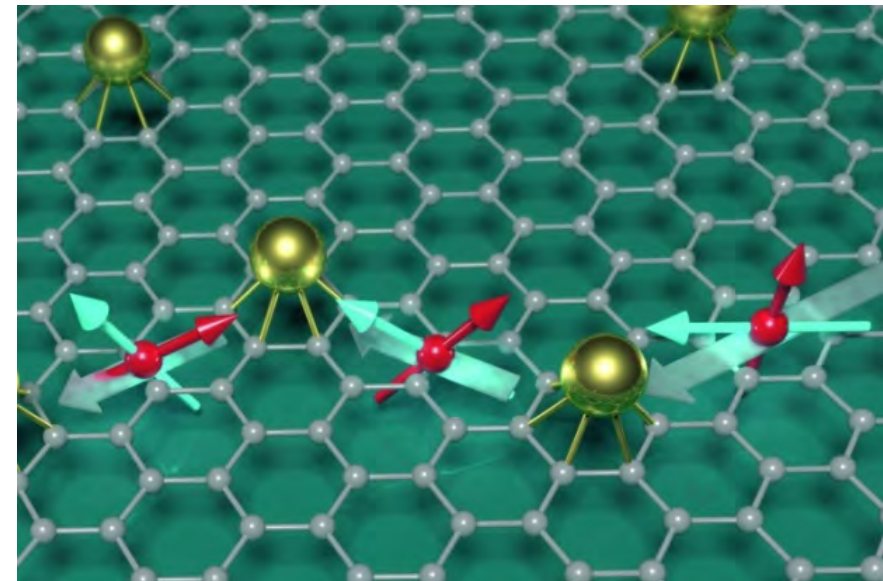
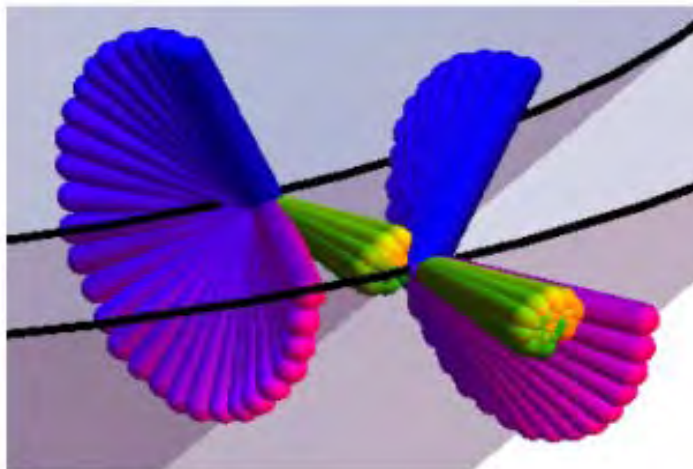
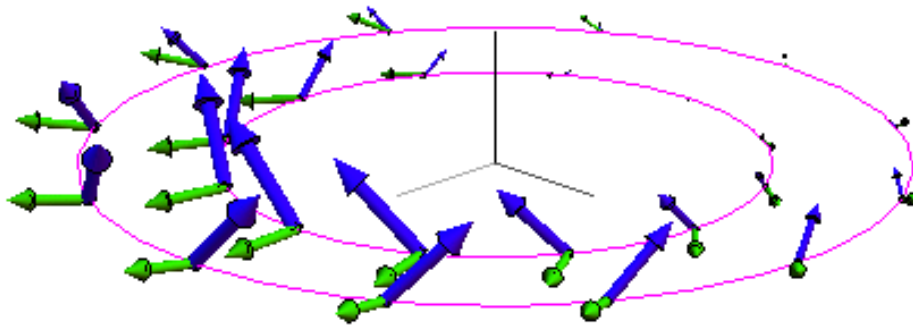


Anomalous quantum transport

- Ballistic conductivity $\sigma \sim 4e^2/\pi h$
- Klein tunneling
- Diverging zero-energy Mean free path/mobility
- Weak antilocalization (quantum interferences)
- Anomalous vs conventional QHE
- **Spin transport ?**

Pseudospin-driven spin relaxation mechanism in graphene

Dinh Van Tuan^{1,2}, Frank Ortmann^{1,3,4}, David Soriano¹, Sergio O. Valenzuela^{1,5} and Stephan Roche^{1,5*}



$$\Psi \sim \text{A} \otimes \uparrow + \text{B} \otimes \downarrow$$

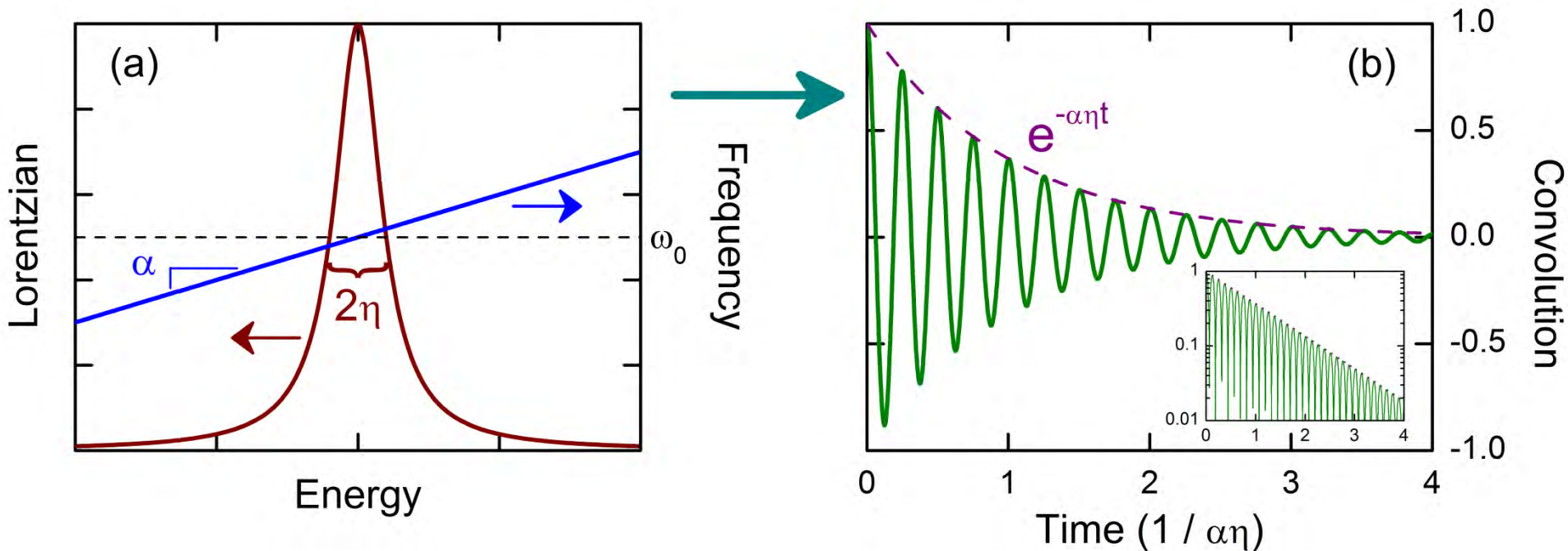
Relaxation in the ultraclean limit...

spin precession frequency varies linearly with energy

$$\omega(E) = \omega_0 + \alpha E$$

charge carriers occupy a Lorentzian distribution in energy

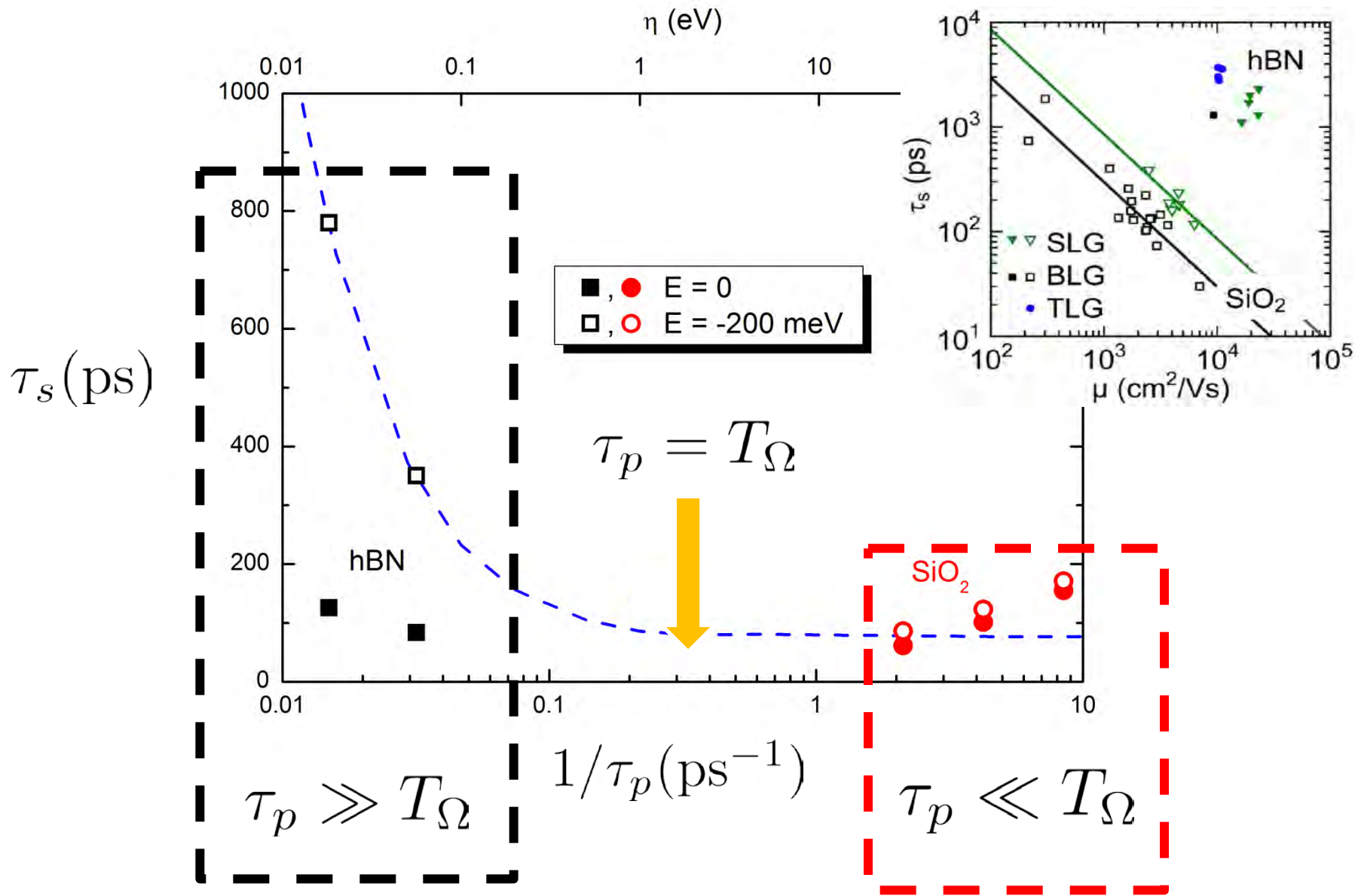
$$\mathcal{L}(E) = \eta / [\pi \cdot (E^2 + \eta^2)]$$



Exponentially-decaying cosine, with frequency ω_0 and decay time $1/\alpha\eta$

$$s(t) = \mathcal{L}(E) \circ \cos(\omega(E)t) = e^{-\alpha\eta t} \cdot \cos(\omega_0 t)$$

Crossover between “pure dephasing” and scattering-induced Dyakonov-Perel



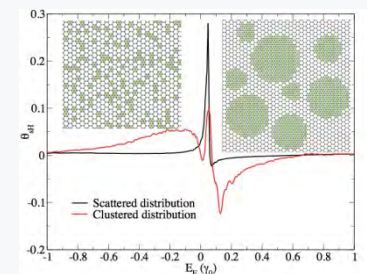
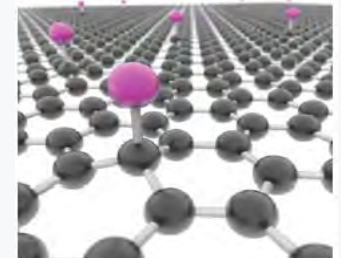
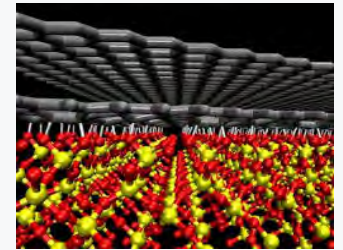
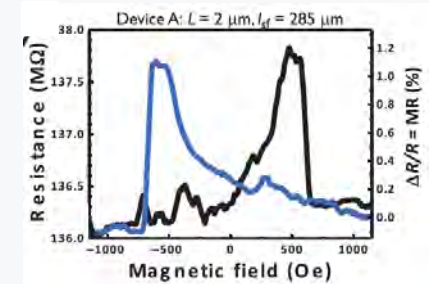
OUTLINE

Why Spintronics using 2D Materials ?

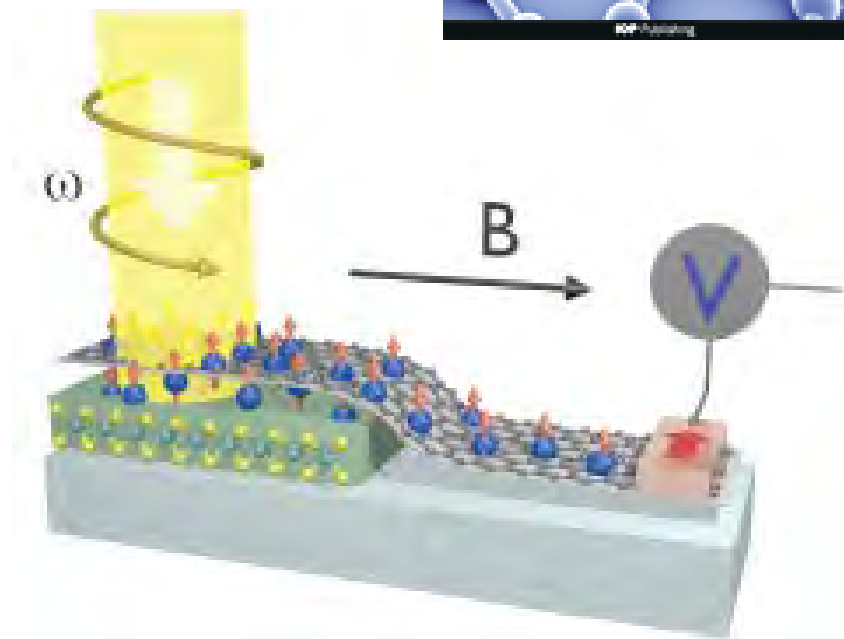
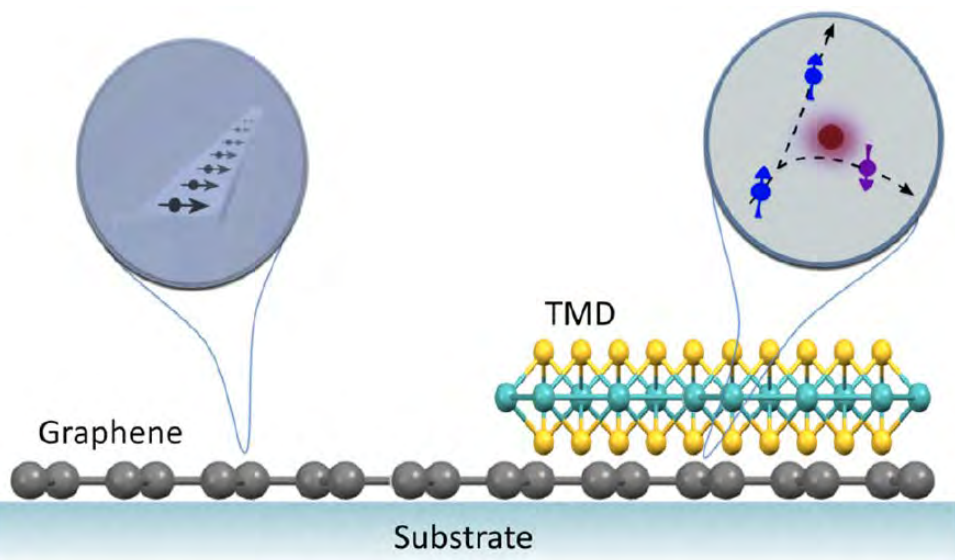
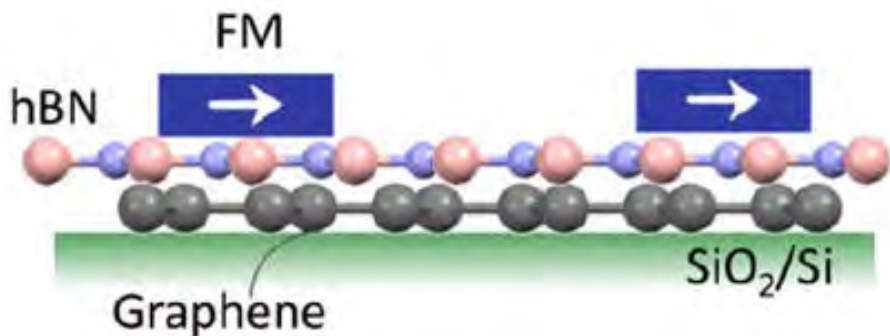
How the substrate controls spin dynamics?

Giant spin transport anisotropy in graphene induced by strong SOC 2D materials

Spin Hall Effect and Weak antilocalization in Graphene/TMDC

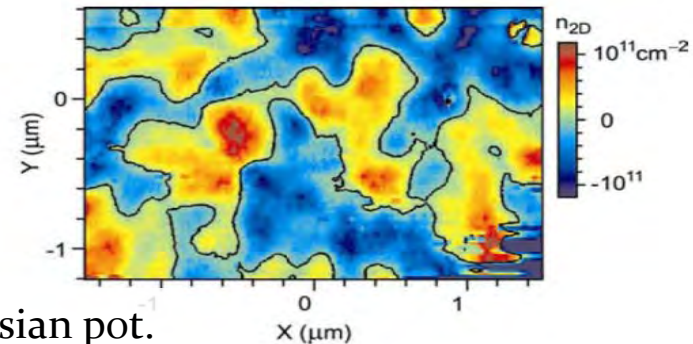
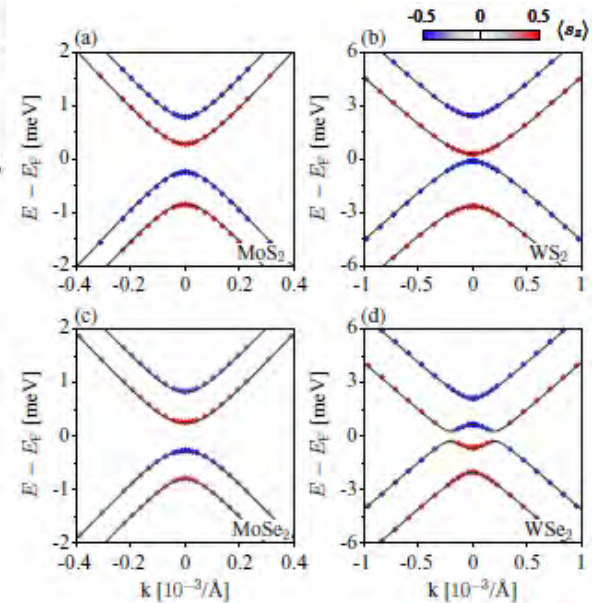
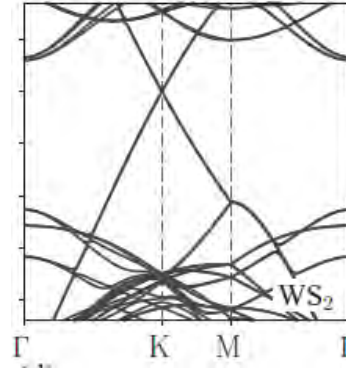
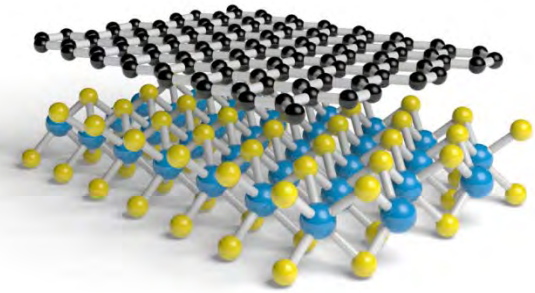


Hybrid devices of graphene and other 2D materials



Martin Gmitra and Jaroslav Fabian
 Phys. Rev. B **92**, 155403 (2015)

Realistic Model of Graphene/TMDC with interface disorder



DFT-TB model from

M. Gmitra, D. Kochan, P. Högl, & J. Fabian

PRB 93, 155104 (2016)

$$H_0 = -t \sum_{\langle i,j \rangle} (a_i^\dagger b_j + b_i^\dagger a_i) + \frac{\Delta}{2} \sum_i (a_i^\dagger a_i - b_i^\dagger b_i)$$

$$H_{\text{so}} = \frac{2i}{3} \sum_{\langle i,j \rangle, \sigma} (\hat{\mathbf{s}} \times \mathbf{d}_{i,j})_{z, \sigma, \bar{\sigma}} \lambda_R a_{i, \sigma}^\dagger b_{j, \bar{\sigma}} + h.c$$

$$+ \frac{2i}{3} \sum_{\langle\langle i,j \rangle\rangle, \sigma} (\hat{\mathbf{s}} \times \mathbf{D}_{i,j})_{z, \sigma, \bar{\sigma}} \left(\lambda_{\text{PIA}}^{(A)} a_{i, \sigma}^\dagger a_{j, \bar{\sigma}} + \lambda_{\text{PIA}}^{(B)} b_{i, \sigma}^\dagger b_{j, \bar{\sigma}} \right)$$

$$+ \frac{i}{3\sqrt{3}} \sum_{\langle\langle i,j \rangle\rangle, \sigma} \nu_{i,j} (\hat{s}_z)_{\sigma, \sigma} (\lambda_I^{(A)} a_{i, \sigma}^\dagger a_{j, \sigma} - \lambda_I^{(B)} b_{i, \sigma}^\dagger b_{j, \sigma}),$$

Random distribution of n_p electron-hole puddles

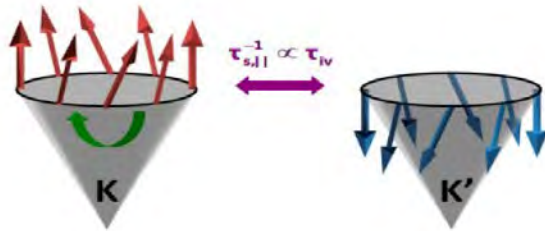
S. Adam et al. PRB 84, 235421 (2011)

$$U_n(\mathbf{r}) = u_n \exp\left(-\frac{(\mathbf{r} - \mathbf{R}_n)^2}{2\xi_p^2}\right) \quad \xi_p = \sqrt{3}a \quad \text{Puddle range}$$

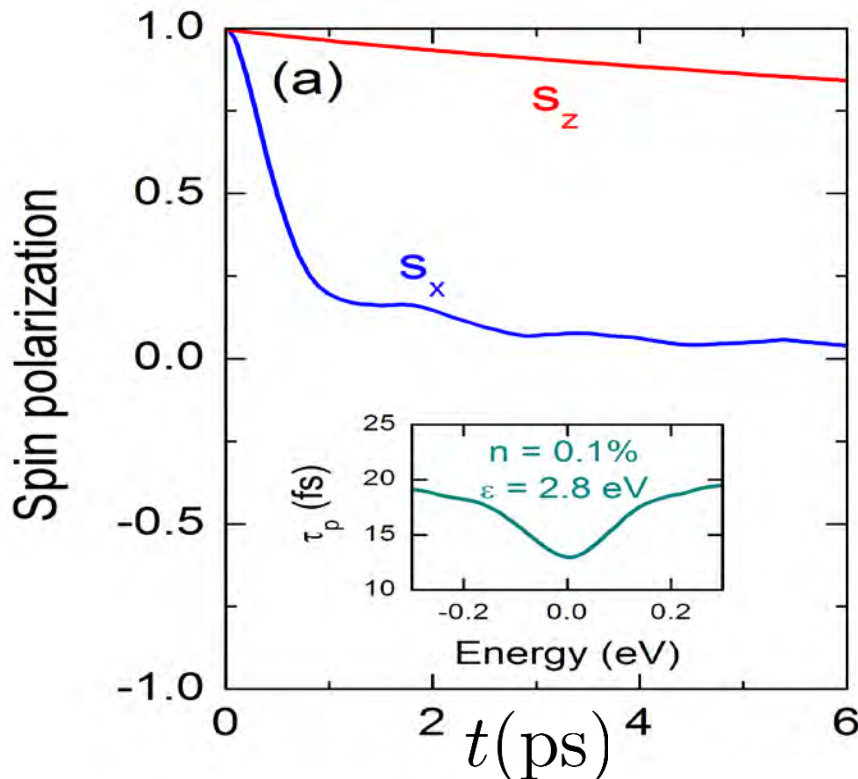
$u_n \in [-U_p, U_p]$ \mathbf{R}_n is the position of the center of the Gaussian pot.

Spin dynamics for graphene/TMDC+ el-h puddles

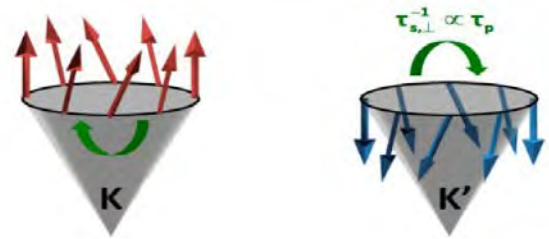
A. W. Cummings, J.H. García, J. Fabian, S. Roche, [arXiv:1705.10972](https://arxiv.org/abs/1705.10972)



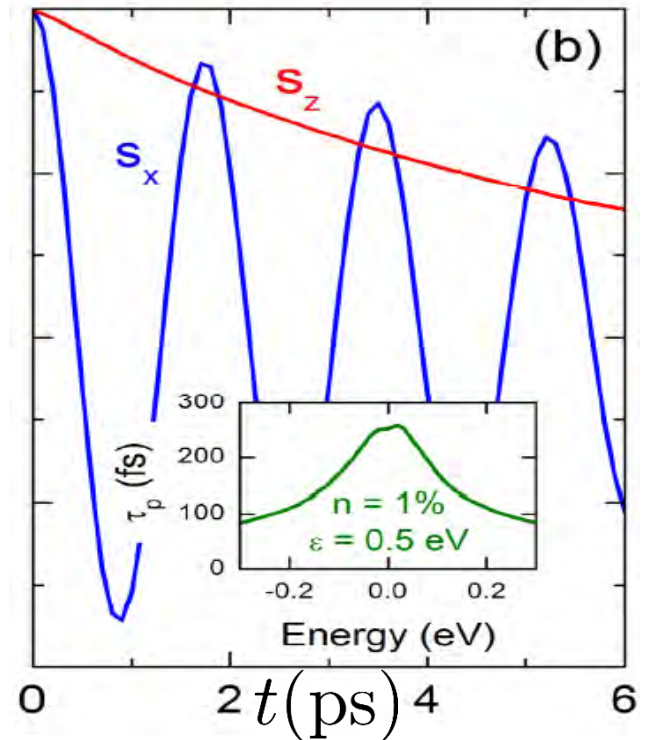
Strong valley mixing



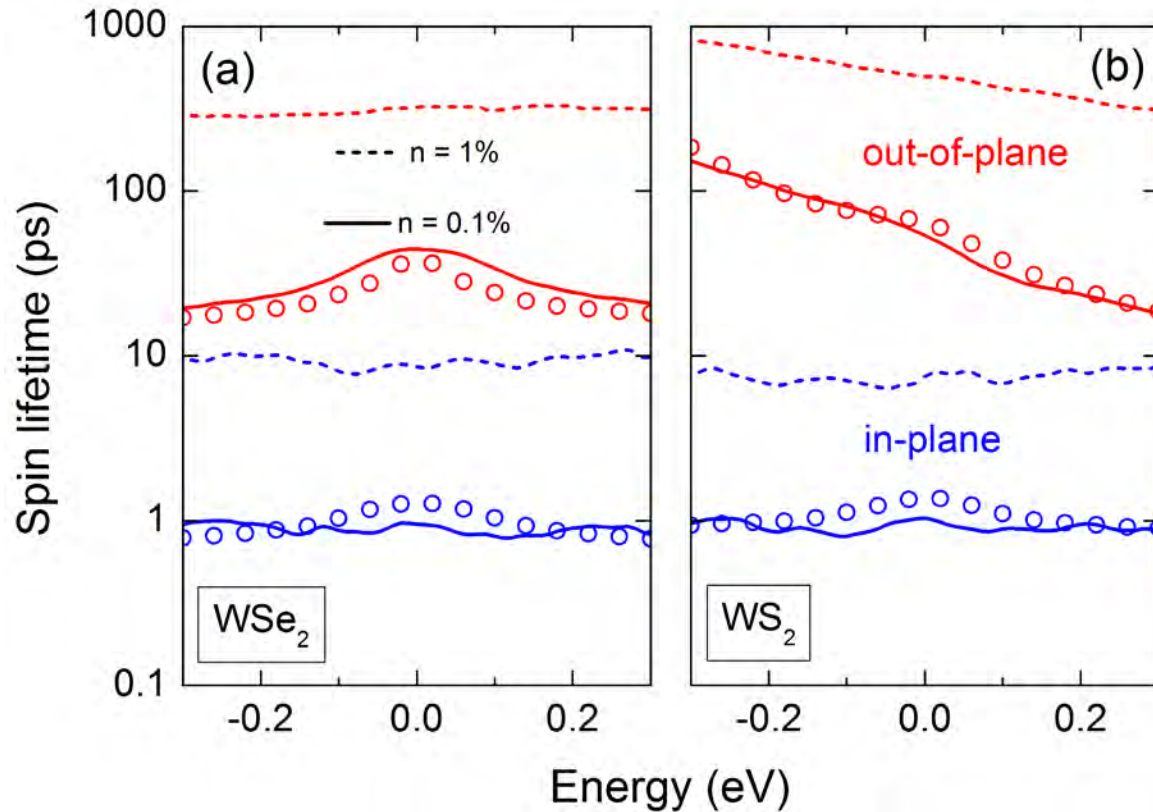
$$S_\alpha \simeq \exp(-t/\tau_{s,\alpha}) \cos(\omega_z t)$$



Intravalley scattering



Spin lifetimes in Graphene/TMDC (strong valley mixing)



Lifetime values

$$\tau_{s,\perp} \in [10, 1000] \text{ps}$$

$$\tau_{s,\parallel} \in [1, 10] \text{ps}$$

Dyakonov-Perel mechanism

$$\tau_{s,\perp} \& \tau_{s,\parallel} \sim 1/n_p$$

Giant anisotropy

$$\frac{\tau_{s,\perp}}{\tau_{s,\parallel}} = 10 - 100$$

Symbols:

Effective spin-orbit fields
arising from the SOC terms
+ equation of motion of
density matrix

$$H = H_0 + \frac{1}{2} \hbar \vec{\omega}(t) \cdot \vec{s}$$

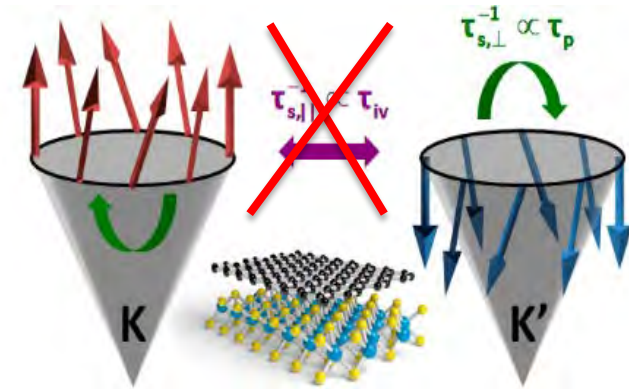
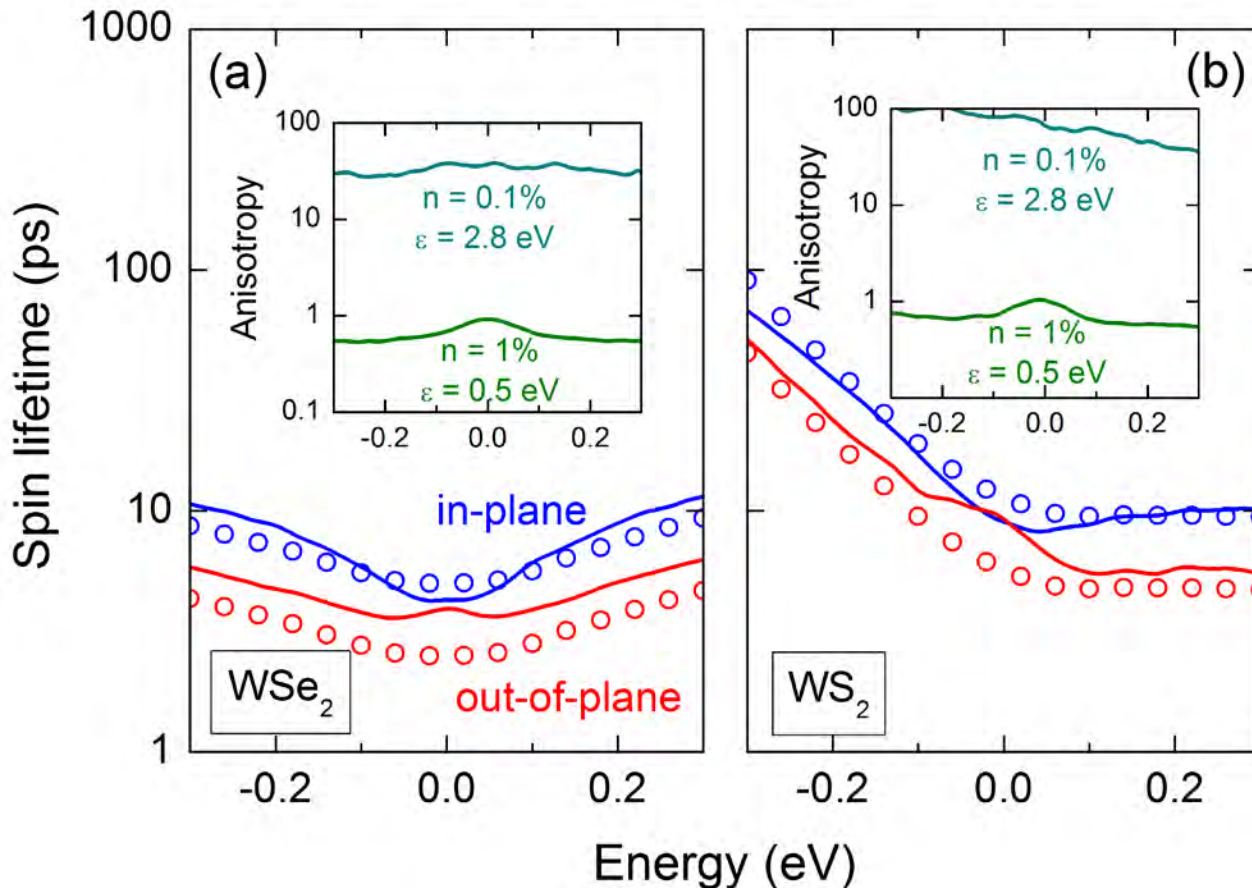
$$\overline{\omega_\alpha(t) \omega_\beta(t')} = \delta_{\alpha\beta} \overline{\omega_\alpha^2} e^{-|t-t'|/\tau_{c,\alpha}}$$

$$\frac{d\overline{\rho_I(t)}}{dt} = \left(\frac{1}{i\hbar}\right)^2 \int_0^{t \gg \tau_c} \overline{[V_I(t), [V_I(t'), \rho_I(t)]]} dt'$$

$$V_I(t) = \frac{1}{2} \hbar \vec{\omega}(t) \cdot \vec{s}_I(t) \text{ and } \vec{s}_I(t) = e^{iH_0 t/\hbar} \vec{s} e^{-iH_0 t/\hbar}$$

Spin transport anisotropy in Graphene/TMDC

(intravalley scattering only)

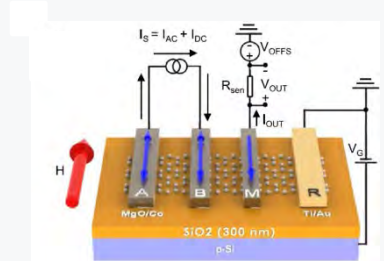


For higher quality interfaces
Spin lifetimes (**out-of-plane**)
Much smaller

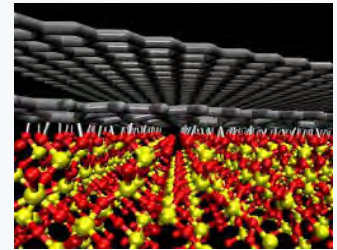
Anisotropy around $\frac{1}{2}$
as in conventional Rashba
Disordered systems

OUTLINE

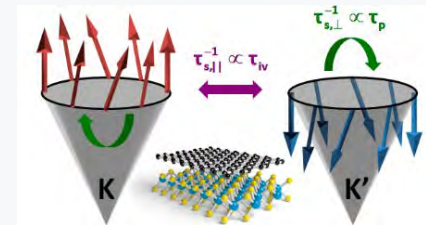
Why Spintronics using 2D Materials ?



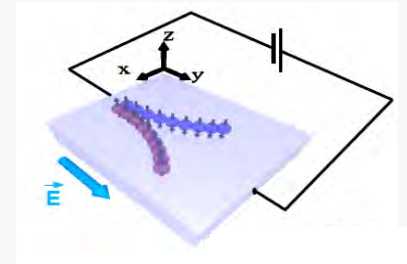
How the substrate controls spin dynamics?



*Giant spin transport anisotropy
in graphene induced by strong SOC
Proximity effect*



*Spin Hall Effect & Weak antilocalization
in Graphene/TMDC*

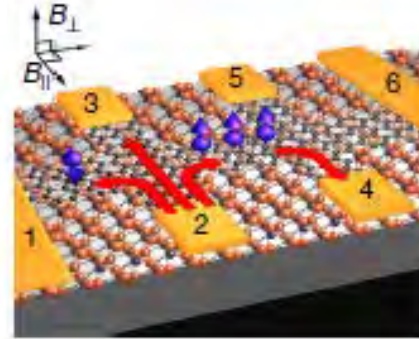
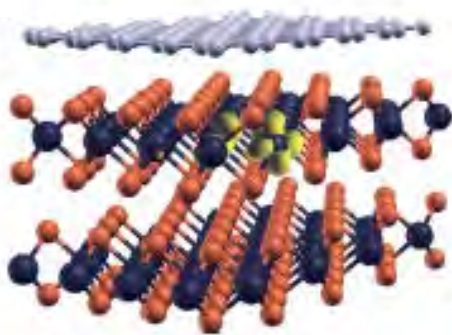
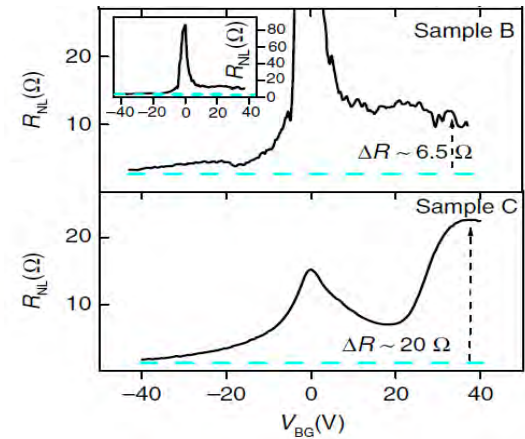


ARTICLE

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Spin-orbit proximity effect in graphene

A. Avsar^{1,2}, J.Y. Tan^{1,2}, T. Taychatanapat^{1,2}, J. Balakrishnan^{1,2}, G.K.W. Koon^{1,2,3}, Y. Yeo^{1,2}, J. Lahiri^{1,2}, A. Carvalho^{1,2}, A.S. Rodin⁴, E.C.T. O'Farrell^{1,2}, G. Eda^{1,2}, A.H. Castro Neto^{1,2} & B. Özyilmaz^{1,2,3}



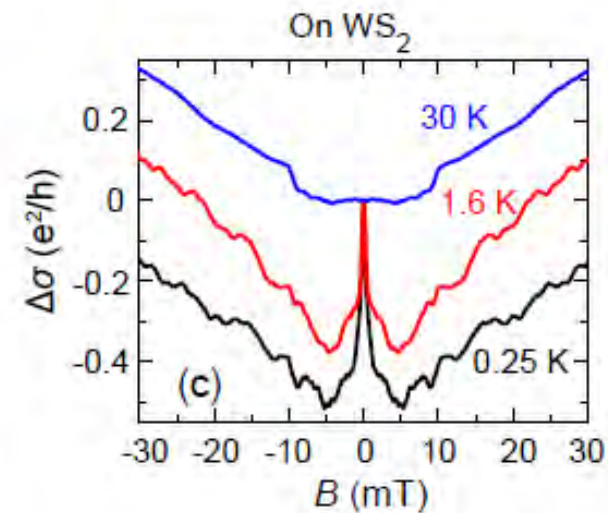
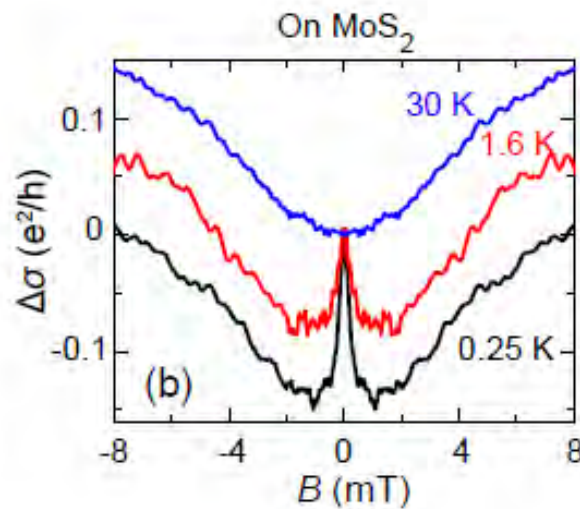
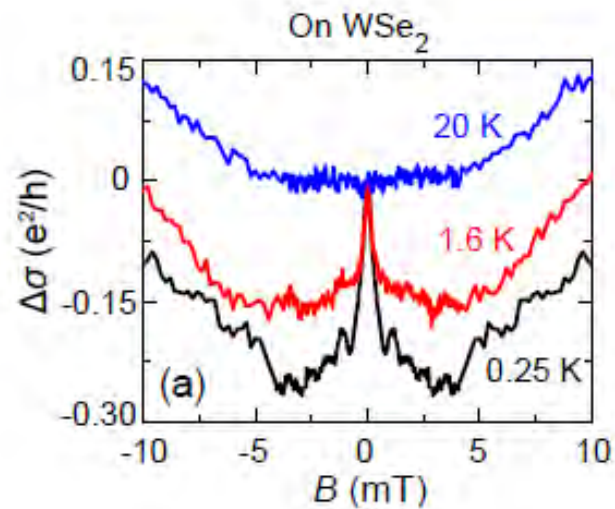
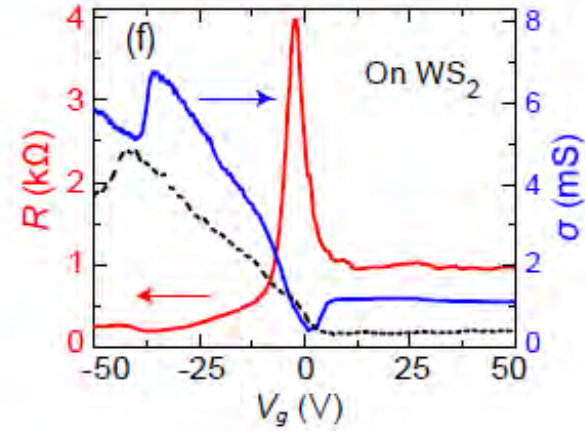
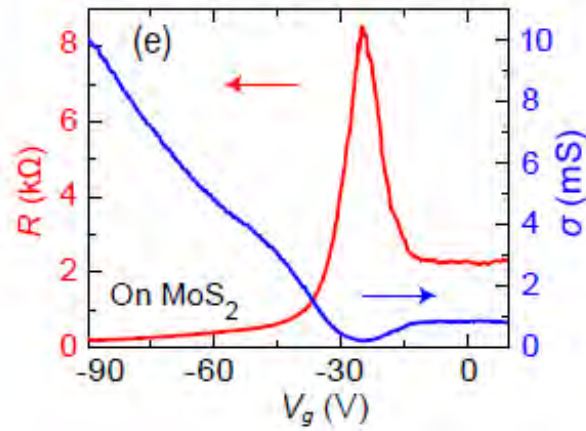
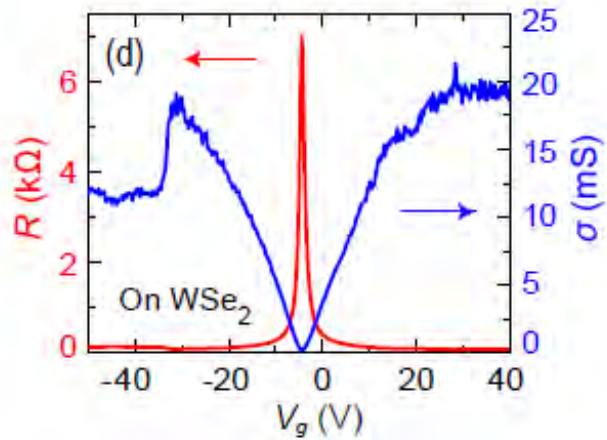
$$\tau_s \simeq 5 - 10 \text{ ps}$$

*“Graphene acquires spin-orbit coupling up to **17 meV**, three orders of magnitude higher than its intrinsic value, without modifying the structure of the graphene.*

The proximity SOC leads to the spin Hall effect even at room temperature, and opens the door to spin field effect transistors”

Weak antilocalization by proximity effect

Wang et al, **PHYSICAL REVIEW X** 6, 041020 (2016)



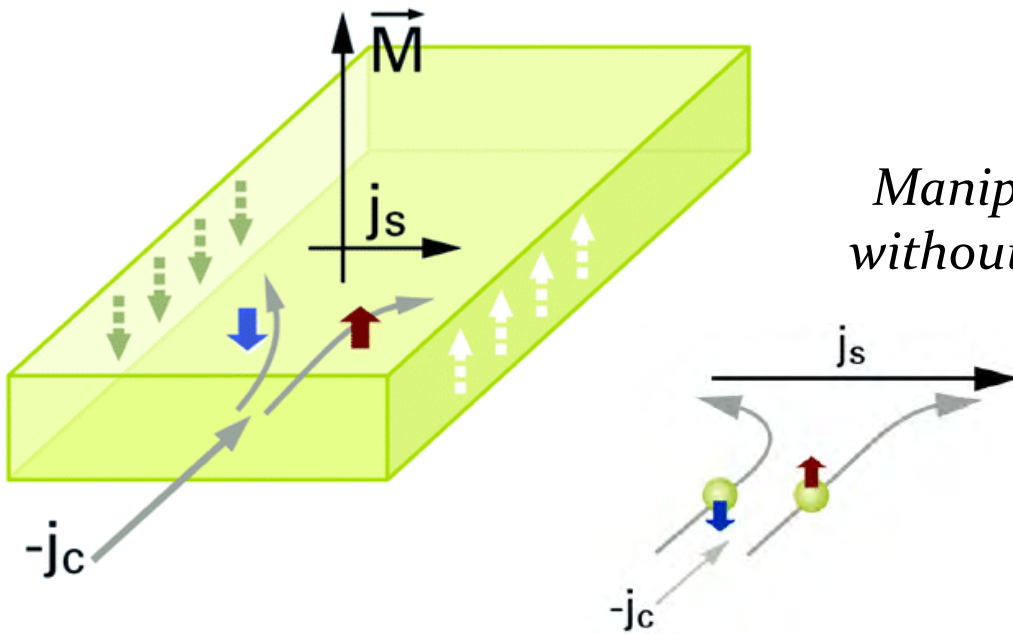
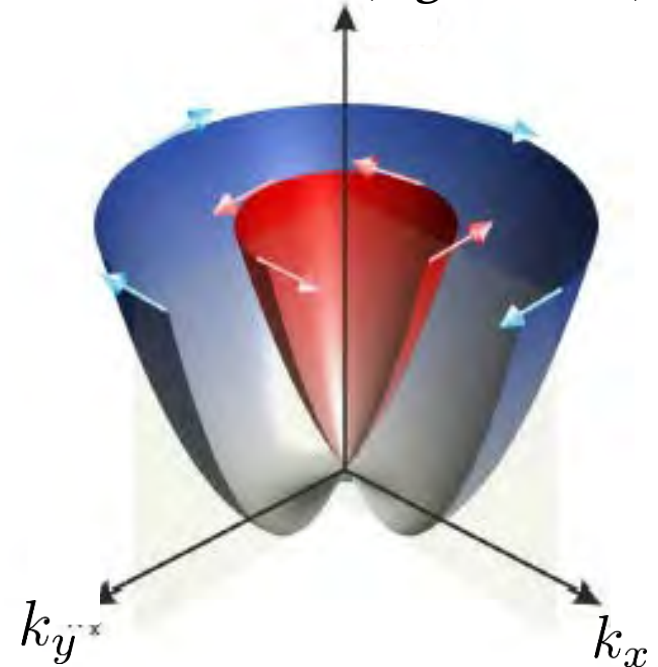
Spin Hall Effect

Manipulation of spin by electrical means without the use of ferromagnetic materials or magnetic fields

Intrinsic mechanism

Sinova (2005),...

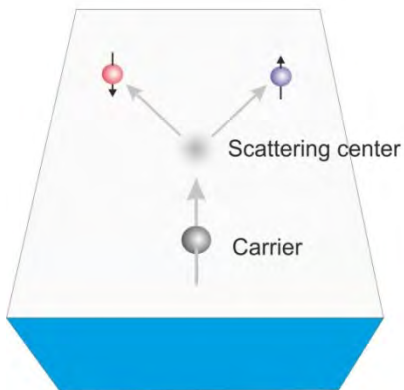
Band Structure (e.g. Rashba)



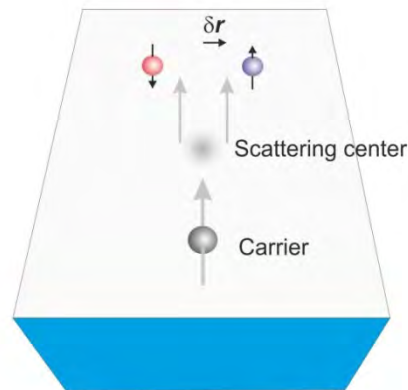
Extrinsic mechanisms

Dyakonov-Perel (1971); Hirsh (1999)

Skew Scattering



Side-Jump Scattering



Spin Hall Kubo conductivity

in large scale disordered graphene models

$$\sigma_{\text{sH}} = \frac{e\hbar}{\Omega} \sum_{m,n} \frac{f(E_m) - f(E_n)}{E_m - E_n} \frac{\mathcal{I}m[\langle m | J_x^z | n \rangle \langle n | v_y | m \rangle]}{E_m - E_n + i\eta},$$

$J_x^z = \frac{\hbar}{4} \{ \sigma_z, v_x \}$ is the spin current operator

real-space formalism $\sigma_{\text{sH}} = \frac{e\hbar}{\Omega} \int dudv \frac{f(u) - f(v)}{(u - v)^2 + \eta^2} j(u, v),$

$$j(u, v) = \sum_{m,n} \mathcal{I}m[\langle m | J_x^z | n \rangle \langle n | v_y | m \rangle] \delta(u - E_m) \delta(v - E_n)$$

$$= \sum_{m,n}^M (4\mu_{mn} g_m g_n T_m(\hat{u}) T_n(\hat{v})) / ((1 + \delta_{m,0})(1 + \delta_{n,0}) \pi^2 \sqrt{(1 - \hat{u}^2)(1 - \hat{v}^2)}),$$

$$\mu_{mn} = \frac{4}{\Delta E^2} \mathcal{I}m[\text{Tr}[J_x^z T_n(\hat{H}) v_y T_m(\hat{H})]]$$

The trace in μ_{mn} is computed by the average on a small number $R \ll N$ of random phase vectors $|\varphi\rangle$

$$\sigma_{xx} = \frac{2\hbar e^2}{\pi\Omega} \sum_{m,n=0}^M \mathcal{I}m[g_m(\epsilon + i\eta)] \mathcal{I}m[g_n(\epsilon + i\eta)] \mu_{mn}$$

**dc-Kubo
conductivity**

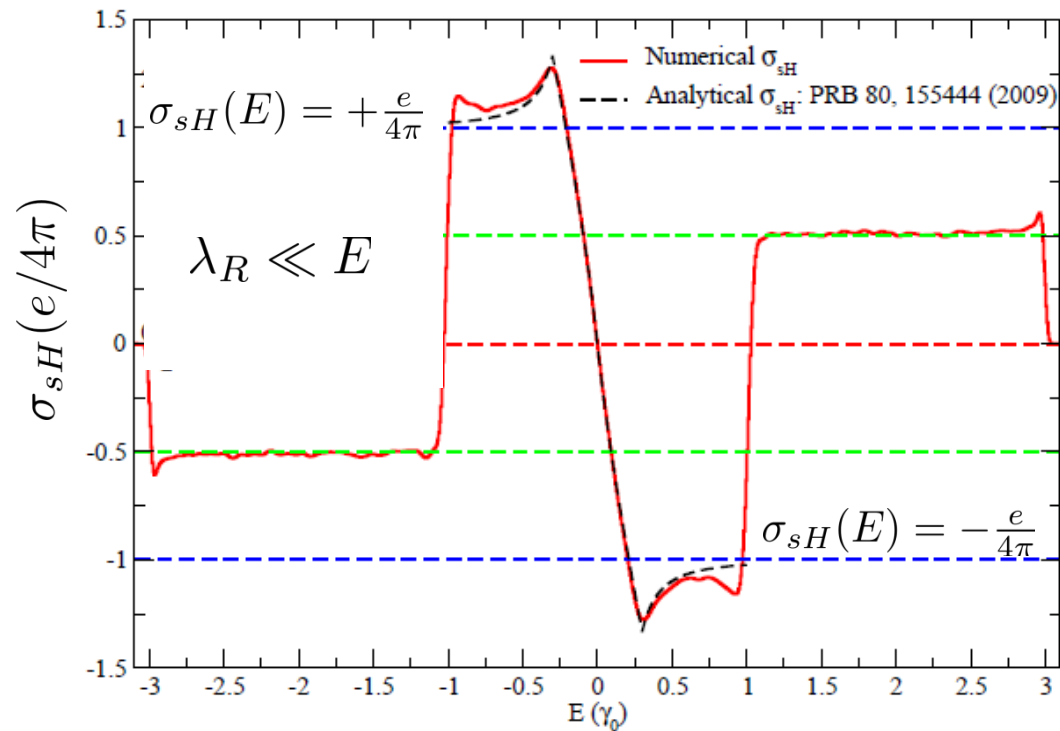
Validation: homogeneous SOCs

Homogeneous Rashba SOC λ_R (no intrinsic SOC)

Analytical result for the spin Hall conductivity

A. Dyrdal, V. K. Dugaev, and J. Barnas, **Phys. Rev. B. 80, 155444 (2009)**

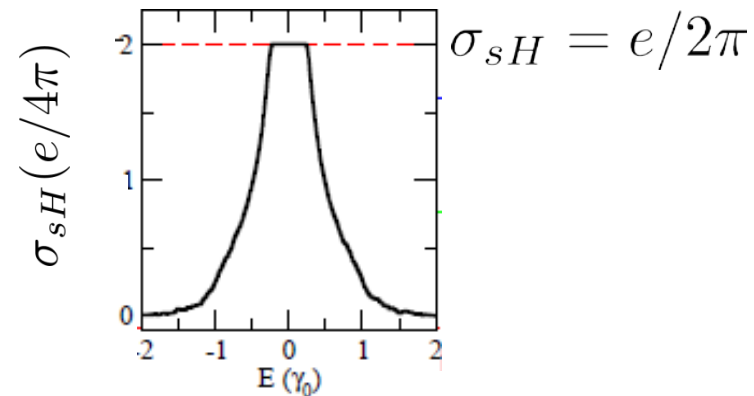
$$\sigma_{sH}(E) = \begin{cases} -\frac{e}{4\pi} \frac{\text{sign}(E)E^2}{(E^2 - \lambda_R^2)} & \text{for } |E| \geq 2\lambda_R \\ -\frac{e}{4\pi} \frac{E(E + 2\text{sign}(E)\lambda_R)}{2\lambda_R(E + \text{sign}(E)\lambda_R)} & \text{for } |E| < 2\lambda_R \end{cases}$$



Homogeneous intrinsic SOC
(QSHE)

Plateau in the bulk bandgap

Sheng, Sheng, Ting, Haldane,
Phys. Rev. Lett. 95, 136602 (2005)

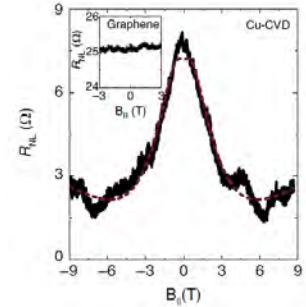


SHE induced by metallic ad-atoms onto graphene

ARTICLE

Received 17 Apr 2014 | Accepted 18 Jul 2014 | Published 1 Sep 2014

DOI: 10.1038/ncomms5748



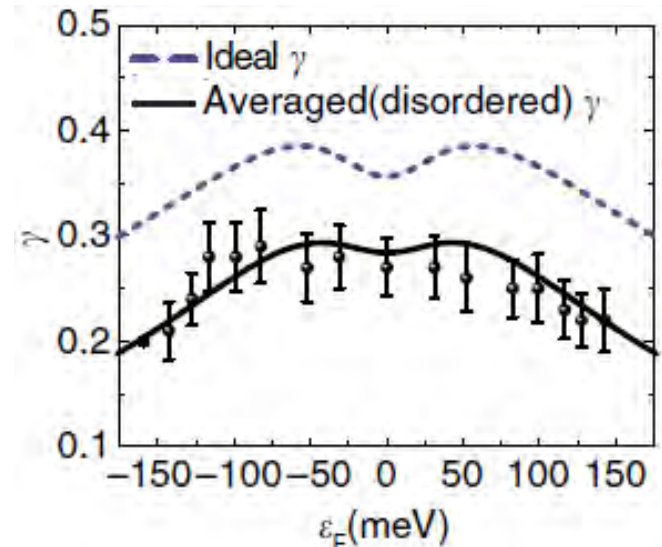
Giant spin Hall effect in graphene grown by chemical vapour deposition

Jayakumar Balakrishnan^{1,2,*}, Gavin Kok Wai Koon^{1,2,3,*}, Ahmet Avsar^{1,2}, Yuda Ho^{1,3}, Jong Hak Lee^{1,2}, Manu Jaiswal^{1,2,†}, Seung-Jae Baeck⁴, Jong-Hyun Ahn⁴, Aires Ferreira^{1,2,5}, Miguel A. Cazalilla^{2,6}, Antonio H. Castro Neto^{1,2} & Barbaros Özyilmaz^{1,2,3}

Table 1 | Graphene decorated with metallic adatoms.

Adatom	Mobility ($\text{cm}^2\text{V}^{-1}\text{s}^{-1}$)	λ_s (μm)	γ	Δ (meV)
Cu-CVD	11,000	1.9	0.17	14.4
Cu-EPG	9,000	1.1	0.27	17.4
Au-EPG	15,000	2.0	0.15	18.0

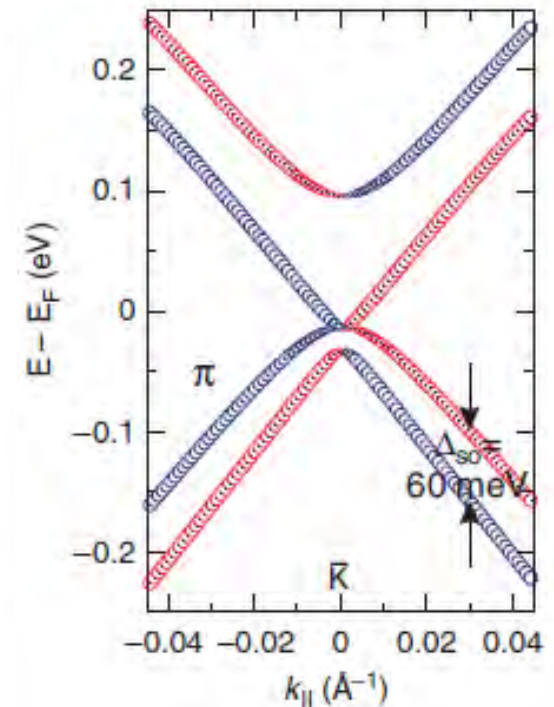
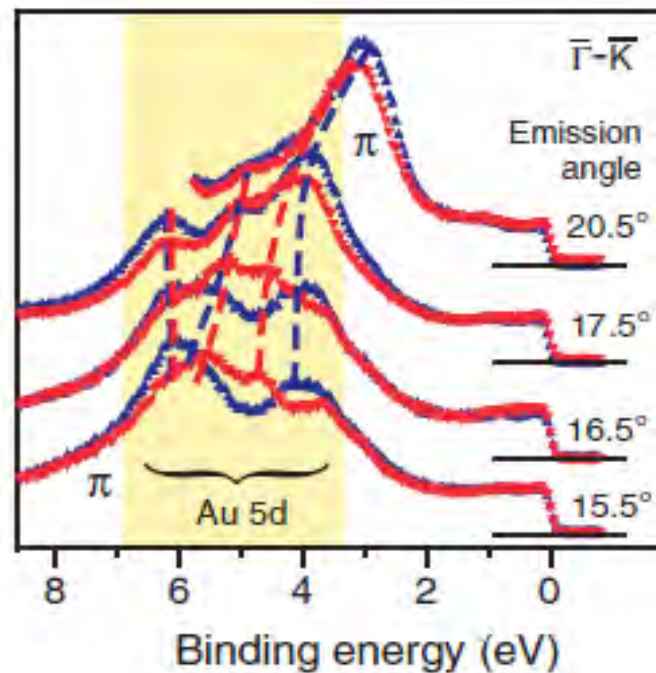
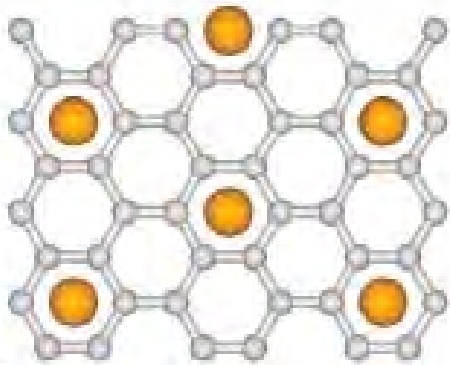
CVD, chemical vapour deposition; EPG, exfoliated pristine graphene. The extracted values for Δ assume predominant intrinsic SOC (see main text).



intrinsic-like spin-orbit interaction
(20meV), Elliot-Yafet and skew scattering

Giant Rashba Splitting in graphene hybridized with Au-adatoms

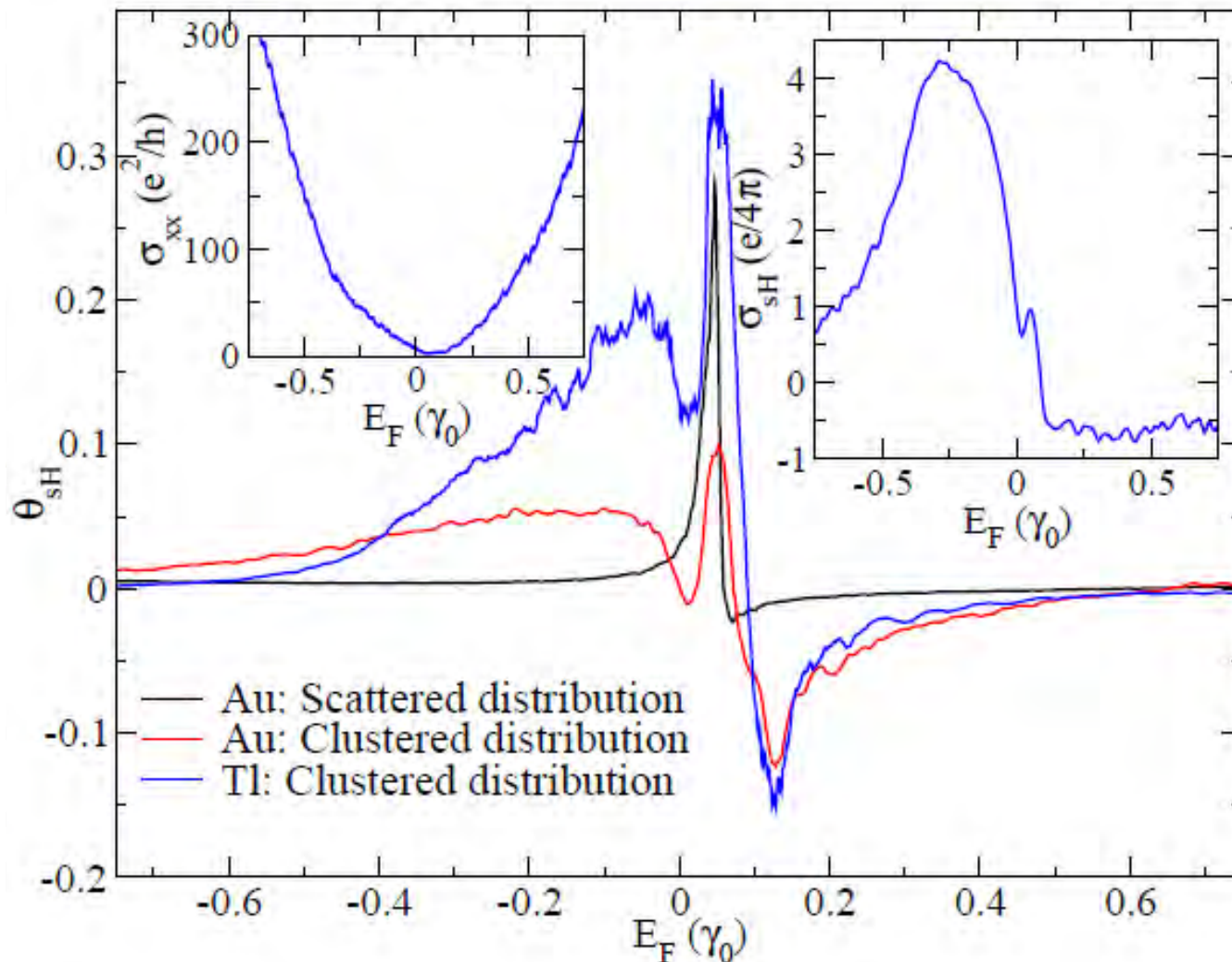
D. Marchenko et al, **Nature Comm. 3 (1232), 2012**



Au intercalation at the graphene–Ni interface creates a **giant spin–orbit splitting (60 meV)**

Spin Hall angles

$$\theta_{\text{SH}} = \sigma_{\text{SH}} / \sigma_{xx}$$



$$\theta_{\text{SH}}^{\text{max}} \sim 0.1 - 0.3$$

(Zero-temperature)

Impact of segregation
varies with energy

For same cluster density
and distribution

***Intrinsic SOC gives
rise to larger SHA
than Rashba-SOC***

Far from dilute limit!!!

SHA not expected to
Be larger for much lower
density...

Non-local transport & topological effects

PRL 117, 176602 (2016)

PHYSICAL REVIEW LETTERS

week ending
21 OCTOBER 2016

Spin Hall Effect and Origins of Nonlocal Resistance in Adatom-Decorated Graphene

D. Van Tuan,^{1,2} J. M. Marmolejo-Tejada,^{3,4} X. Waintal,⁵ B. K. Nikolić,^{3,*} S. O. Valenzuela,^{1,6} and S. Roche^{1,6,†}

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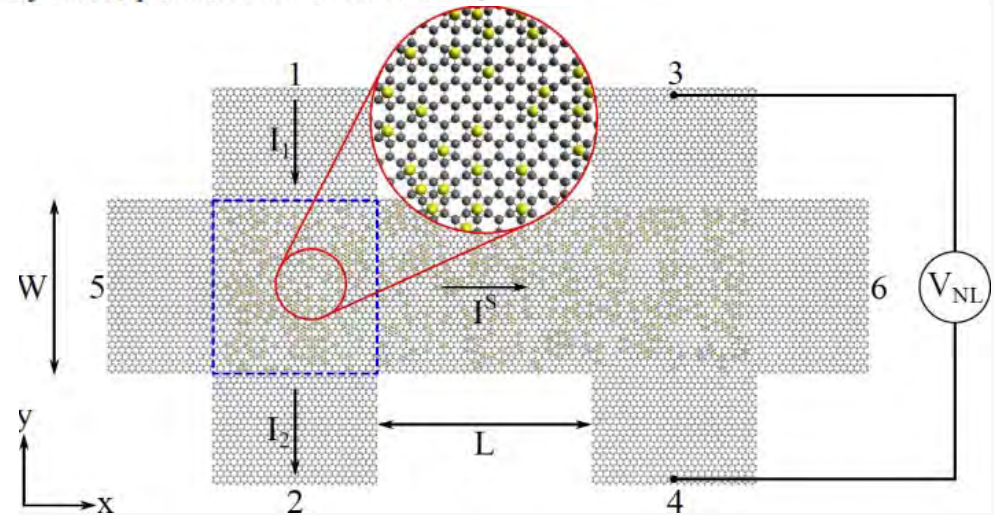
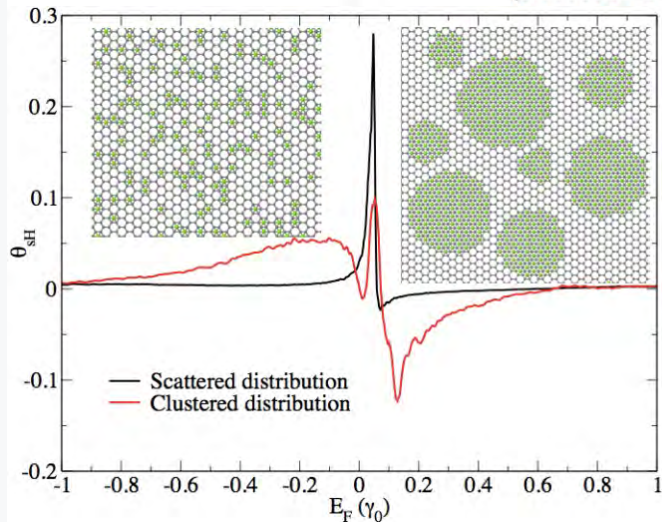
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$$\theta_{\text{sH}} = \sigma_{\text{sH}} / \sigma_{xx}$$

$$\theta_{\text{sH}} = I_5^S z / I_1$$

Multiple Quantum Phases in Graphene with Enhanced Spin-Orbit Coupling: From the Quantum Spin Hall Regime to the Spin Hall Effect and a Robust Metallic State

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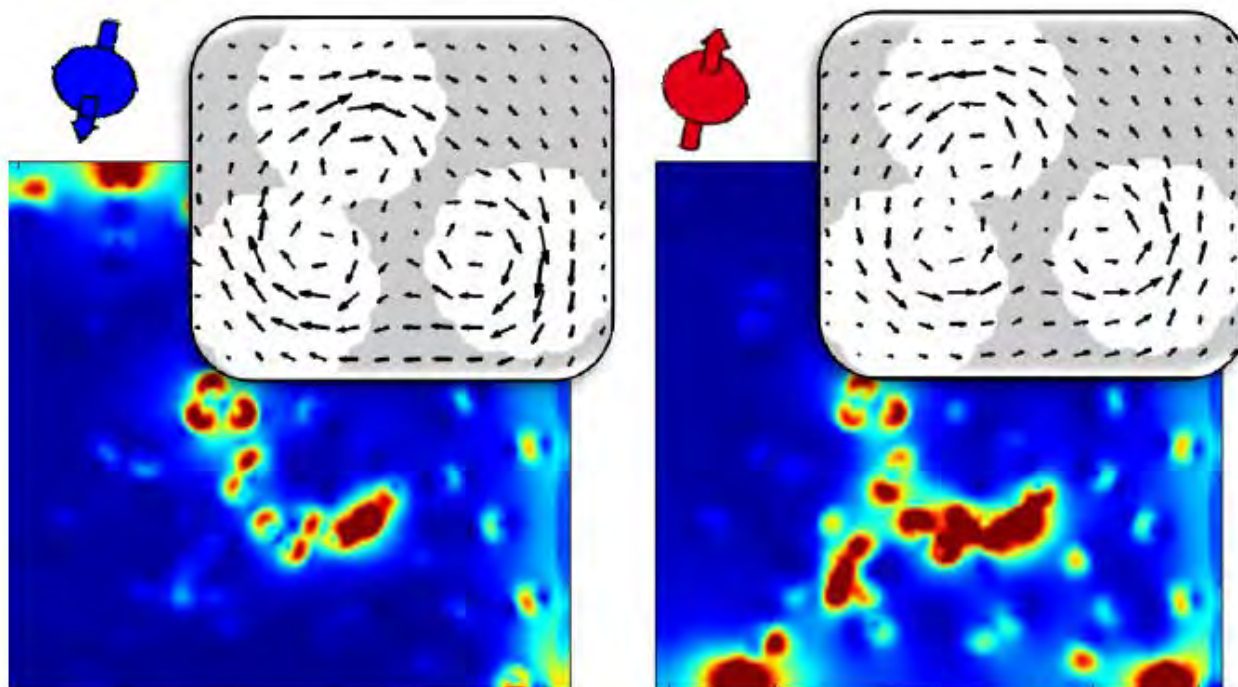
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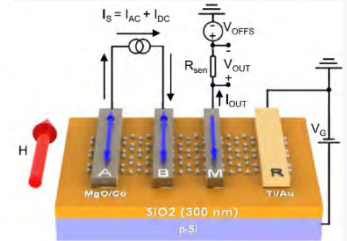
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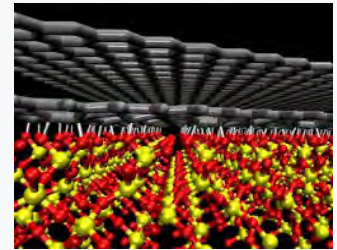


THANK YOU FOR YOUR ATTENTION

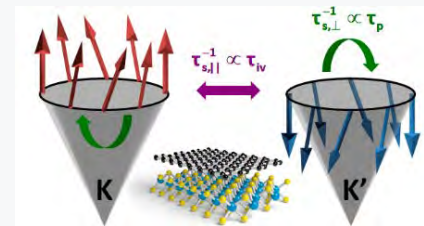
Why Spintronics using 2D Materials ?



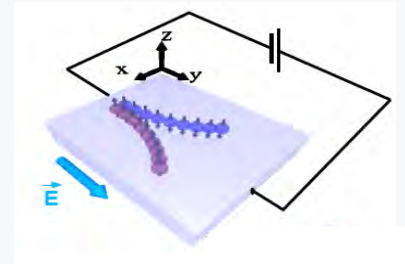
How the substrate controls spin dynamics?



*Giant spin transport anisotropy
in graphene induced by strong SOC
Proximity effect*



*Spin Hall Effect & Weak antilocalization
in Graphene/TMDC*



Related Publications

- D. Van Tuan, F. Ortmann, D. Soriano, S.O. Valenzuela, S. Roche, *Pseudospin-driven spin relaxation mechanism in graphene*, **Nature Physics**, **10**, 857-863 (2014)
- A. Cresti, D. Van Tuan, D. Soriano, A. W. Cummings, S. Roche 2014, *Multiple Quantum Phases in Graphene with Enhanced Spin-Orbit Coupling : from Quantum Spin Hall Regime to Spin Hall Effect and Robust Metallic State*, **Physical Review Letters**, **113**, 246603 (2014).
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- D. Van Tuan, F. Ortmann, A.W. Cummings, D. Soriano, S. Roche, *Spin dynamics and relaxation in graphene dictated by el-h puddle* **Scientific Reports** **6**, 21046 (2016)
- A. W. Cummings, J.H. García and S. Roche, *Giant Spin Lifetime Anisotropy in Graphene Induced by Proximity Effects* **Physical Review Letters** (submitted)