

Spintronics with magnetic insulators

M. Kläui

Institut für Physik & Materials Science in Mainz
Johannes Gutenberg-Universität Mainz
Part of the work with QuSpin, NTNU, Trondheim

- **Magnetic properties of magnetic insulators probed by Spin Cavitronics**
(I. Boventer, M. Weides)
- **Lateral spin transport in (anti-) ferromagnetic insulators:**
Superfluid regime, Diffusive regime
(R. Lebrun, A. Ross, S. Bender,
R. Duine, A. Brataas, Y. Tserkovnyak)



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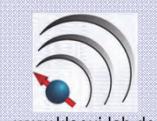


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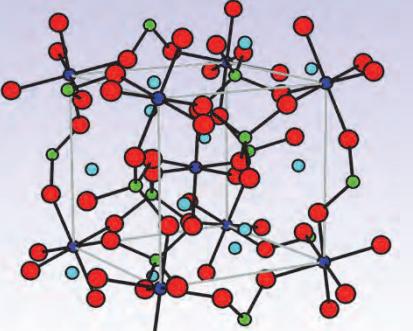
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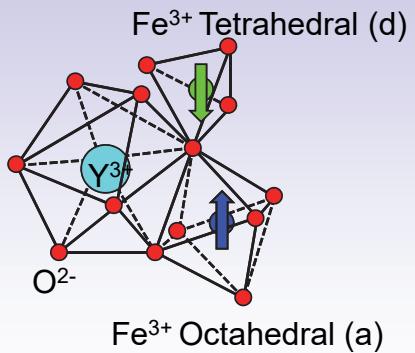
1. Structural Characterization – Garnets

Very large unit cell

20 Fe atoms in primitive cell in two different environments

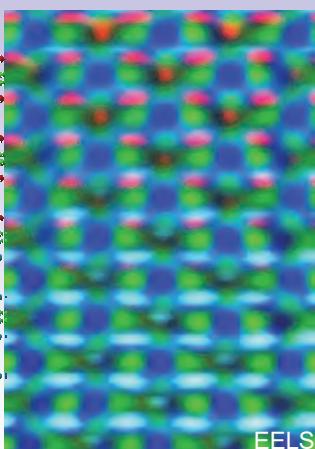
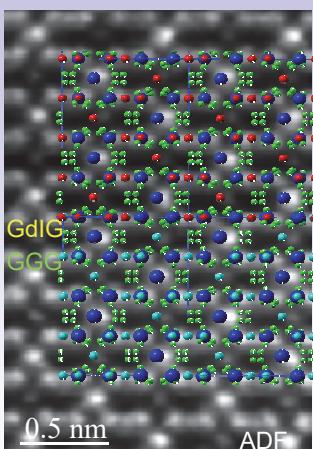


Courtesy J. Barker



- Yttrium Iron Garnet $\text{Y}_3\text{Fe}_5\text{O}_{12}$ is a complex ferrimagnet with 2 iron sublattices (a and d sites) that are coupled by superexchange.
- Further garnets, such as $\text{Gd}_3\text{Fe}_5\text{O}_{12}$ have an additional third magnetic sub-lattice of the rare-earth element.

1. Structural Characterization – YIG



Gd
O
Fe

Atomic resolution EELS

Gd
O
Ga

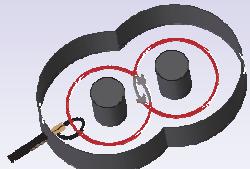
Imaging carried out by Y. Ivanov and J. Kosel (KAUST)
J. Cramer et al., Nano Lett. **17**, 3334 (2017)

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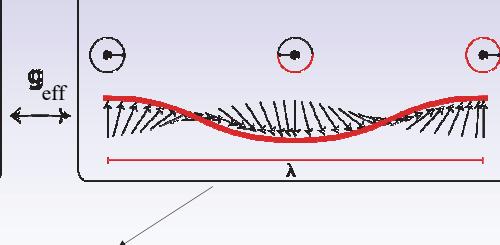
2. Spin Cavitronics with YIG

Hybridization of microwave photons with magnons:

Microwave cavity: Photon



Magnetic sphere : magnon



Strongly coupled systems with new energy eigenstates
Observation of anticrossing at resonance

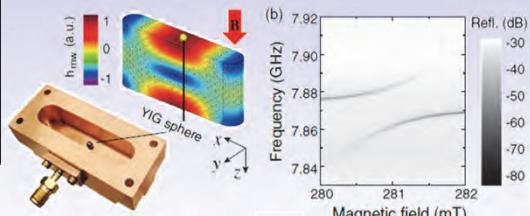
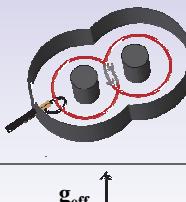
➤ cavity-magnon polariton formation

2. Spin Cavitronics with YIG

Hybridization of microwave photons with magnons

Spectroscopy at room temperature

Microwave cavity: Photon

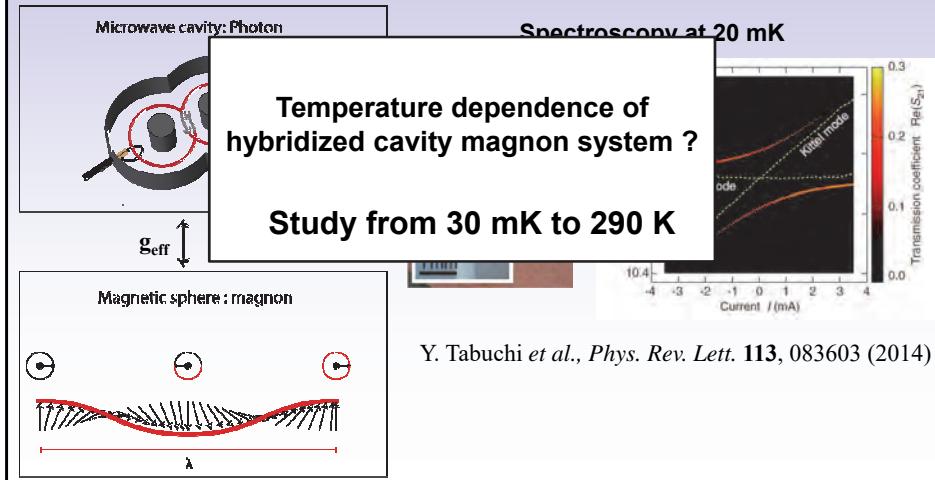


Magnetic sphere : magnon

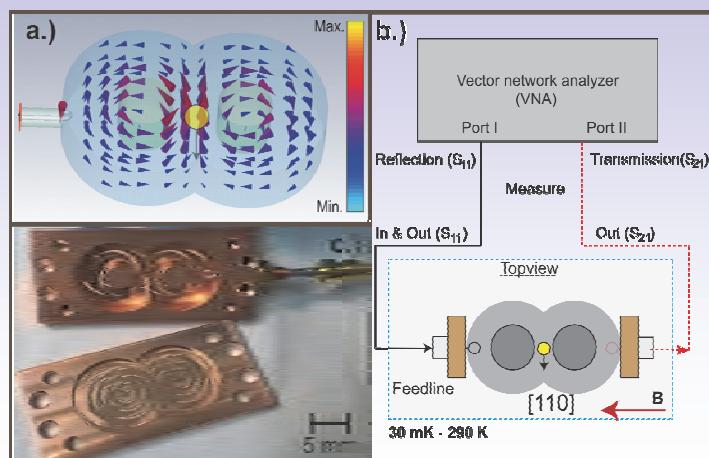
X. Zhang *et al.*, Phys. Rev. Lett. **113**, 156401 (2014)

2. Spin Cavitronics with YIG

Hybridization of microwave photons with magnons



2. Spin Cavitronics with YIG – Experimental Setup



Reentrant cavity: M. Goryachev *et al.*, Phys. Rev. Appl. **2**, 054002 (2014)

2. Spin Cavitronics with YIG – Avoided Crossing

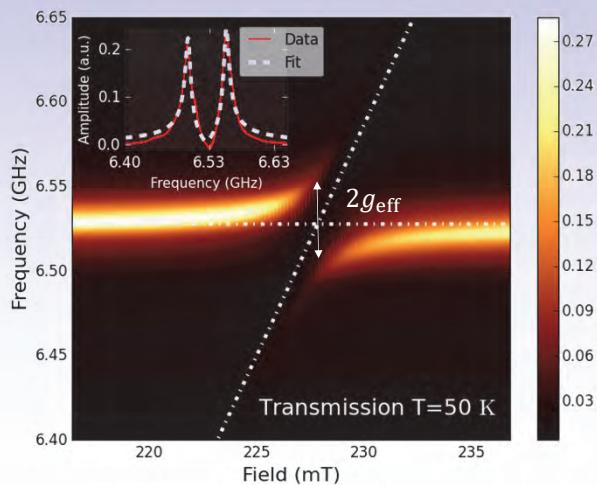
Consider coupling to Kittel mode only

- Cavity:
field independent

- YIG :
field dependent

$$\text{Sphere: } \omega_{\text{res}} = \gamma \mu_0 \overrightarrow{H}_{\text{eff}}$$

- At resonance:
 $\omega_{\text{res}} = \omega_r = \omega_m$



I. Boventer et al., PRB 97, 184420 (2018)

2. Spin Cavitronics with YIG – Determination of properties

Scattering parameter S_{11} from Input-Output theory:

$$S_{11} = -1 + \frac{2\kappa_e}{i(\omega_r - \omega) + \kappa_r + \frac{g_{\text{eff}}^2}{i(\omega_m - \omega) + \kappa_m}}$$

κ_e : External coupling losses

$\kappa_r = \kappa_e + \kappa_c$: Total losses

$g_{\text{eff}} = g_s \sqrt{2N_s}$: Coupling strength

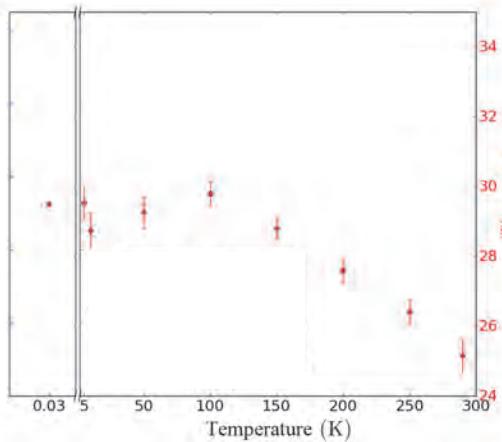
κ_m : Magnon losses

Temperature dependence?



I. Boventer et al., PRB 97, 184420 (2018)

2. Spin Cavitronics with YIG – Determination of properties



Coupling strength

$$g_{\text{eff}} \propto g_s \cdot \sqrt{N}$$

Saturation magnetization

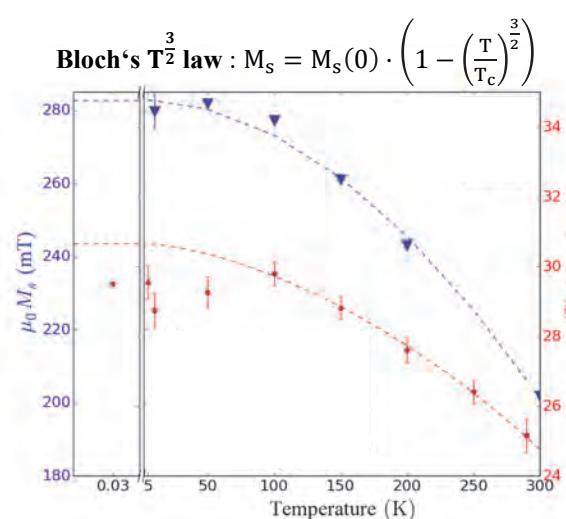
$$M_s = \sum_i^N m_i \propto N$$

Relation between quantities

$$g_{\text{eff}} \propto \sqrt{M_s}$$

I. Boventer et al., PRB 97, 184420 (2018)

2. Spin Cavitronics with YIG – Determination of properties



Coupling strength

$$g_{\text{eff}} \propto g_s \cdot \sqrt{N}$$

Saturation magnetization

$$M_s = \sum_i^N m_i \propto N$$

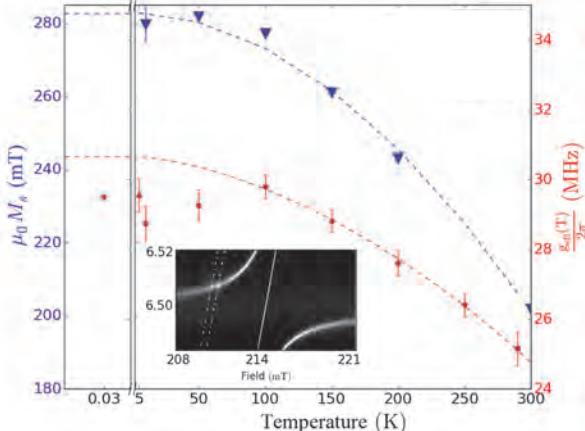
Relation between quantities

$$g_{\text{eff}} \propto \sqrt{M_s}$$

I. Boventer et al., PRB 97, 184420 (2018)

2. Spin Cavitronics with YIG – Determination of properties

$$\text{Bloch's } T^{\frac{3}{2}} \text{ law : } M_s = M_s(0) \cdot \left(1 - \left(\frac{T}{T_c}\right)^{\frac{3}{2}}\right)$$

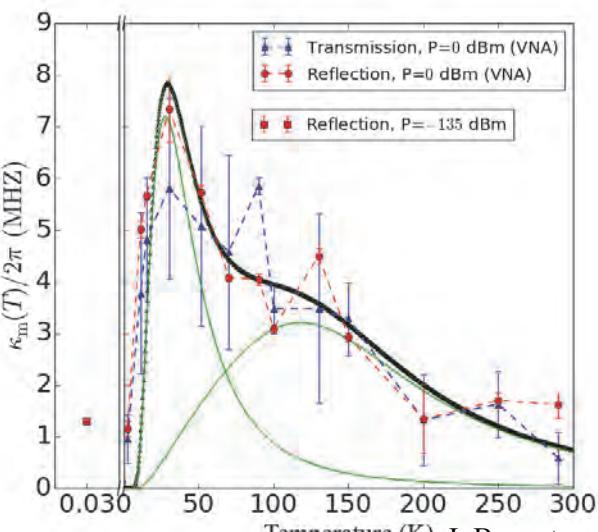


- Agreement $T \geq 100 \text{ K}$
- $T < 100 \text{ K}$: Deviations

Additional coupling to higher order magnetostatic modes

- Conservation of spin number N : Coupling strength g_{eff} to Kittel mode lowered

2. Spin Cavitronics with YIG – Determination of properties



Rare earth impurity scattering

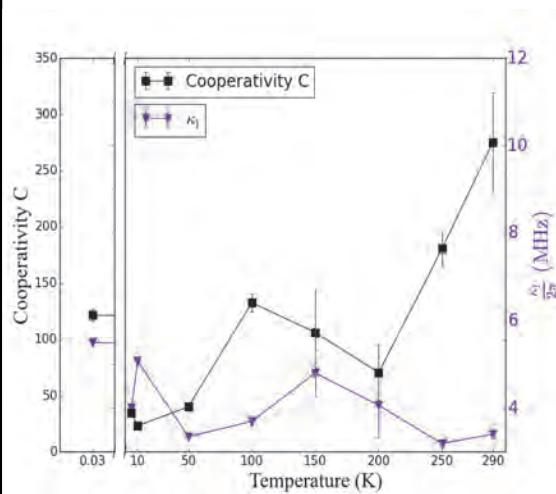
- Dominant peak at 43 K
- 'Broad shoulder' at 90 K
- Offset of ~1 MHz from intrinsic damping & surface scattering



Model well the temperature behaviour of our system

Temperature (K) I. Boventer et al., PRB **97**, 184420 (2018)

2. Spin Cavitronics with YIG – Determination of properties



$$C = \frac{g_{\text{eff}}^2}{\kappa_l \kappa_m}$$

- Cavity dissipation (κ_l) does not change much
- Strong coupling regime for all temperatures
- C governed by changes in magnon dissipation
- Coherent information exchange between subsystems robust.

I. Boventer et al., PRB 97, 184420 (2018)

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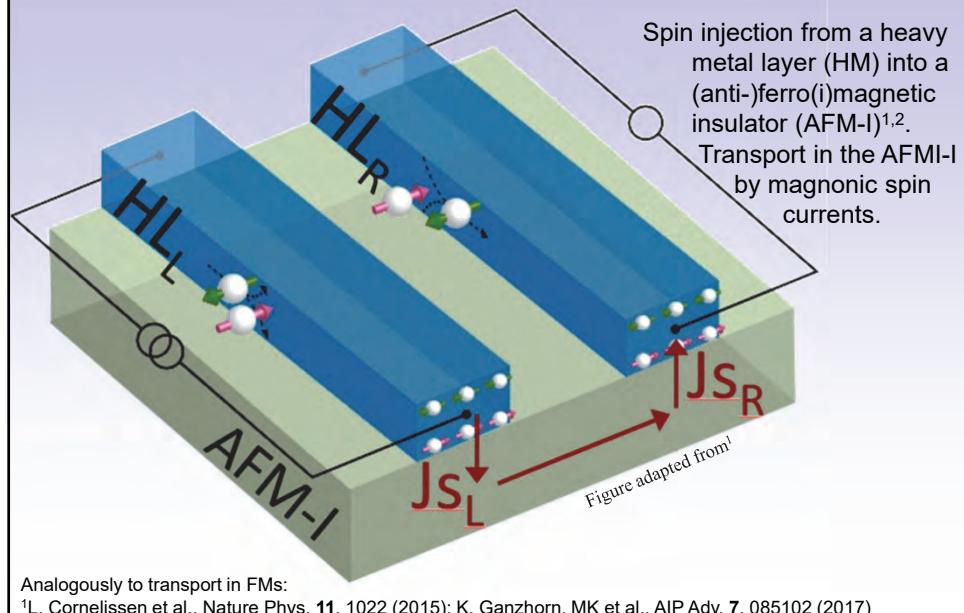


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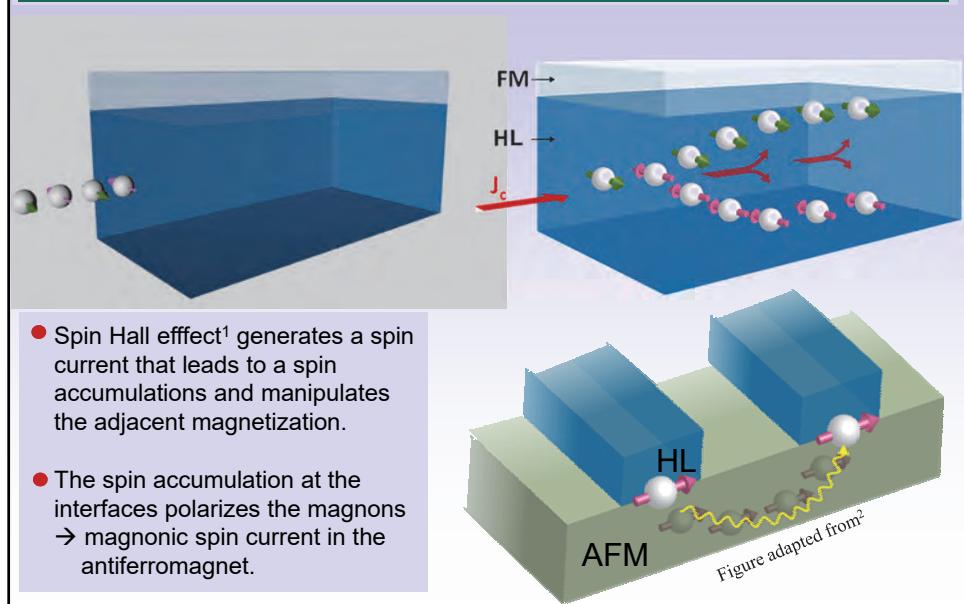
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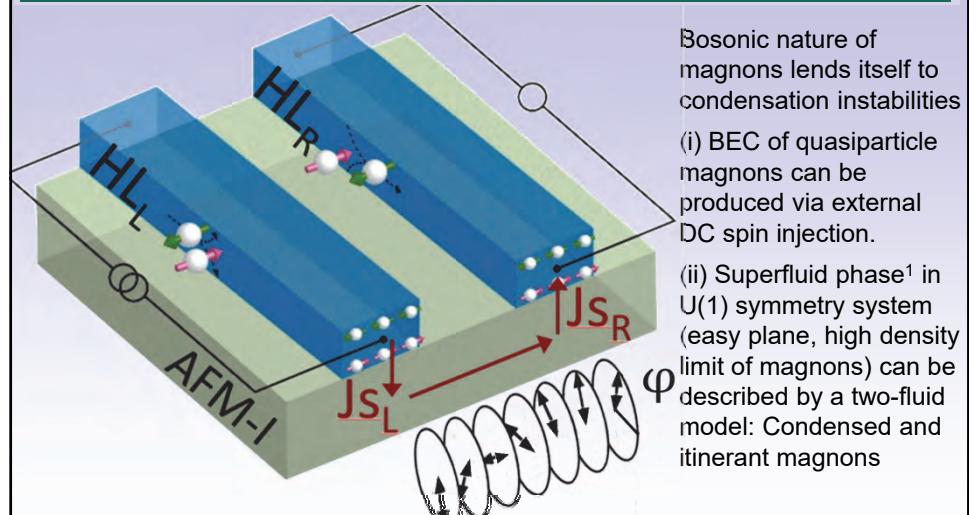
3. Lateral spin transport in (anti-)ferromagnetic insulators



3. Lateral spin transport in ferro(i)magnetic insulators



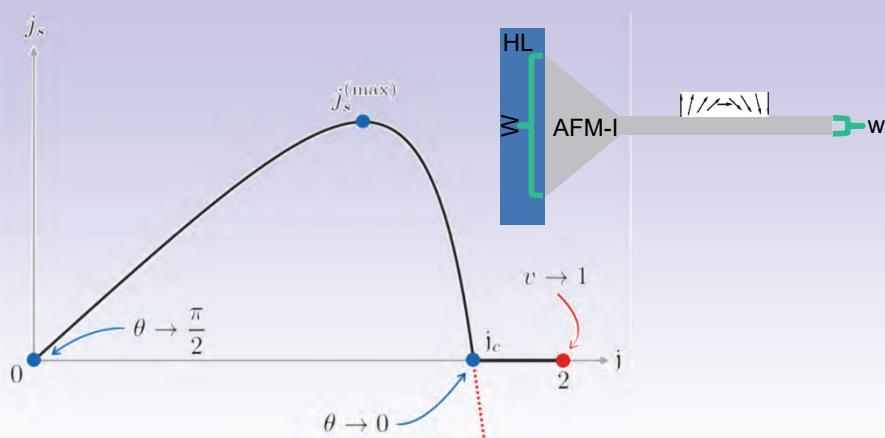
3. Superfluid lateral spin transport in AFM insulators



Signatures: threshold current density & non-linear spacing dependence

¹ S. Takei et al., PRL **112**, 227201 ('15); H. Skarsvag et al., PRL **115**, 237201 ('15); H. Chen et al., arxiv:1604.02429
B. Flebus et al., Phys. Rev. Lett. **116**, 117201 (2016); PRL **118**, 173201 (2017), W. Yuan et al., Sci. Adv. **4**, 1098,...

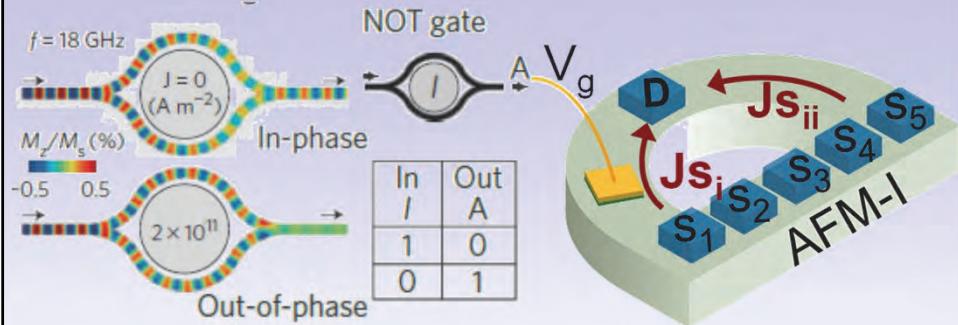
3. Maximizing the superfluid spin current



- Increasing injected spin current, the Néel vector that initially curls in the plane ($\Theta=\pi/2$) starts to turn out of plane ($\Theta=0$) reducing the carried spin current \rightarrow maximum exists
- Geometric hydrodynamic scaling leads to increase by W/w for tapered spin conduit!

¹ Y. Tserkovnyak and M. Kläui, Phys. Rev. Lett. **119**, 187705 (2017)

3. Coherent superfluid spin current interference – NOT gate



K.-S. Lee et al., J. Appl. Phys. **104**, 053909 (2008).

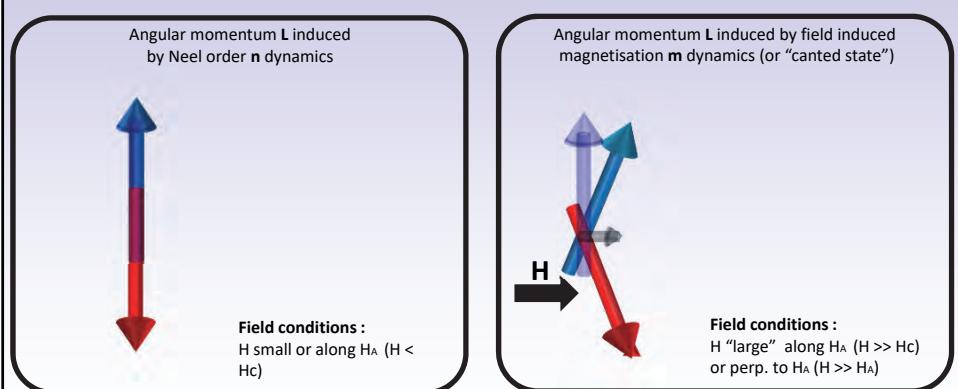
A. Chumak et al., Nature Phys. **11**, 453 (2015)

- NOT gate using phase-coherent magnonic spin currents proposed.
- Within healing length thermal magnons can become superfluid
→ DC generation coherent magnonic spin currents with phase coherence.
- Interference device: in non-linear regime, 2 spin currents (Js_i and Js_{ii}) with phase-coherent propagation interfere. Gate manipulates Js_i phase → NOT/NAND gate!

¹ Y. Tserkovnyak and M. Kläui, Phys. Rev. Lett. **119**, 187705 (2017)

4. Diffusive lateral spin transport in AFM insulators

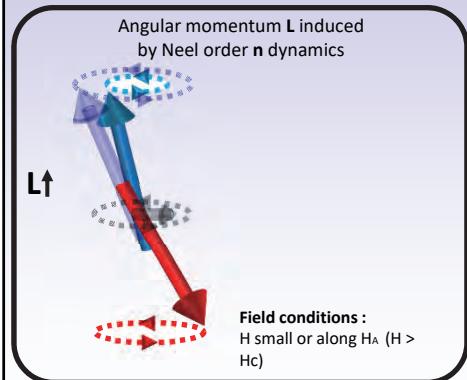
1. Generation of angular momentum in easy-axis insulating antiferromagnets



R. Lebrun, A. Ross, S. Bender, A. Qaiumzadeh, J. Cramer, A. Brataas, R. A. Duine, and M. Kläui, arxiv:1805.02451

4. Diffusive lateral spin transport in AFM insulators

1. Generation of angular momentum in easy-axis insulating antiferromagnets

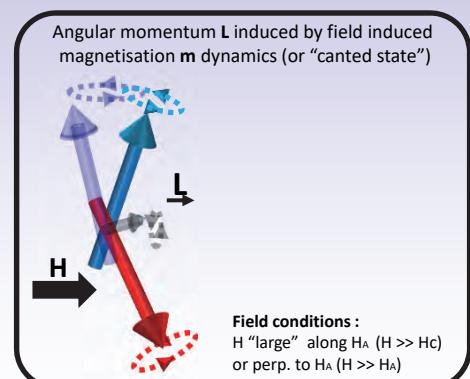
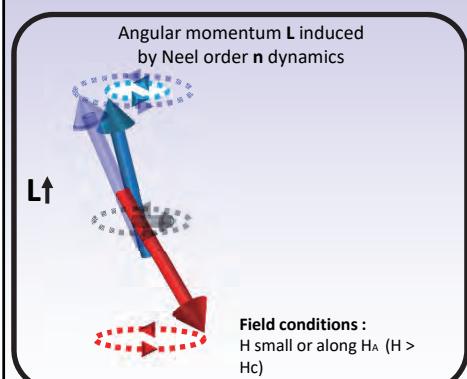


AFM angular momentum is small but exists and can have two contributions

R. Lebrun, A. Ross, S. Bender, A. Qaiumzadeh, J. Cramer, A. Brataas, R. A. Duine, and M. Kläui, arxiv:1805.02451

4. Diffusive lateral spin transport in AFM insulators

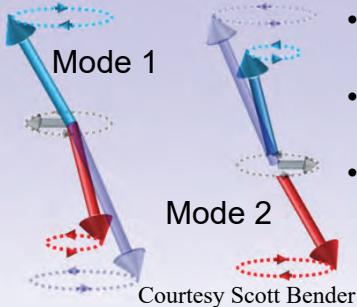
1. Generation of angular momentum in easy-axis insulating antiferromagnets



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R. Lebrun, A. Ross, S. Bender, A. Qaiumzadeh, J. Cramer, A. Brataas, R. A. Duine, and M. Kläui, arxiv:1805.02451

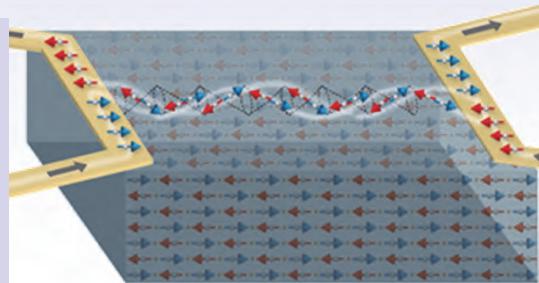
4. Diffusive lateral spin transport in AFM insulators



Courtesy Scott Bender

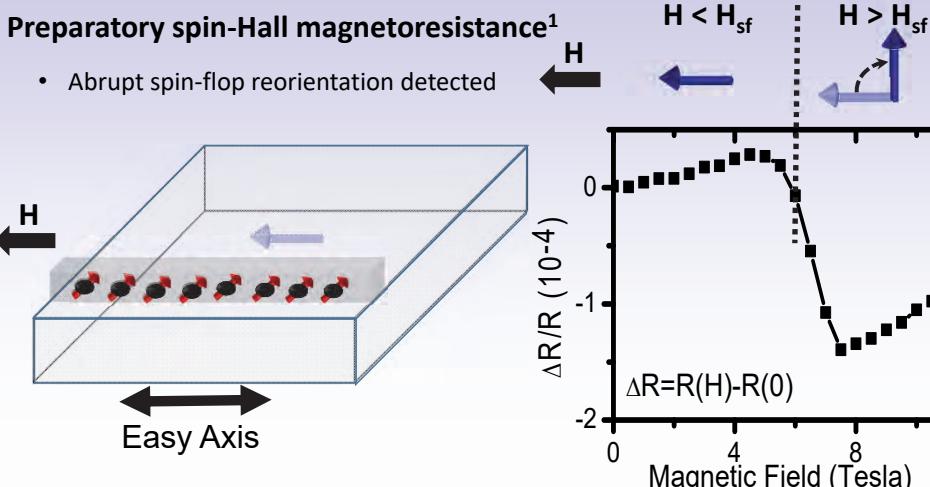
- Two energetically degenerate magnon modes!
- The two modes carry opposite angular momentum → total spin transport = 0!
- Spin biasing due to spin accumulation favours one mode → spin transport!

- Spin Hall effect¹ generates a spin current that leads to a spin accumulations and manipulates the adjacent magnetization.
- The spin accumulation at the interfaces polarizes the magnons → magnonic spin current in the antiferromagnet.



4. Detection of spin-flop field in an easy-axis AFM insulator

2. Spin transport in the easy-axis AFI $\alpha\text{-Fe}_2\text{O}_3$ (can be grown by PLD on a- or r-plane sapphire)

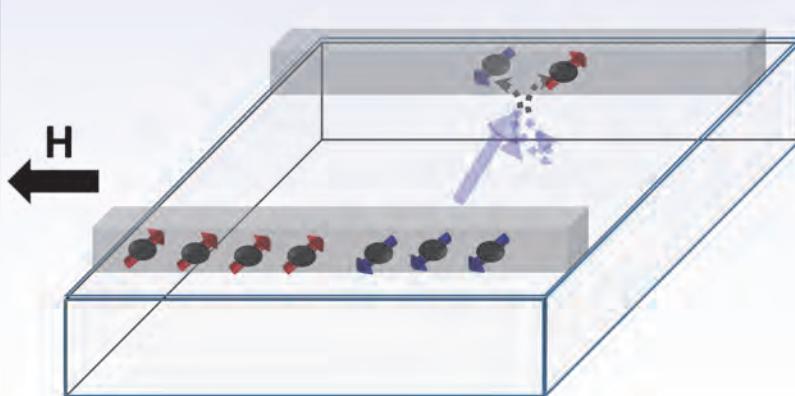


¹ H. Nakayama et al., Phys. Rev. Lett. 110, 206601 (2013); L. Baldrati, MK et al., arxiv:1709.00910

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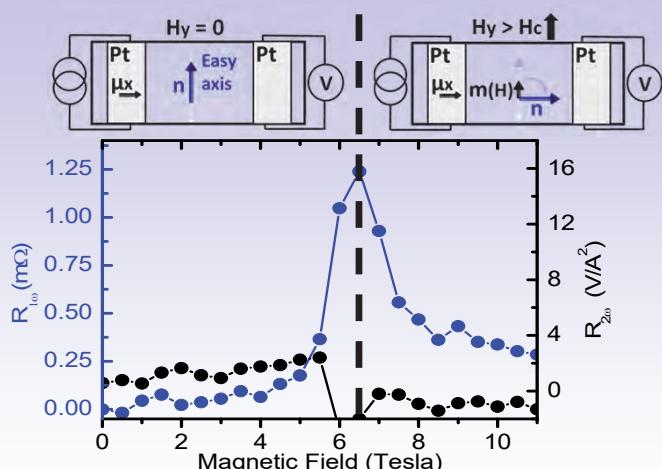
2. Spin transport in the easy-axis AFI $\alpha\text{-Fe}_2\text{O}_3$
(can be grown by PLD on a- or r-plane sapphire)

Geometry for detecting spin-bias spin transport: detecting spin-flop



R. Lebrun, A. Ross, S. Bender, A. Qaiumzadeh, J. Cramer, A. Brataas, R. A. Duine, and M. Kläui, arxiv:1805.02451

4. Measuring the spin conductivity

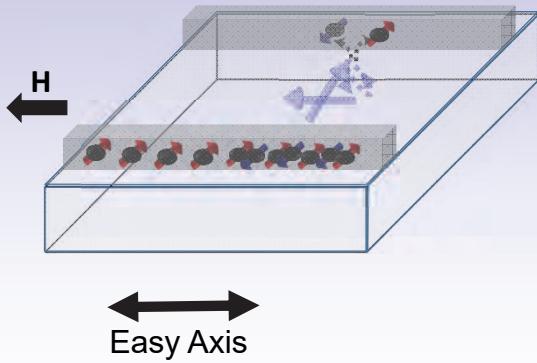


- The Spin Seebeck transport signal stays zero over the whole field range (R_{2w})
- The Spin bias transport signal goes up at the spin-flop transition and exhibits a peak and then falls off but stays finite at larger fields → explanation?

¹ S. Bender, H. Skarsvag, Arne Brataas and Rembert Duine, Phys. Rev. Lett. **119**, 056804 (2017)

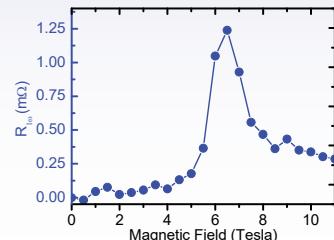
4. Measuring the spin conductivity

Platinum stripes along the easy-axis
H parallel to easy axis / stripes



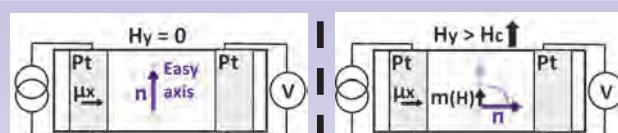
Spin bias (R_{1w}) transport possible ✓

- At zero field, the Néel vector is pointing along the easy axis.
- At a sufficiently large field (above the so-called spin-flop field), the Néel vector rotates perpendicular to the applied field → angular momentum can be transported by spin bias.

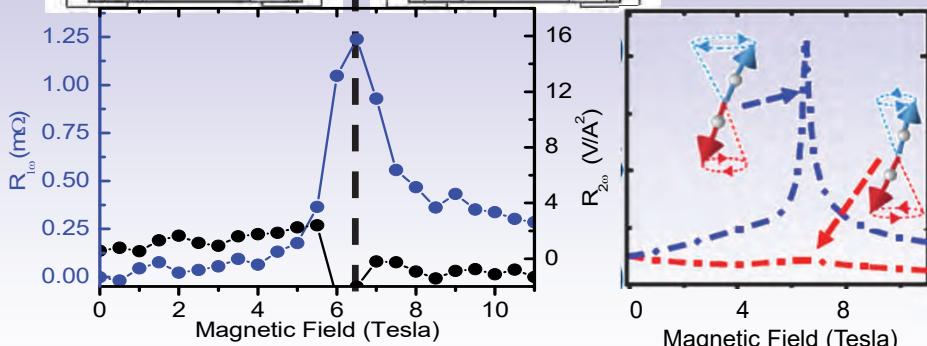


R. Lebrun, A. Ross, S. Bender, A. Qaiumzadeh, J. Cramer, A. Brataas, R. A. Duine, and M. Kläui, arxiv:1805.02451

4. Measuring the spin conductivity



Calculations¹: Scott Bender & Rembert Duine

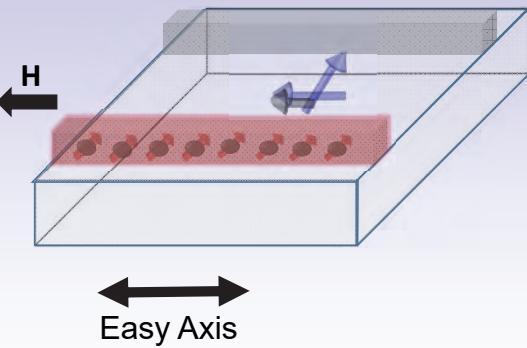


- Increasing injected spin current, the Néel vector that initially curls in the plane ($\Theta=\pi/2$)
- Measurement shows huge amplification at spin flop transition! Closing spin wave gap → one mode exhibits enhancement → good agreement with spin transport theory

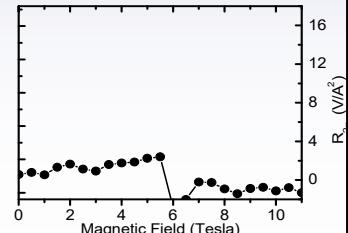
¹ S. Bender, H. Skarsvag, Arne Brataas and Rembert Duine, Phys. Rev. Lett. **119**, 056804 (2017)

4. Measuring the spin conductivity

**Platinum stripes along the easy-axis
H parallel to easy axis / stripes**



- At zero field, the Néel vector is pointing along the easy axis.
- At a sufficiently large field (above the so-called spin-flop field), the Néel vector rotates perpendicular to the applied field and a small magnetic moment is formed.

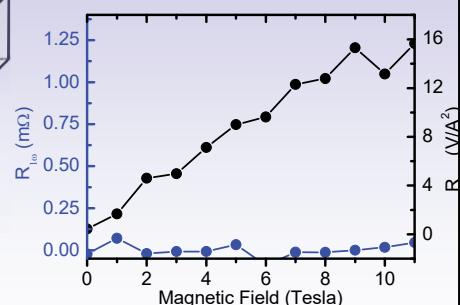
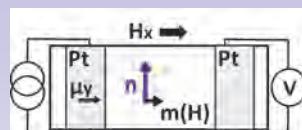
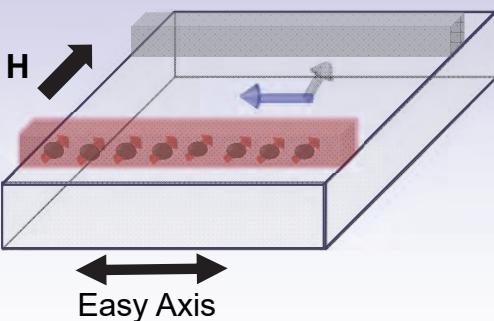


Spin-Seebeck (R_{2w}) transport not possible ✗

R. Lebrun, A. Ross, S. Bender, A. Qaiumzadeh, J. Cramer, A. Brataas, R. A. Duine, and M. Kläui, arxiv:1805.02451

4. Measuring the spin conductivity

**Platinum stripes along the easy-axis
H perpendicular to easy axis / stripes**



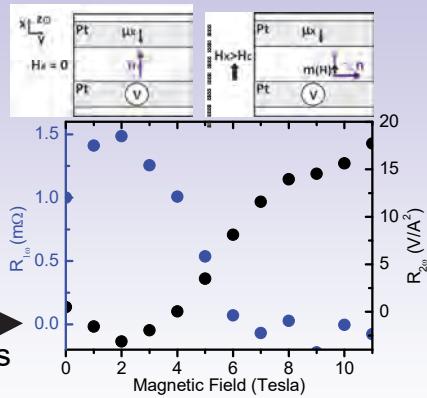
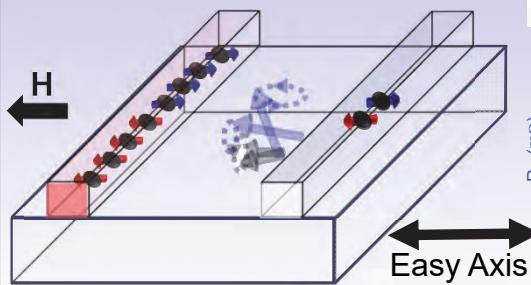
Spin bias transport (R_{1w}) not possible ✗
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4. Measuring the spin conductivity

Platinum stripes perpendicular to easy-axis

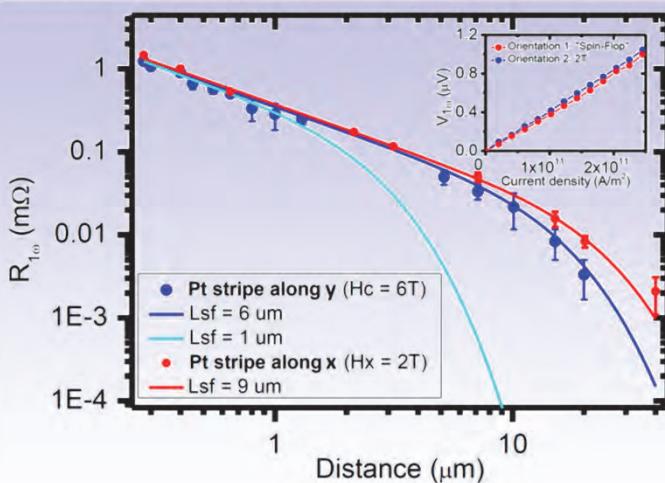
H parallel to easy-axis and thus perpendicular to stripes



- Spin-bias transport (R_{1w}) at zero applied field ($< H_c$) ✓
- Spin-Seebeck transport (R_{2w}) ($> H_c$) ✓
- Spin-bias depends on n and Spin-Seebeck on $m(H)$

R. Lebrun, A. Ross, S. Bender, A. Qaiumzadeh, J. Cramer, A. Brataas, R. A. Duine, and M. Kläui, arxiv:1805.02451

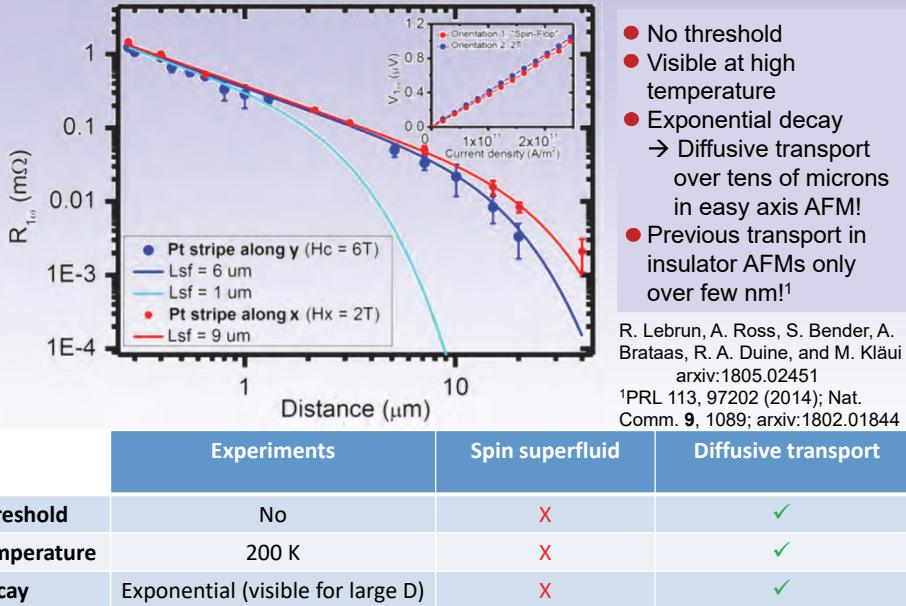
4. Quantifying spin transport and dissipation



- Distance dependence: exponential decay → diffusive spin transport
- Largest ever reported spin diffusion lengths for a magnetic insulator: 5-10 μm depending on applied field and transport over 40 μm observed!

R. Lebrun, A. Ross, S. Bender, A. Qaiumzadeh, J. Cramer, A. Brataas, R. A. Duine, and M. Kläui, arxiv:1805.02451

4. Quantifying spin transport and dissipation



Thanks!

1. Great people@JGU

I. Boventer, R. Lebrun, L. Baldrati, D. Harren, F. Fuhrmann, A. Ross, M. Vafaei, K. Lee, J. Cramer, A. Sapozhnik, D. Schönke, B. Dong, E. Guo, N. Richter, K. Litzius, R. Reeve, D. Heinze, J. Zazvorka, M. Brataas, A. Pfeiffer, P. Bassirian, M. Filianina, R. Weber, **M. Weides, H. Zabel, M. Jourdan, G. Jakob...**



2. Great collaborations:

O. Tretiakov, J. Barker, T. Niizeki, R. Ramos, E. Saitoh, G. Bauer, Tohoku; H. Gomonay, L. Smejkal, J. Sinova, JGU; I. Turek, T. Jungwirth, Prague; S. Gönnenwein, H. Hübl, R. Gross, WMI/TUM/TUD; A. Qaiumzadeh, H. Skarsvag, A. Brataas, NTNU; S. Bender, R. Duine, Utrecht; Y. Tserkovnyak, UCLA

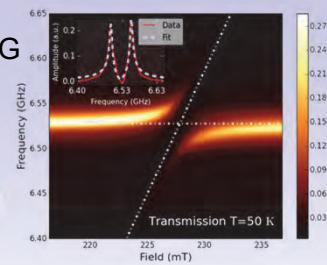
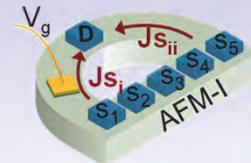
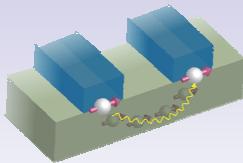


3. Funding

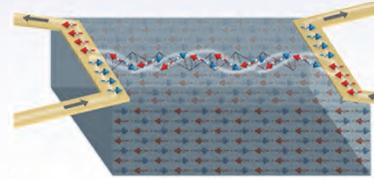
European Research Council Grants MASPIC & MultiRev, ICC-IMR, DFG (SPP SpinCaT, SFB TRR173, SPP Graphen, MAINZ), DAAD, EU (ITN Wall, STREPs InSpin, MoQuS, **ASPIN**), CINEMA, Stanford-Tohoku-Mainz SpinNet, AvH Stiftung, BMBF, Samsung

Summary:

- Determination of coupling strength and dissipation temperature dependence of YIG
I. Boventer et al., PRB **97**, 184420 (2018)



- Superdiffusive transport in easy-plane AFM
Y. Tserkovnyak&MK PRL **119**, 187705 (2017)



- Diffusive transport ($40\mu\text{m}!$) in easy-axis AFM with low damping
-Need to probe length scales $\gg \lambda_{\text{sd}}$
to identify superfluid vs. diffusive transport
R. Lebrun, A. Ross, S. Bender et al., arXiv:1805.02451 (Nature in press (2018))