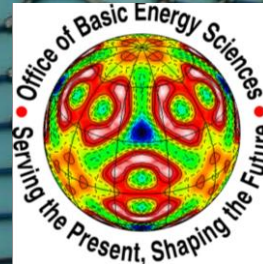
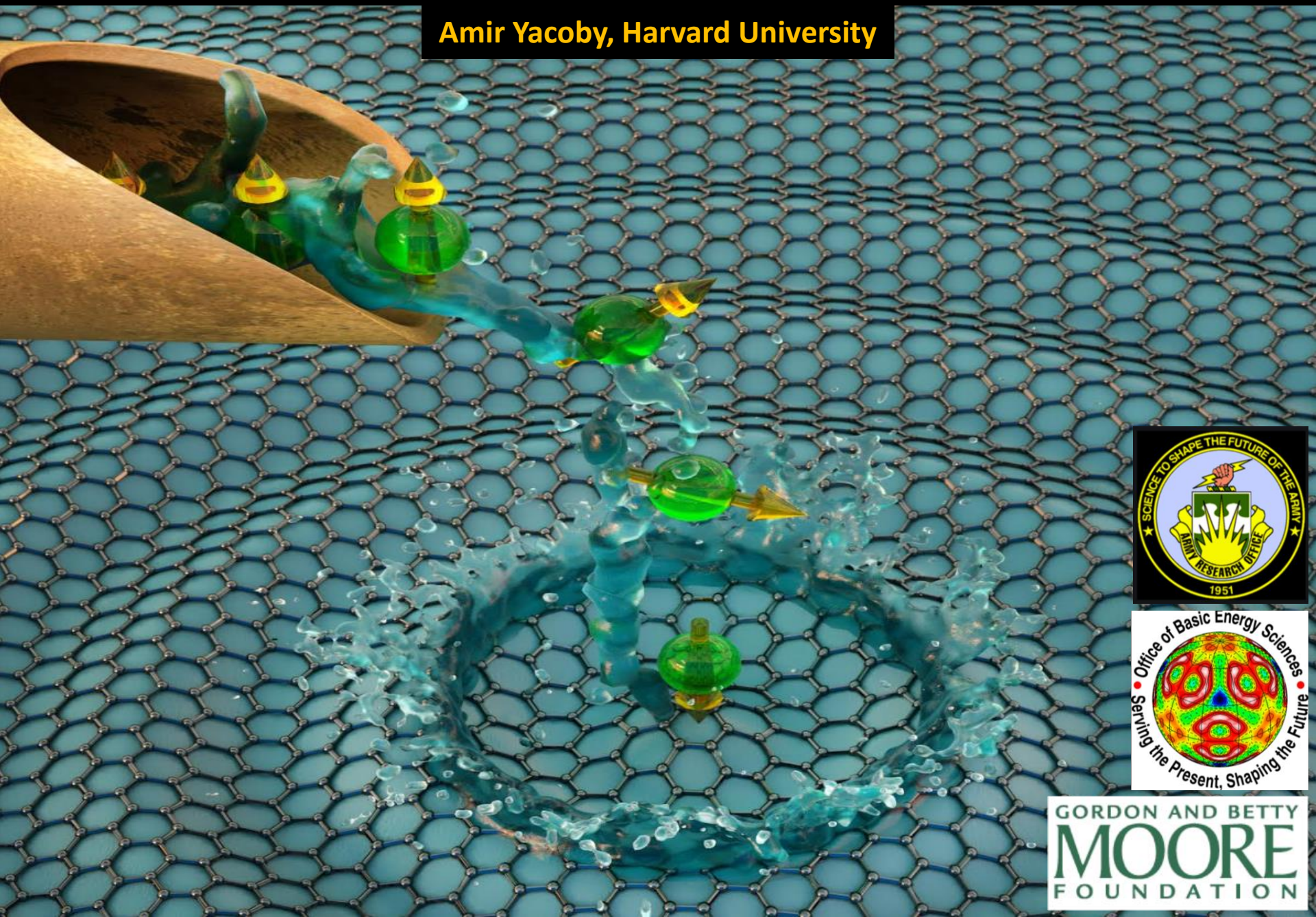


Magnons as a New Probe of Correlated Electron Physics

Amir Yacoby, Harvard University



GORDON AND BETTY
MOORE
FOUNDATION

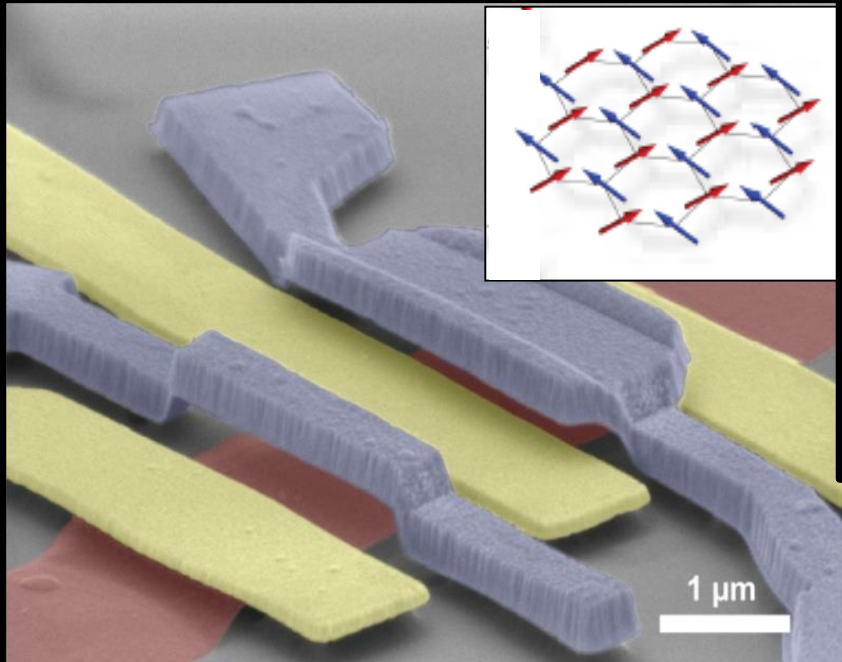
Magnons as a New Probe of Correlated Electron Physics

Ground state properties

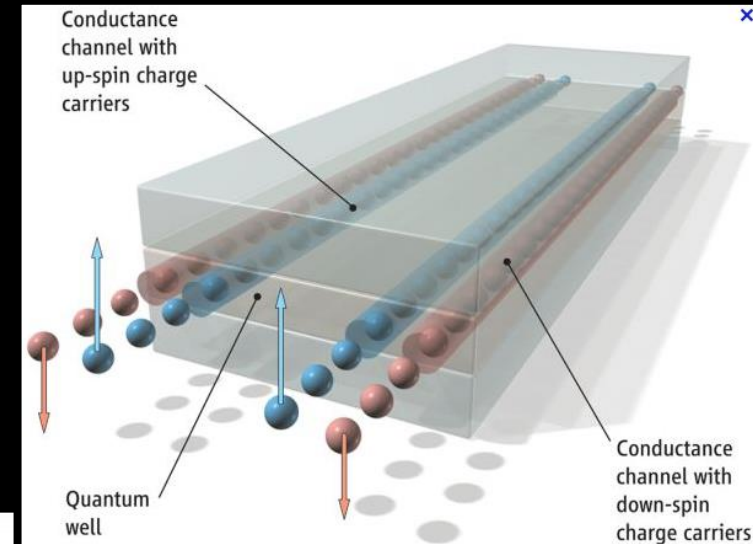
Challenges:

- Materials with unique spin and magnetic properties nm Length scales and mesoscopic sizes

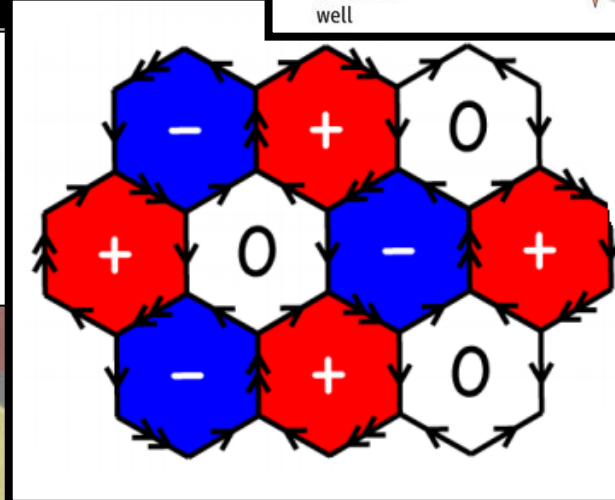
Canted antiferromagnetic states in graphene



Spin Momentum Locking: Quantum Spin Hall Effect



From SC Zhang



Novel insulating states:
Circulating currents in twisted bilayer graphene

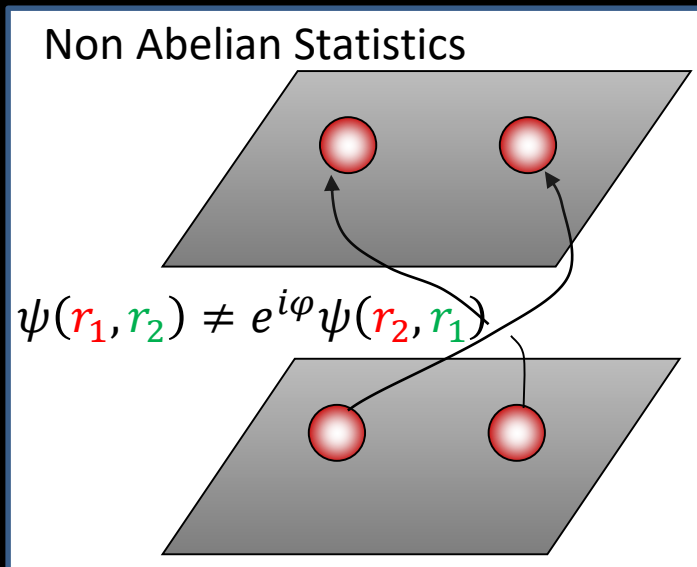
Magnons as a New Probe of Correlated Electron Physics

Novel excitation

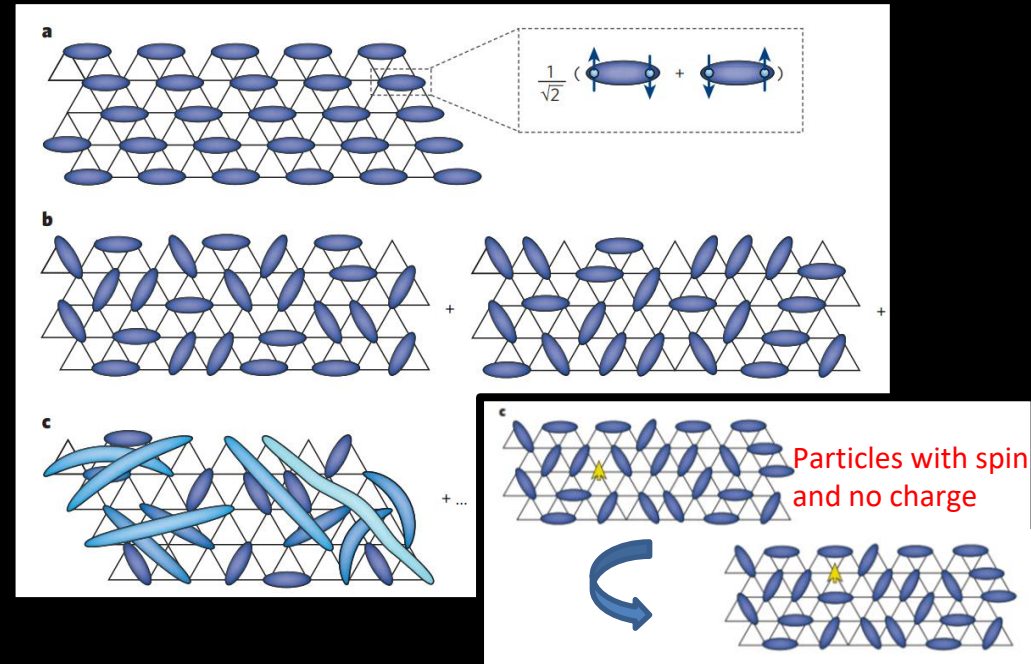
Challenges:

- How to probe dispersion
- Density of states
- Quantum statistics

Topological
Superconductors



Spin liquids



Balents – Nature review

Magnons as a New Probe of Correlated Electron Physics

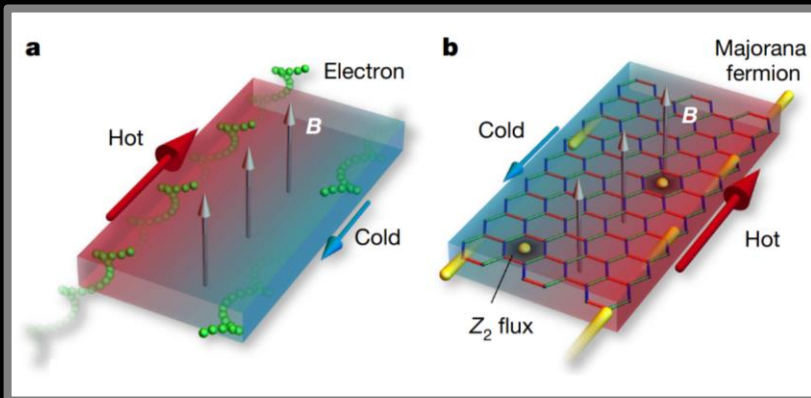
Transport of novel excitations

Challenges:

- How to detect spin chemical potential and current

Majorana quantization and half-integer thermal quantum Hall effect in a Kitaev spin liquid

Y. Kasahara¹, T. Ohnishi¹, Y. Mizukami², O. Tanaka², Sixiao Ma¹, K. Sugii³, N. Kurita⁴, H. Tanaka⁴, J. Nasu⁴, Y. Motome⁵, T. Shibauchi² & Y. Matsuda^{1*}



Quantized thermal Hall effect

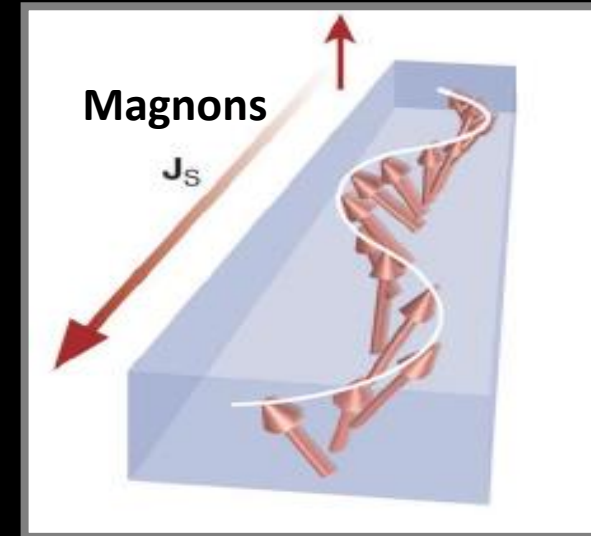
PRL 112, 227201 (2014)

PHYSICAL REVIEW LETTERS

week ending
6 JUNE 2014

Superfluid Spin Transport Through Easy-Plane Ferromagnetic Insulators

So Takei and Yaroslav Tserkovnyak



Magnons as a New Probe of Correlated Electron Physics

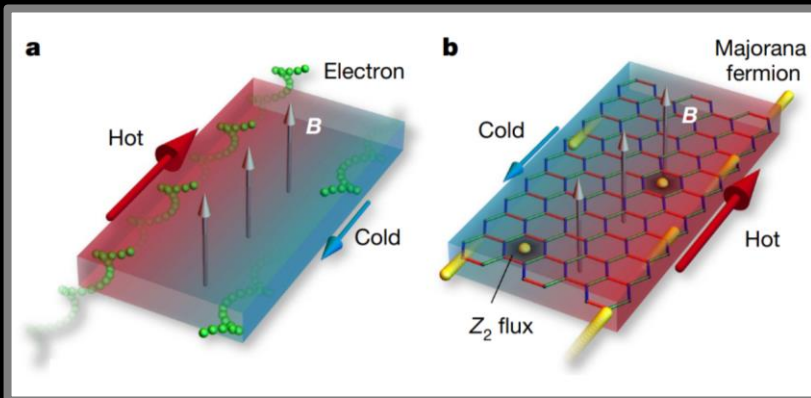
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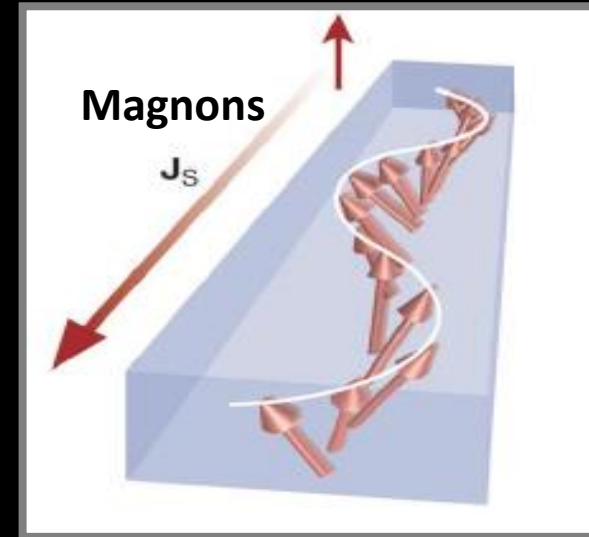
PRL 112, 227201 (2014)

PHYSICAL REVIEW LETTERS

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Superfluid Spin Transport Through Easy-Plane Ferromagnetic Insulators

So Takei and Yaroslav Tserkovnyak



Need alternatives to electrical measurements



Magnons as a New Probe of Correlated Electron Physics

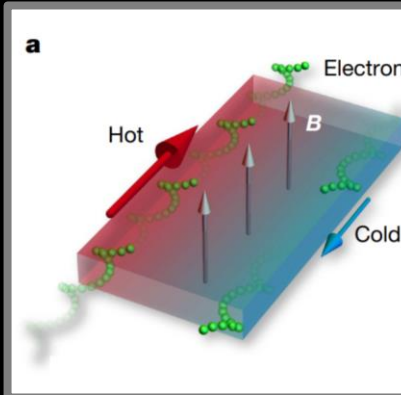
Transport of novel excitations

Challenges:

- How to detect potential and

Majorana quantization quantum Hall effect in

Y. Kasahara¹, T. Ohnishi¹, Y. Mizukami², O. Tanaka², T. Shibauchi² & Y. Matsuda^{1*}



Quantized thermoelectric effect

Today:

Magnons in Quantum Hall Ferromagnets

Low T – High B

A New Magnon Scattering Platform

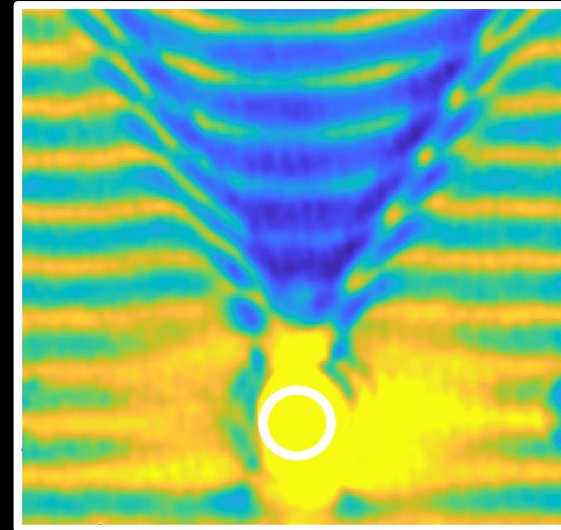
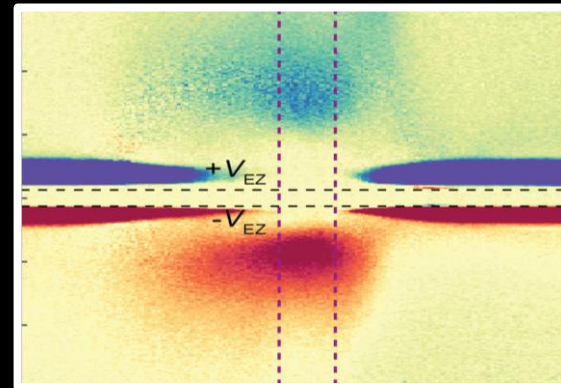
Room T – Low B

PRL 112, 227201 (2014)

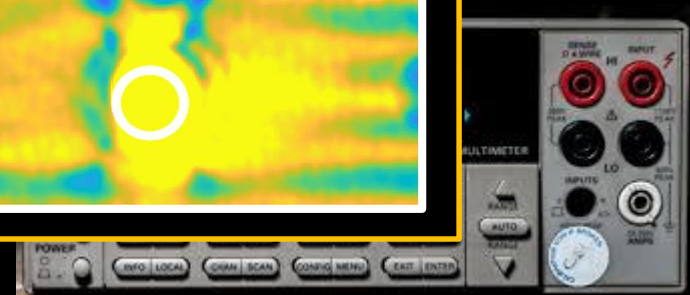
PHYSICAL REVIEW LETTERS

week ending
6 JUNE 2014

Superfluid Spin Transport Through Easy-Plane Ferromagnetic Insulators

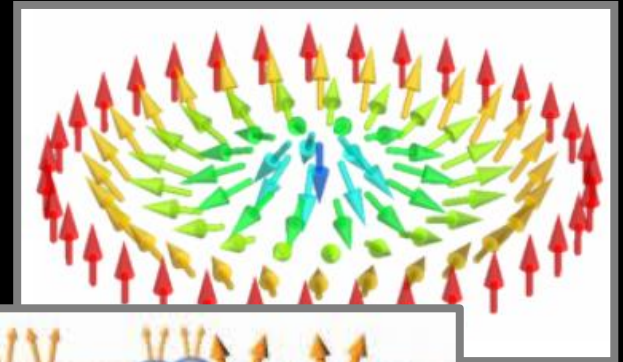


measurements

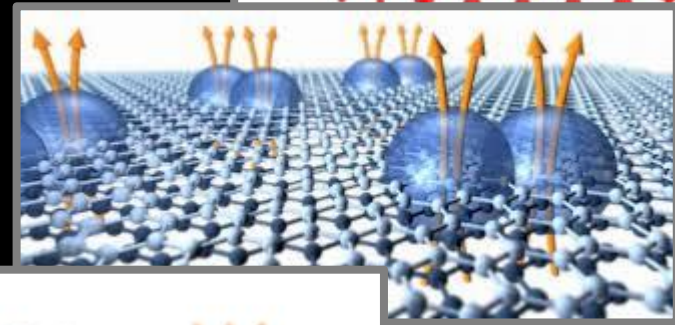


Quantum Hall Systems: Collective Excitations

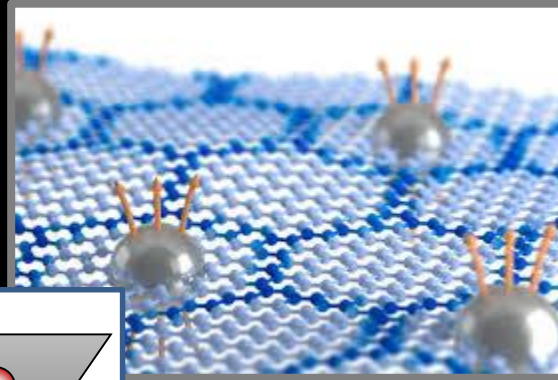
Skymions: charge e



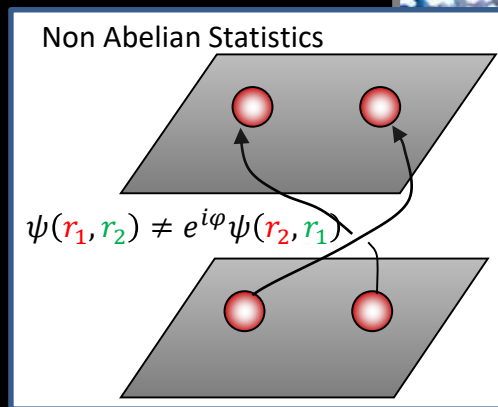
Composite Fermions: charge e



Anyons – Fractional charge



Non-Abelions:
Charge $e/4$



Quantum Hall Magnons

SPIN AND ISOSPIN: EXOTIC ORDER IN QUANTUM HALL FERROMAGNETS

Steven M. Girvin

JUNE 2000 PHYSICS TODAY 39

temperature of a few K, characteristic of the Zeeman gap and the spin stiffness.

At filling factor $\nu = 1$, spin waves are the lowest energy excitations. But because they do not carry charge, they do not have a large impact on the electrical transport properties.

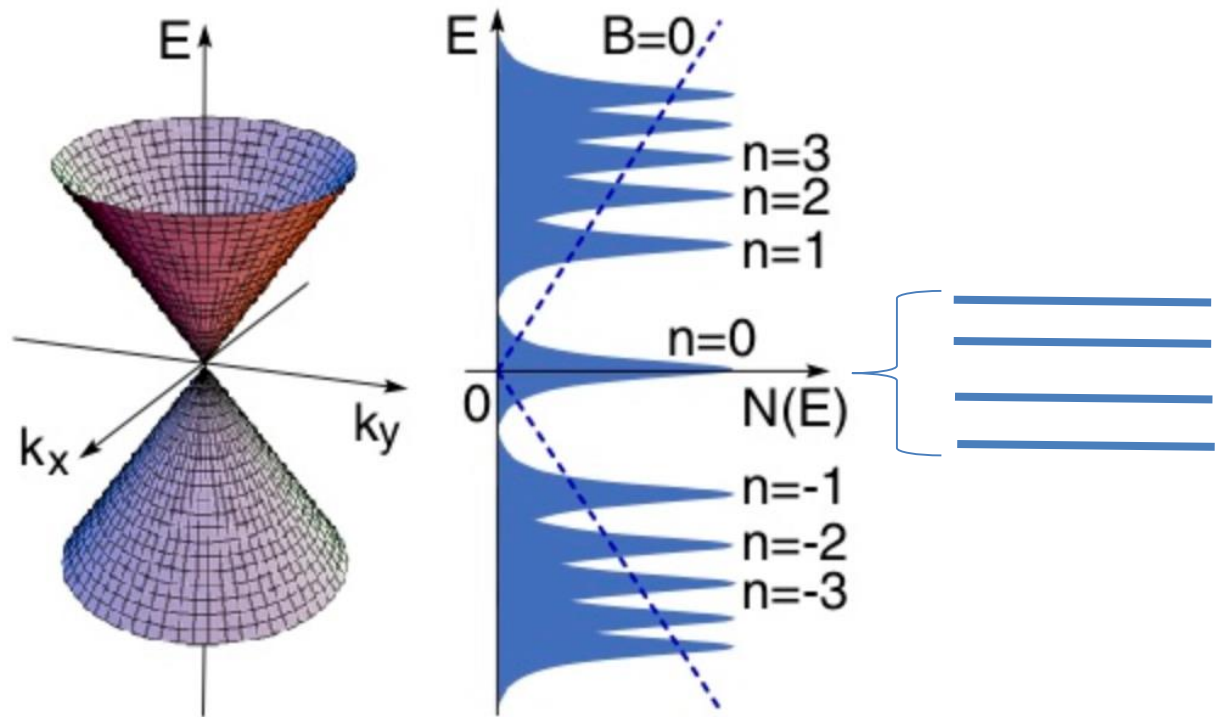
Since the lowest spin state of the lowest Landau level is completely filled at $\nu = 1$, the Pauli exclusion principle tells us that we can add more charge, as illustrated in figure 1, only with reversed spin. In the absence of strong Coulomb interactions, the energy cost of this spin flip is simply the Zeeman energy, which is very small. So one might not expect to see a quantized Hall plateau near $\nu = 1$, because there would be a high density of thermally excited charges. However, the Coulomb interaction exacts a large exchange-energy penalty for having a reversed spin in a ferromagnetic state.^{2,7} Thus magnetic order induced by Coulomb interactions turns out to be essential to the integer quantum Hall effect.

Extremely low
Magnetization

Quantum Hall Ferromagnets

Formation of Landau Levels.
Each level is 4 fold degenerate for
spin and valley

Breaking of spin
and valley
degeneracy



$$|A\rangle \equiv |\uparrow\rangle \quad |B\rangle \equiv |\downarrow\rangle$$

$$|\uparrow\rangle$$

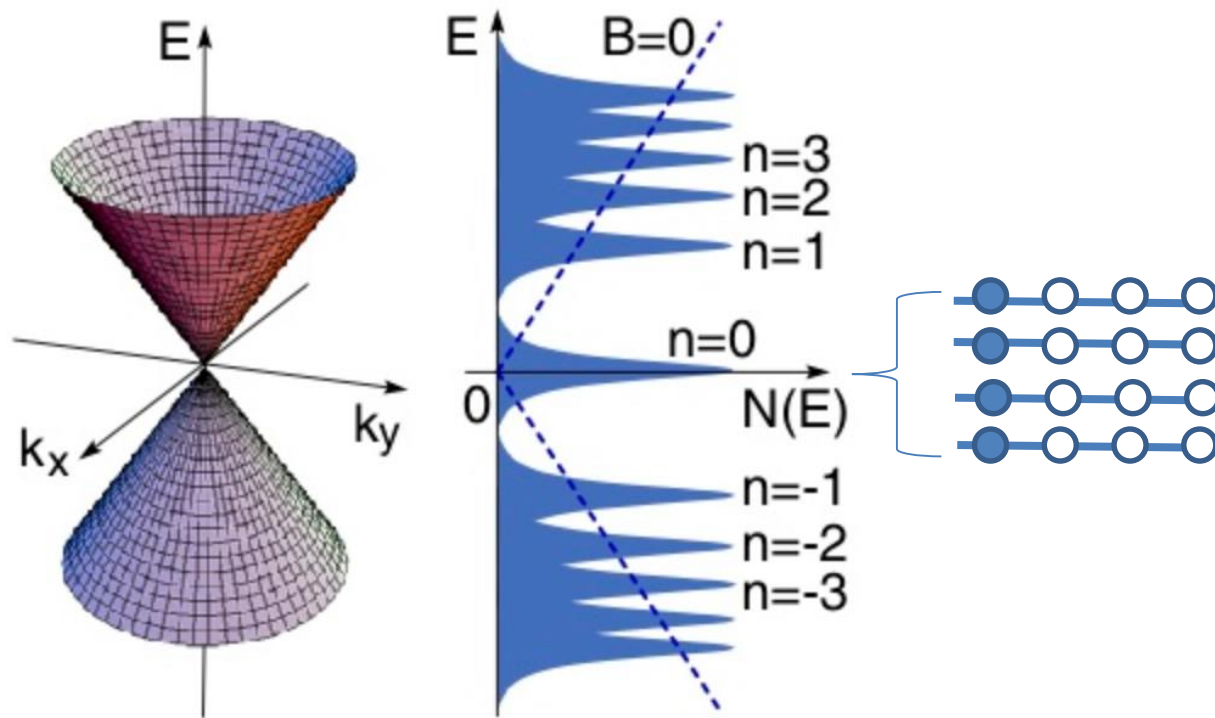
$$|\downarrow\rangle$$

Magnetic field

Quantum Hall Ferromagnets

Formation of Landau Levels.
Each level is 4 fold degenerate for
spin and valley

Breaking of spin
and valley
degeneracy

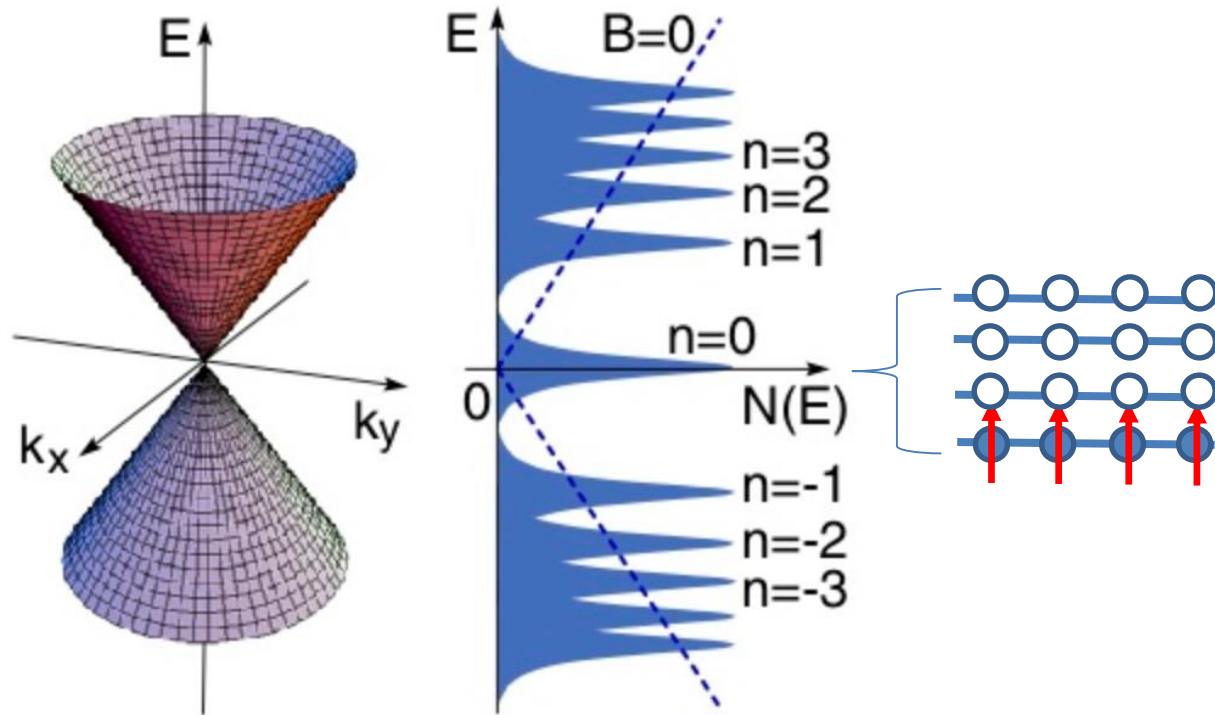


Magnetic field

Quantum Hall Ferromagnets

Formation of Landau Levels.
Each level is 4 fold degenerate for
spin and valley

Breaking of spin
and valley
degeneracy



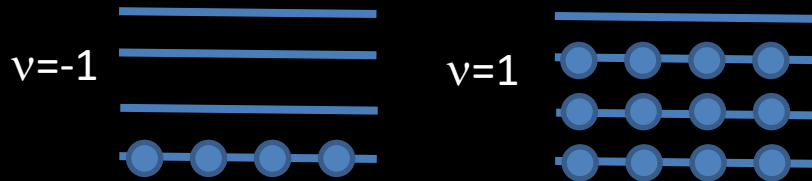
$$|A\rangle \equiv |\uparrow\rangle \quad |B\rangle \equiv |\downarrow\rangle$$

$$|\uparrow\rangle$$

$$|\downarrow\rangle$$

Magnetic field

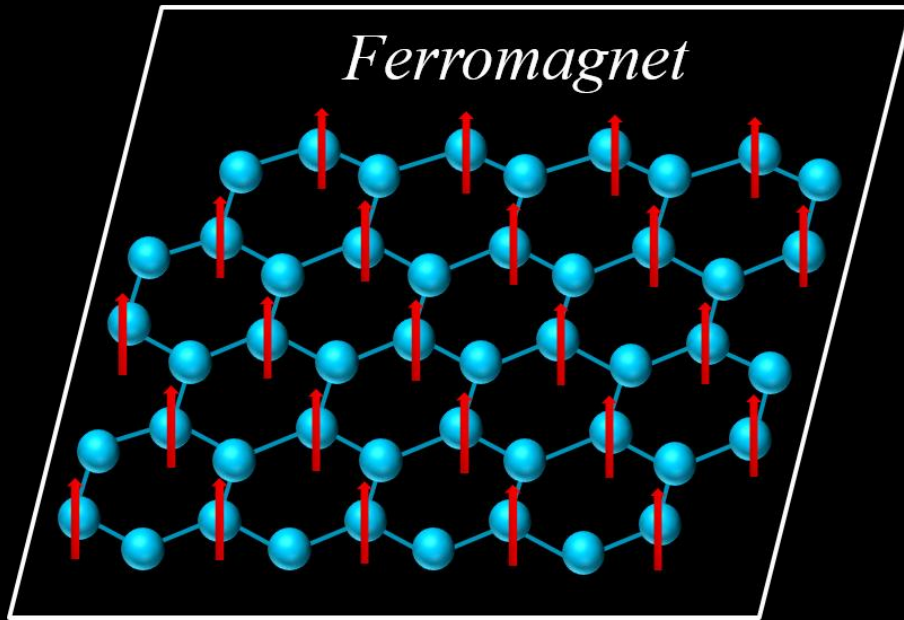
Quantum Hall Magnons



$$|A\rangle \equiv |\uparrow\rangle \quad |B\rangle \equiv |\downarrow\rangle$$

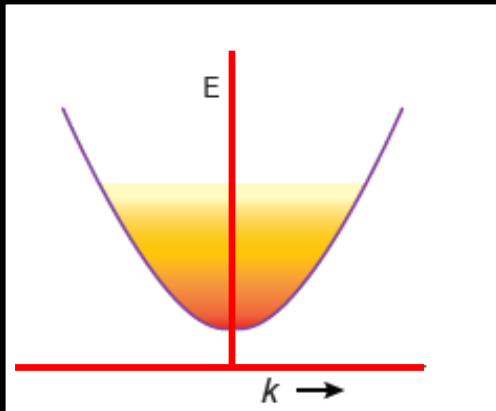
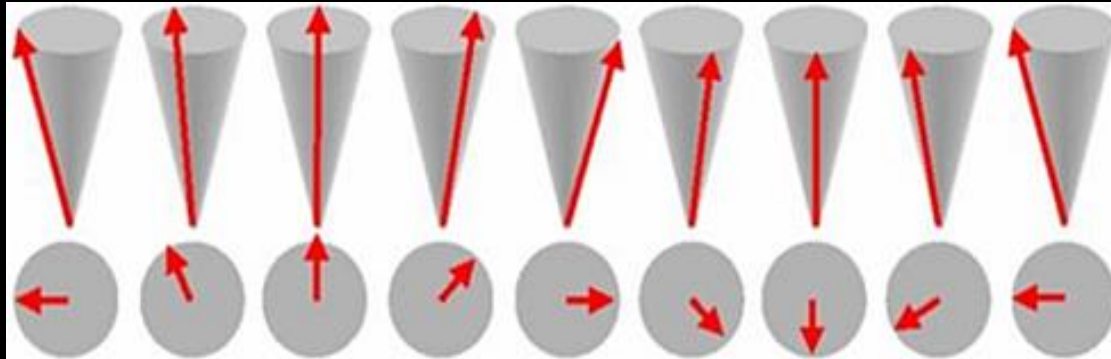
$$|\uparrow\rangle$$

$$|\downarrow\rangle$$



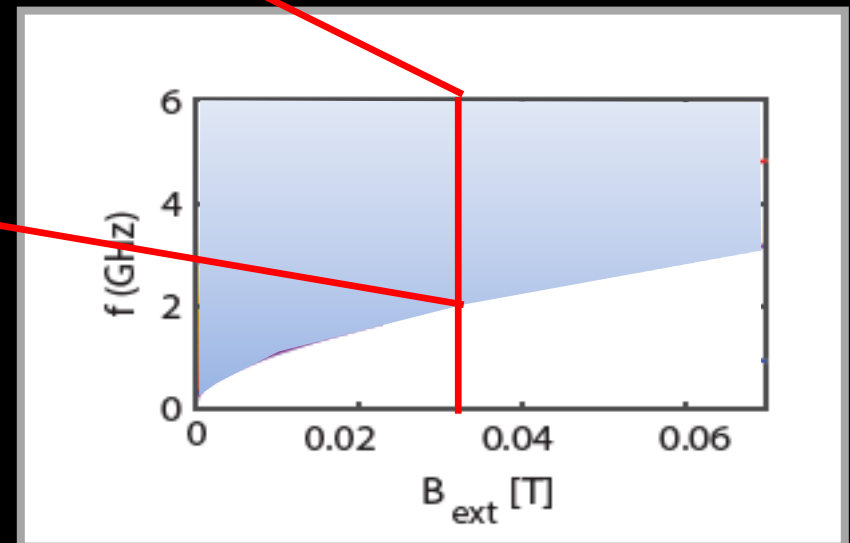
Magnons

Spin wave

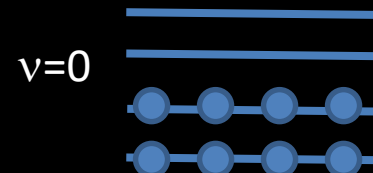
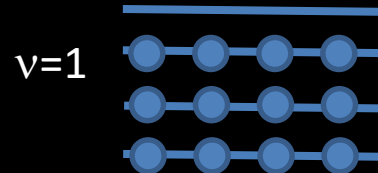
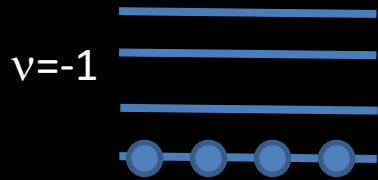


Kittel Law

$$\omega = g\mu\sqrt{B(B + M)}$$



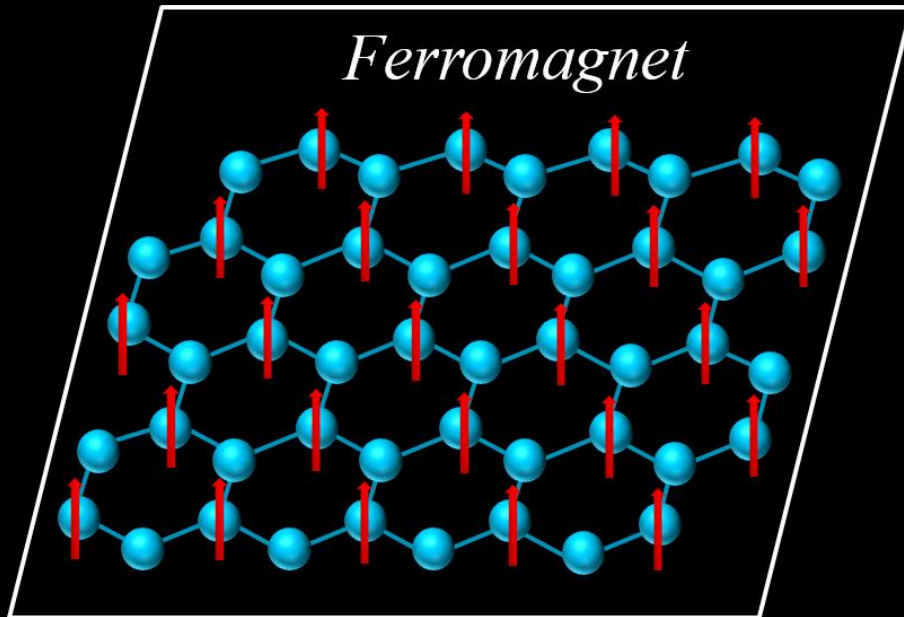
Quantum Hall Magnons



$$|A\rangle \equiv |\uparrow\rangle \quad |B\rangle \equiv |\downarrow\rangle$$

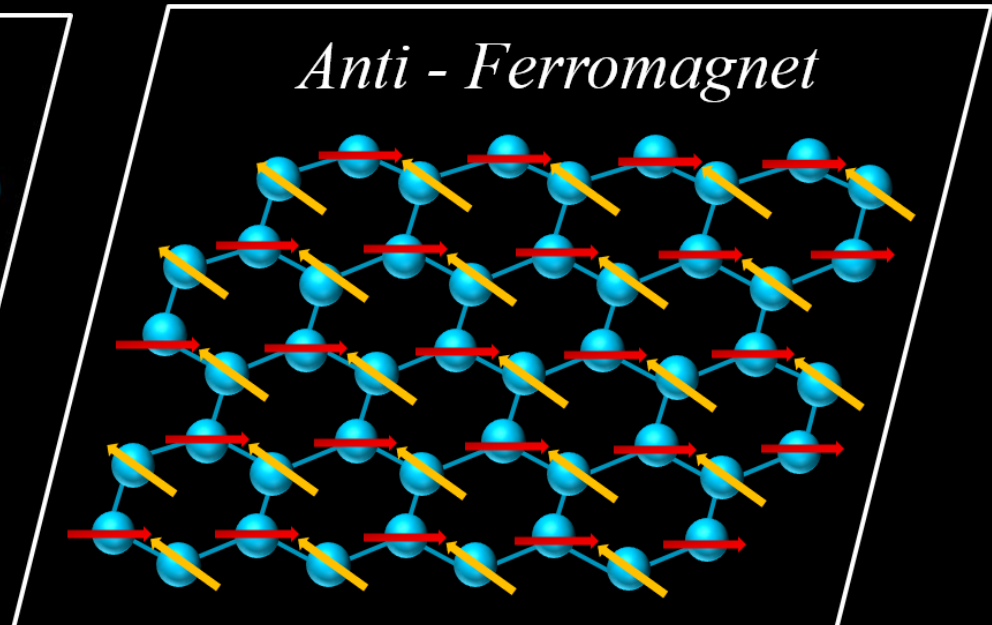
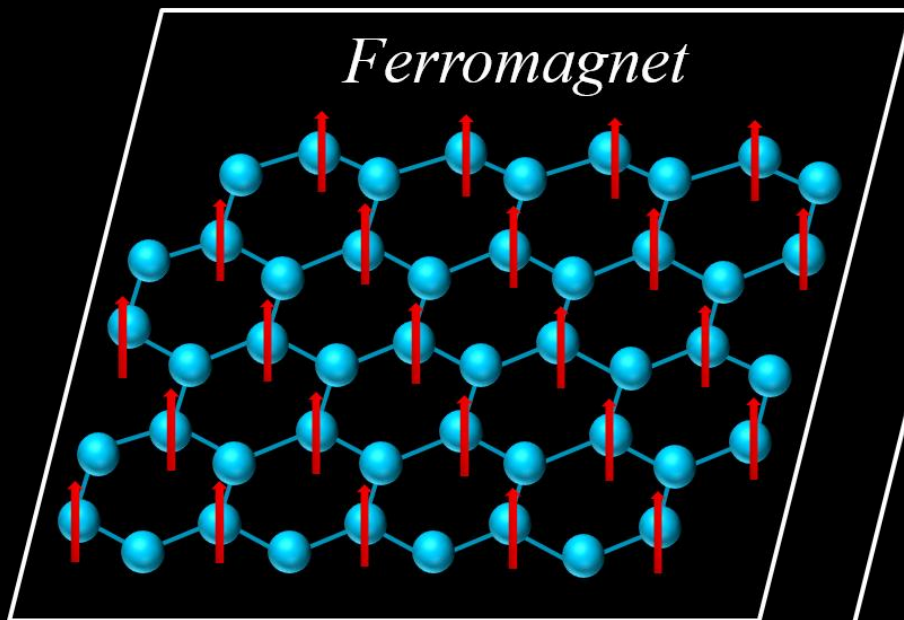
$$|\uparrow\rangle$$

$$|\downarrow\rangle$$



Gapped spin excitations below Zeeman energy

Quantum Hall Magnons



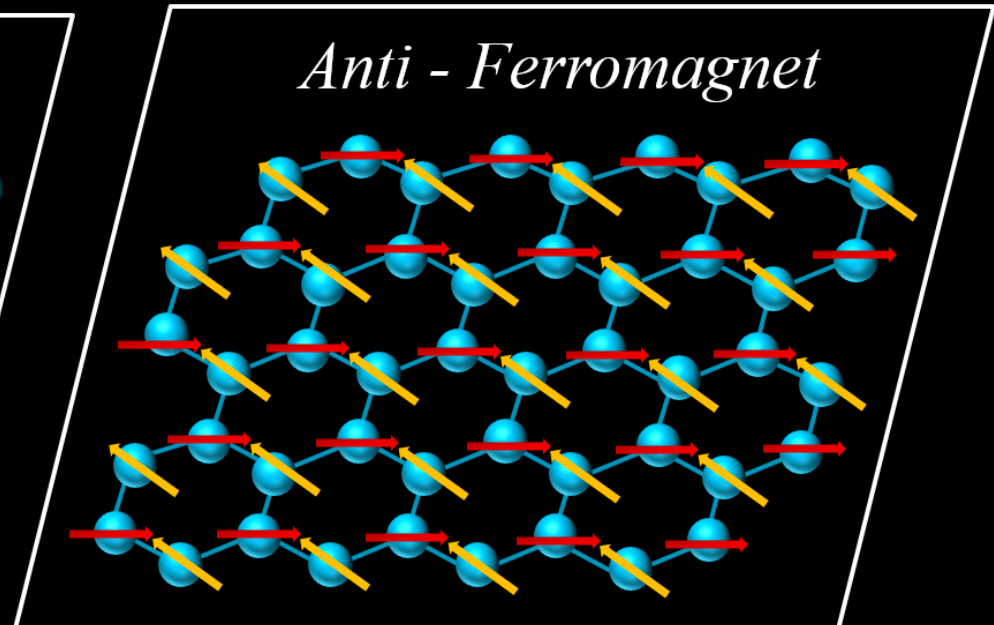
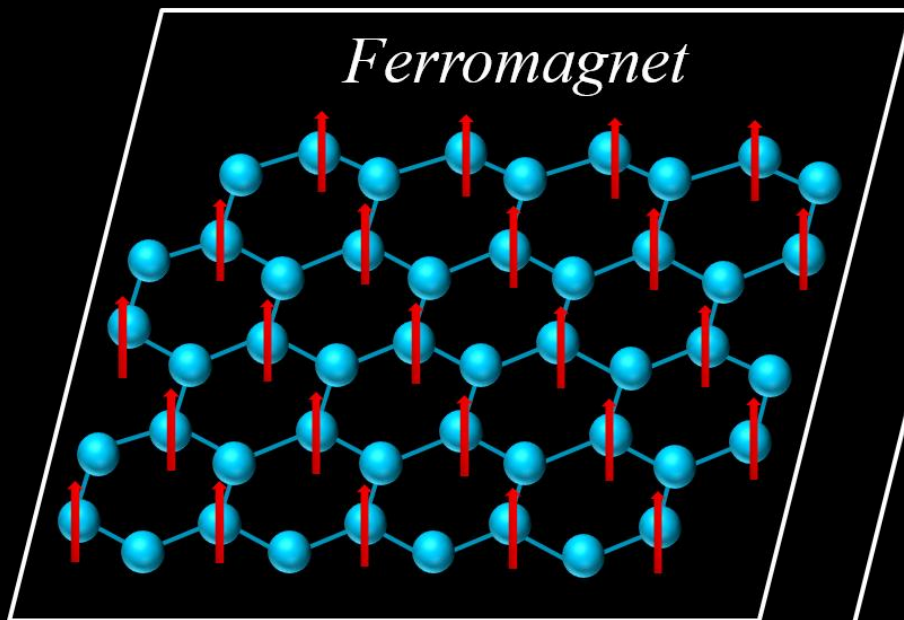
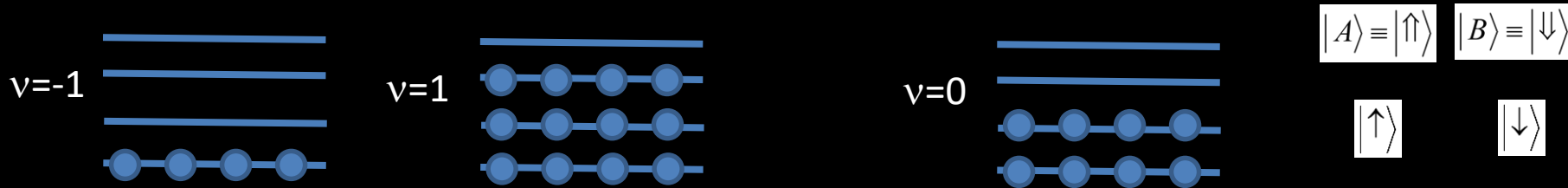
Gapped spin excitations below Zeeman energy

Spontaneous breaking of U(1) symmetry
Gapless spin excitations

M. Kharitonov, Phase diagram for the $\nu=0$ quantum Hall state in monolayer graphene. *Phys. Rev. B*. **85**, 155439 (2012).

D. Wei. T. van der Sar, B. I. Halperin, AY et al, **Science** (2018)
See also P. Stepanov et al, *Nat. Phys.* 2018

Quantum Hall Magnons



Gapped spin excitations below Zeeman energy

Spontaneous breaking of U(1) symmetry
Gapless spin excitations

- Electrically Tunable Magnetic Order
- Weak spin orbit interaction – long lived spin excitations

Quantum Hall Magnons

PRL 112, 227201 (2014)

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6 JUNE 2014

Transport of novel excitations

Superfluid Spin Transport Through Easy-Plane Ferromagnetic Insulators

So Takei and Yaroslav Tserkovnyak

Wiedemann-Franz law for magnon transport

Kouki Nakata,¹ Pascal Simon,² and Daniel Loss¹

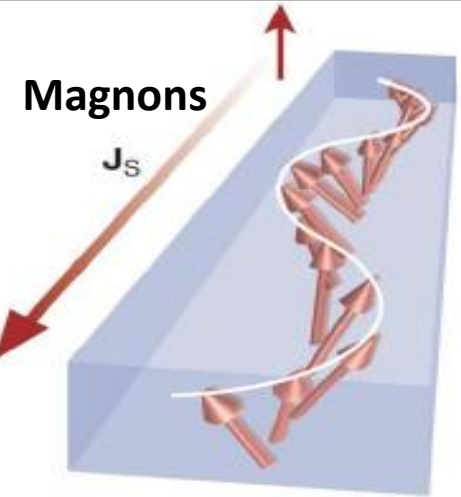
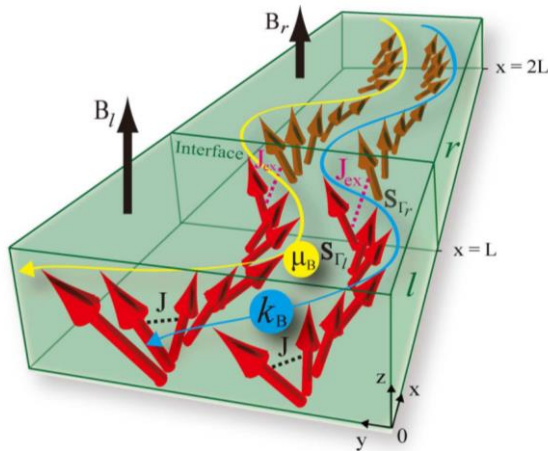
¹Department of Physics, University of Basel, Klingelbergstrasse 82, CH-4056 Basel, Switzerland

²Laboratoire de Physique des Solides, CNRS UMR-8502,
Université Paris Sud, 91405 Orsay Cedex, France

(Dated: November 4, 2015)

Magnetization Transport and Quantized Spin Conductance

Florian Meier and Daniel Loss



Challenges:

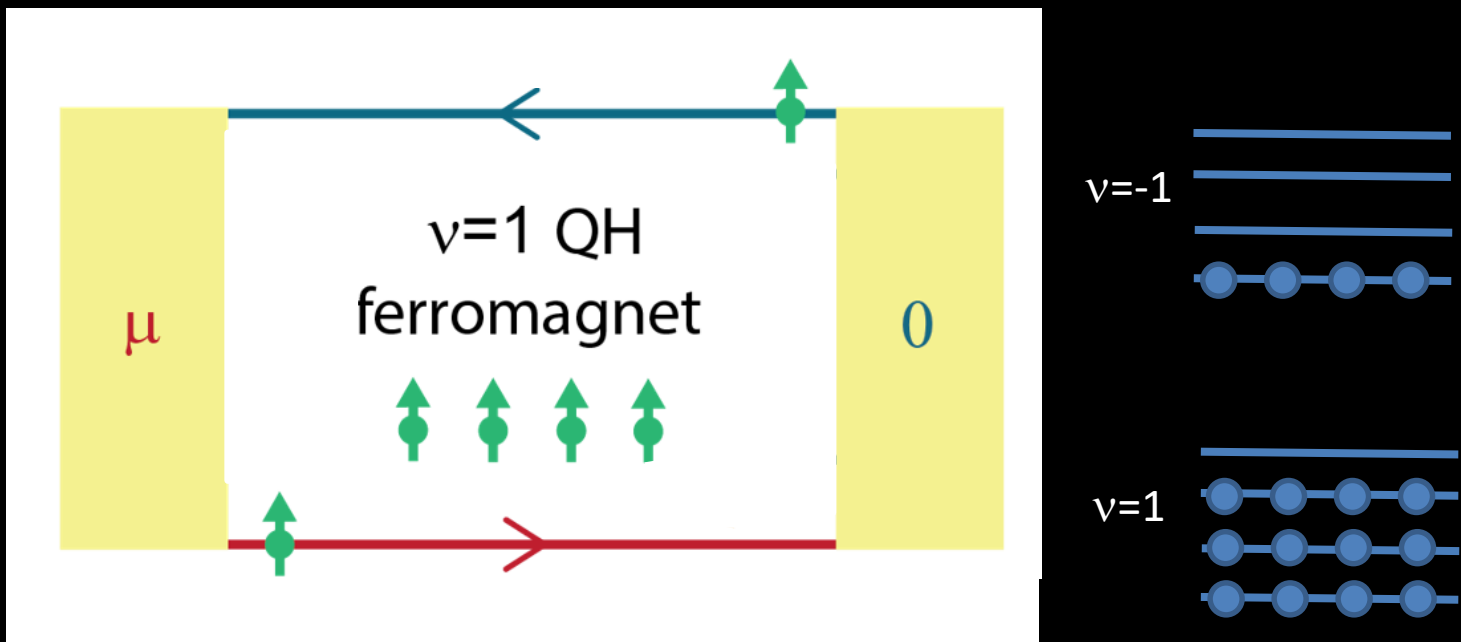
- How to generate and detect spin transport in quantum Hall ferromagnets?

Universal Peltier and Seebeck coefficients

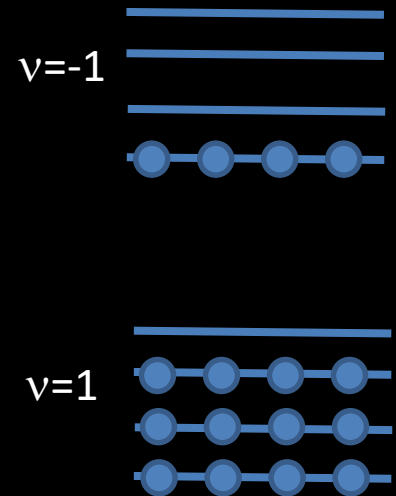
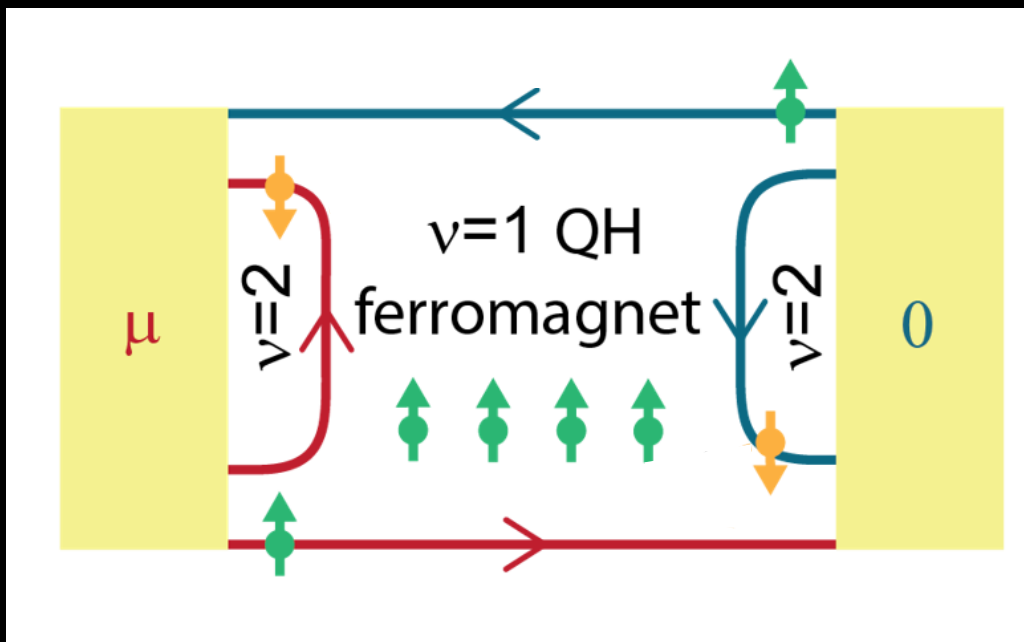
Quantum Hall Magnons

Magnons:

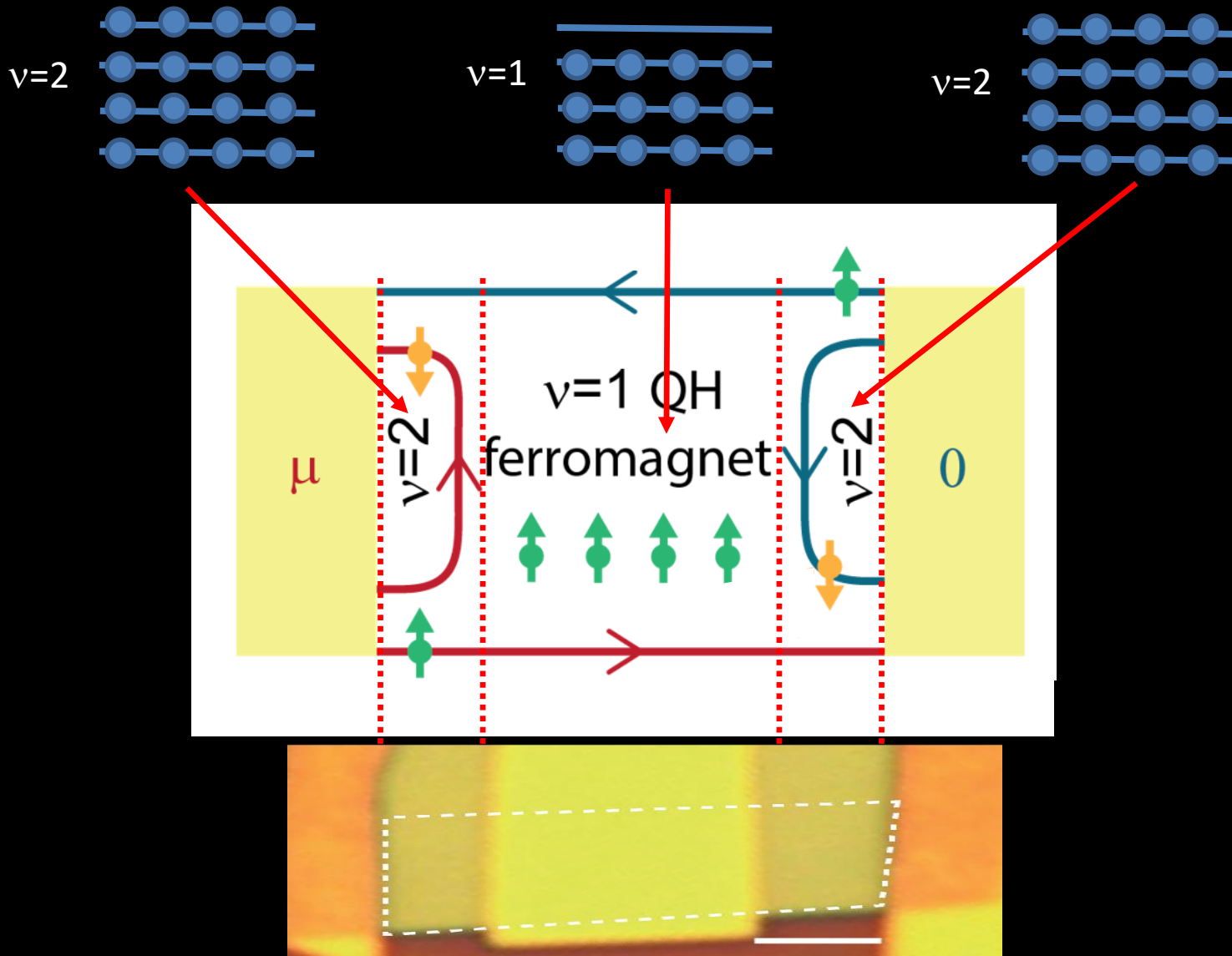
- Collective spin excitations
- Gapped at finite field
- In QH systems, gap energy equals BARE Zeeman energy



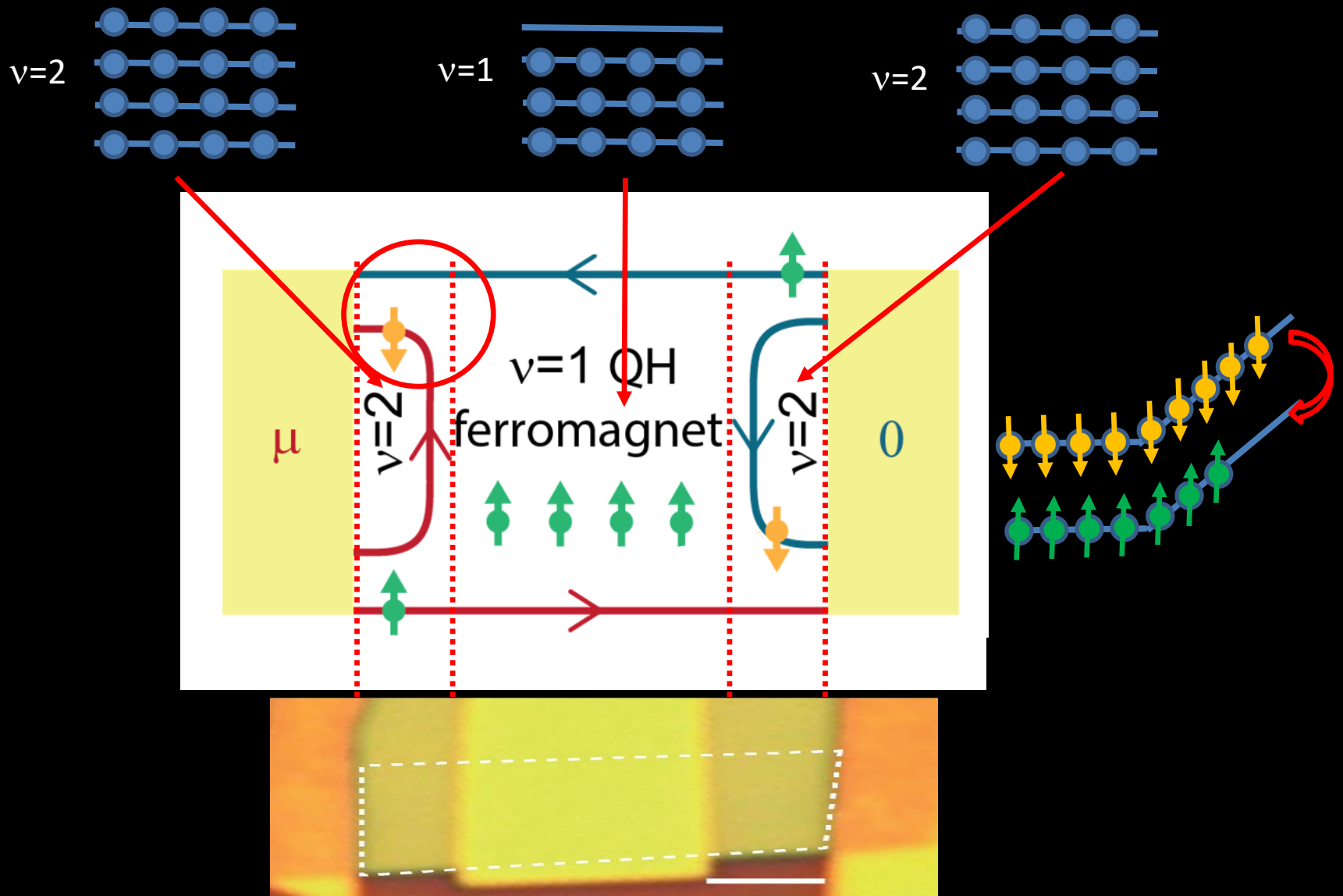
Quantum Hall Magnons



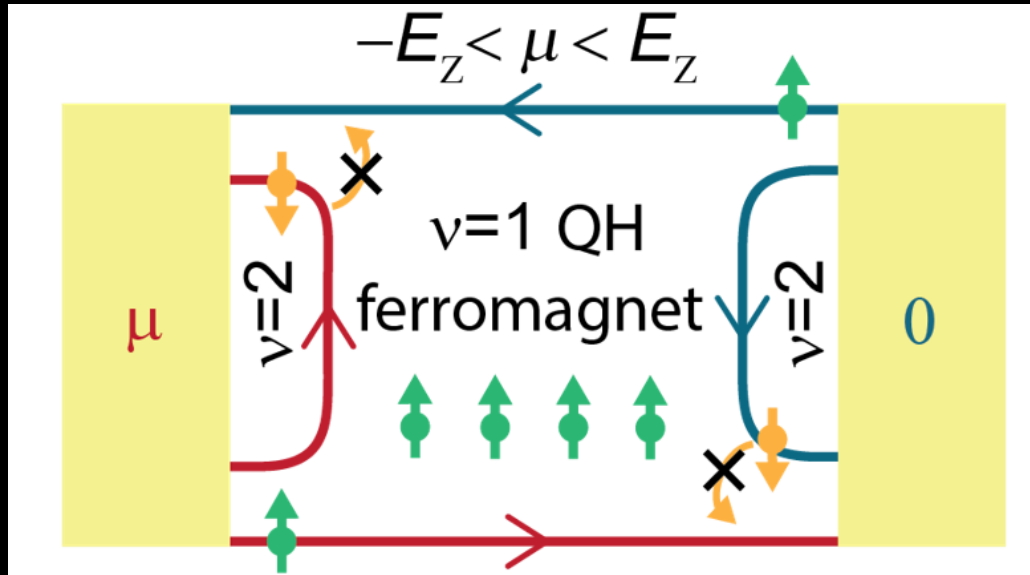
Quantum Hall Magnons



Quantum Hall Magnons



Quantum Hall Magnons

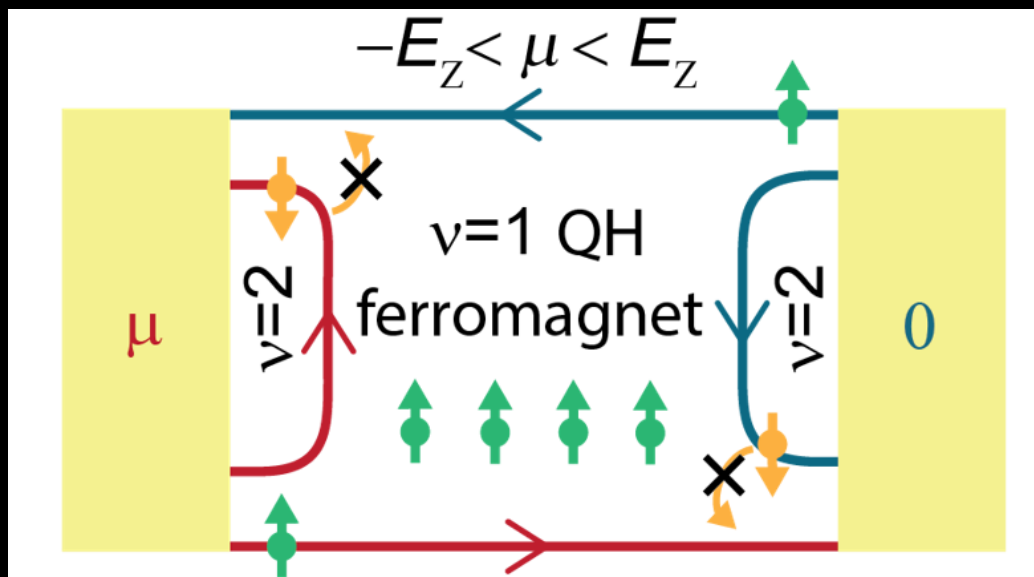


magnon gap at:

$$E_Z = g\mu_B B$$

Below the
magnon gap

Quantum Hall Magnons

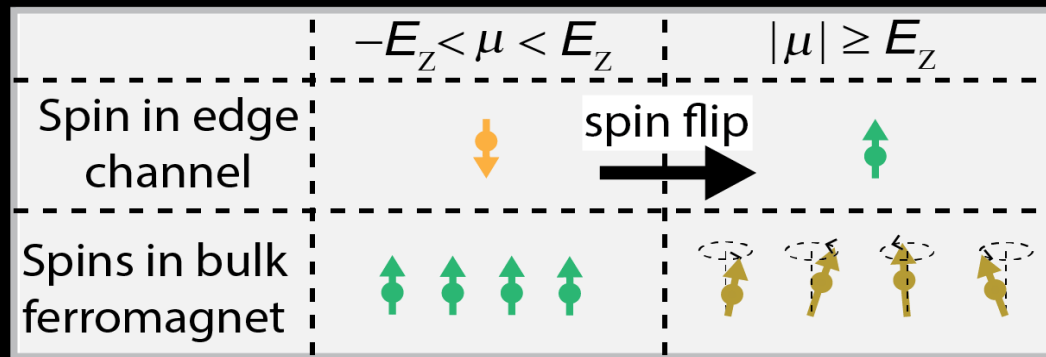


Below the magnon gap

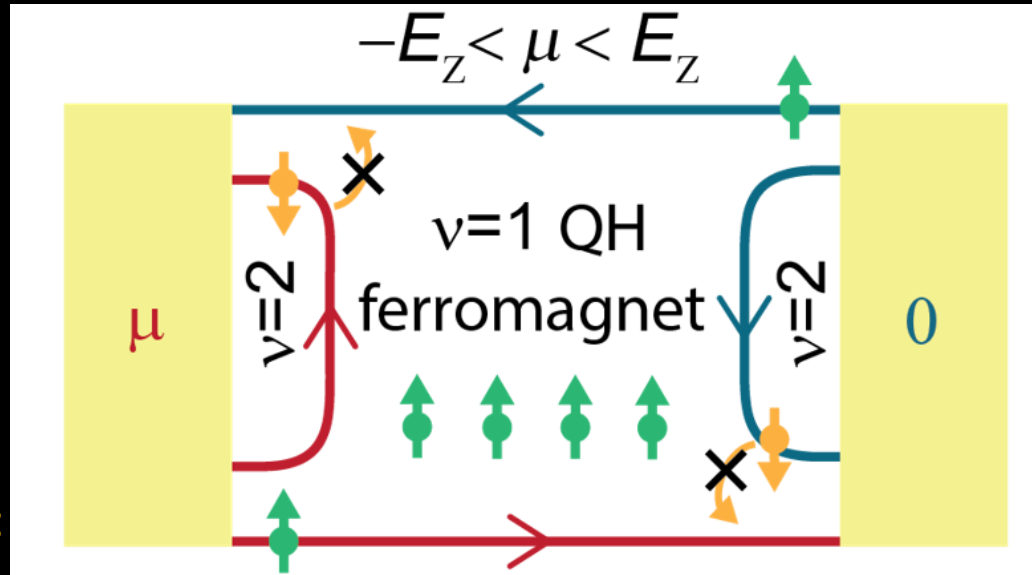
magnon gap at:

$$E_Z = g\mu_B B$$

Above the magnon gap



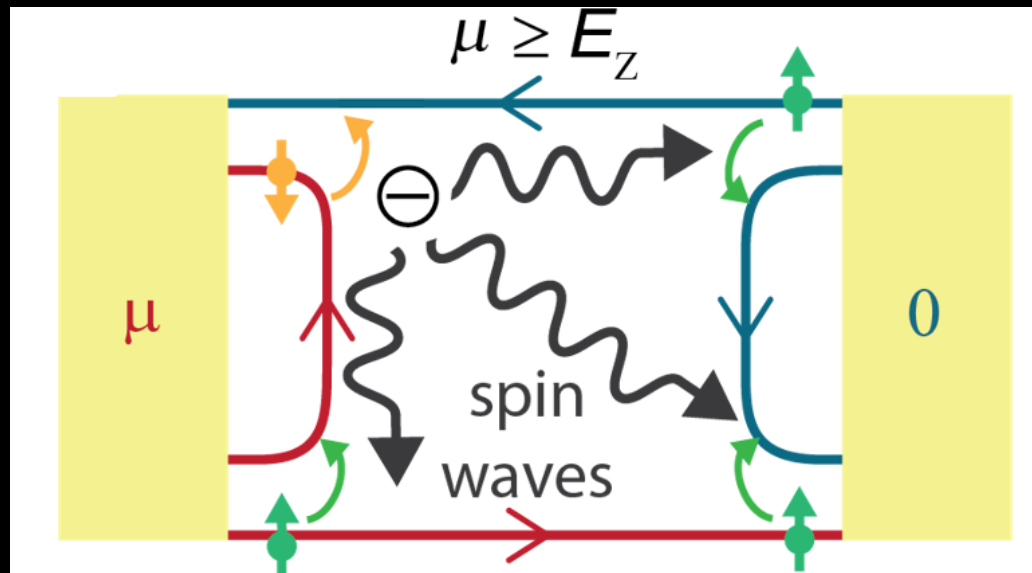
Quantum Hall Magnons



Below the magnon gap

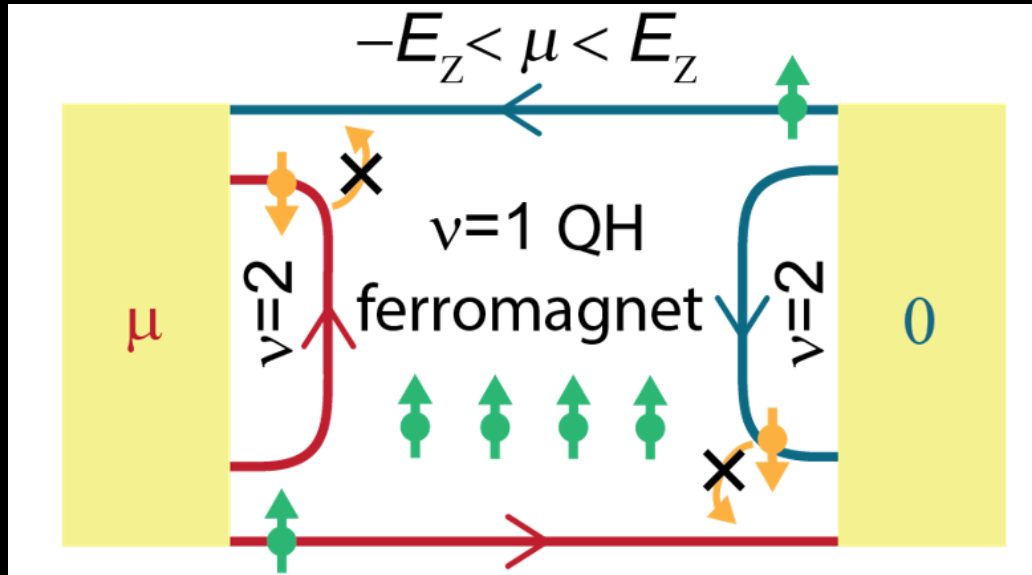
magnon gap at:

$$E_Z = g\mu_B B$$



Above the magnon gap

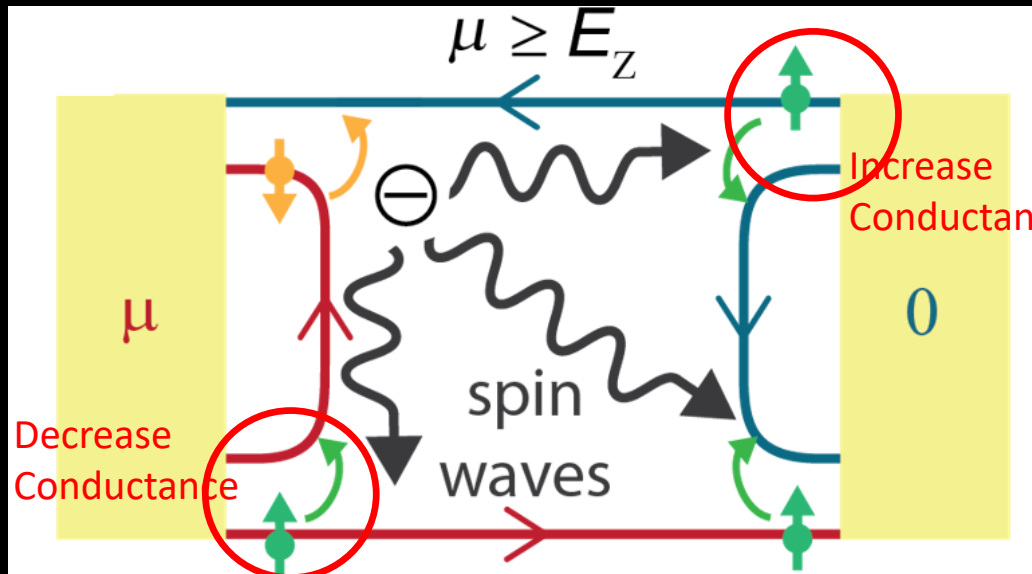
Quantum Hall Magnons



Below the magnon gap

magnon gap at:

$$E_Z = g\mu_B B$$

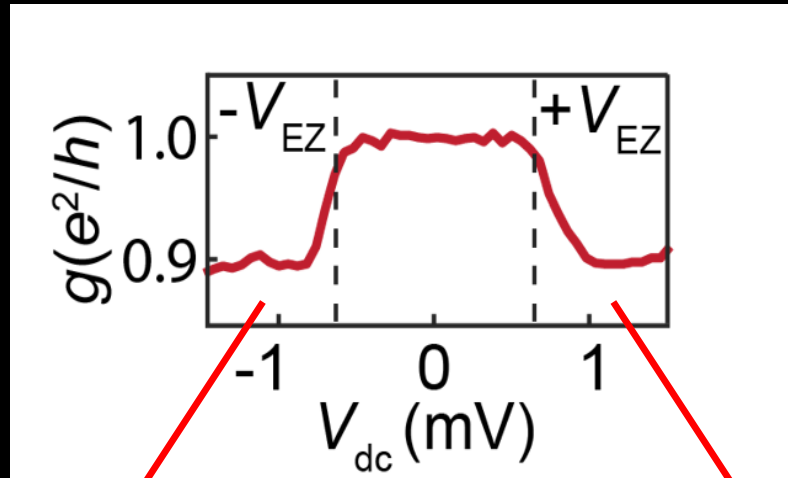


Above the magnon gap

Increase:
Same edge

Decrease:
Opposite edge

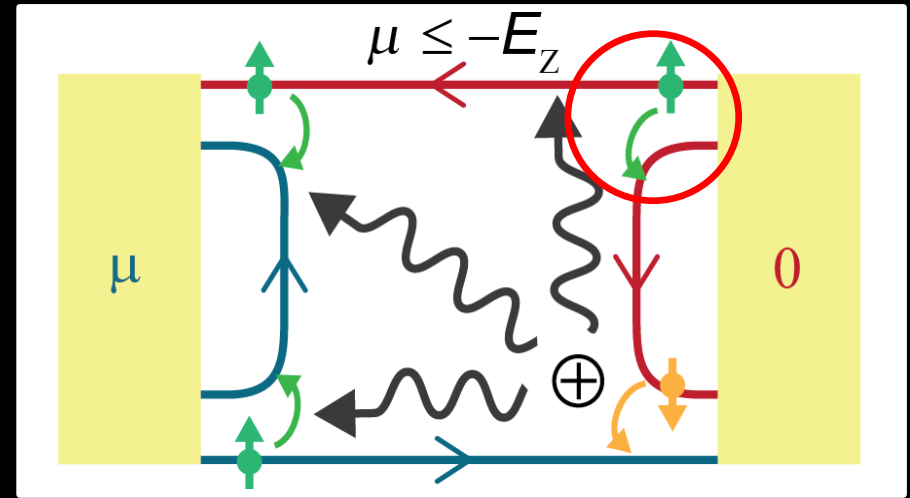
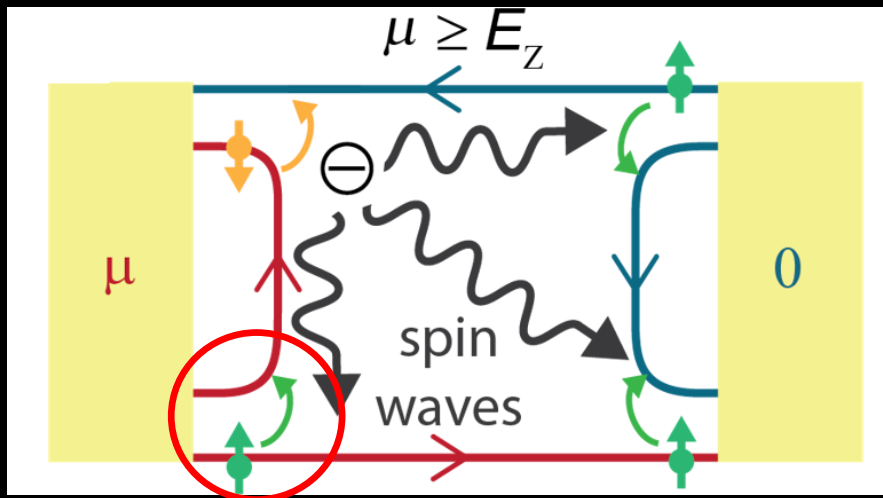
Quantum Hall Magnons



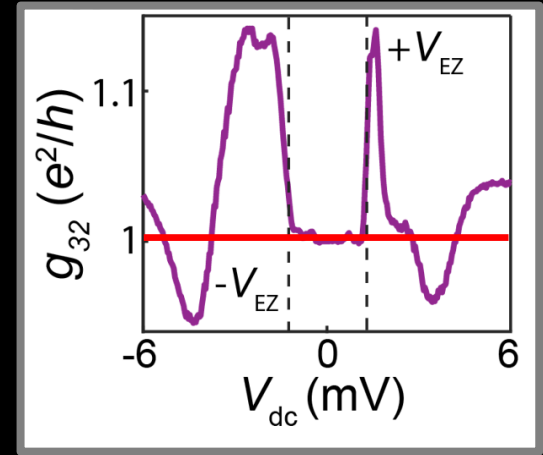
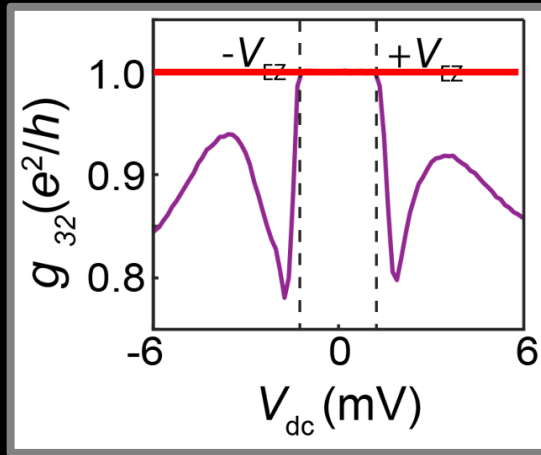
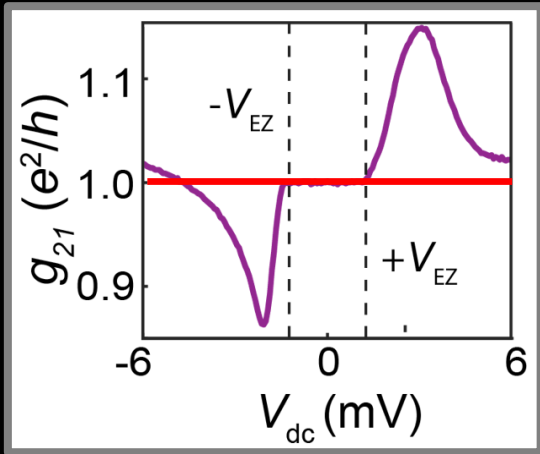
magnon gap at:

$$E_Z = g\mu_B B$$

Above the magnon gap

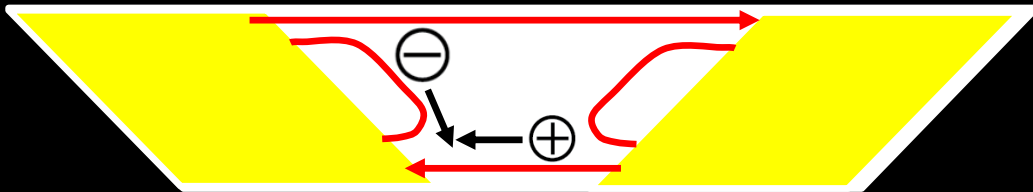


Quantum Hall Magnons

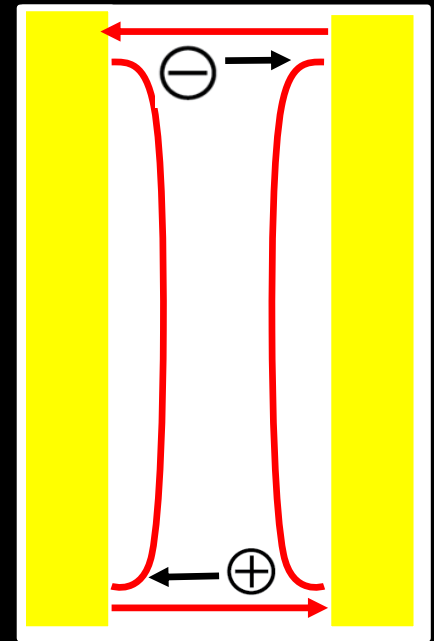


Increase:
Same edge

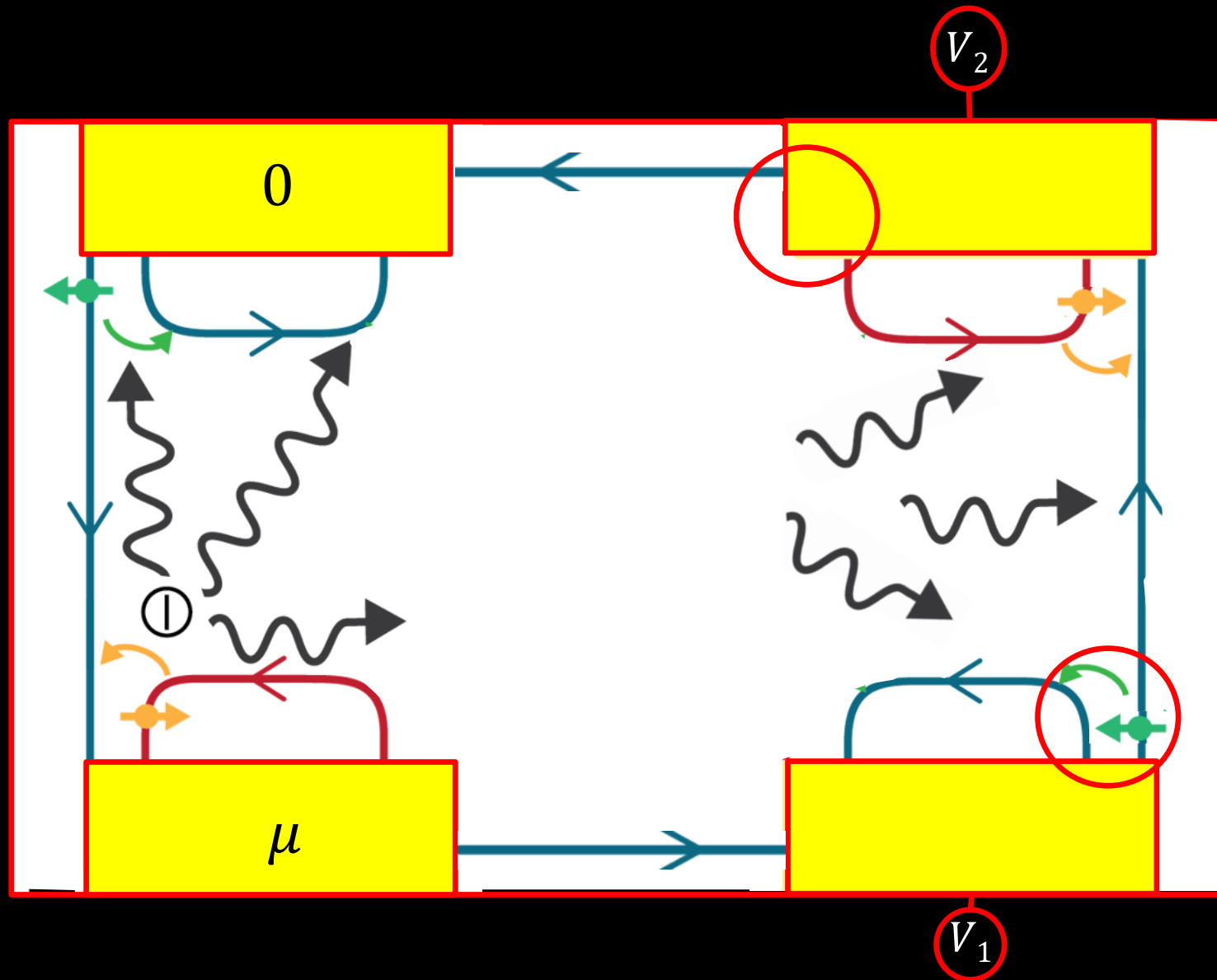
Decrease:
Opposite edge



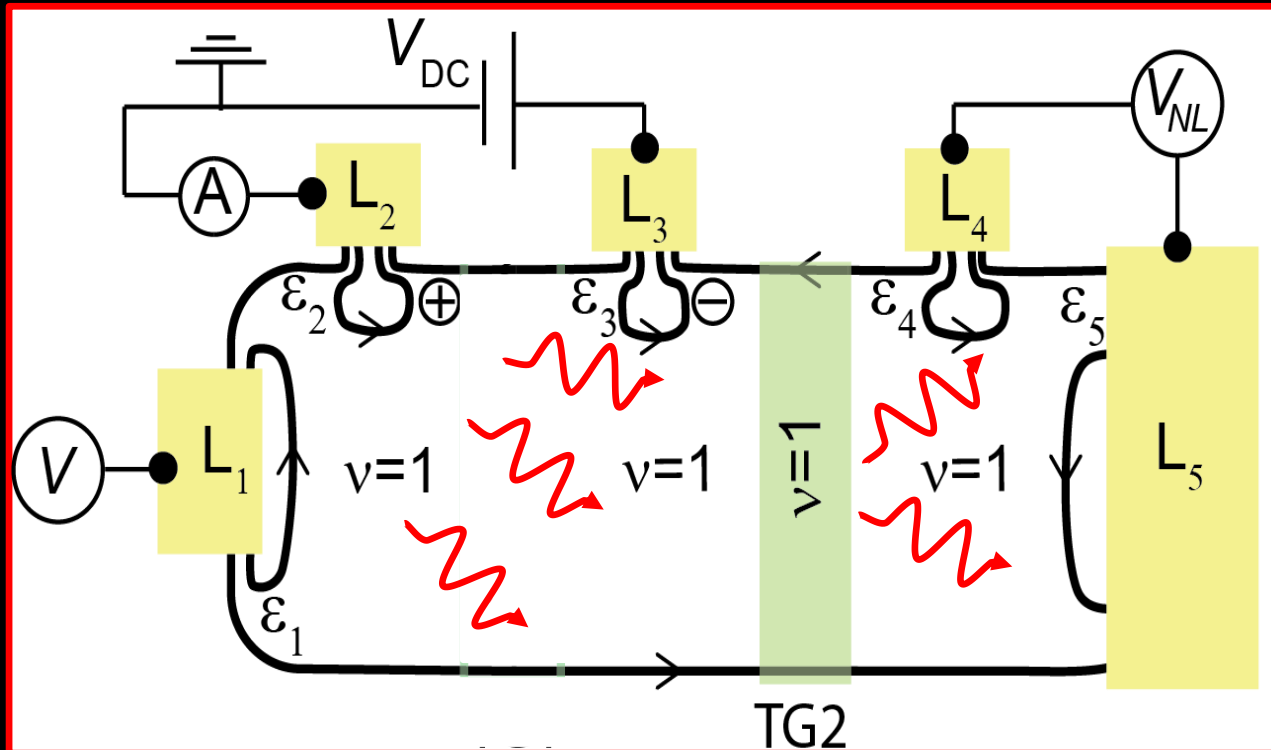
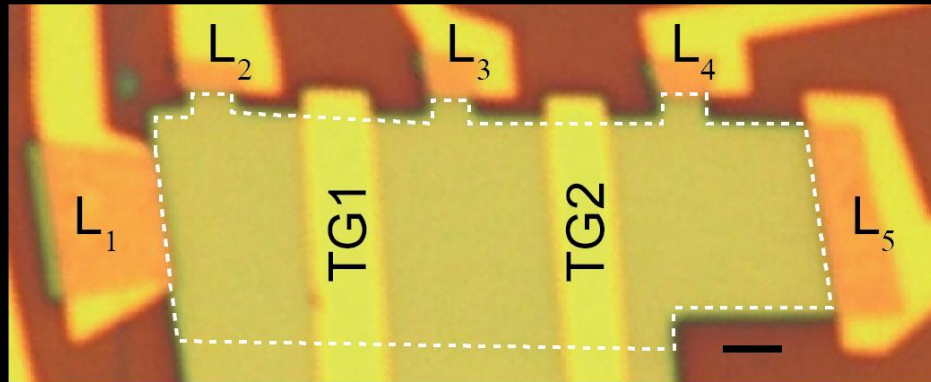
Distance of magnon propagation
determines dominant process



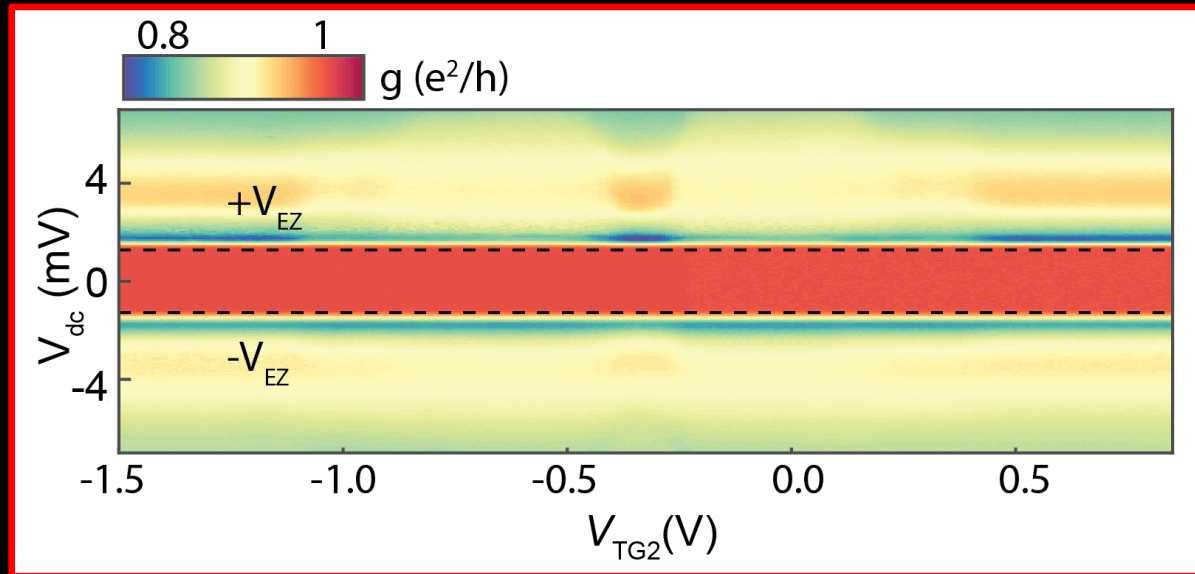
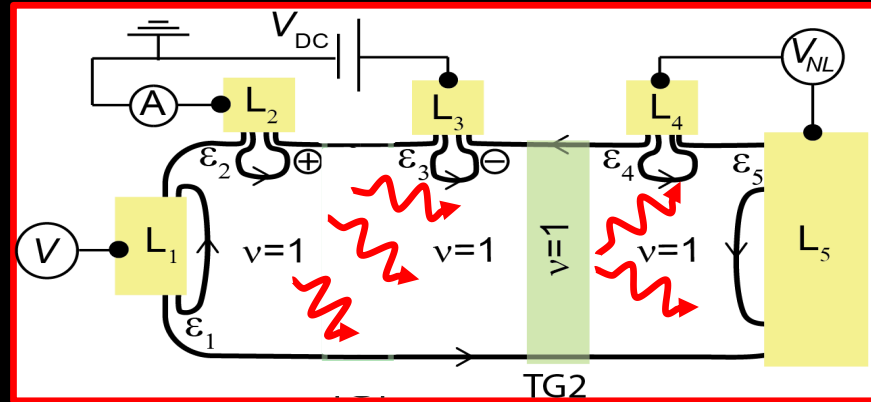
Non Local Experiments



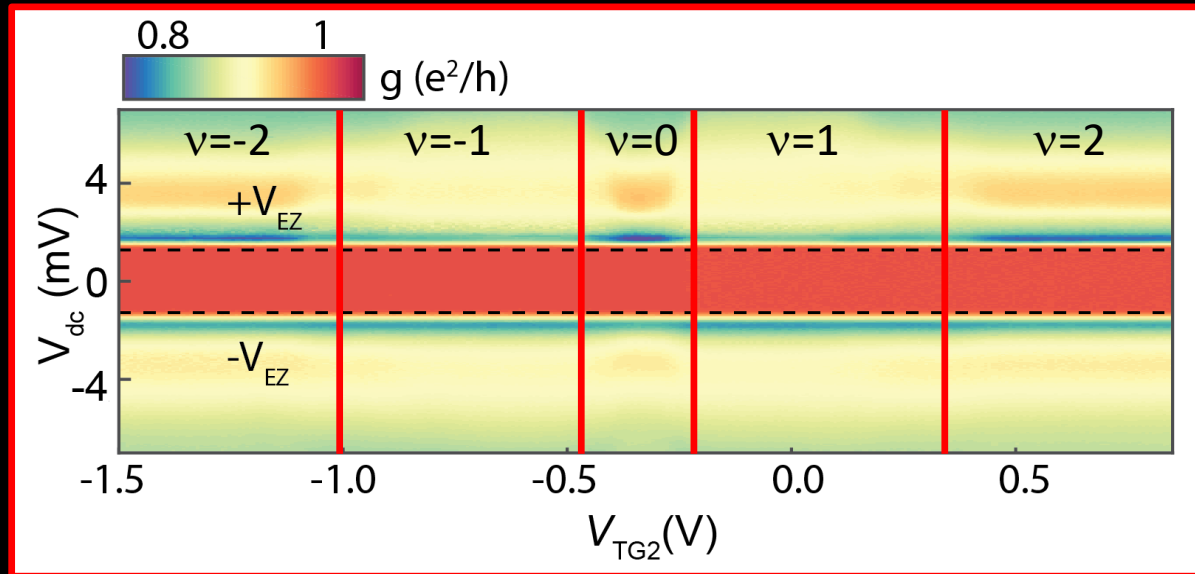
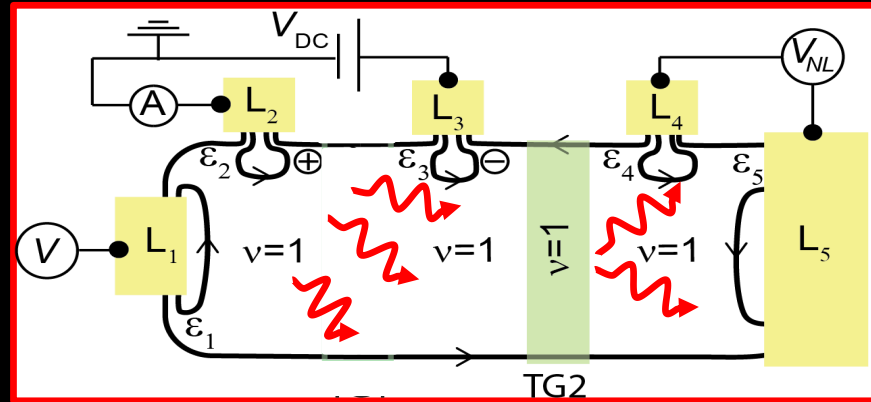
Magnon Scattering Experiments



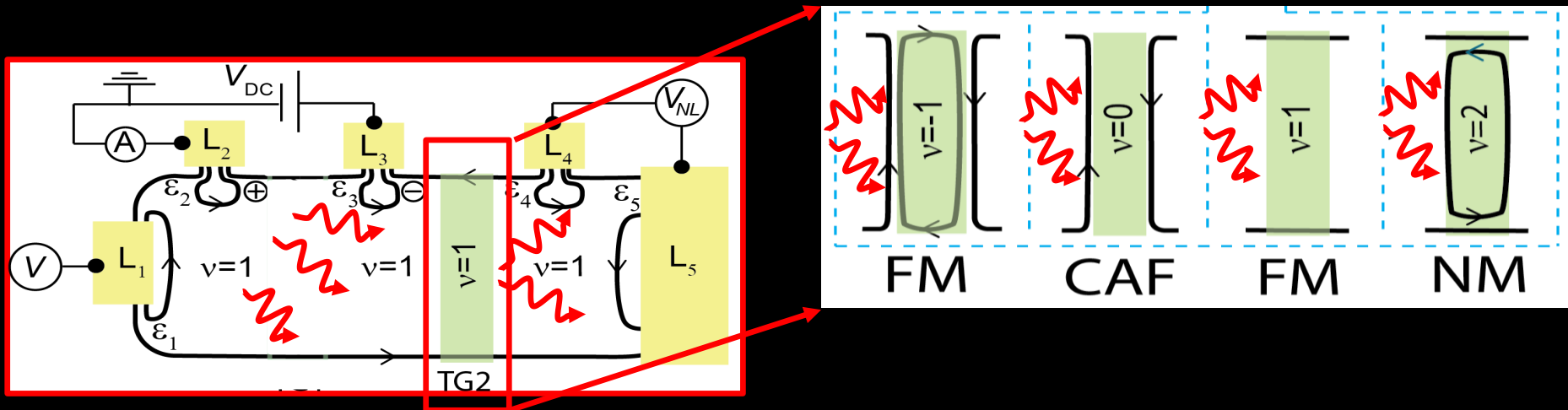
Magnon Scattering Experiments



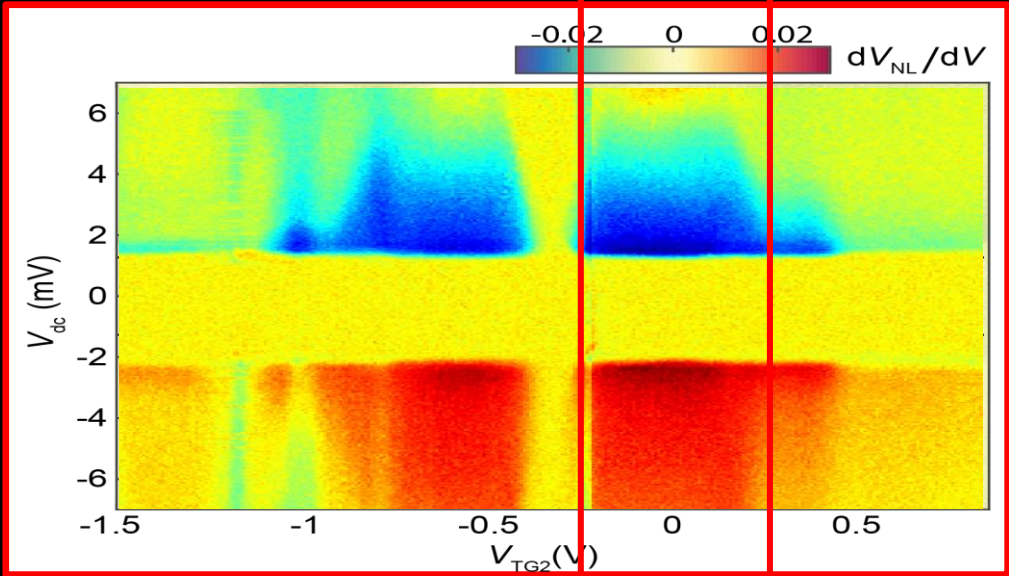
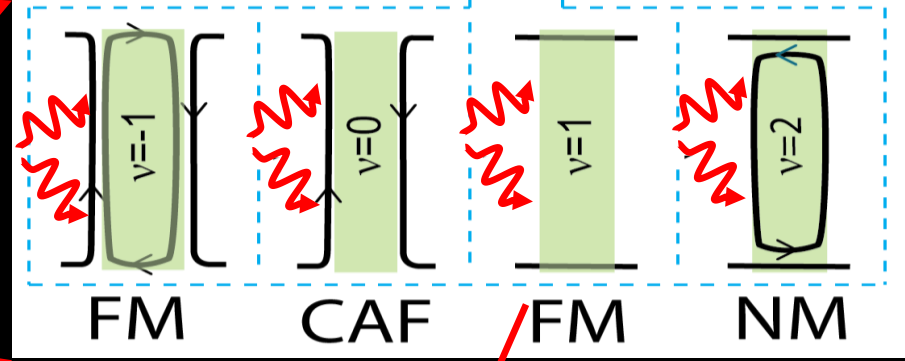
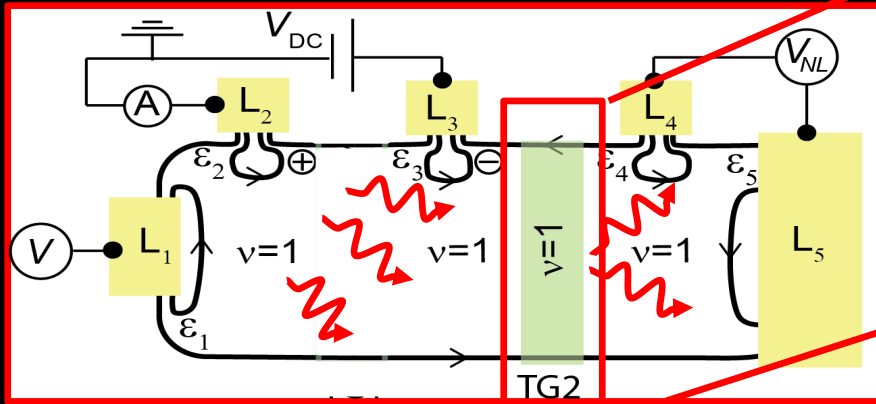
Magnon Scattering Experiments



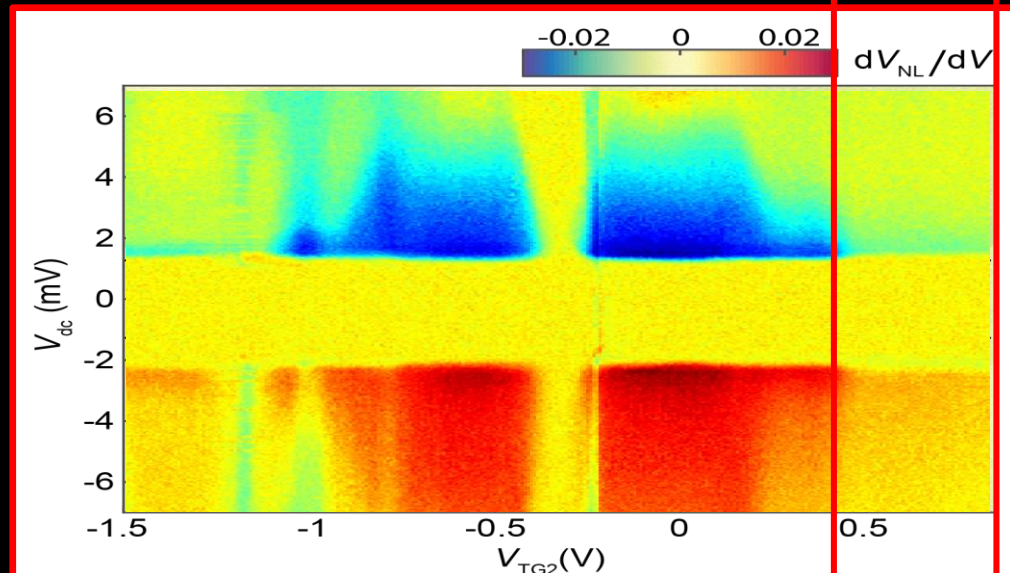
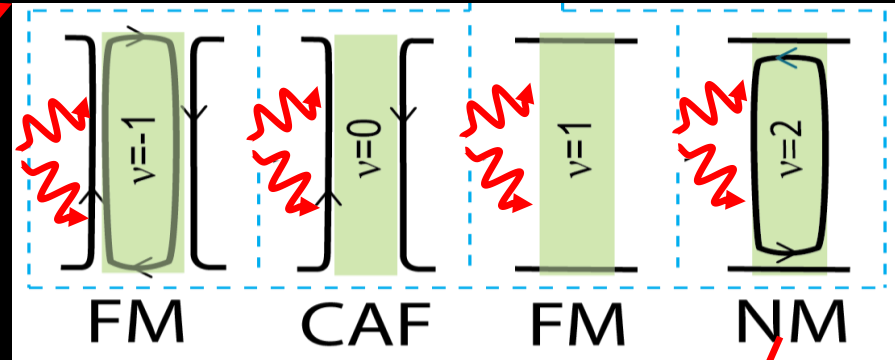
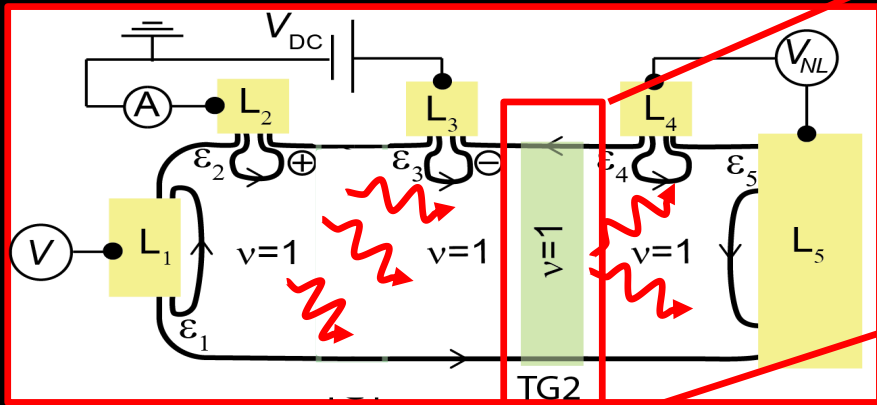
Magnon Scattering Experiments



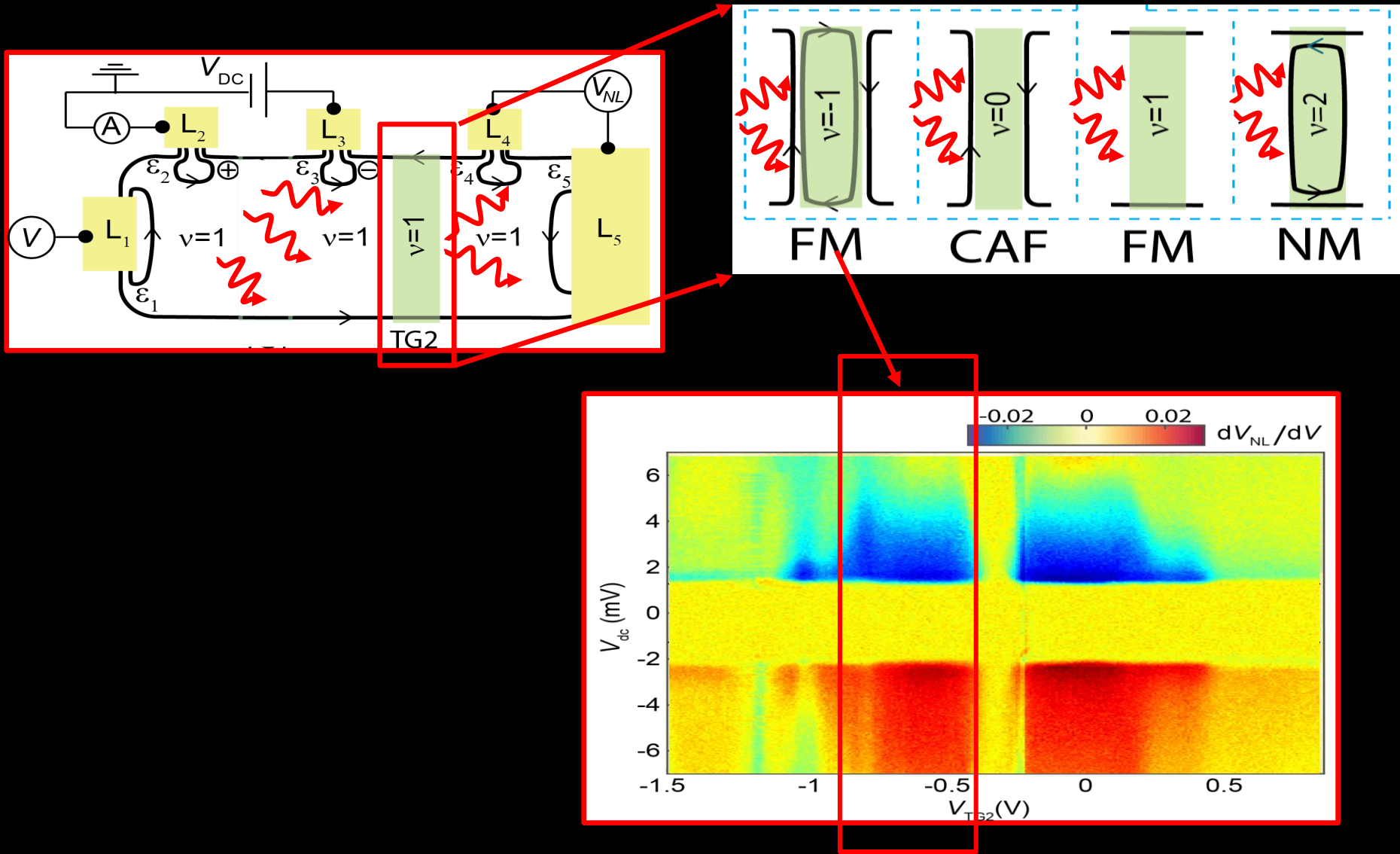
Magnon Scattering Experiments



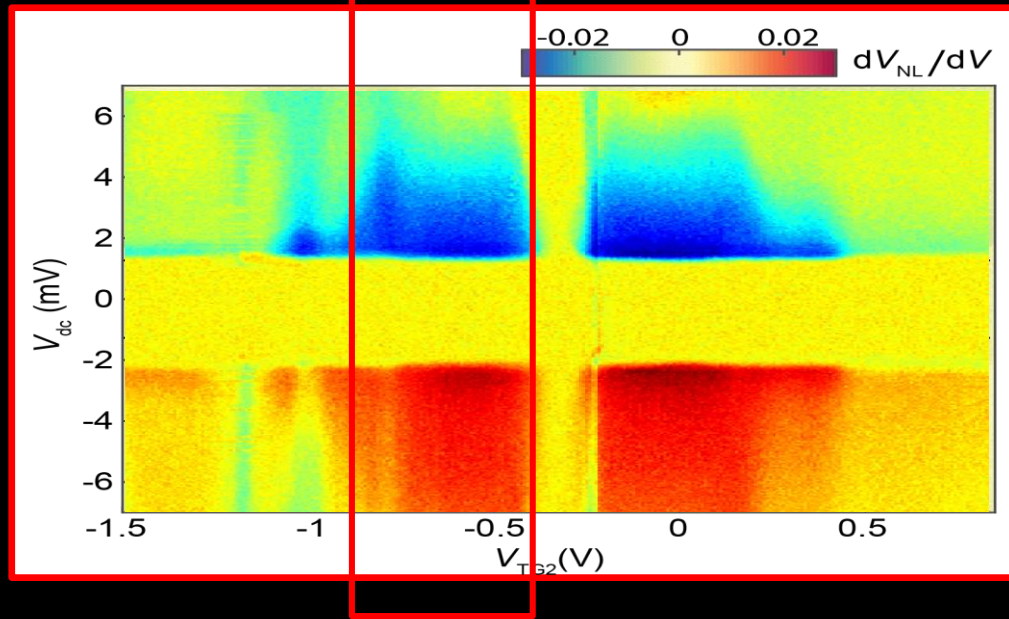
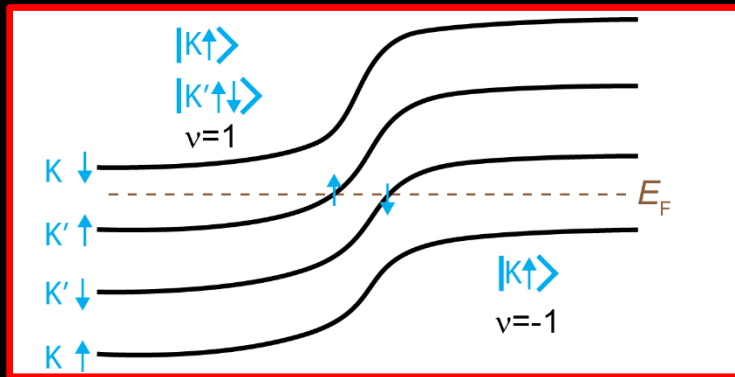
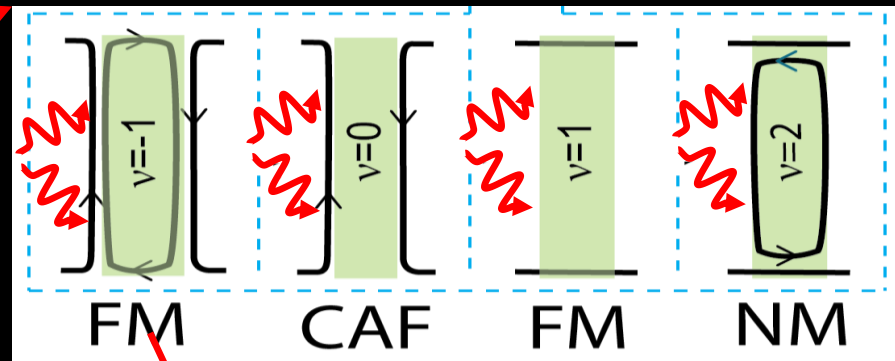
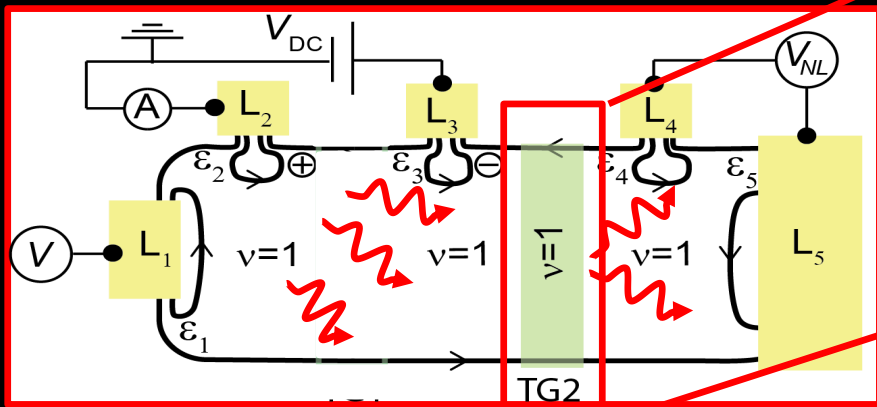
Magnon Scattering Experiments



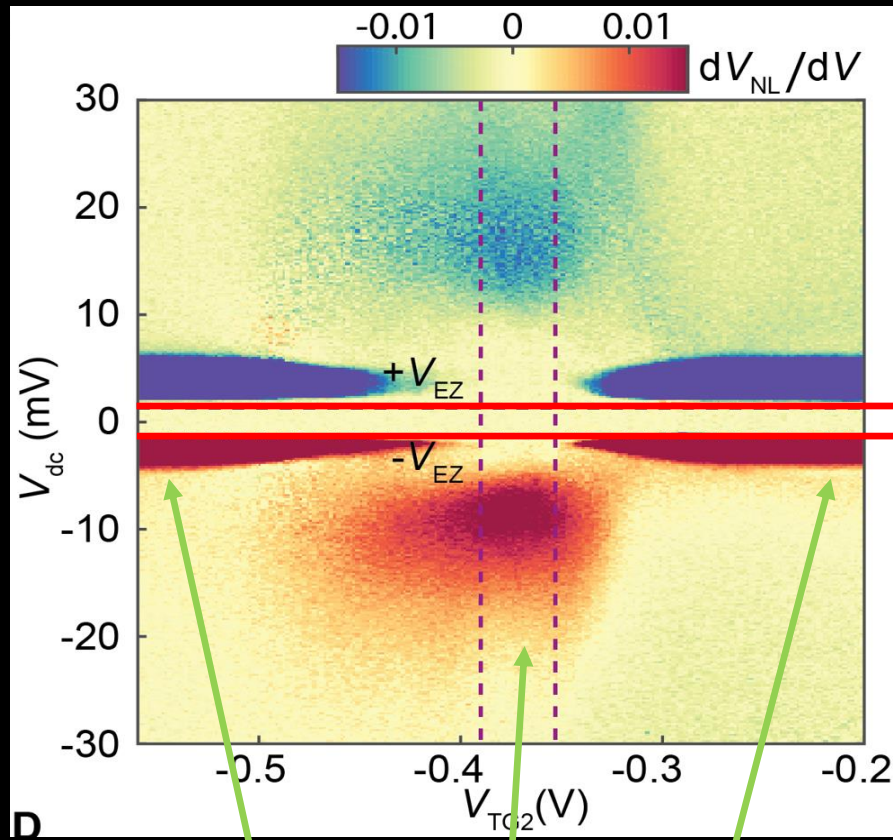
Magnon Scattering Experiments



Magnon Scattering Experiments

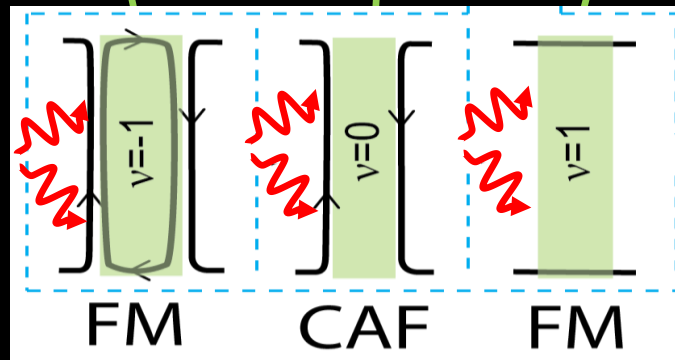


Magnon Scattering Experiments

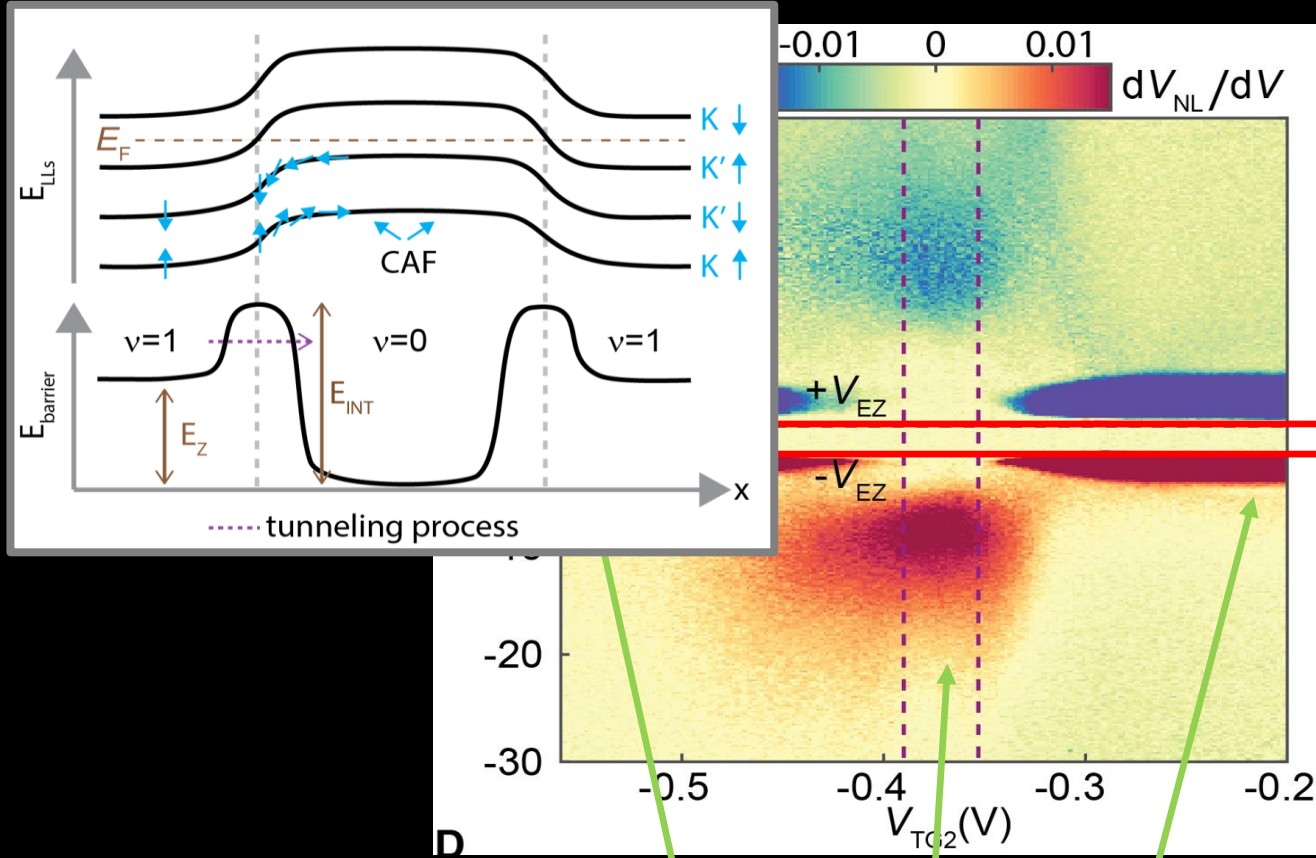


magnon gap at:

$$E_z = g\mu_B B$$

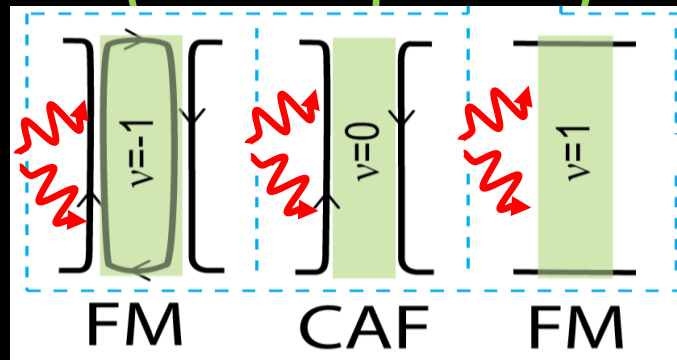


Magnon Scattering Experiments

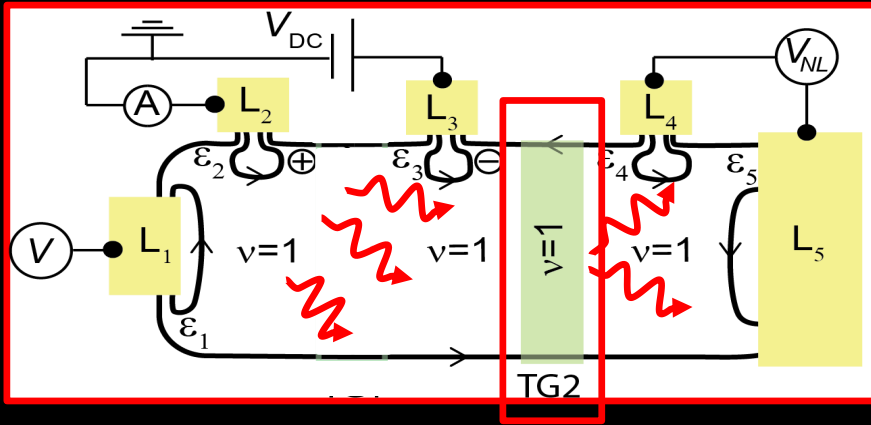


magnon gap at:

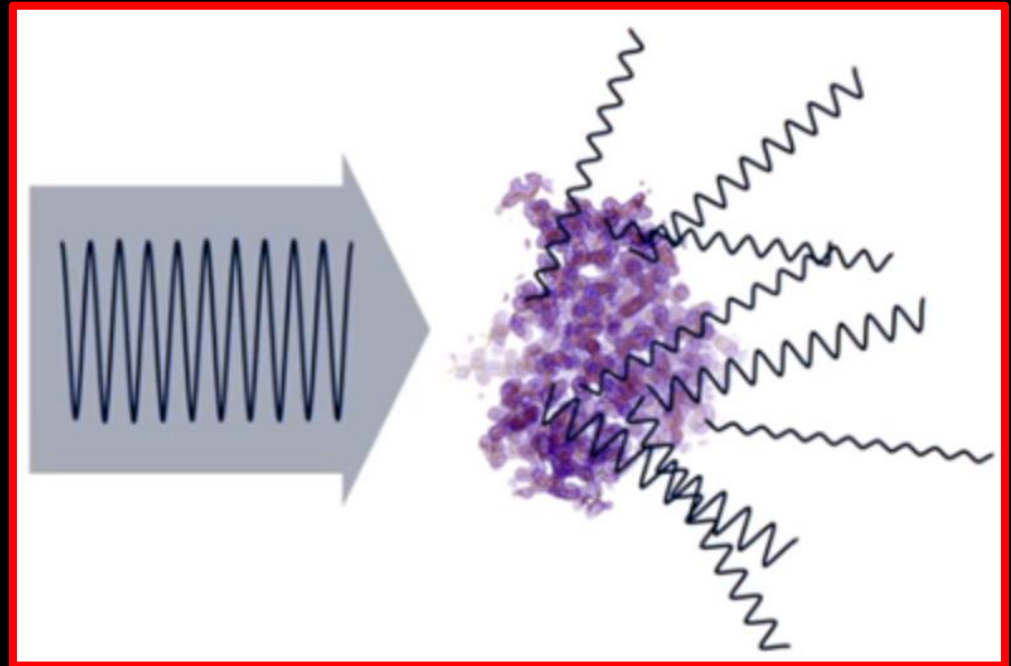
$$E_z = g\mu_B B$$



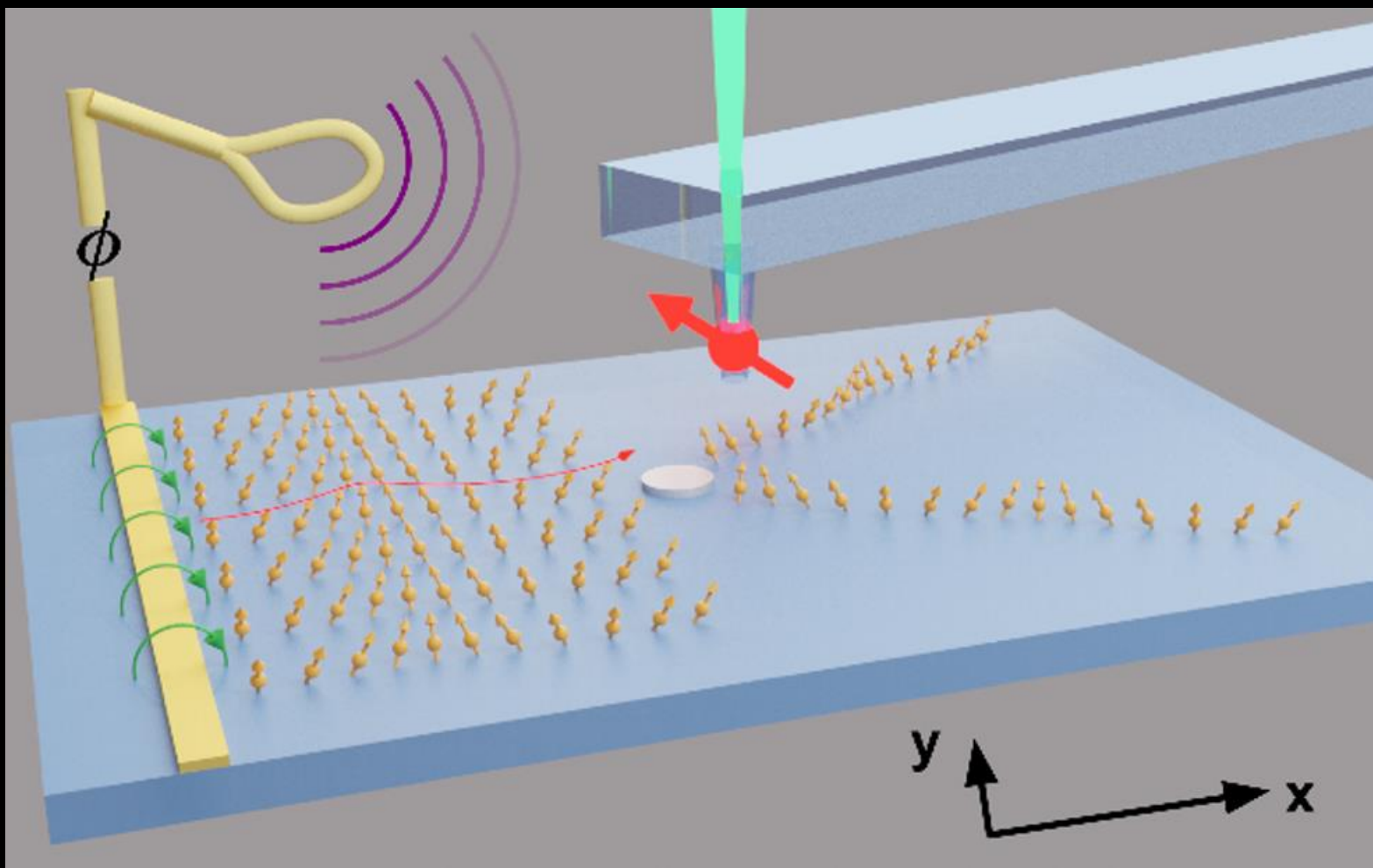
Scattering Platforms



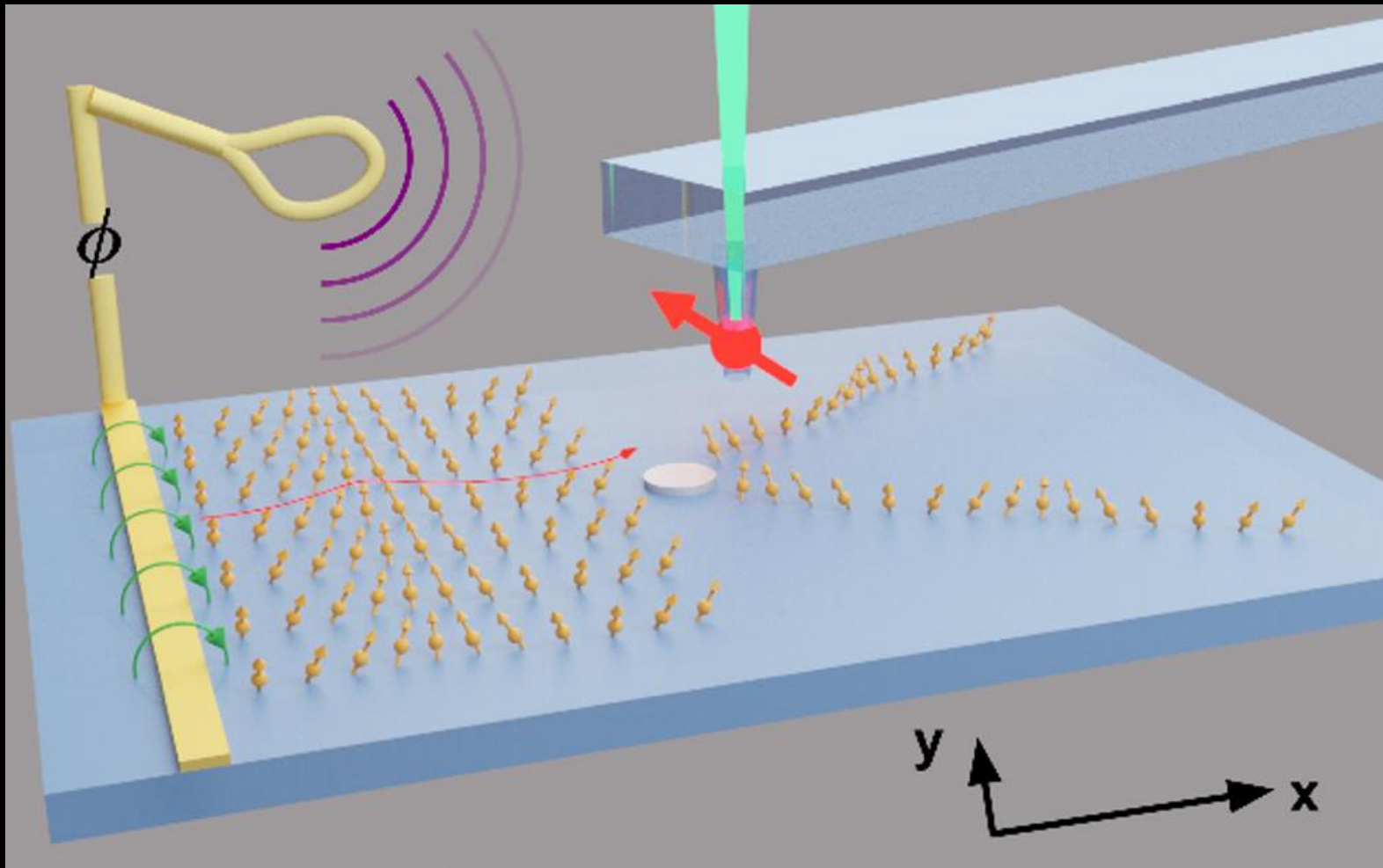
- Can we perform a scattering experiment with magnons?



Magnon Scattering Platform



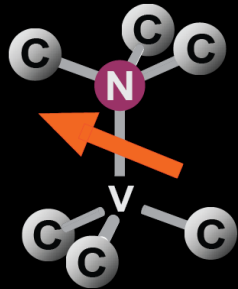
Magnon Scattering Platform



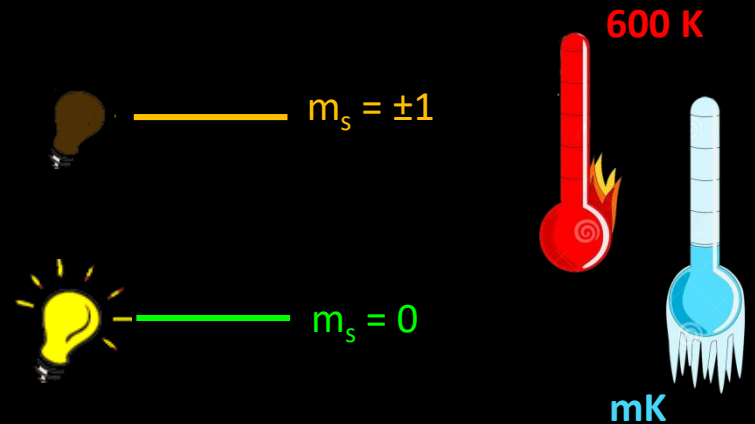
- 1) Launch coherent waves with well defined energy and momentum
- 2) Detect scattered waves, ideally, both amplitude and phase
- 3) Appreciable interaction of magnons with the target material
- 4) Reliable extraction of target material properties

What makes NV-spins in diamond well-suited?

- Atom-sized sensor



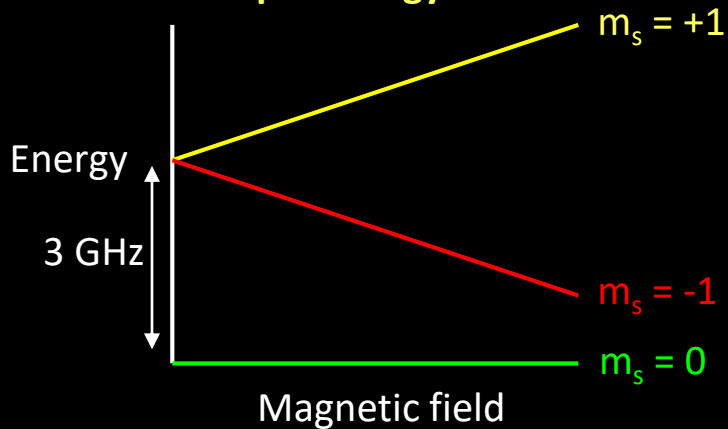
- Optical spin initialization and readout



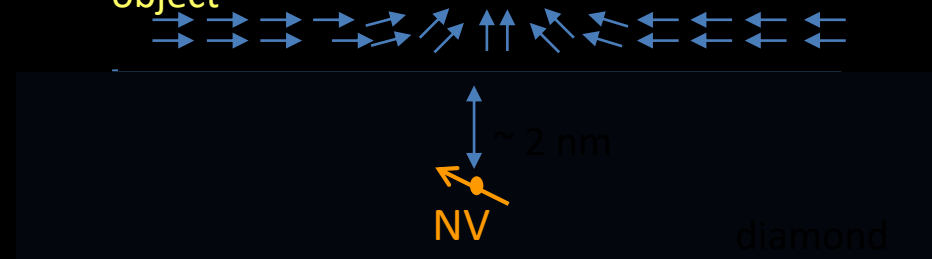
works over a broad temperature range

- Sensitive to magnetic & electric fields, and temperature

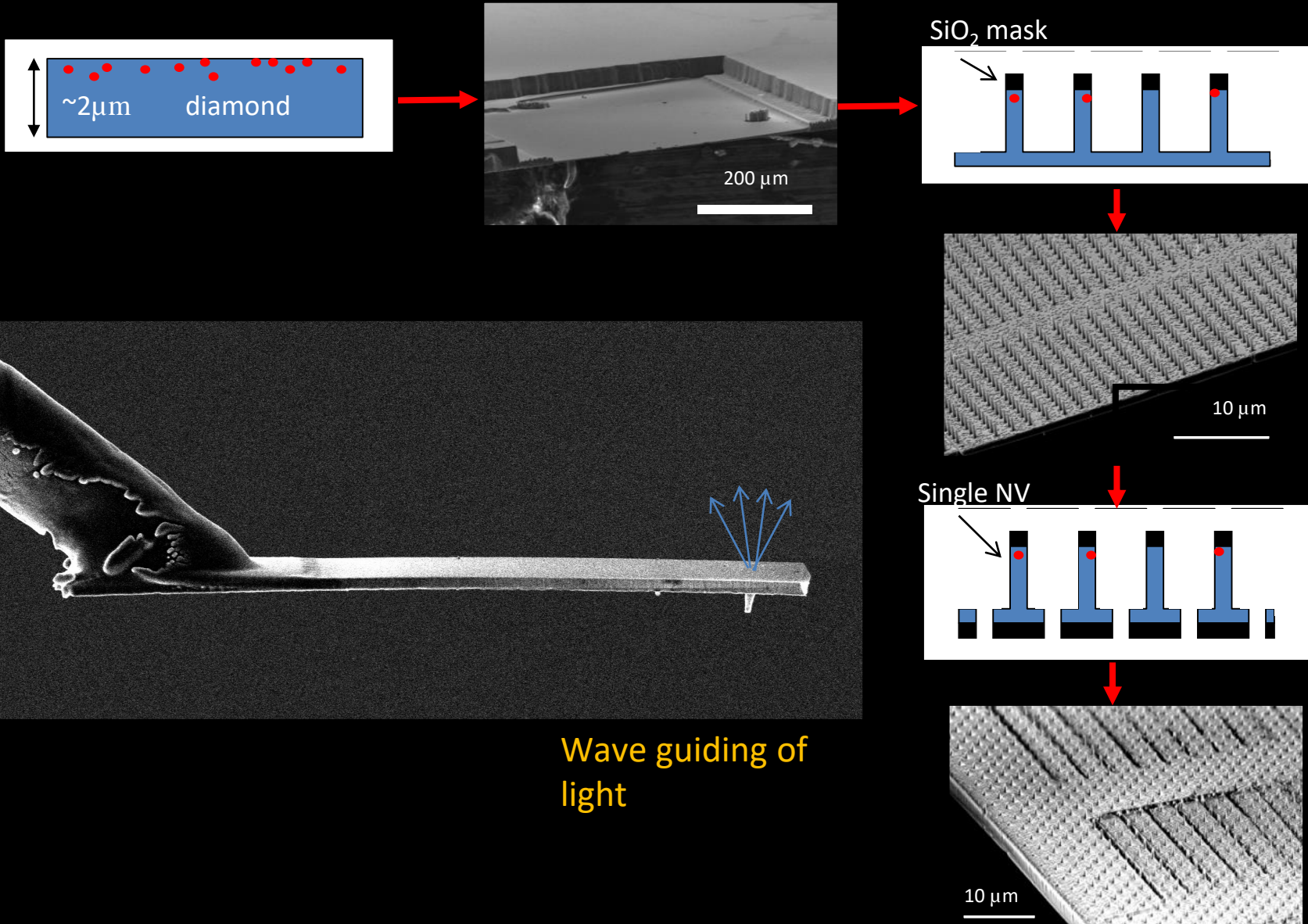
Spin energy levels



- Can be within a few nm of external object

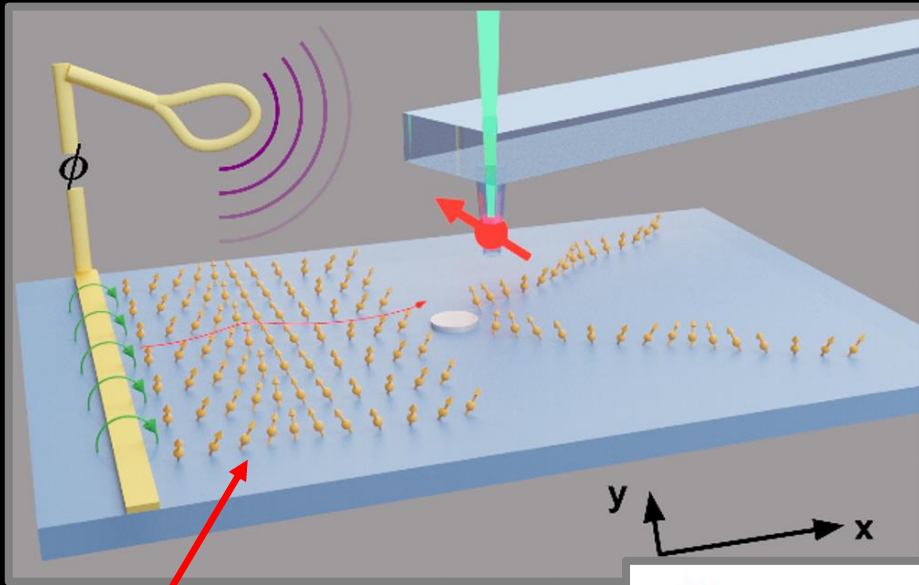


Fabricating Tips



Imaging Propagating Magnons

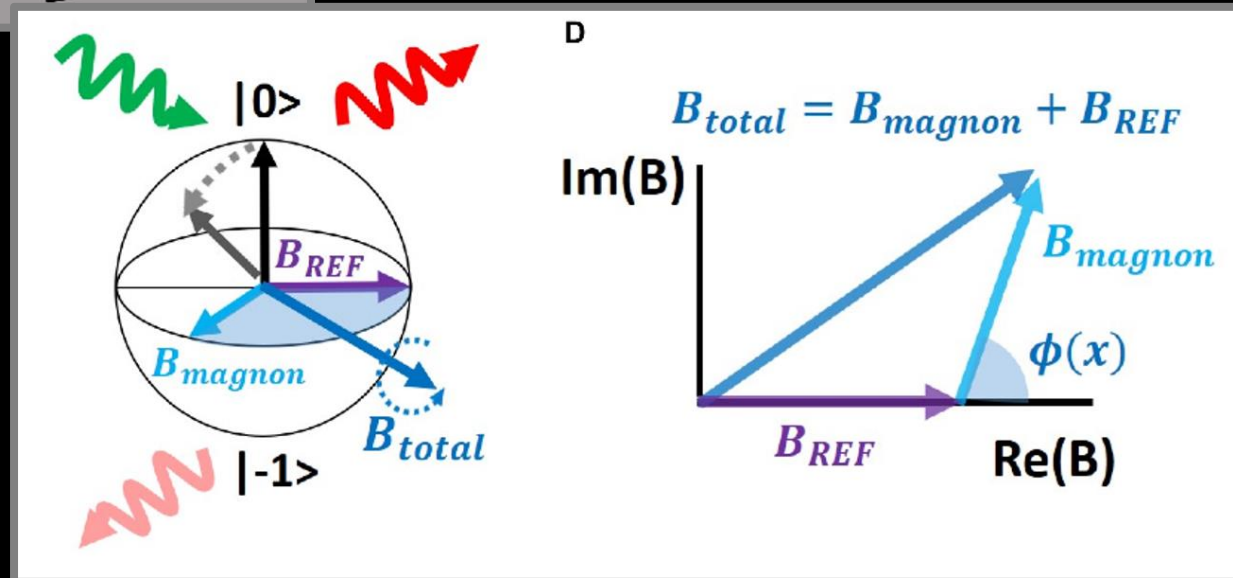
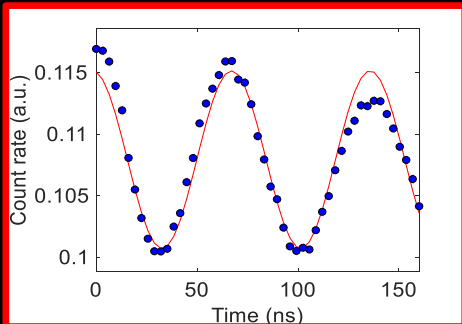
- NV centers are phase sensitive sensors.



- Frequency set by drive
- Wavelength set by dispersion
- Phase determined from interference

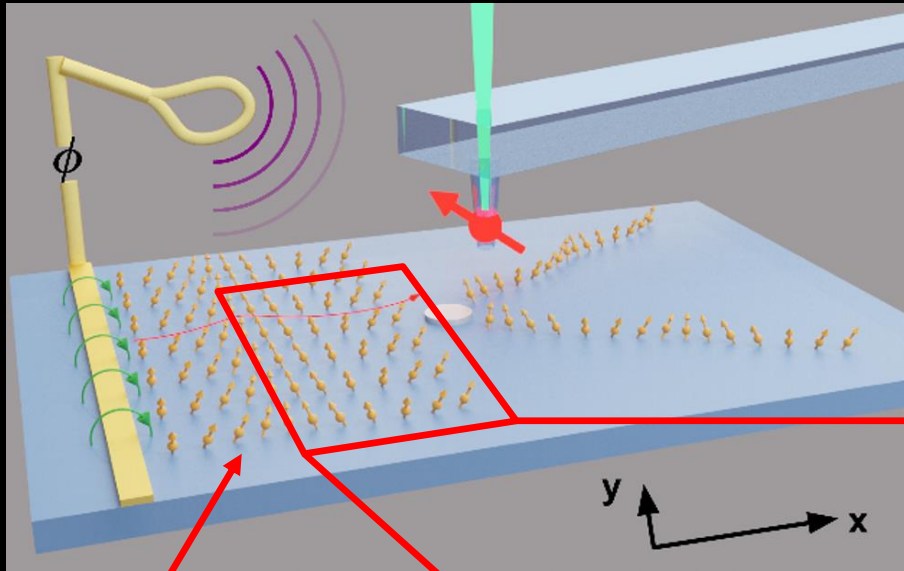
Position dependent phase

$$Be^{i\omega t + ikx}$$



Imaging Propagating Magnons

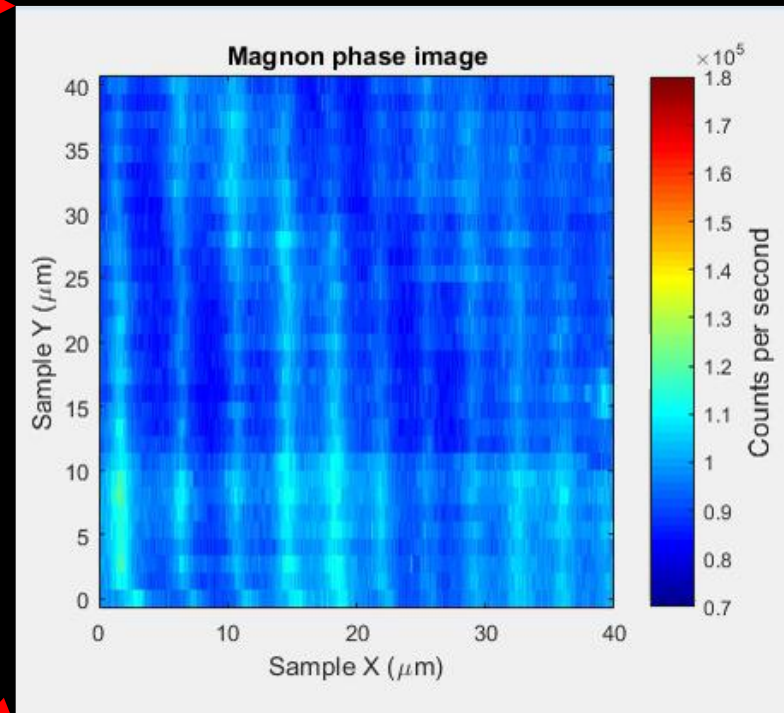
- NV centers are phase sensitive sensors.



- Frequency set by drive
- Wavelength set by dispersion
- Phase determined from interference

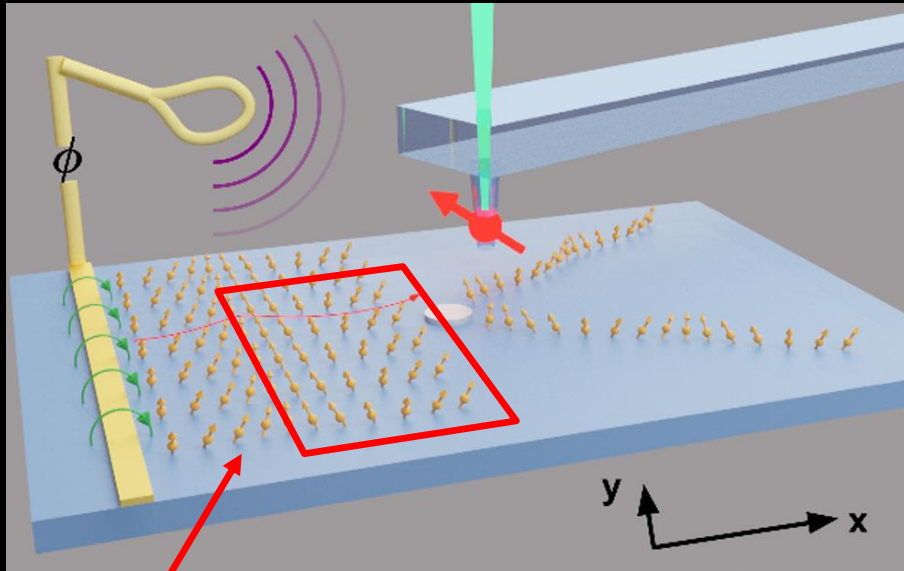
Position dependent phase

$$B e^{i\omega t + ikx}$$



Magnon Dispersion

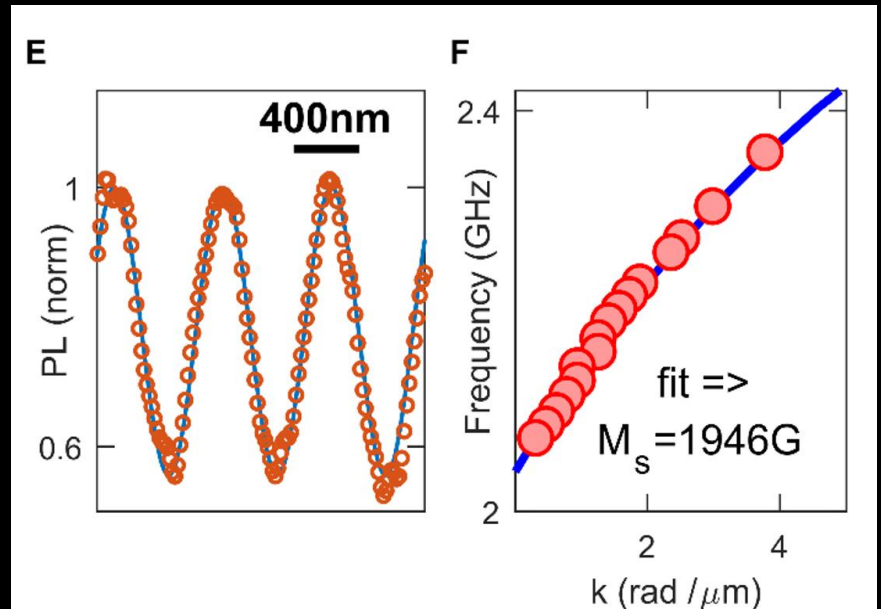
- NV centers are phase sensitive sensors.



Position dependent phase

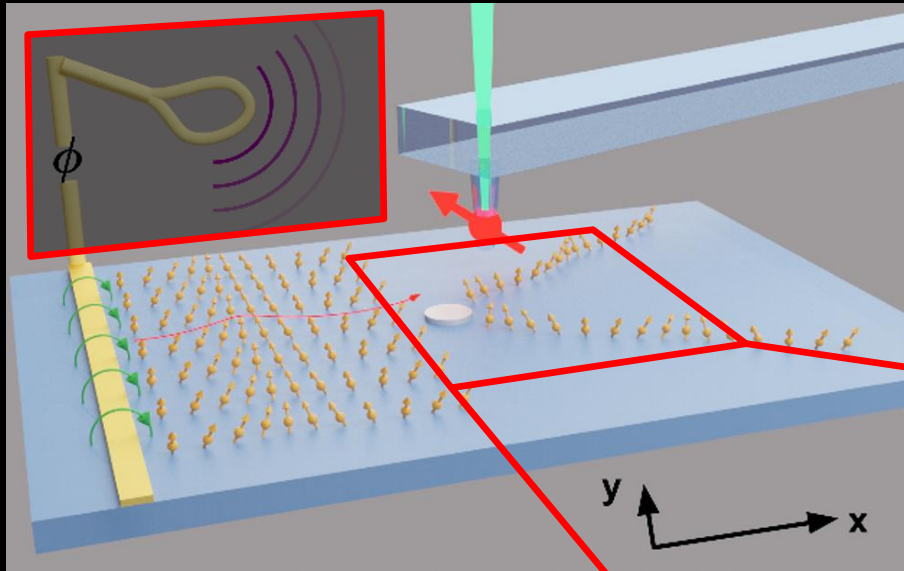
$$B e^{i\omega t + ikx}$$

- Frequency set by drive
- Wavelength set by dispersion
- Phase determined from interference



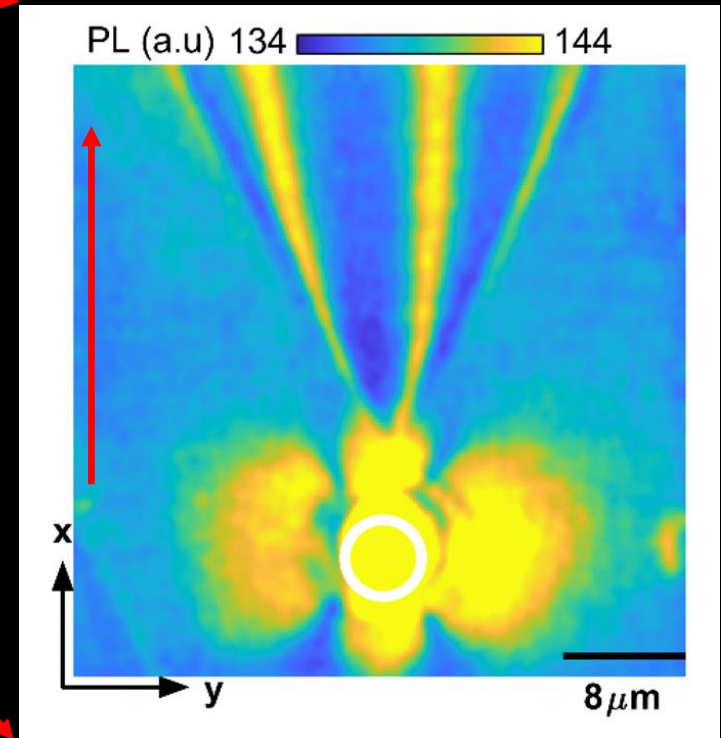
Scattered Amplitude Map

- NV centers are phase sensitive sensors.



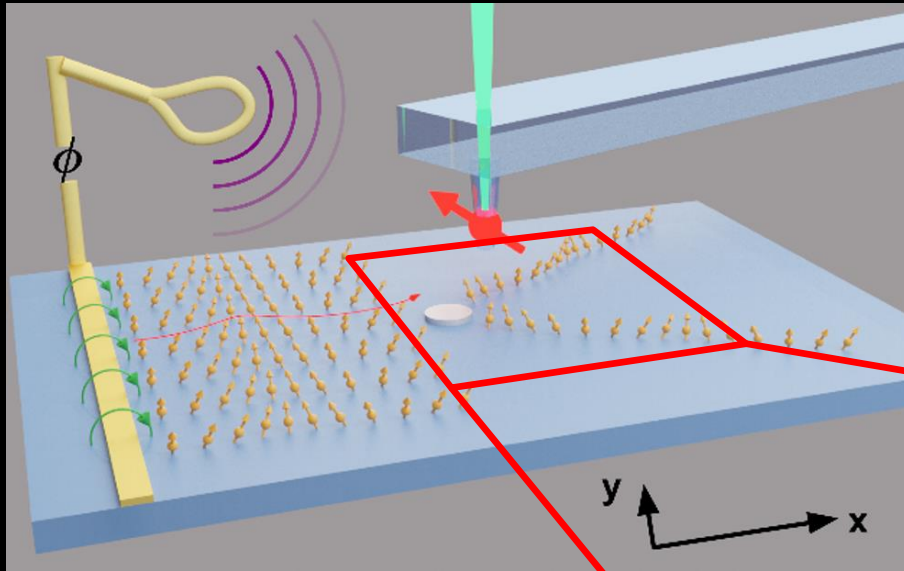
Excite only with strip line

- Frequency set by drive
- Wavelength set by dispersion
- Phase determined from interference



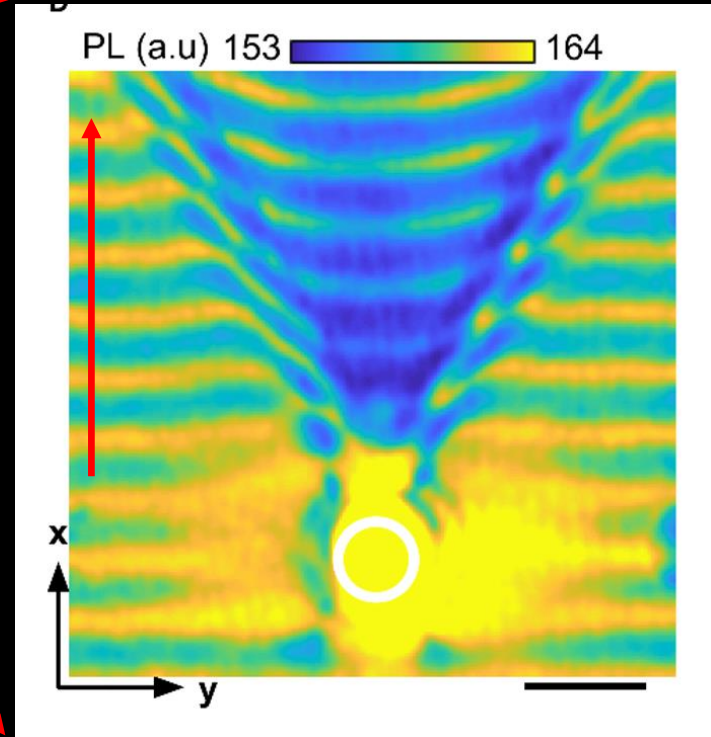
Scattered Phase Map

- NV centers are phase sensitive sensors.



- Frequency set by drive
- Wavelength set by dispersion
- Phase determined from interference

Excite Both strip line and Antenna



Model and Reconstruction

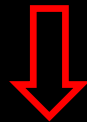
Looking for the time dependent component

$$\mathbf{H} = H_0 \hat{\mathbf{y}} + \mathbf{h} e^{-i\omega t}, \quad \mathbf{M} = M_S \hat{\mathbf{y}} + \mathbf{m} e^{-i\omega t}$$

Magnetostatics Maxwell's equations – Valid when $\lambda_{vacuum} \gg \lambda_{medium}$

$$\nabla \times \mathbf{h} = 0, \quad \nabla \cdot (\mathbf{h} + 4\pi \mathbf{m}) = 0$$

$$\mathbf{m} = \mathbf{m}_0 + \delta \mathbf{m}_{target}$$

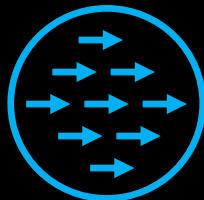


$$\mathbf{h} = -\nabla \psi$$

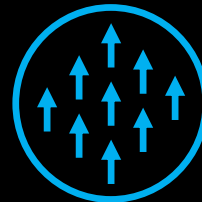
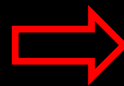


$$\nabla^2 \psi = 4\pi \nabla \cdot \delta \mathbf{m}_{target}$$

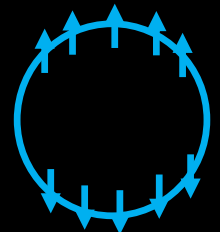
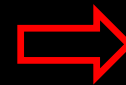
Example: Magnetized Disc



\mathbf{m}_0

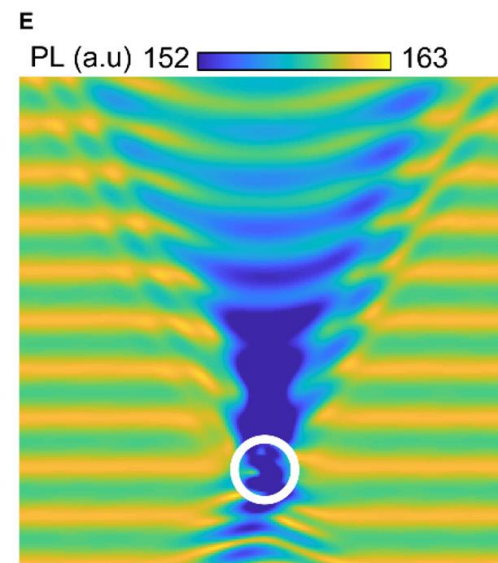
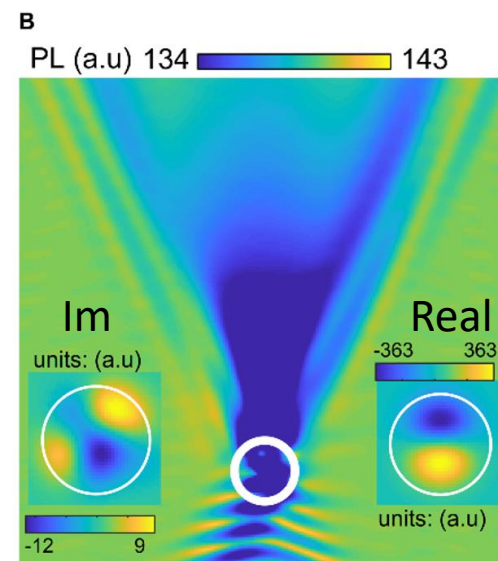
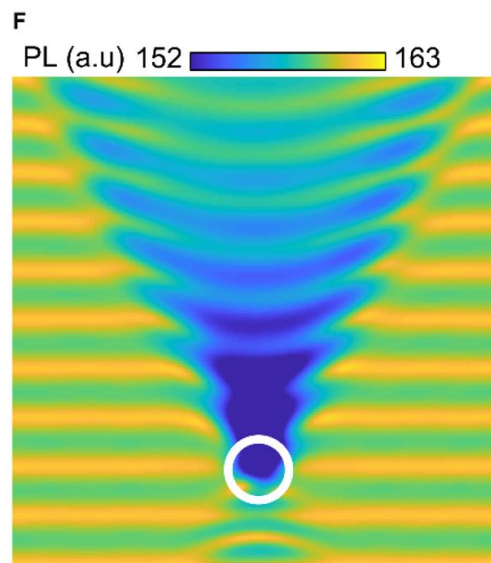
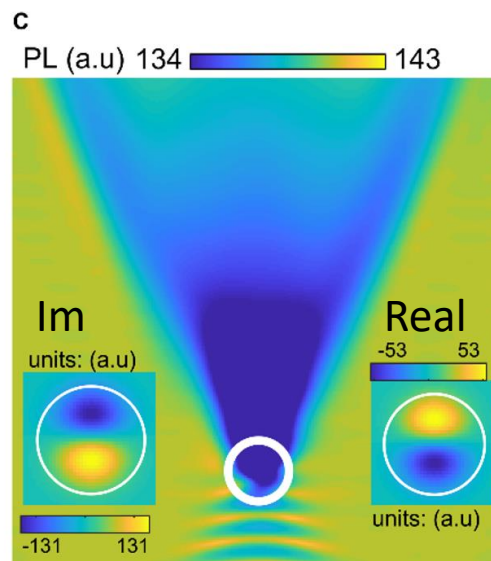
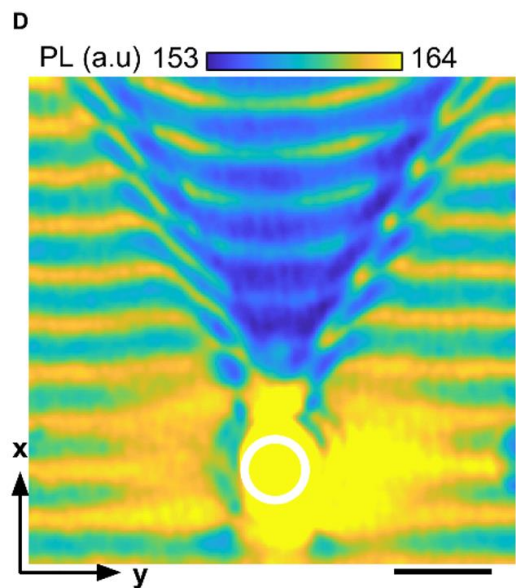
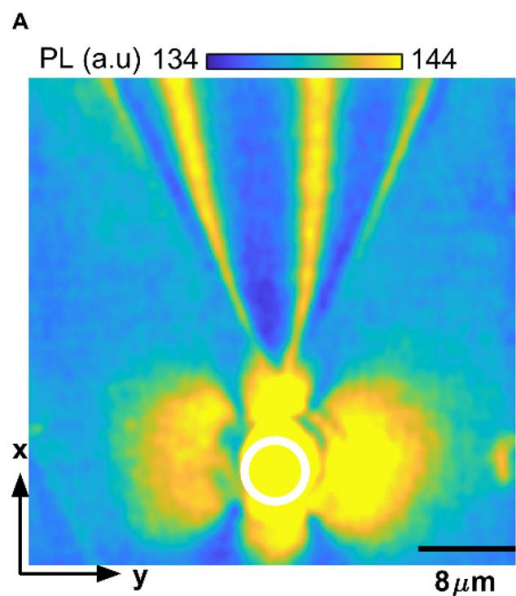


$\delta \mathbf{m}_{target}$



$\nabla \cdot \delta \mathbf{m}_{target}$

Model and Reconstruction



Magnons as a New Probe of Correlated Electron Physics

DiDi Wei

Toeno van
der Sar

Tony Zhou

Daniel
Fernandez



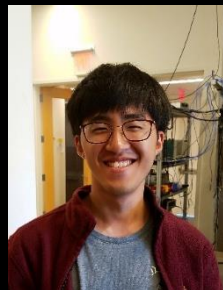
Andrew
Pierce

Seung Hwan
Lee

Yonglong
Xie

Lisa
Gächter

Joris
Carmiggelt



Bert Halperin

Eugene
Demler

Ilya Esterlis

Dries Sels

