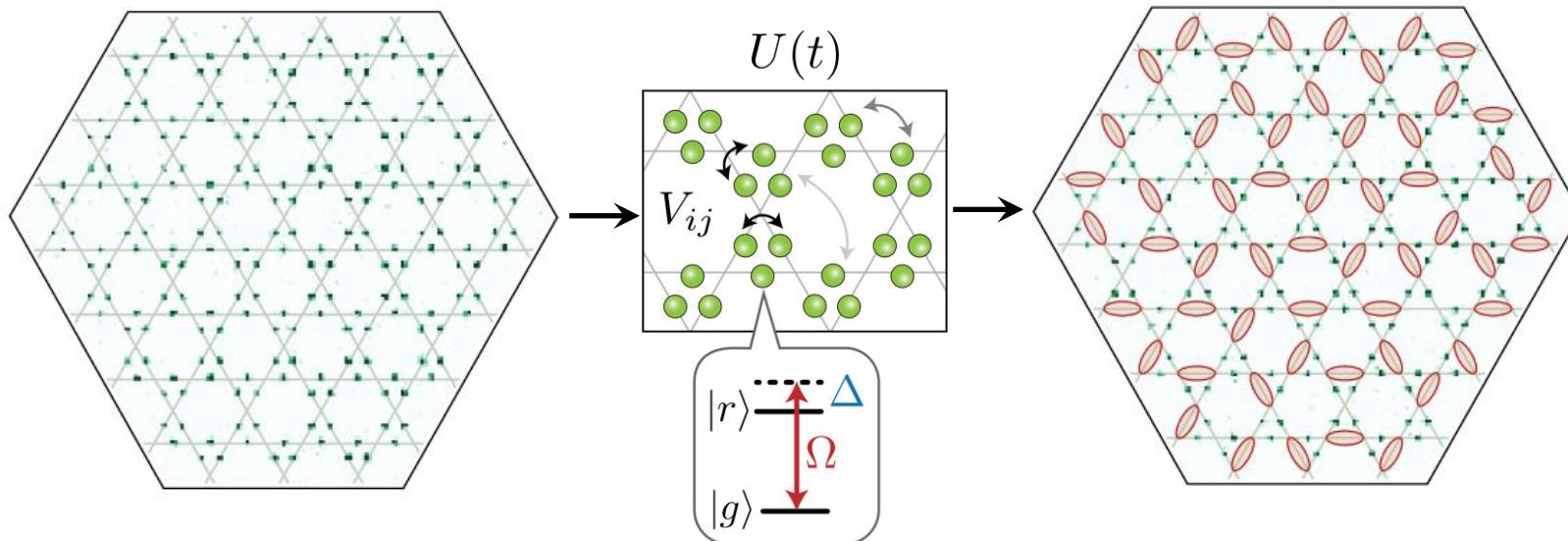


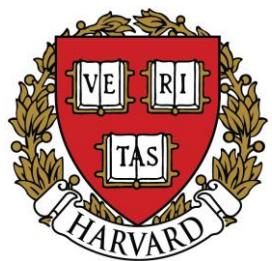
Exploring new scientific frontiers with programmable atom arrays



May 3rd, 2021

Giulia Semeghini

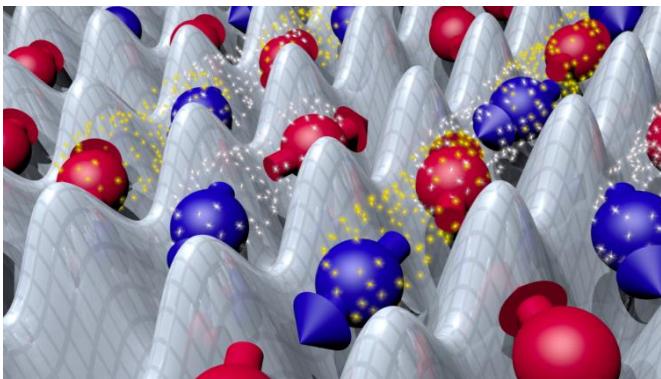
Lukin group - Harvard University



Frontiers of Quantum Science

Can we harness the power of quantum systems to learn new things
about **nature** and develop new **technology**?

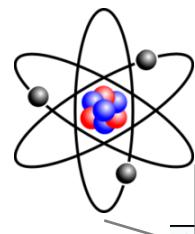
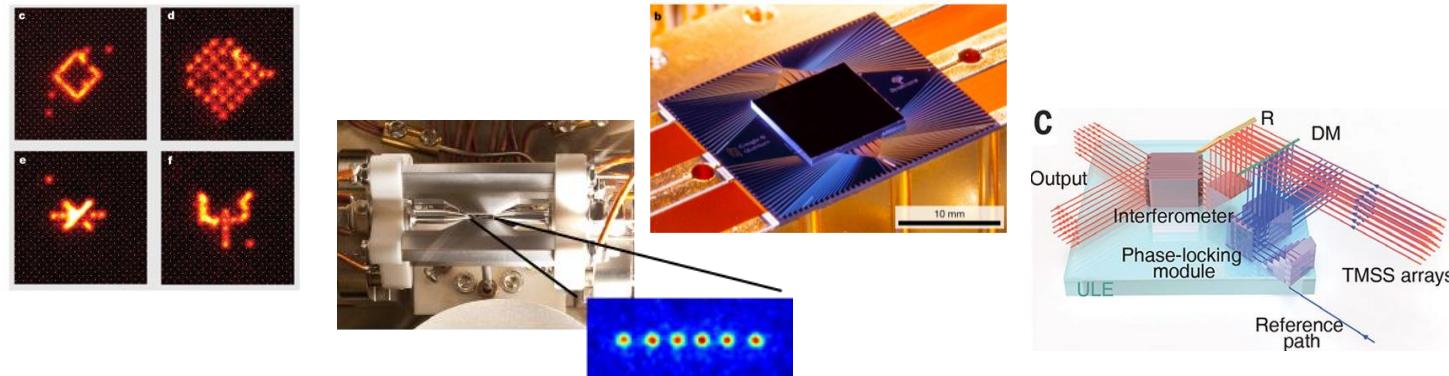
Quantum simulation



Quantum computing



Several platforms: ions, atoms, superconductors, photons, defects...

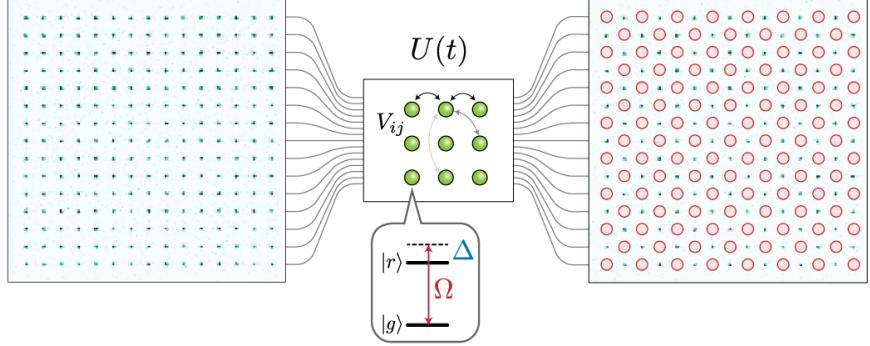


Our approach: **individual neutral atoms**

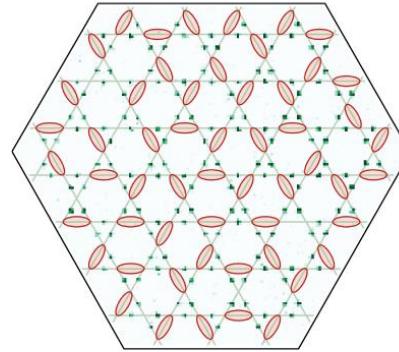
- Excellent isolation from the environment
- Well-developed toolbox:
 - Initialization, readout
 - Strong, switchable Rydberg interactions
- Highly scalable defect-free arrays (hundreds of atoms)
- Tunable system parameters

Outline

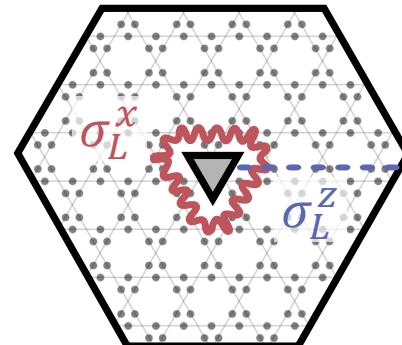
Programmable arrays of Rydberg atoms



Quantum spin liquid phase on a frustrated lattice

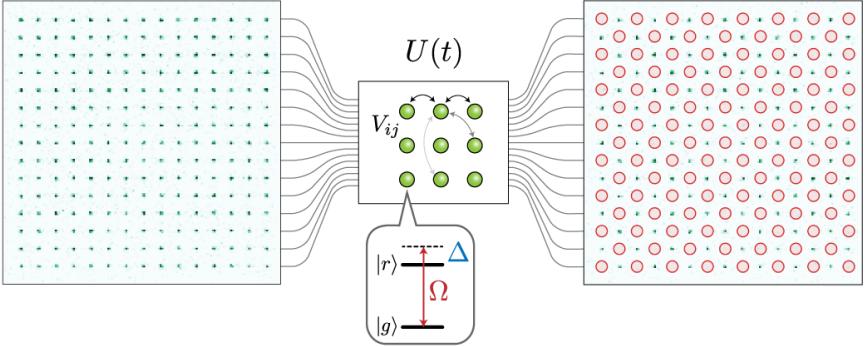


First steps towards a topological qubit

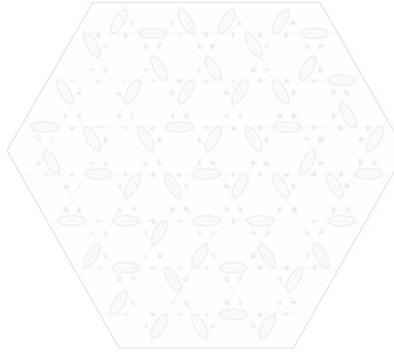


Outline

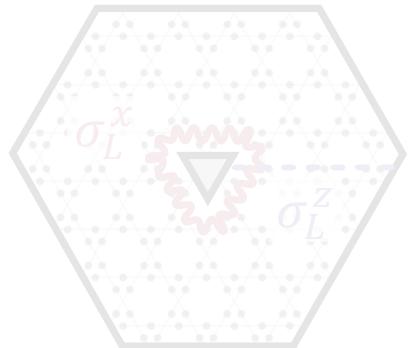
Programmable arrays of Rydberg atoms



Quantum spin liquid phase on a frustrated lattice



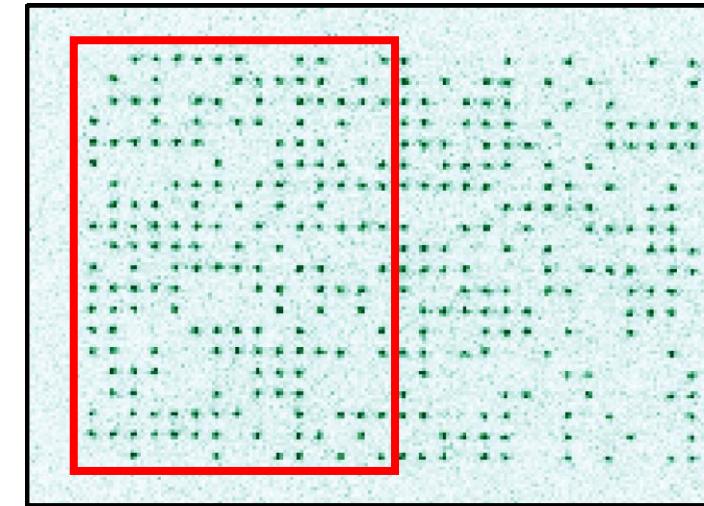
First steps towards a topological qubit



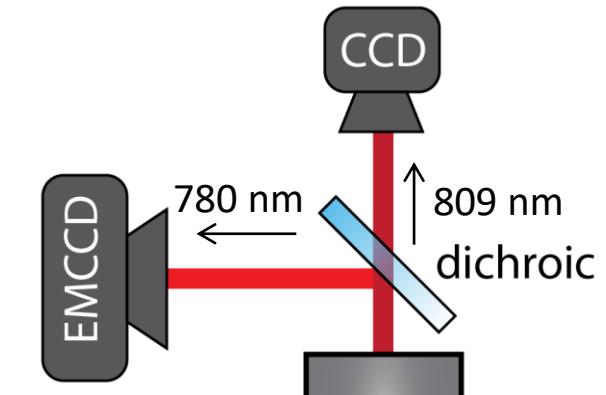
2D array of optical tweezers



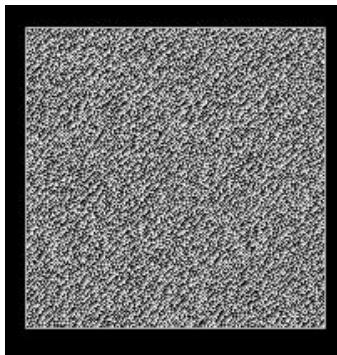
Atoms:



55-60% filling
fraction



Deterministically
fill 300 sites?



phase
profile

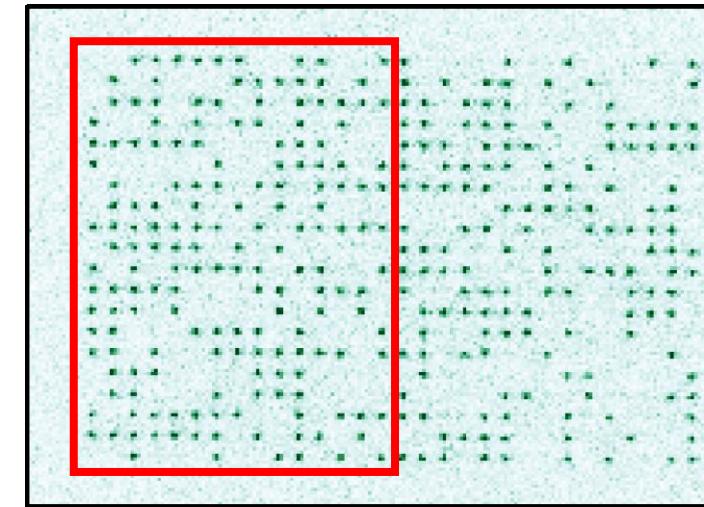
Spatial Light
Modulator



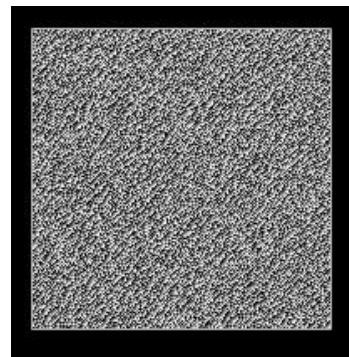
2D array of optical tweezers



Atoms:



55-60% filling
fraction



Spatial Light
Modulator

phase
profile

SLM

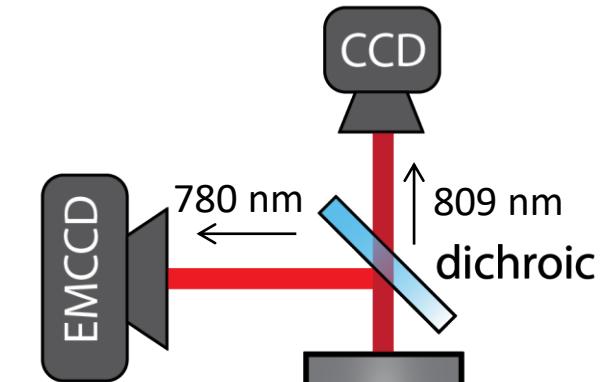
Deterministically
fill 300 sites?

AOD

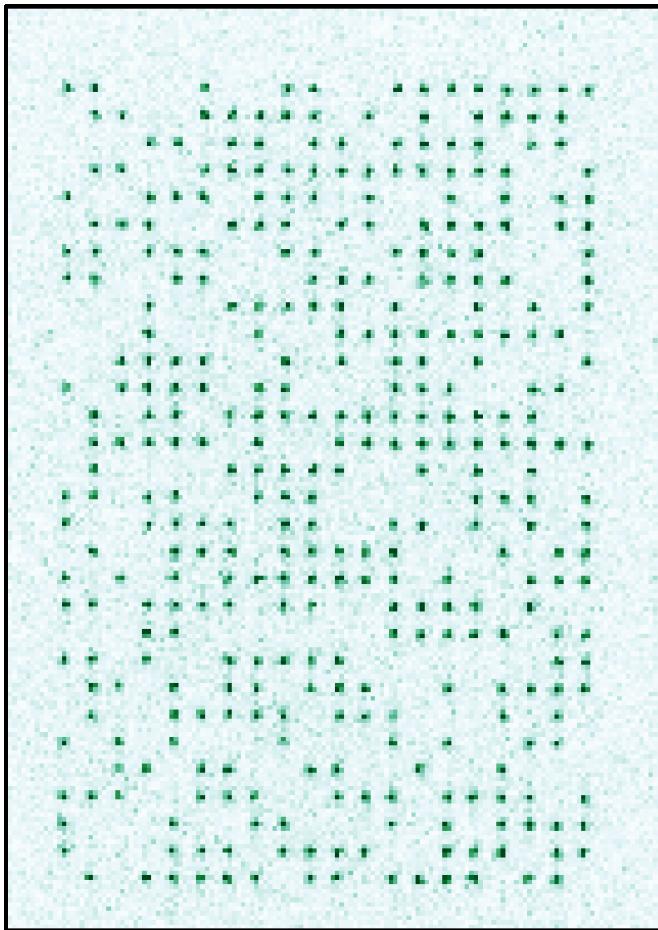
movable
tweezers

Acousto-Optical
Deflectors

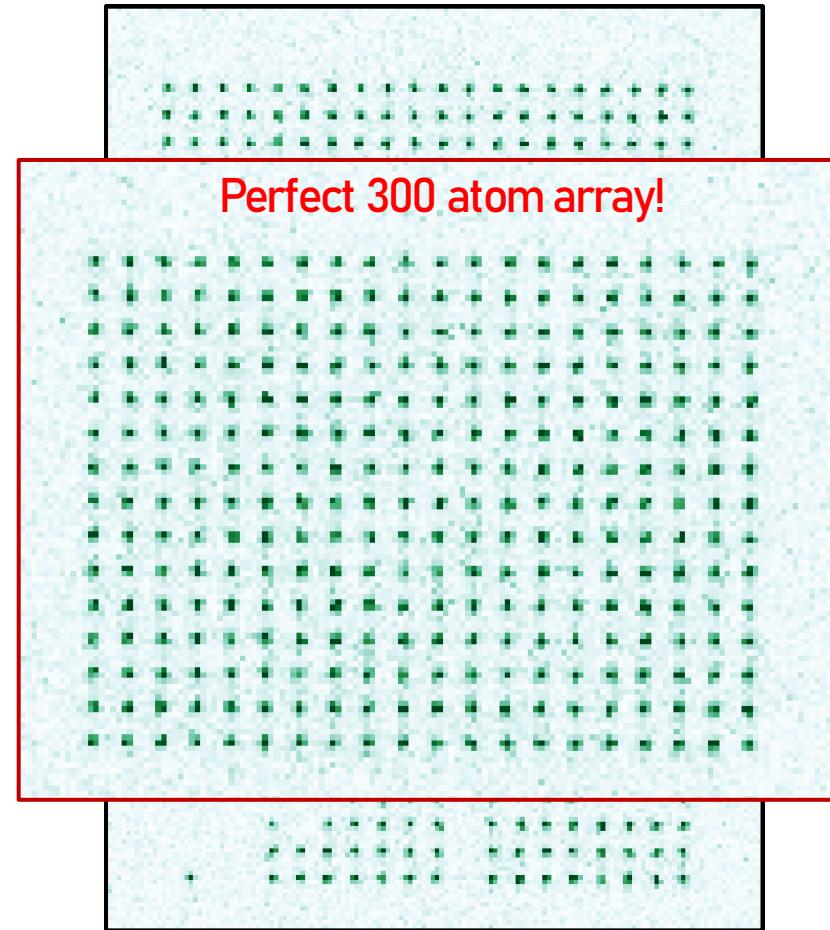
vacuum chamber



Initial loading:



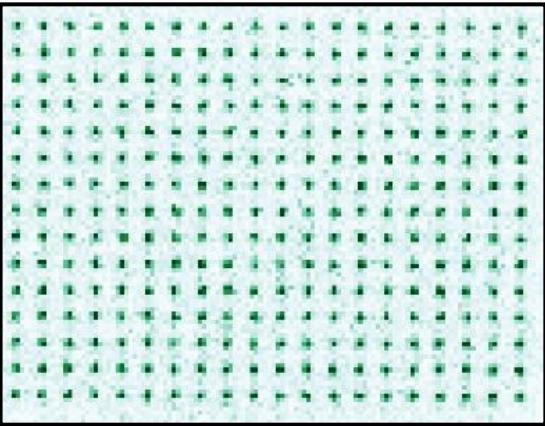
After sorting:



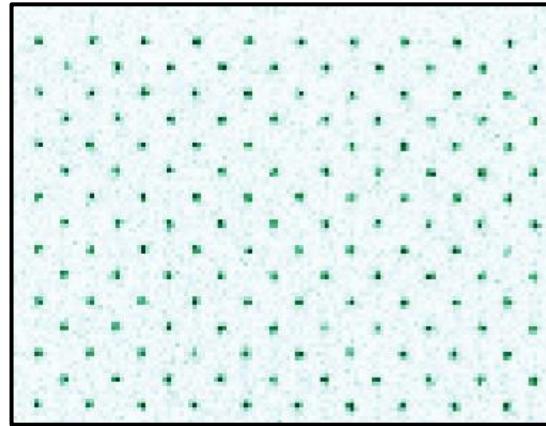
> 99% filling

Programmable 2D arrays

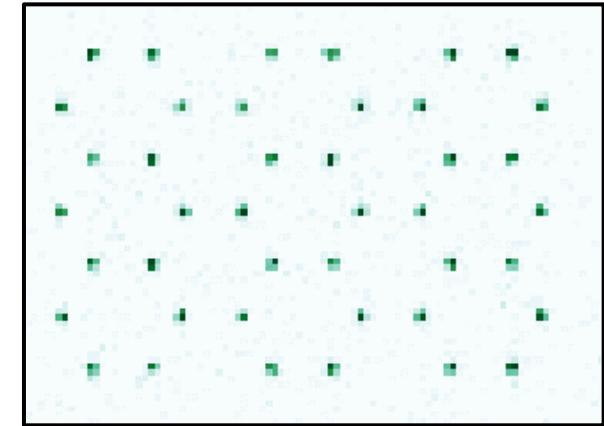
Square



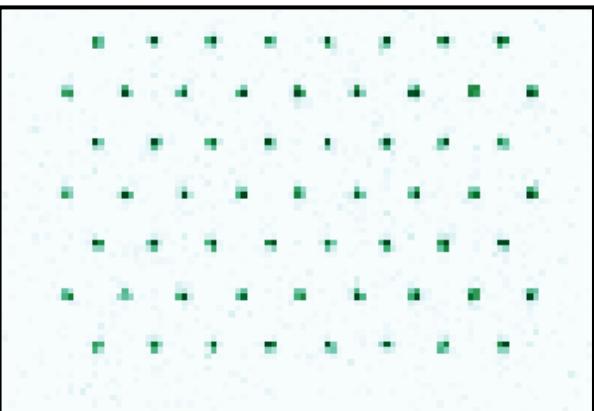
Tilted Square



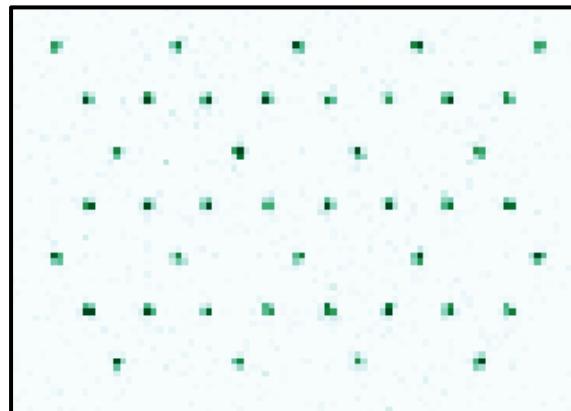
Honeycomb



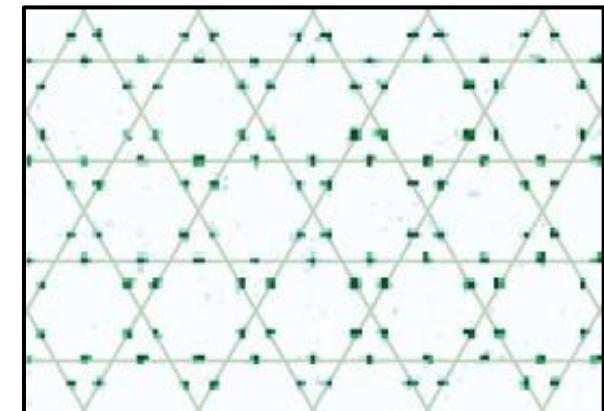
Triangular



Kagome

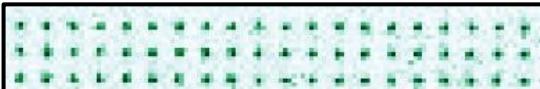


Link-kagome



Programmable 2D arrays

Square



Tilted Square

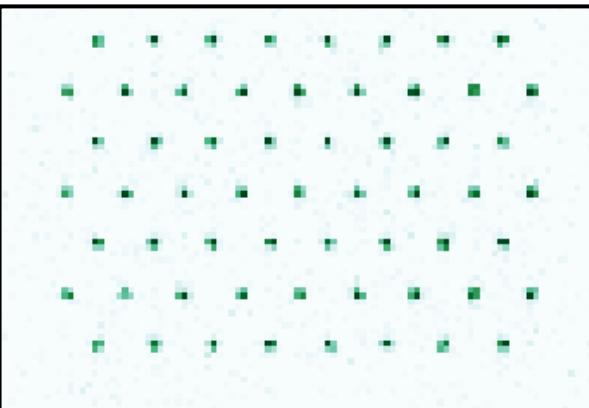


Honeycomb

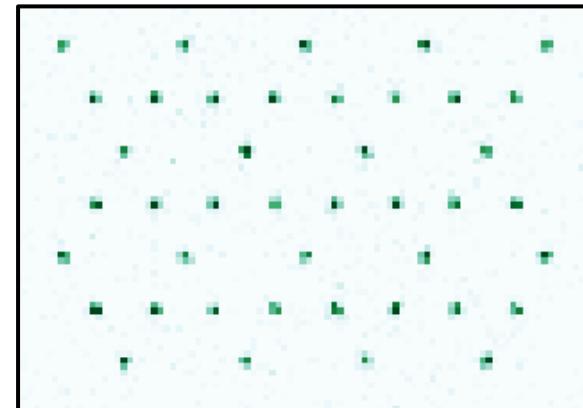


1) Programmable 2D arrays of neutral atoms

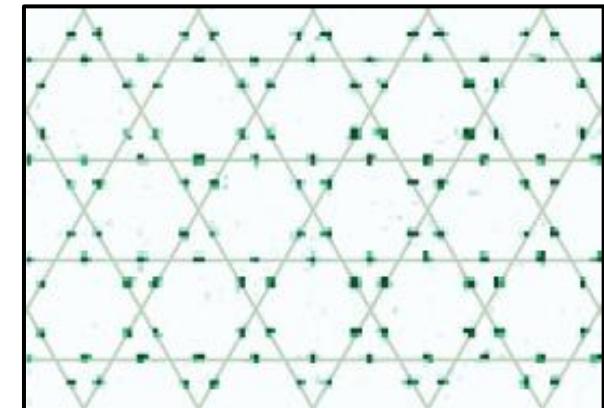
Triangular



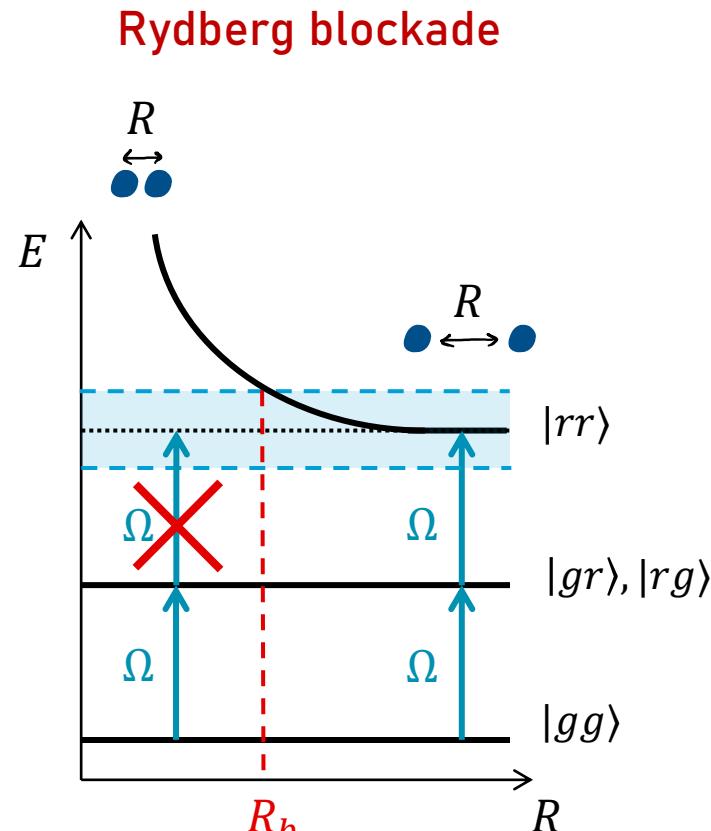
Kagome



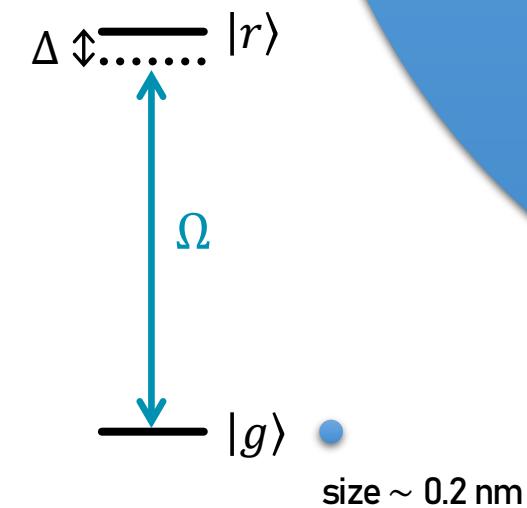
Link-kagome



Rydberg states and long-range interactions



excitation to Rydberg state:



van der Waals interactions $\propto 1/R^6$

blockade radius R_b :
 $V(R_b) = \Omega$

Rydberg states and long-range interactions

Rydberg blockade

excitation to Rydberg state:

size > 200nm

- \vec{R}
- L
- 1) Programmable 2D arrays of neutral atoms
 - 2) with strong long-range interactions



blockade radius R_b :

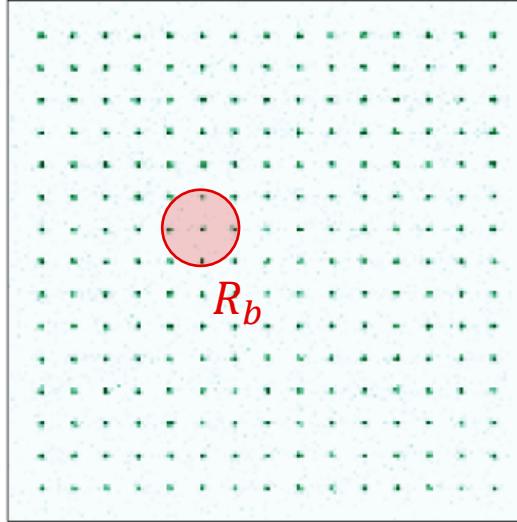
$$V(R_b) = \Omega$$

Rydberg blockade and quantum many-body phases

Many-Body ground state

$$\Delta > 0$$

Maximize number of disconnected Rydberg atoms



antiferromagnetic state

$$\mathcal{H} = \frac{1}{2} \Omega(t) \sum_i \sigma_x^{(i)} - \sum_i \Delta(t) n_i + \sum_{i < j} V_{ij} n_i n_j \quad n_i = |r_i\rangle\langle r_i|$$

drive term detuning interaction

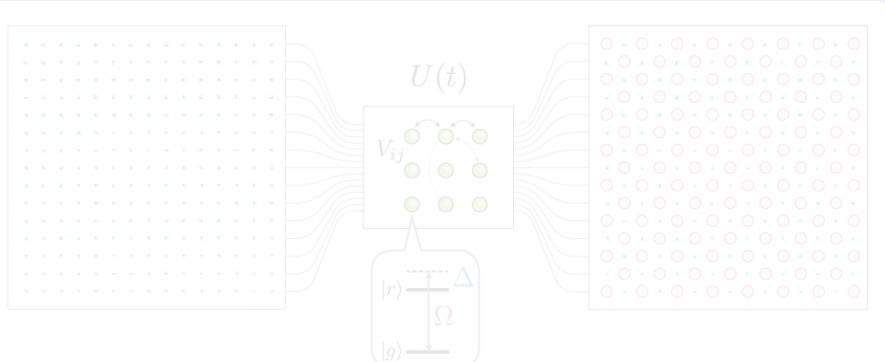
S. Ebadi et al., Quantum Phases of Matter on a 256-Atom Programmable Quantum Simulator, arXiv:2012.12281 (2020)

P. Scholl et al., Programmable quantum simulation of 2D antiferromagnets with hundreds of Rydberg atoms, arXiv:2012.12268 (2020)

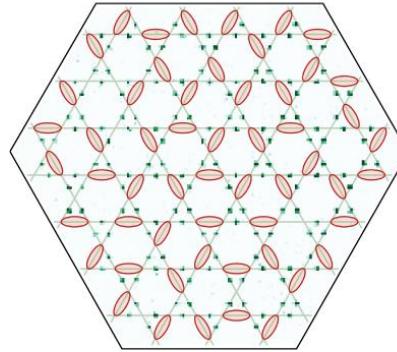
D. Bluvstein et al., Controlling quantum many-body dynamics in driven Rydberg atom arrays, Science 371, 1355 (2021)

Outline

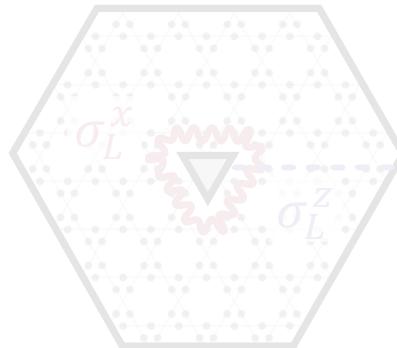
Programmable arrays
of Rydberg atoms



Quantum spin liquid phase
on a frustrated lattice



First steps towards a
topological qubit



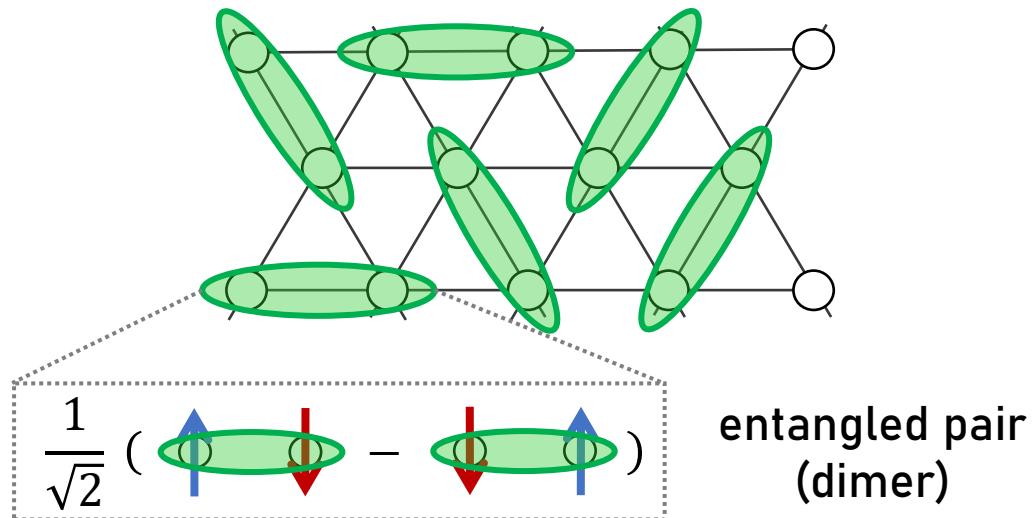
Quantum spin liquids

P. W. Anderson, *Science* 235 (1987)

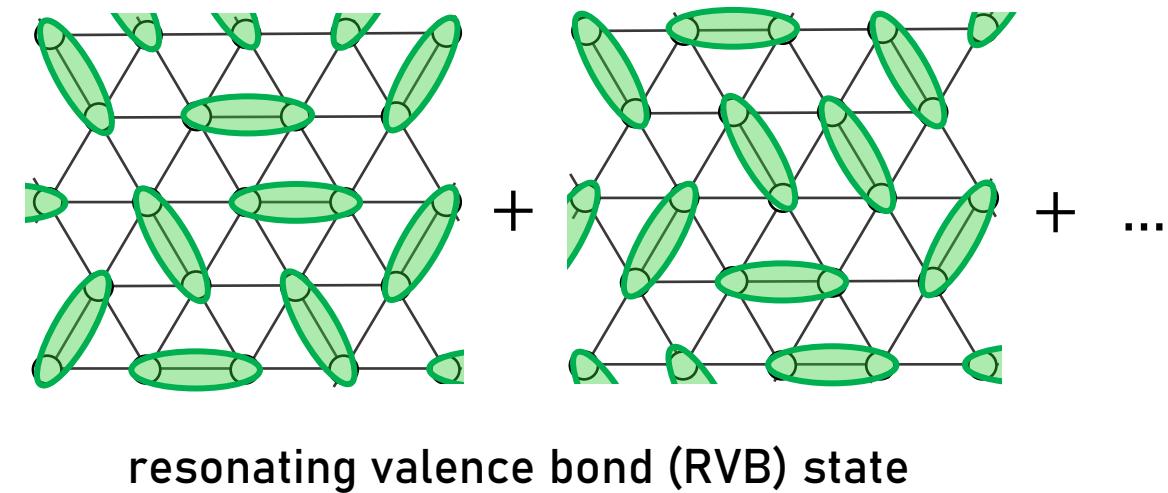
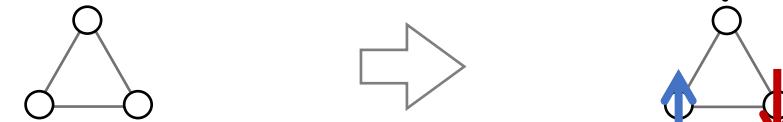
The Resonating Valence Bond State in La_2CuO_4 and Superconductivity

P. W. ANDERSON

The oxide superconductors, particularly those recently discovered that are based on La_2CuO_4 , have a set of peculiarities that suggest a common, unique mechanism: they tend in every case to occur near a metal-insulator transition into an odd-electron insulator with peculiar magnetic properties. This insulating phase is proposed to be the long-sought “resonating-valence-bond” state or “quantum spin liquid” hypothesized in 1973. This insulating magnetic phase is favored by low spin, low dimensionality, and magnetic frustration. The preexisting magnetic singlet pairs of the insulating state become charged superconducting pairs when the insulator is doped sufficiently strongly. The mechanism for superconductivity is hence predominantly electronic and magnetic, although weak phonon interactions may favor the state. Many unusual properties are predicted, especially of the insulating state.



spin 1/2 particles with AF interactions
on a frustrated lattice



resonating valence bond (RVB) state

Quantum spin liquids

P. W. Anderson, *Science* 235 (1987)

The Resonating Valence Bond State in La_2CuO_4 and Superconductivity

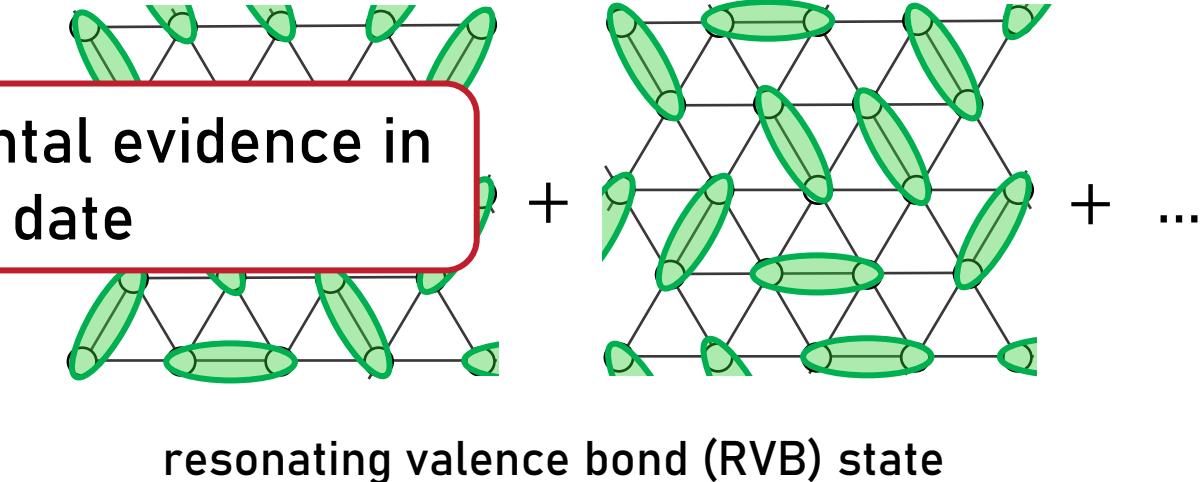
9000+ citations

P. W. ANDERSON

The oxide superconductors, particularly those recently discovered that are based on La_2CuO_4 , have a set of peculiarities that suggest a common, unique mechanism: they tend in every case to occur near a metal-insulator transition into an odd-electron insulator with peculiar magnetic properties. This insulating phase is proposed to be the long-sought “resonating-valence-bond” state or “quantum spin liquid” hypothesized in 1973. This insulating magnetic phase is favored by low spin, low dimensionality, and magnetic frustration. The preexisting magnetic singlet pairs of the insulating state become charged superconducting pairs when the insulator is doped sufficiently strongly. The mechanism for superconductivity is hence predominantly electronic and magnetic, although weak phonon interactions may favor the state. Many unusual properties are predicted, especially of the insulating state.

- no spatial order
- topological order
- long-range quantum entanglement
- anyonic non-local excitations
- emergent gauge fields
- robust ground state degeneracy
- link with high- T_c superconductivity
- application to fault-tolerant quantum computing → toric code

No conclusive experimental evidence in any system to date



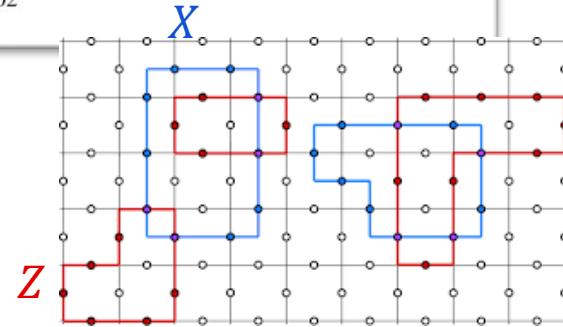
Fault-tolerant quantum computation by anyons

A.Yu. Kitaev*

5200+ citations

L.D. Landau Institute for Theoretical Physics, 117940, Kosygina St. 2, Germany

Received 20 May 2002



Towards topological phases in frustrated lattices of Rydberg atoms

Subir
Sachdev



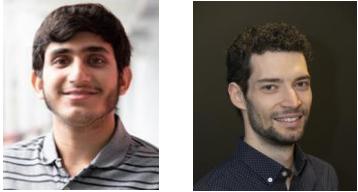
Wen Wei
Ho



Rhine
Samajdar



Hannes
Pichler



Ashvin
Vishwanath

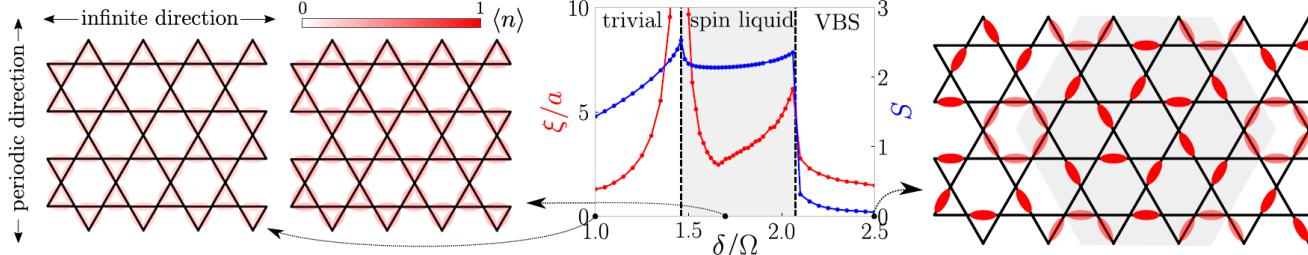


Prediction of Toric Code Topological Order from Rydberg Blockade

Ruben Verresen, Mikhail D. Lukin, and Ashvin Vishwanath

Department of Physics, Harvard University, Cambridge, MA 02138, USA

(Dated: November 26, 2020)

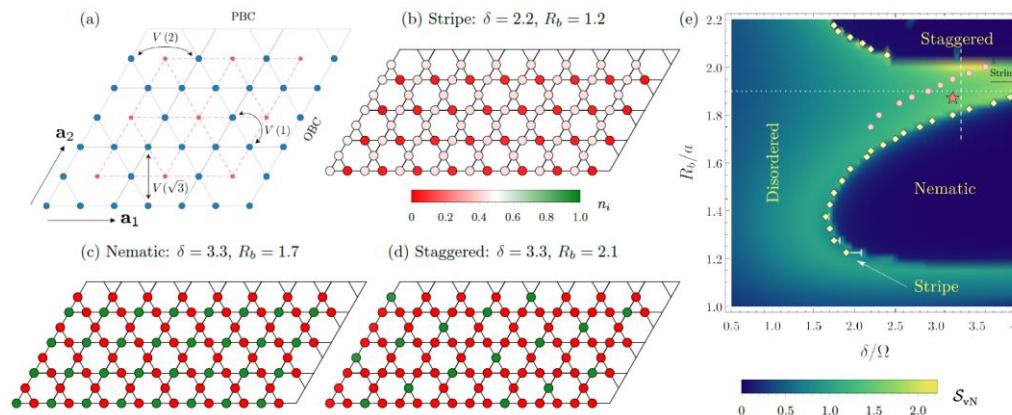


Ruben
Verresen

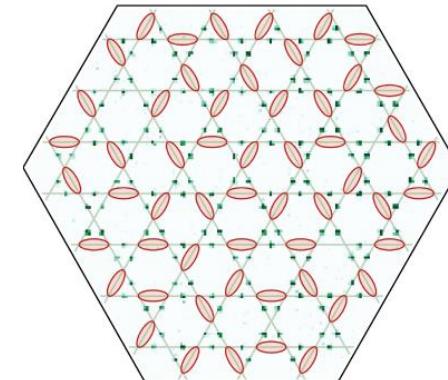
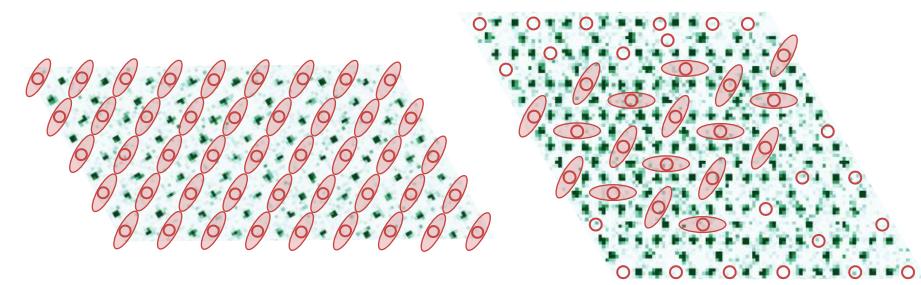


Quantum phases of Rydberg atoms on a kagome lattice

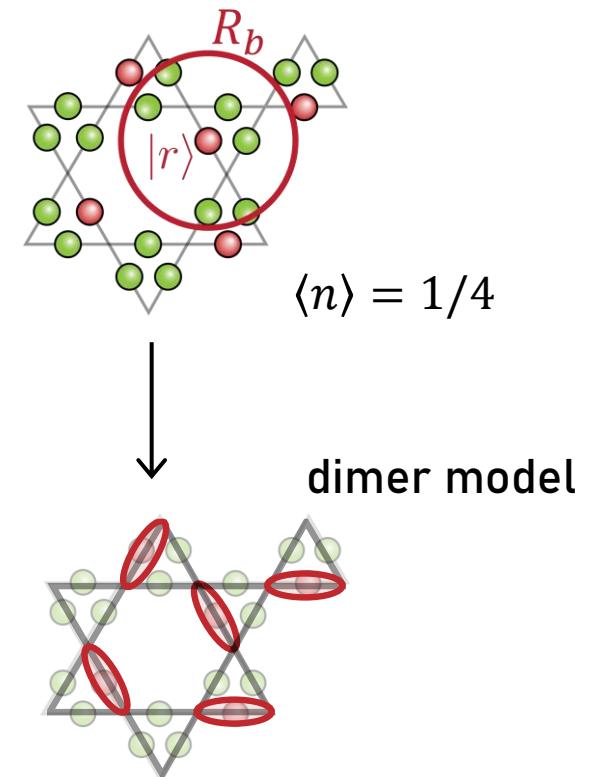
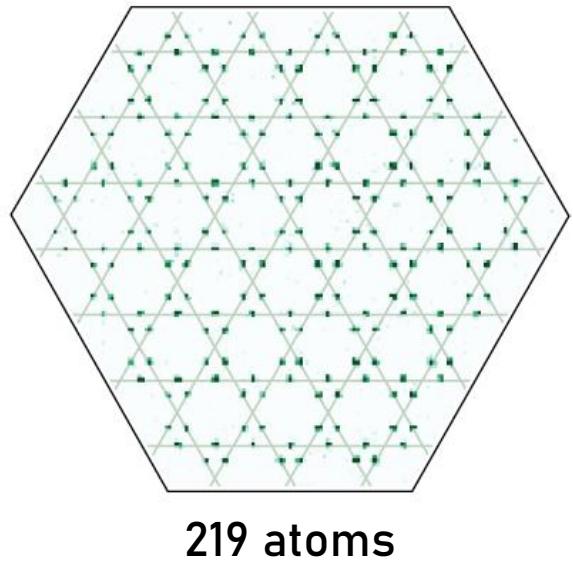
Rhine Samajdar^{a,1}, Wen Wei Ho^{a,b}, Hannes Pichler^{c,d}, Mikhail D. Lukin^a, and Subir Sachdev^a



Emergent solid and liquid
'dimer' phases
in frustrated lattices



Rydberg atoms on a ruby lattice – dimer model

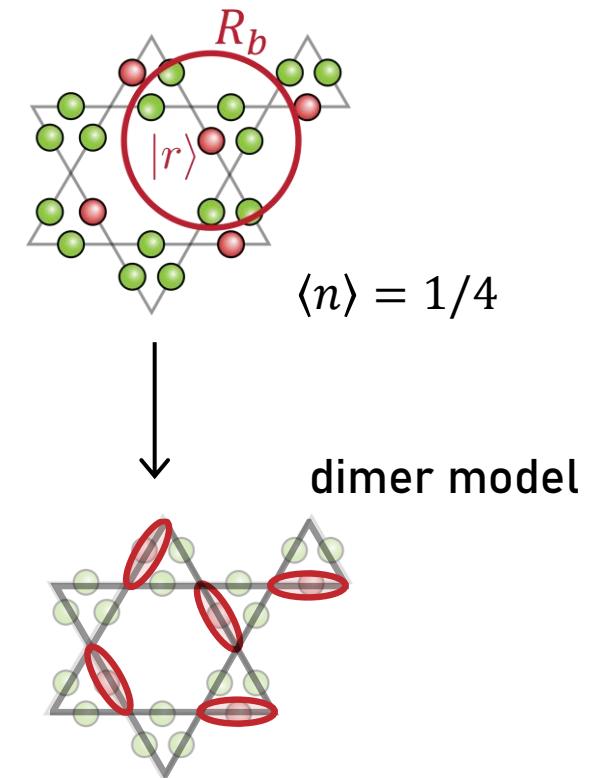
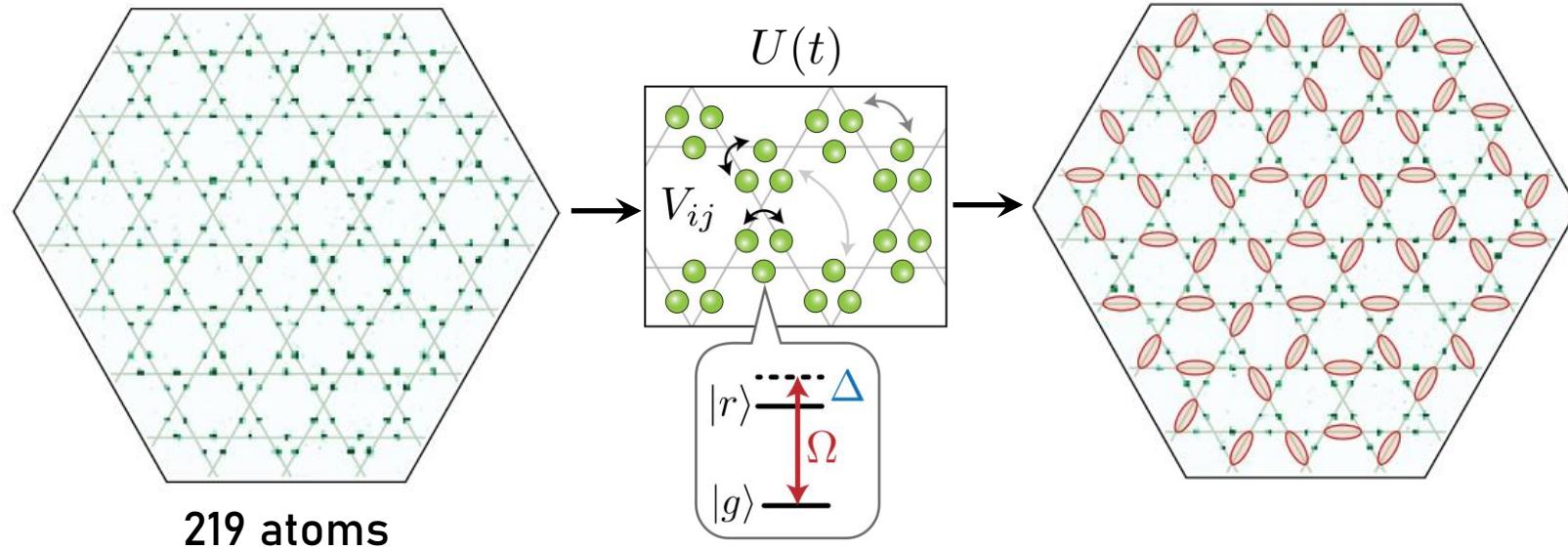


quantum spin liquid state: superposition of all dimer coverings

$$|\psi_{QSL}\rangle = \left| \begin{array}{c} \text{dimer covering 1} \\ \text{triangular lattice} \end{array} \right\rangle + \left| \begin{array}{c} \text{dimer covering 2} \\ \text{triangular lattice} \end{array} \right\rangle + \left| \begin{array}{c} \text{dimer covering 3} \\ \text{triangular lattice} \end{array} \right\rangle + \left| \begin{array}{c} \text{dimer covering 4} \\ \text{triangular lattice} \end{array} \right\rangle + \dots \rightarrow \left| \begin{array}{c} \text{multiple coverings} \\ \text{triangular lattice} \end{array} \right\rangle + \left| \begin{array}{c} \text{multiple coverings} \\ \text{triangular lattice} \end{array} \right\rangle + \dots$$

RVB state
 \mathbb{Z}_2 topological order

Rydberg atoms on a ruby lattice – dimer model

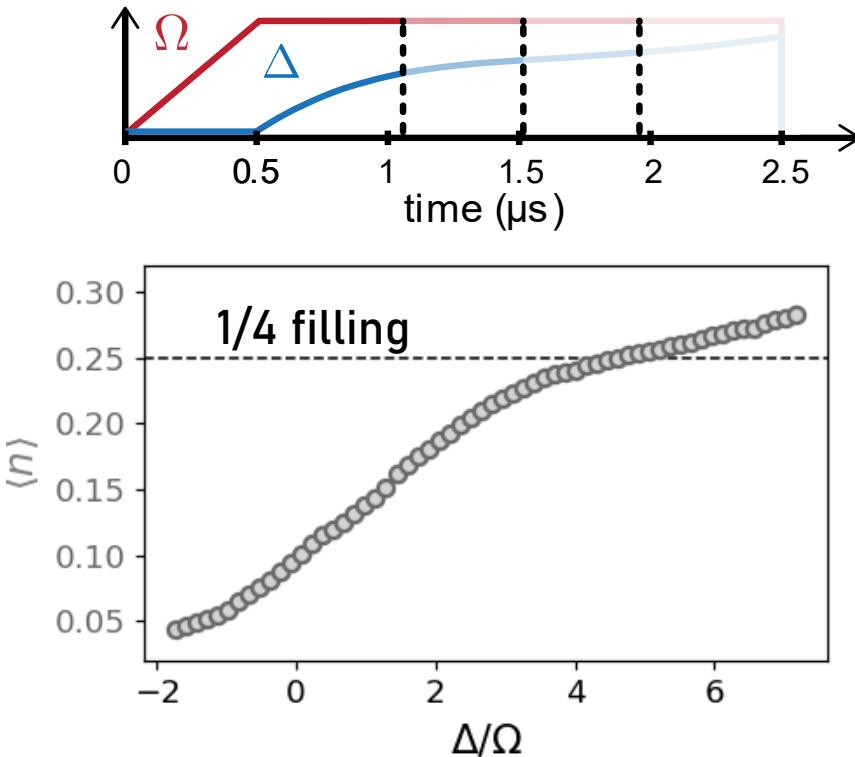


quantum spin liquid state: superposition of all dimer coverings

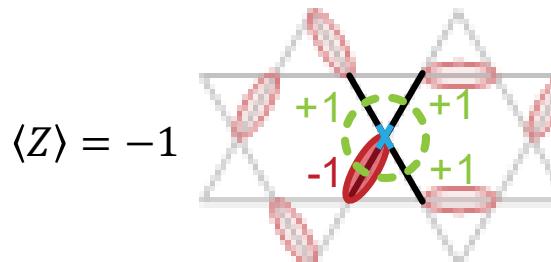
$$|\psi_{QSL}\rangle = \left| \begin{array}{c} \text{dimer covering 1} \\ \text{on hexagonal lattice} \end{array} \right\rangle + \left| \begin{array}{c} \text{dimer covering 2} \\ \text{on hexagonal lattice} \end{array} \right\rangle + \left| \begin{array}{c} \text{dimer covering 3} \\ \text{on hexagonal lattice} \end{array} \right\rangle + \left| \begin{array}{c} \text{dimer covering 4} \\ \text{on hexagonal lattice} \end{array} \right\rangle + \dots \rightarrow \begin{array}{c} \text{RVB state} \\ \text{Z}_2 \text{ topological order} \end{array}$$

Quasi-adiabatic preparation of a dimer phase

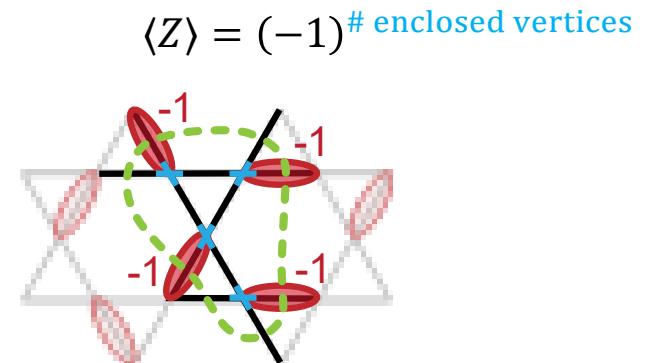
G. Semeghini et al., arXiv:2104.04119 (2021)



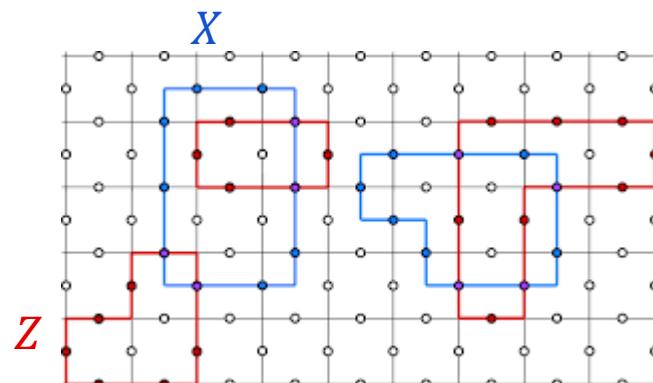
diagonal string operator Z :



parity of dimers along a string

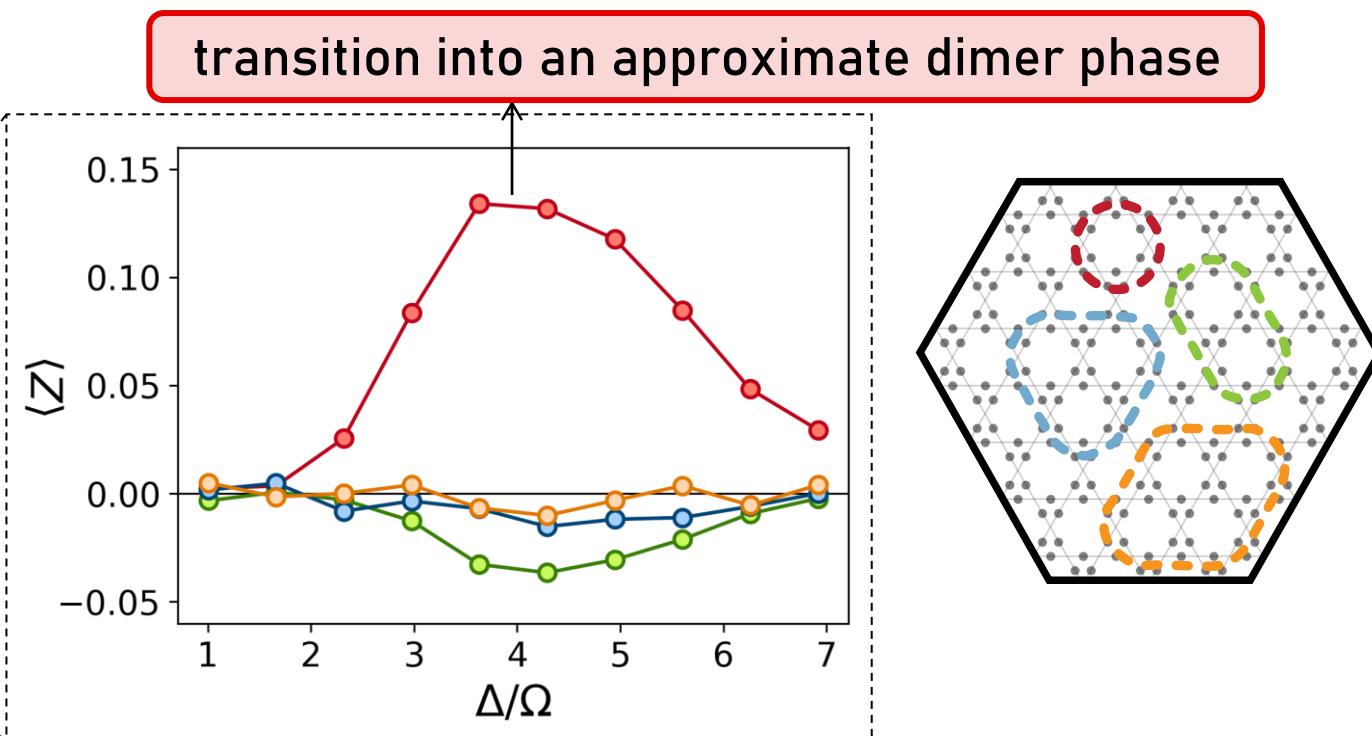
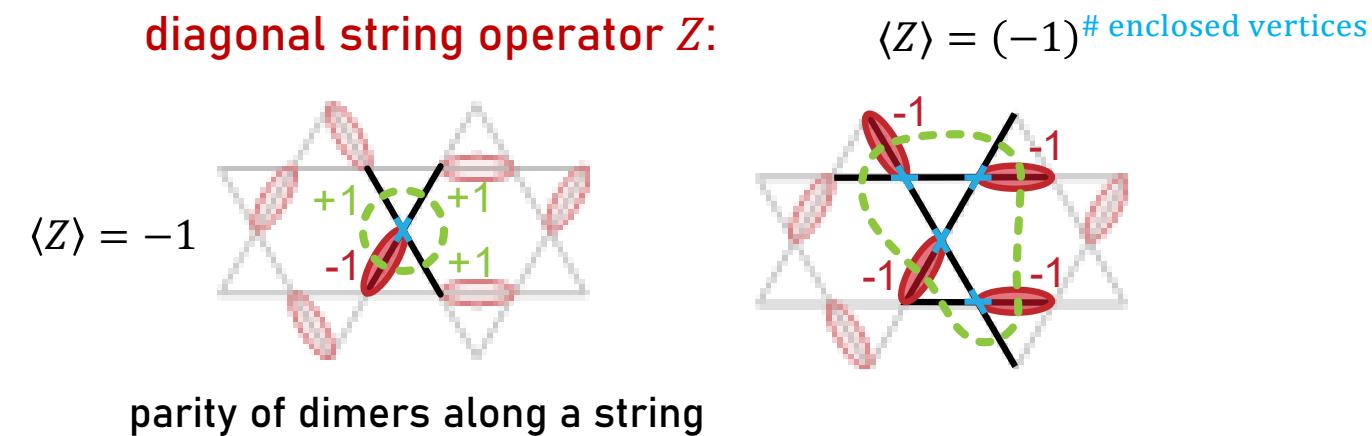
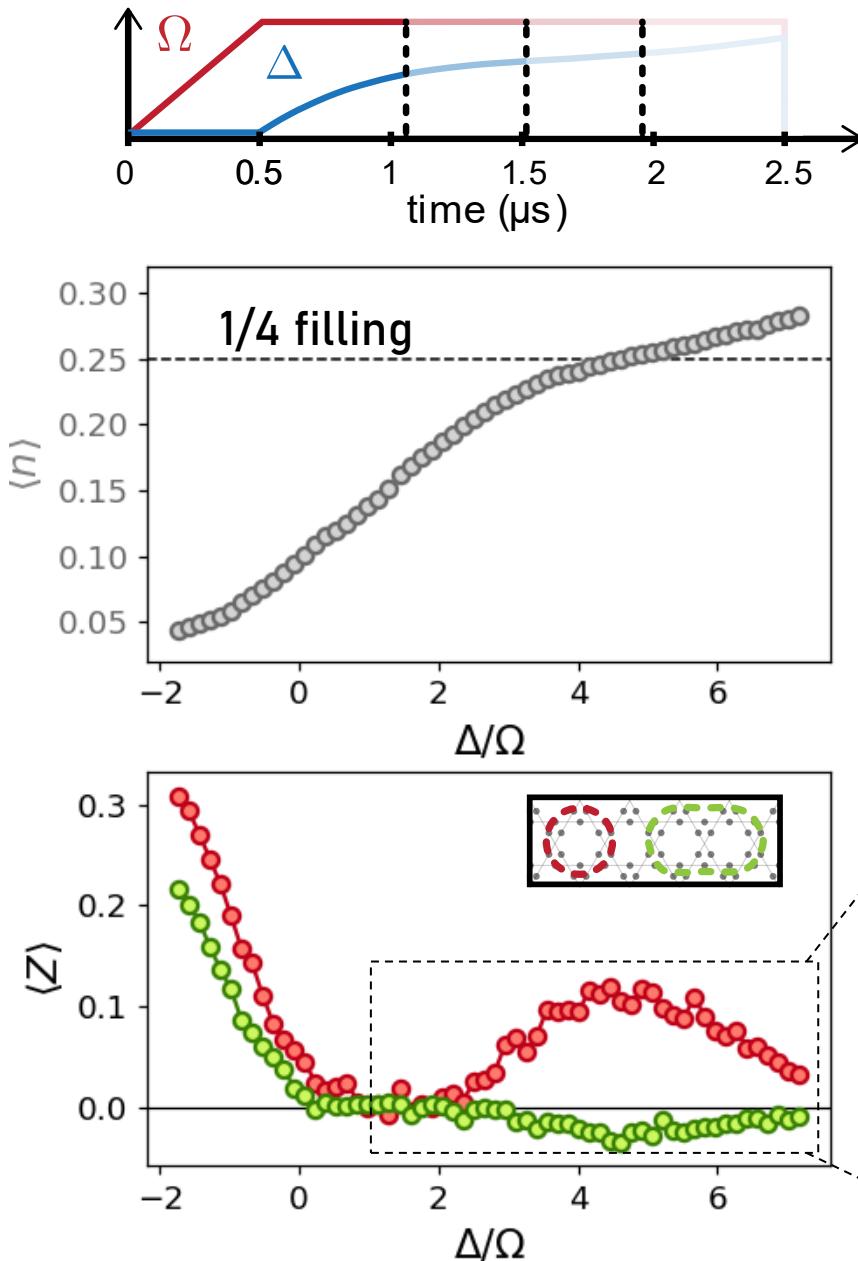


topological string
operators associated with
a \mathbb{Z}_2 quantum spin liquid
(toric code)



Quasi-adiabatic preparation of a dimer phase

G. Semeghini et al., arXiv:2104.04119 (2021)



Probing coherence: off-diagonal string operator

off-diagonal string operator X :

$$\triangle : \left\{ \begin{array}{l} \triangle \leftrightarrow (-1) \triangle \\ \triangle \leftrightarrow \triangle \end{array} \right.$$

$$\langle \star \rangle = \left| \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right\rangle \left\langle \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right| + \left| \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right\rangle \left\langle \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right| + \left| \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right\rangle \left\langle \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right| + \dots$$

$\langle \star \rangle > 0 \rightarrow$ coherence between dimer coverings

Probing coherence: off-diagonal string operator

off-diagonal string operator X :

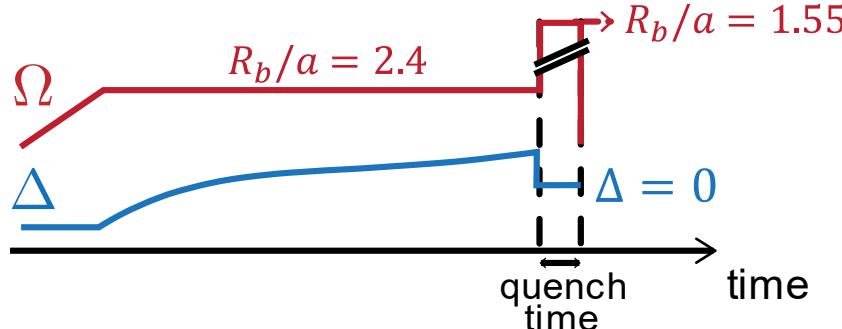
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$$\langle \star \rangle = \left| \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right\rangle \left\langle \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right| + \left| \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right\rangle \left\langle \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right| + \left| \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right\rangle \left\langle \begin{array}{c} \text{triangle} \\ \text{triangle} \end{array} \right| + \dots$$

$\langle \star \rangle > 0 \rightarrow$ coherence between dimer coverings

basis rotation to measure X :

$$X = U_q^\dagger(\tau) Z U_q(\tau)$$



Probing coherence: off-diagonal string operator

off-diagonal string operator X :

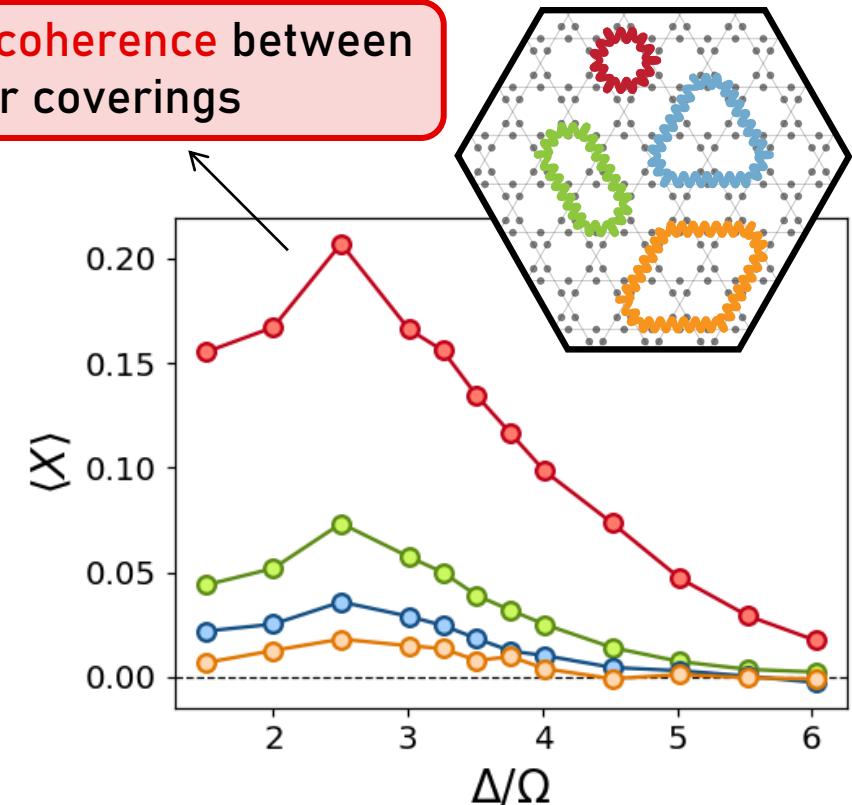
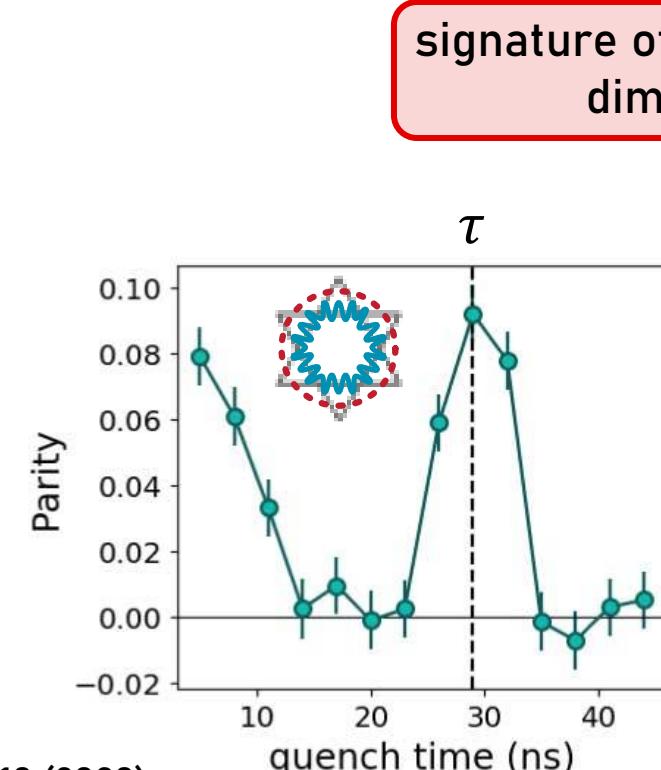
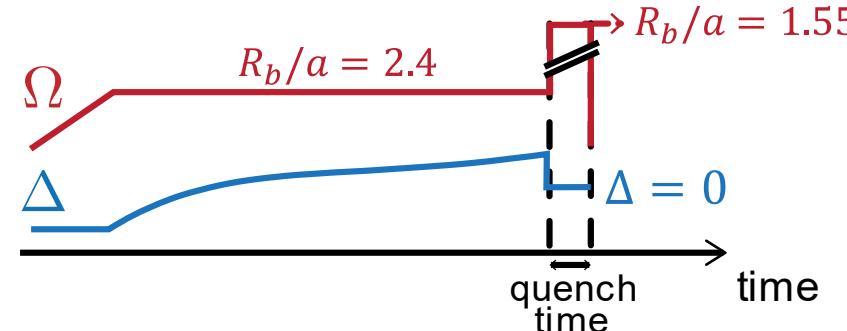
$$\triangle : \left\{ \begin{array}{l} \triangle \leftrightarrow (-1) \triangle \\ \triangle \leftrightarrow \triangle \end{array} \right.$$

$$\langle \star \rangle = \left| \text{dimer covering}_1 \right\rangle \left\langle \text{dimer covering}_1 \right| + \left| \text{dimer covering}_2 \right\rangle \left\langle \text{dimer covering}_2 \right| + \left| \text{dimer covering}_3 \right\rangle \left\langle \text{dimer covering}_3 \right| + \dots$$

$\langle \star \rangle > 0 \rightarrow$ coherence between dimer coverings

basis rotation to measure X :

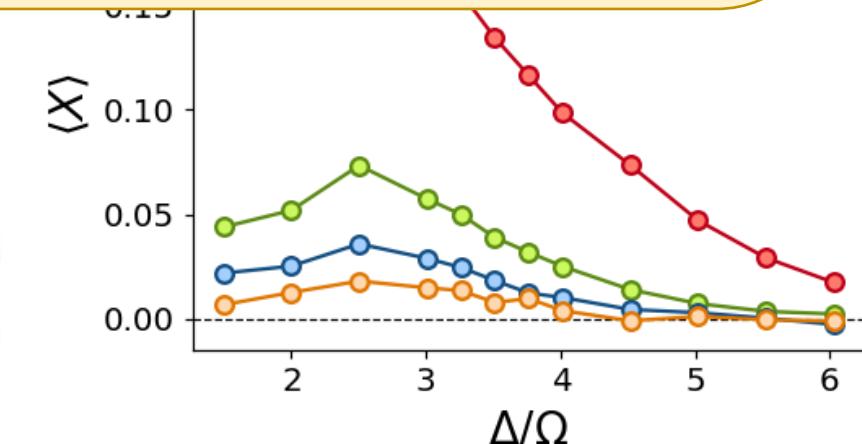
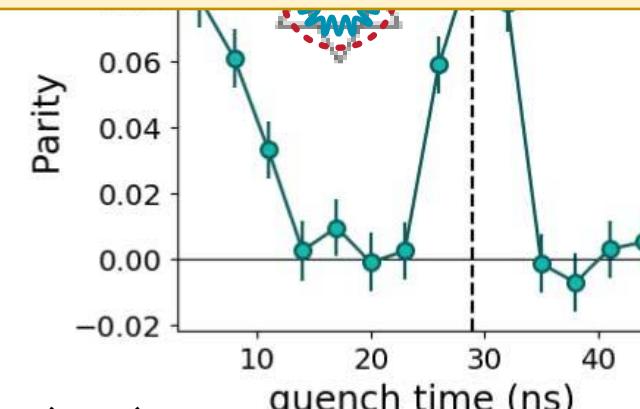
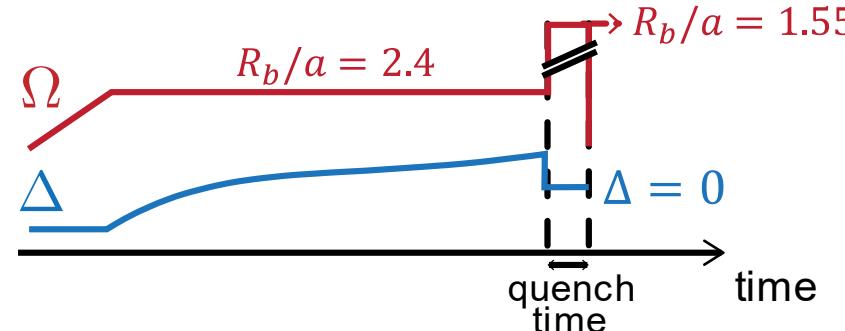
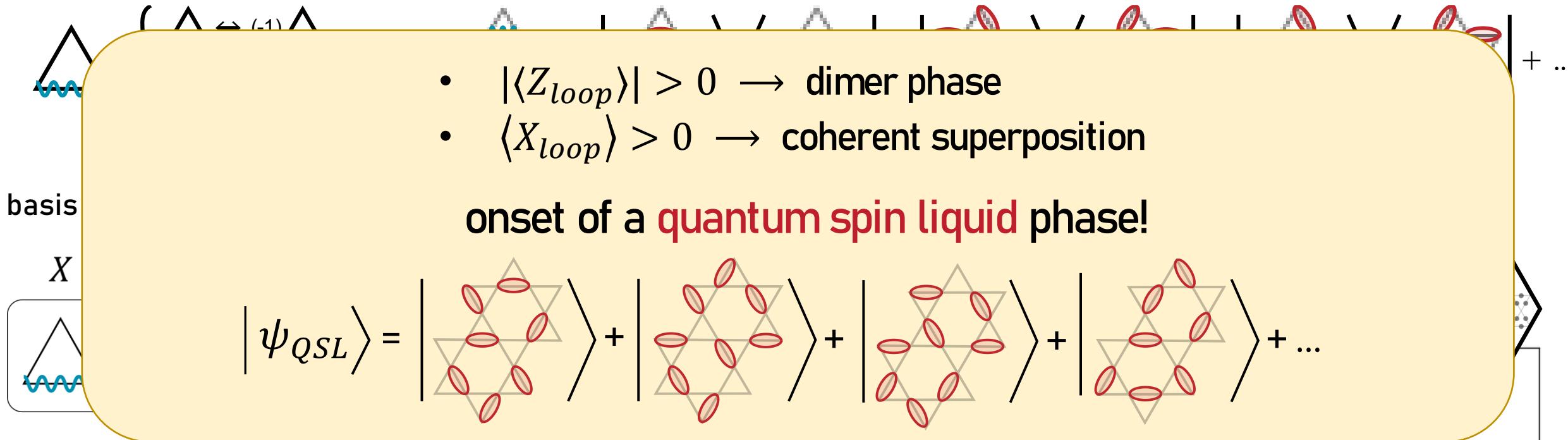
$$X = U_q^\dagger(\tau) Z U_q(\tau)$$



Probing coherence: off-diagonal string operator

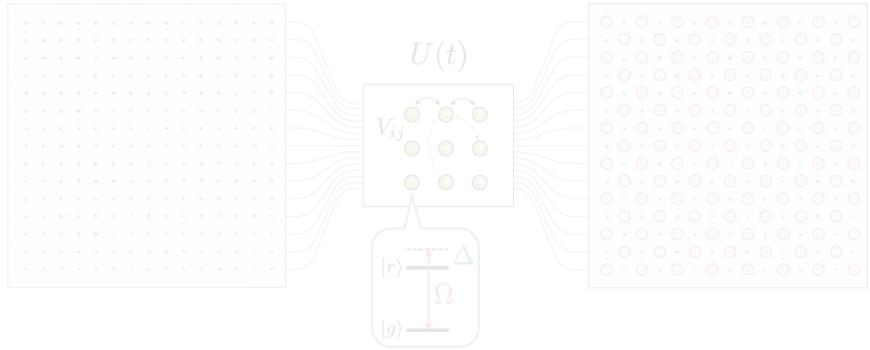
off-diagonal string operator X :

$$\left\langle \text{loop} \right| \text{operator} \left| \text{loop} \right\rangle > 0 \rightarrow \text{coherence between dimer coverings}$$

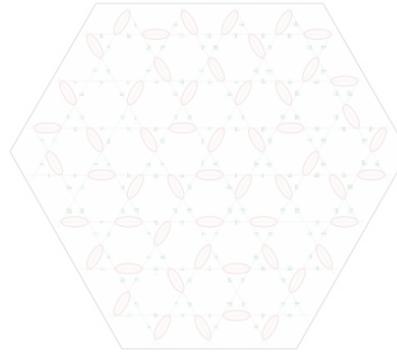


Outline

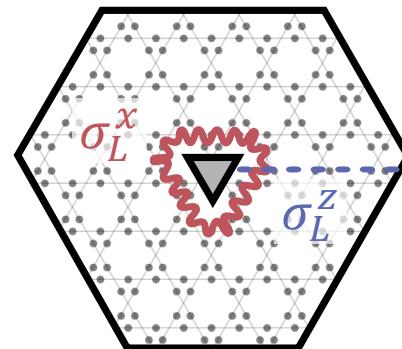
Programmable arrays
of Rydberg atoms



Quantum spin liquid phase
on a frustrated lattice



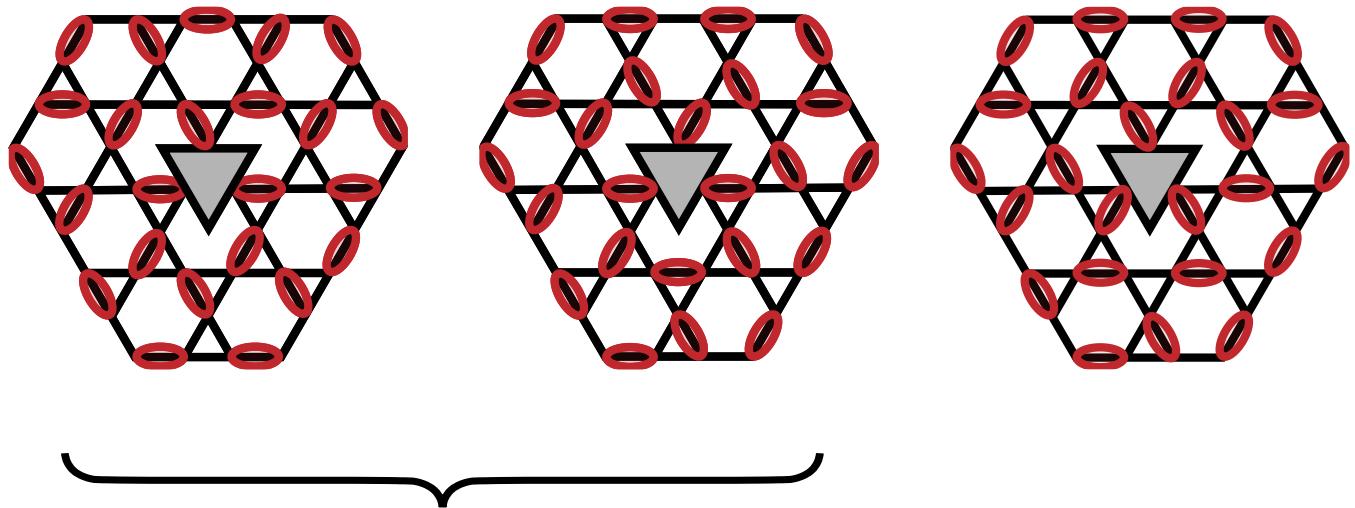
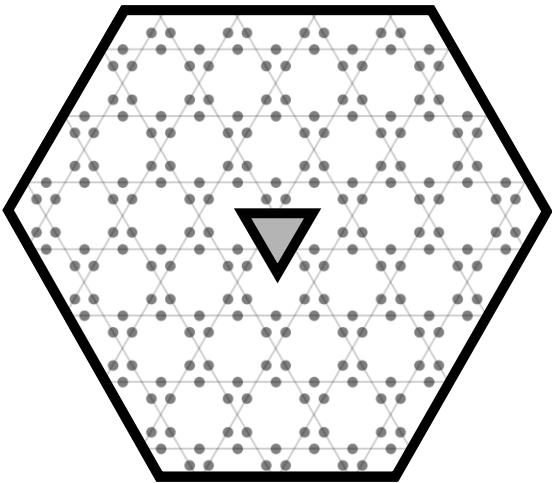
First steps towards a
topological qubit



Towards topological states – array with a hole

two distinct topological sectors

non-trivial topology

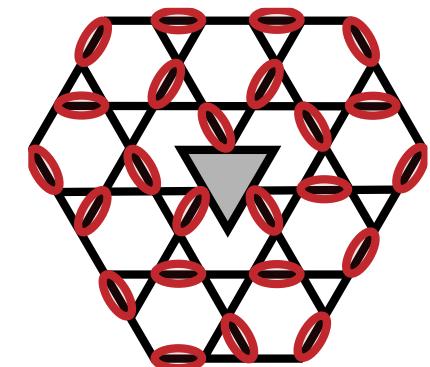
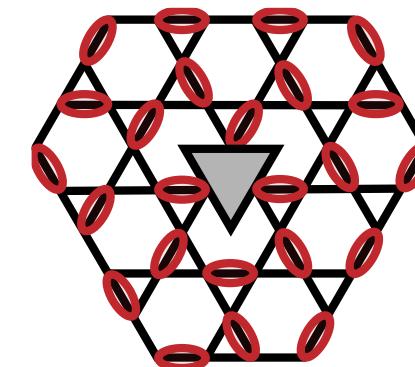
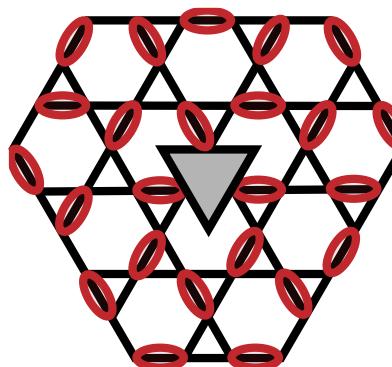
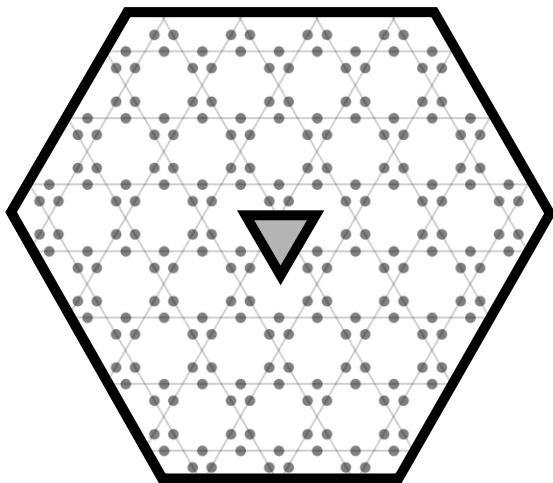


transition graph:
 $|A\rangle \cup |B\rangle$

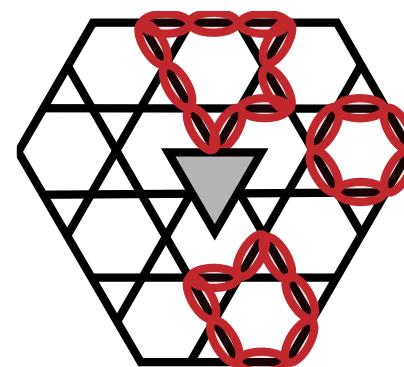
Towards topological states – array with a hole

two distinct topological sectors

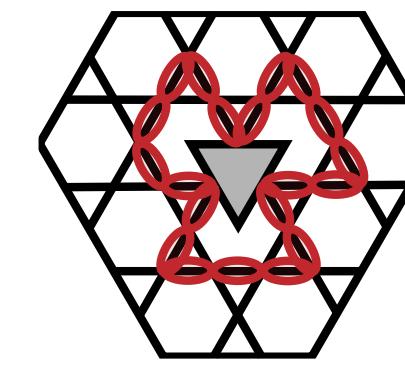
non-trivial topology



transition graph:
 $|A\rangle \cup |B\rangle$



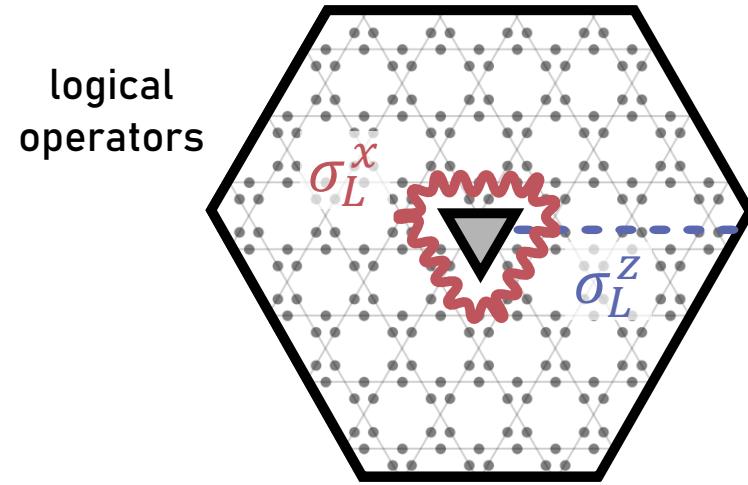
same
topological sector



opposite
topological sectors

Towards topological states – array with a hole

non-trivial topology



$$|0_L\rangle \rightarrow \langle\sigma_L^z\rangle = -1$$

$$|1_L\rangle \rightarrow \langle\sigma_L^z\rangle = +1$$

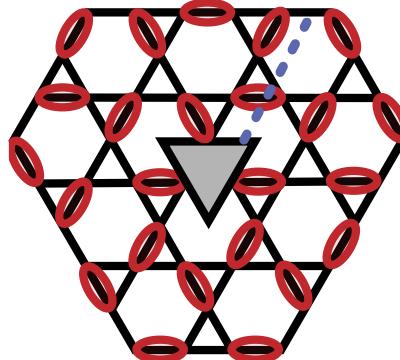
$$|+\rangle \sim \frac{|0_L\rangle + |1_L\rangle}{\sqrt{2}} \rightarrow \langle\sigma_L^x\rangle = +1$$

$$|-\rangle \sim \frac{|0_L\rangle - |1_L\rangle}{\sqrt{2}} \rightarrow \langle\sigma_L^x\rangle = -1$$

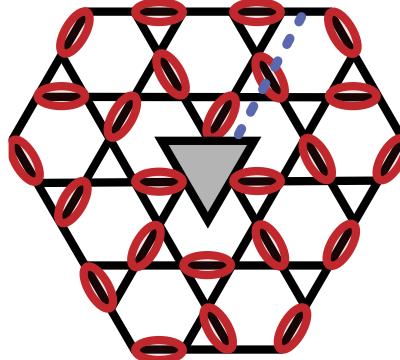
two distinct topological sectors

$|0_L\rangle$

$$\langle Z \rangle = -1$$

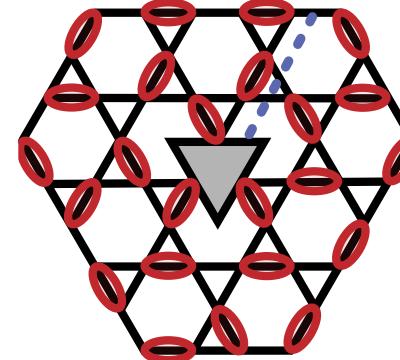


$$\langle Z \rangle = -1$$

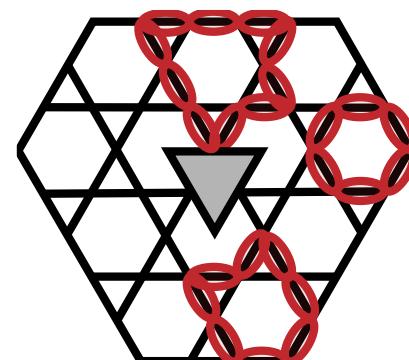


$|1_L\rangle$

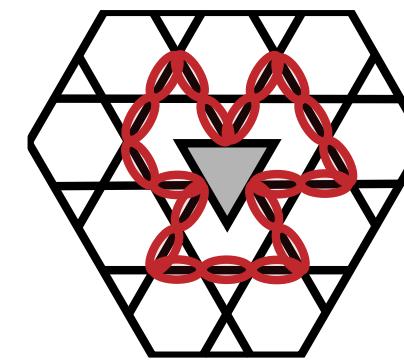
$$\langle Z \rangle = +1$$



transition graph:
 $|A\rangle \cup |B\rangle$

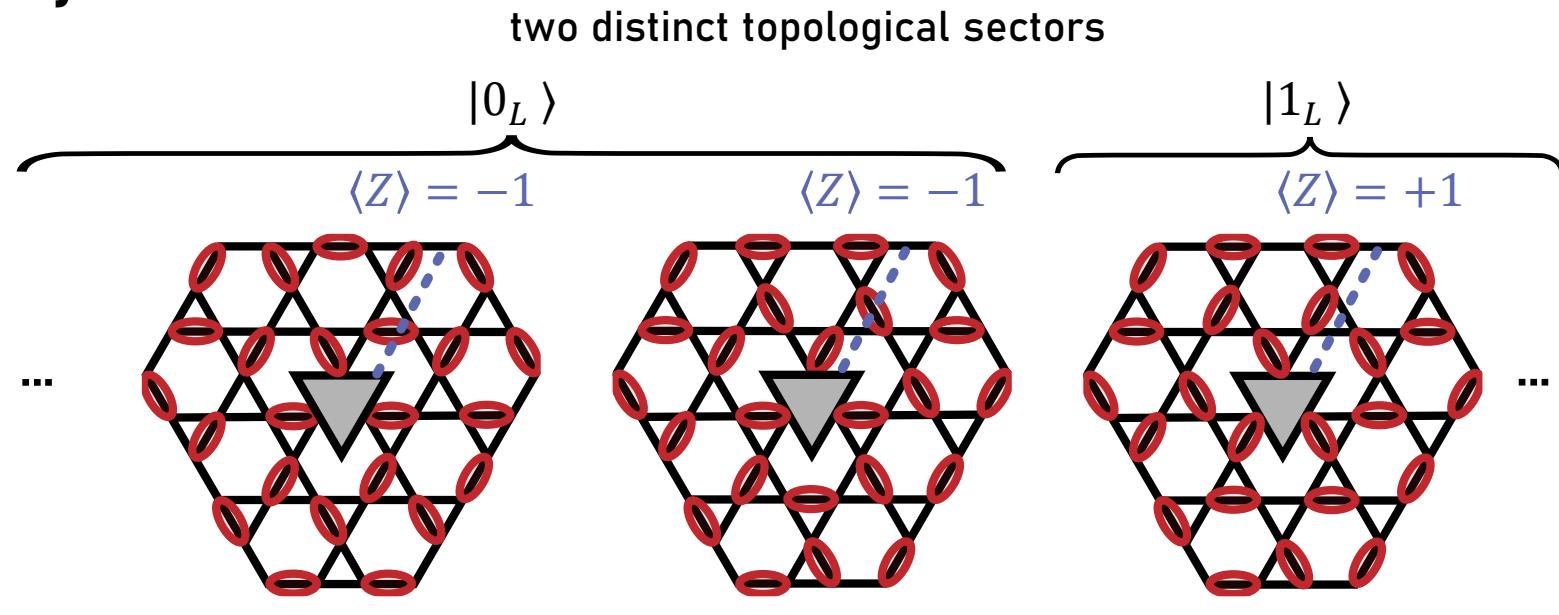
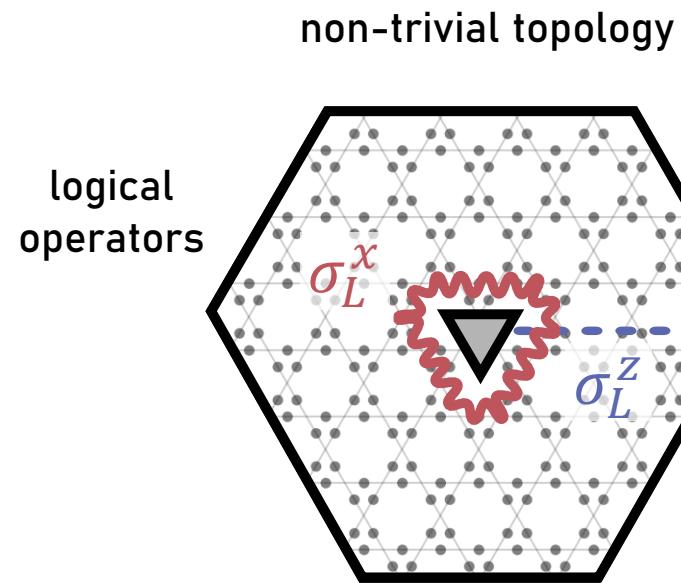


same
topological sector



opposite
topological sectors

Towards topological states – array with a hole

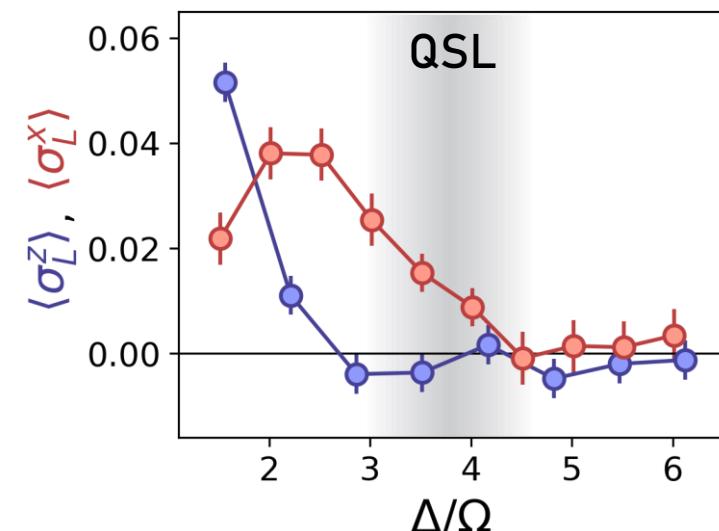


$$|0_L\rangle \rightarrow \langle \sigma_L^z \rangle = -1$$

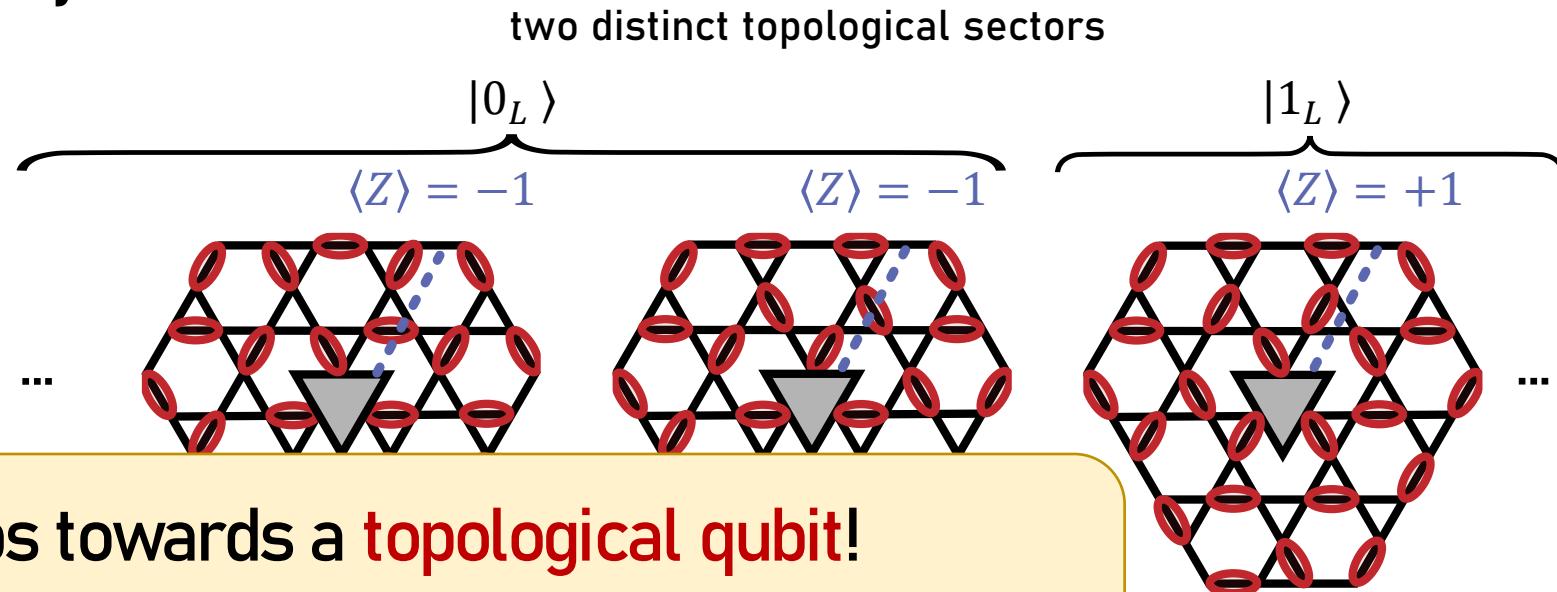
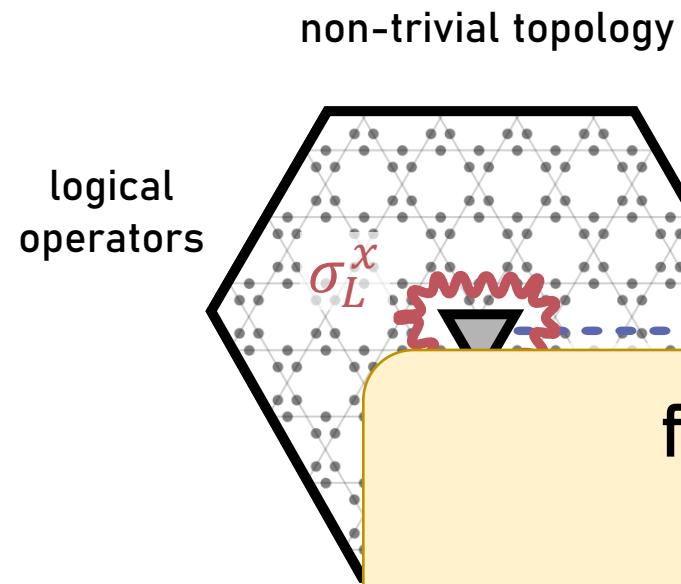
$$|1_L\rangle \rightarrow \langle \sigma_L^z \rangle = +1$$

$$|+\rangle \sim \frac{|0_L\rangle + |1_L\rangle}{\sqrt{2}} \rightarrow \langle \sigma_L^x \rangle = +1$$

$$|-\rangle \sim \frac{|0_L\rangle - |1_L\rangle}{\sqrt{2}} \rightarrow \langle \sigma_L^x \rangle = -1$$



Towards topological states – array with a hole



first steps towards a **topological qubit!**

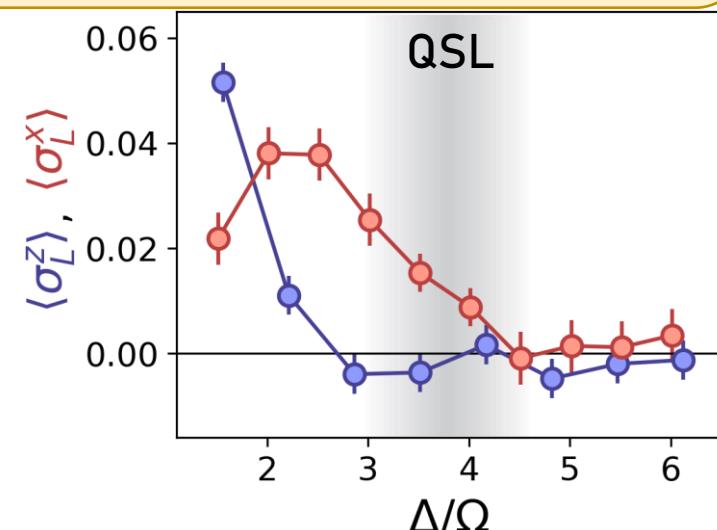
related work from Google Quantum AI:
K. J. Satzinger et al., arXiv:2104.01180 (2021)

$$|0_L\rangle \rightarrow \langle \sigma_L^z \rangle = -1$$

$$|1_L\rangle \rightarrow \langle \sigma_L^z \rangle = +1$$

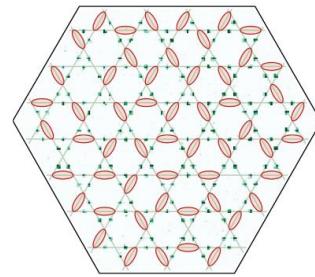
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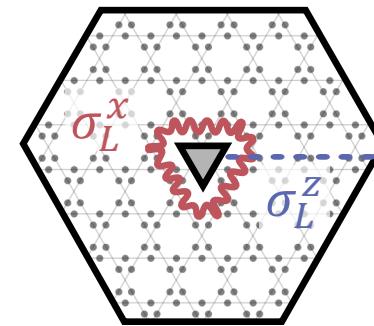


Summary

- 1) Transition into a **dimer phase** with no local order
- 2) Experimental evidence for **coherent superposition** of dimer coverings
- 3) First signatures of **non-trivial topological order**
- 4) Exciting opportunities for experimental exploration of topological states of matter!

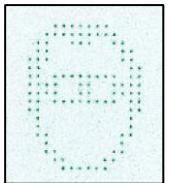


$$\text{Star} = |\text{Star}_1\rangle\langle\text{Star}_1| + |\text{Star}_2\rangle\langle\text{Star}_2| + \dots$$

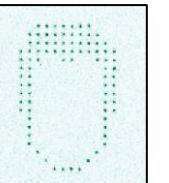


Open questions

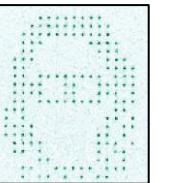
- 1) Origin of the observed QSL: metastable state?
- 2) Improving state preparation and measurement of string operators
- 3) Encoding and manipulating topological qubits
- 4) Implications for topological matter in other systems, e.g. 2D materials



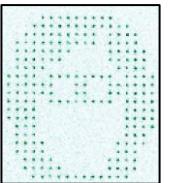
Harry Levine



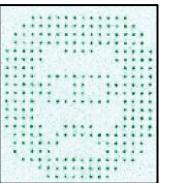
Tout Wang



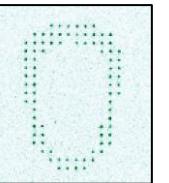
Sepehr Ebadi



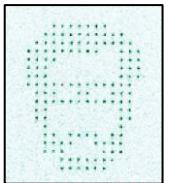
GS



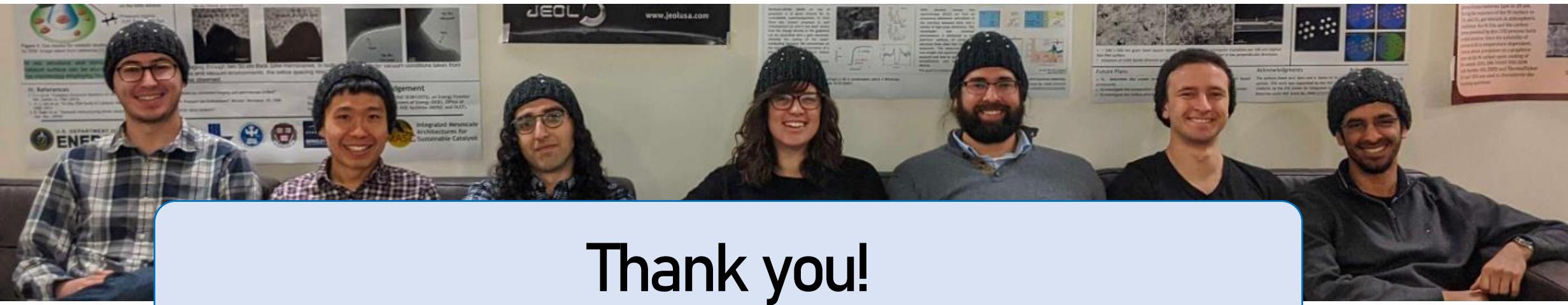
Alex Keesling



Dolev Bluvstein



Ahmed Omran



Thank you!

Pls: M. Lukin



V. Vuletic



M. Greiner



THEORY COLLABORATORS

R. Verresen



A. Vishwanath



R. Samajdar



S. Sachdev



W. W. Ho



H. Pichler



M. Kalinowski



S. Choi

