



Towards a "complete" picture of ultrafast dynamics in Fe_2GeTe_3 (FGT)



Dr. Y. Will Windsor
Technische Universität Berlin & Fritz Haber Institute

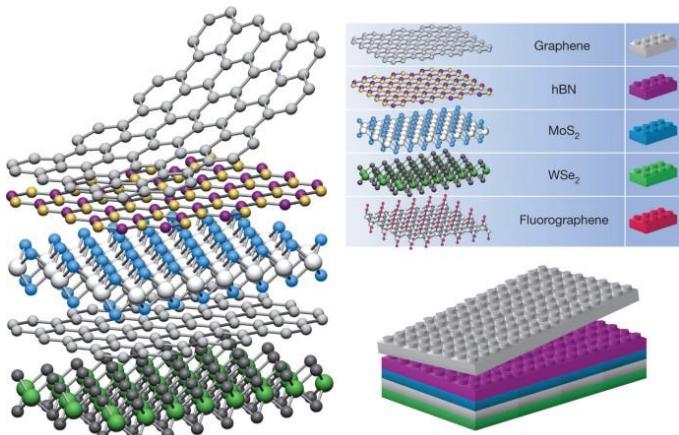


SPICE-SPIN+X Seminar 16 Nov. 2022



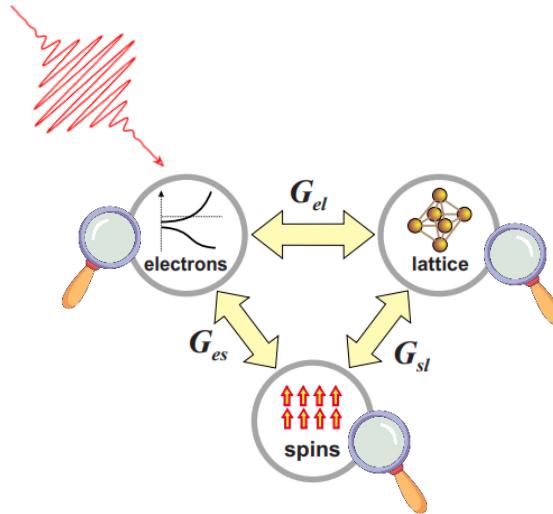
Overview

2D materials

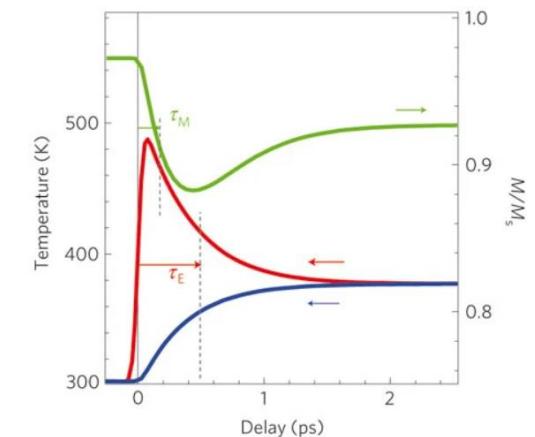


Geim & Grigorieva, Nature 499, 419–425 (2013)

Ultrafast dynamics



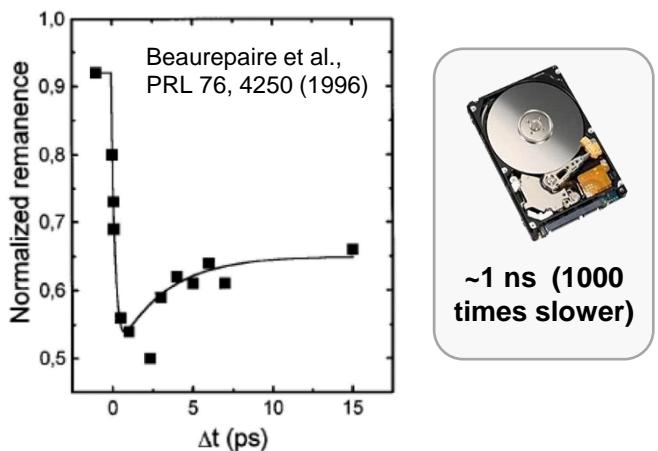
Kirilyuk, Rev. Mod. Phys. 82, 2731 (2010)



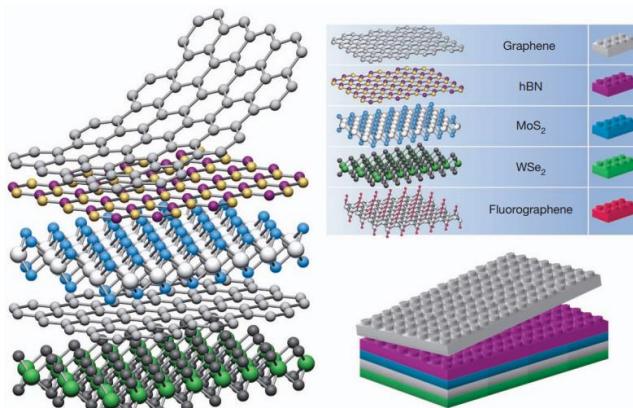
Koopmans Nat Mater 9, 259–265 (2010)

Why 2D magnets?

FM spin dynamics: very fast

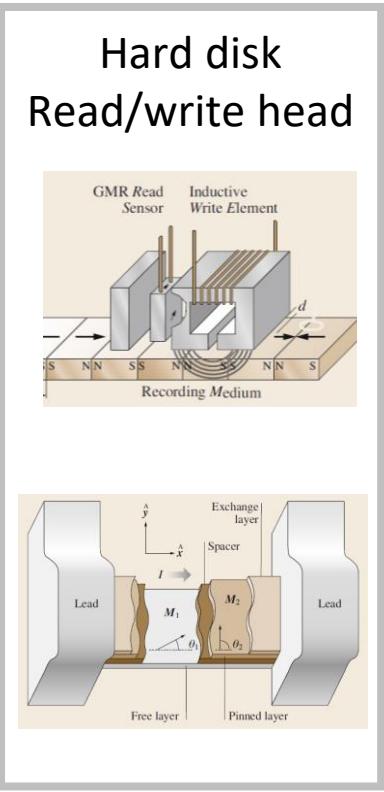
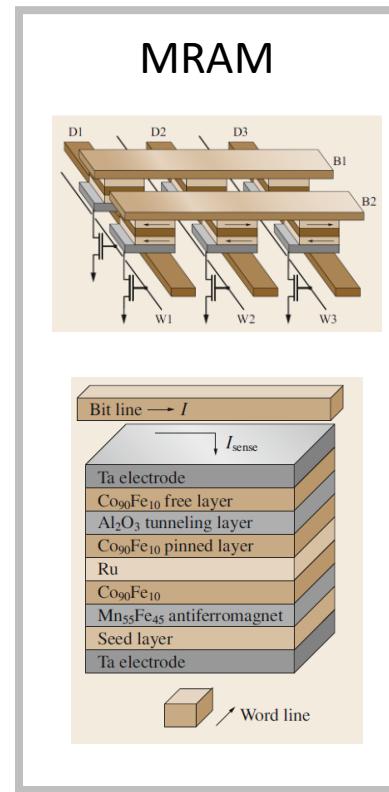


Van der Waal Heterostructures



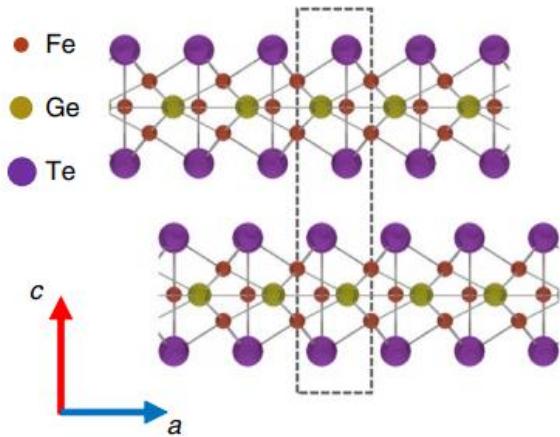
A. K. Geim and I. V Grigorieva, Nature 499, 419 (2013).

Applications



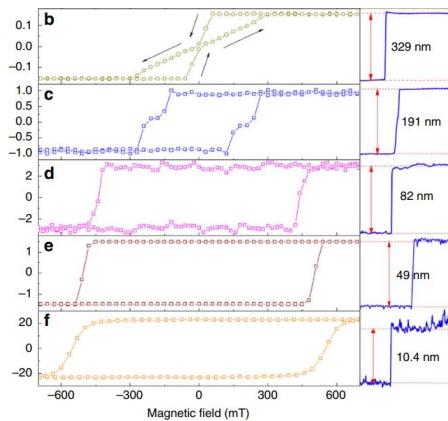
Why Fe_2GeTe_3 (FGT)?

Van der Waals layered material



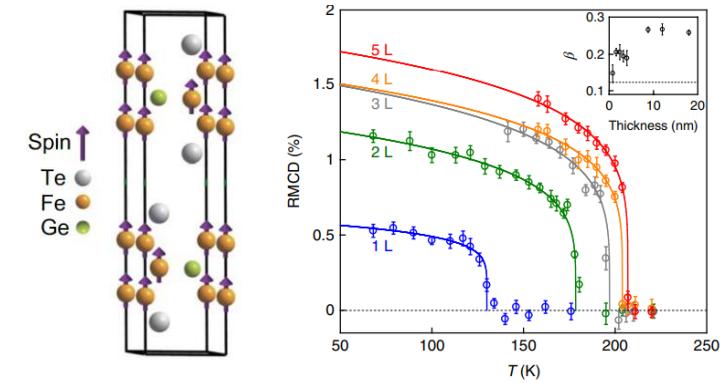
Fei, Nat. Mater. 17, 778–782 (2018)

Thickness dependent properties
Control crystalline layer number



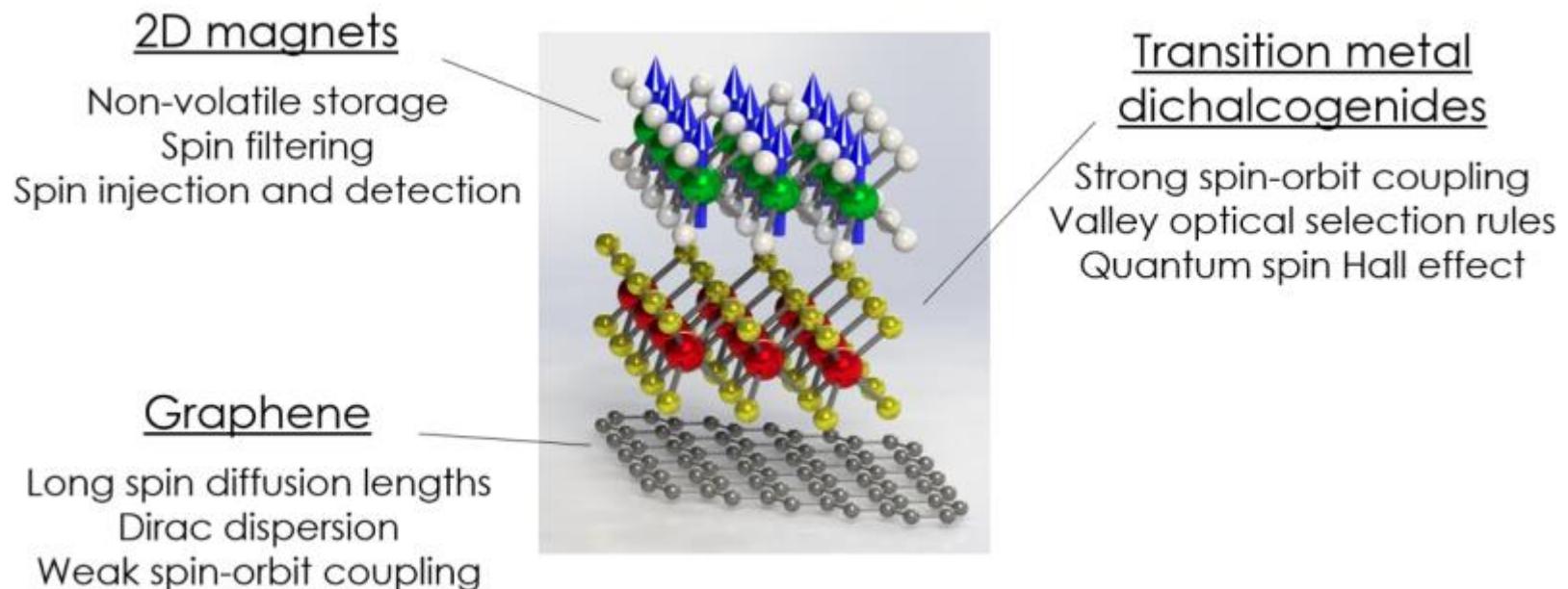
Tan, Nat Comm 9, 1554 (2018)

Metallic ferromagnet
Perpendicular anisotropy



Liu, PRL 125, 267205 (2020)

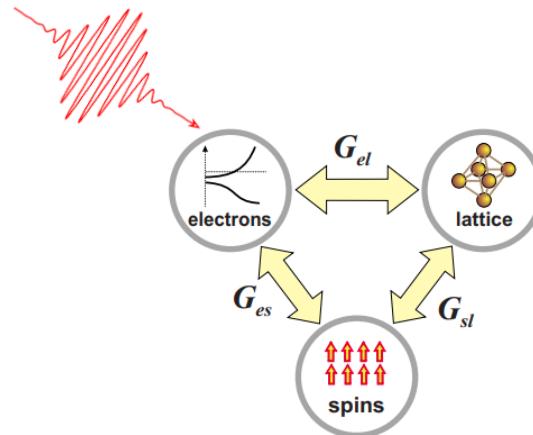
Vision: atomically flat, crystalline Heterostructures



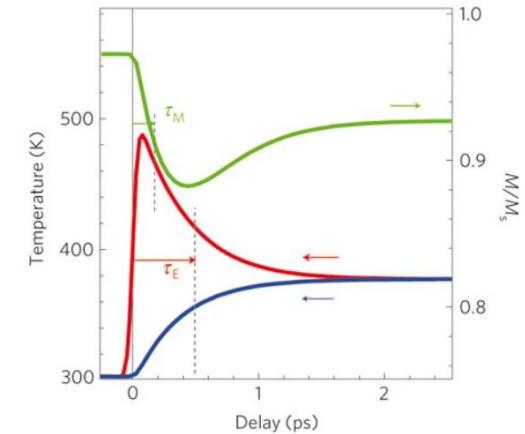
J. Phys. D: Appl. Phys. 53 (2020) 453001

Why ultrafast science?

1. Study nonequilibrium behavior
2. Study process at their intrinsic time scales
3. Understand **coupling** between intrinsic properties through **energy flow**



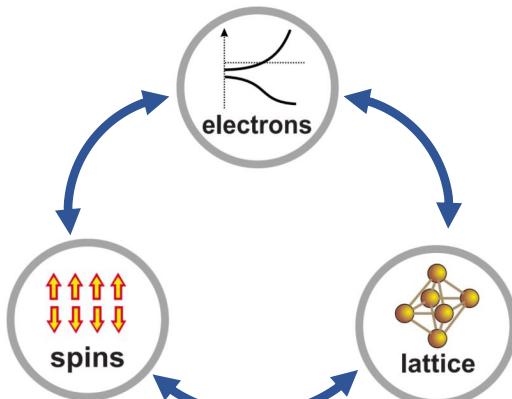
Kirilyuk, Rev. Mod. Phys. 82, 2731 (2010)



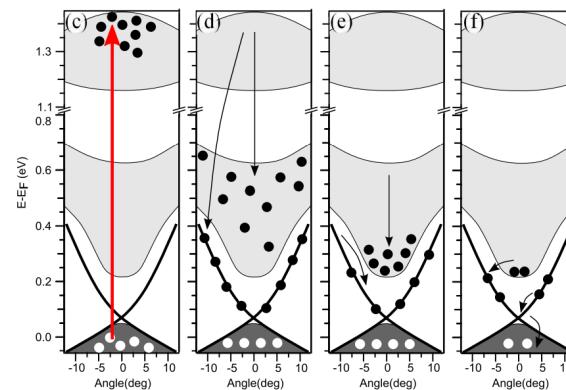
Koopmans Nat Mater 9, 259–265 (2010)

(my) three levels of understanding coupling

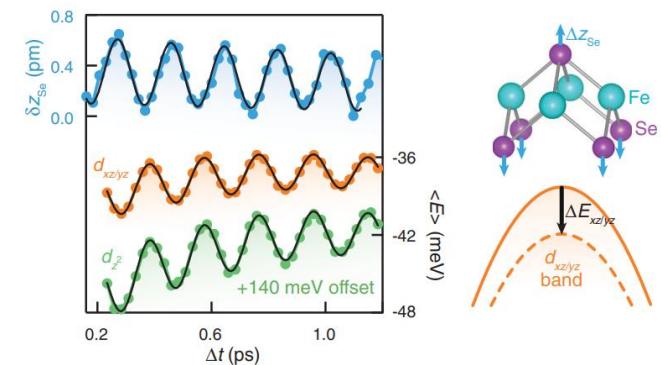
1. Coupled thermalized baths



2. Internal thermalization



3. intra-DOF coupling



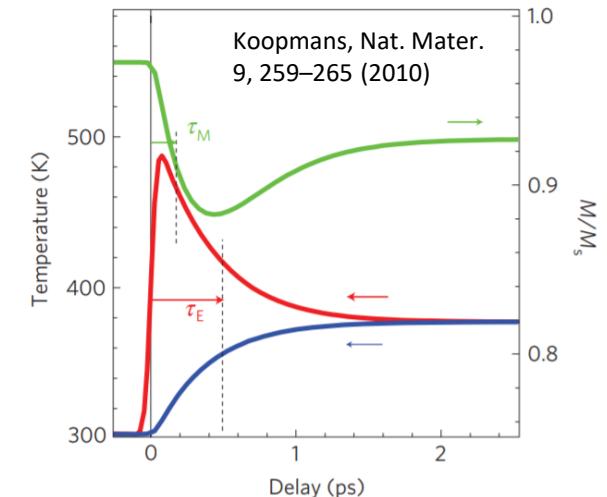
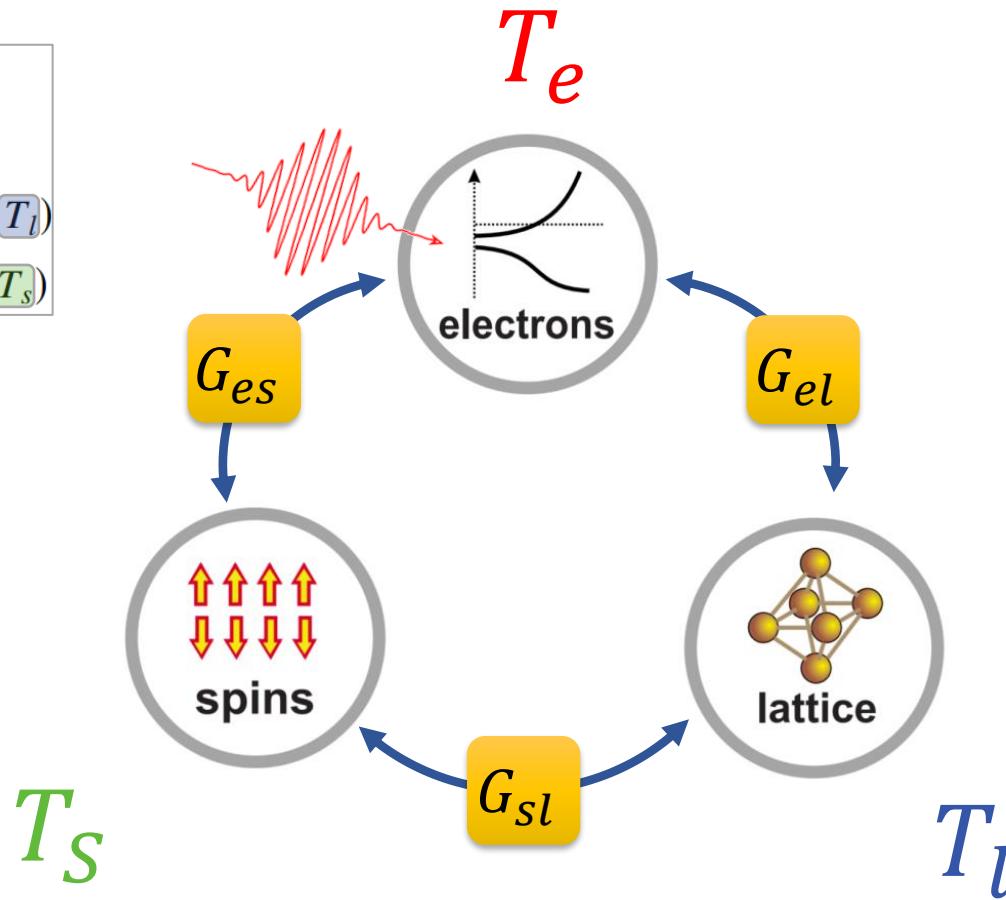
1. Coupled thermalized baths

Energy flow model

$$C_e(T_e) \frac{dT_e}{dt} = -G_{el}(T_e - T_l) - G_{es}(T_e - T_s) + P(t),$$

$$C_s(T_s) \frac{dT_s}{dt} = -G_{es}(T_s - T_e) - G_{sl}(T_s - T_l)$$

$$C_l(T_l) \frac{dT_l}{dt} = -G_{el}(T_l - T_e) - G_{sl}(T_l - T_s)$$



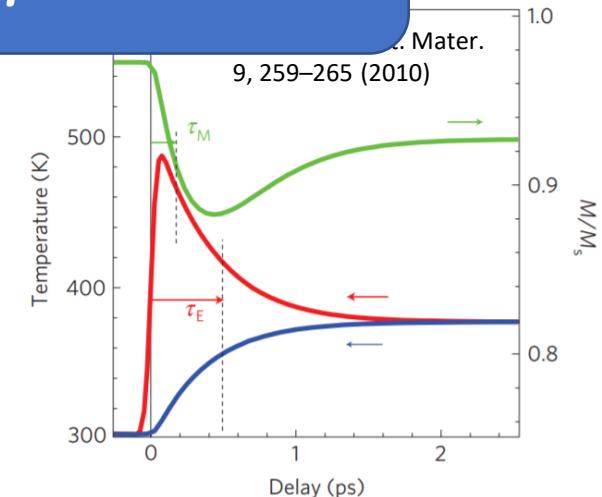
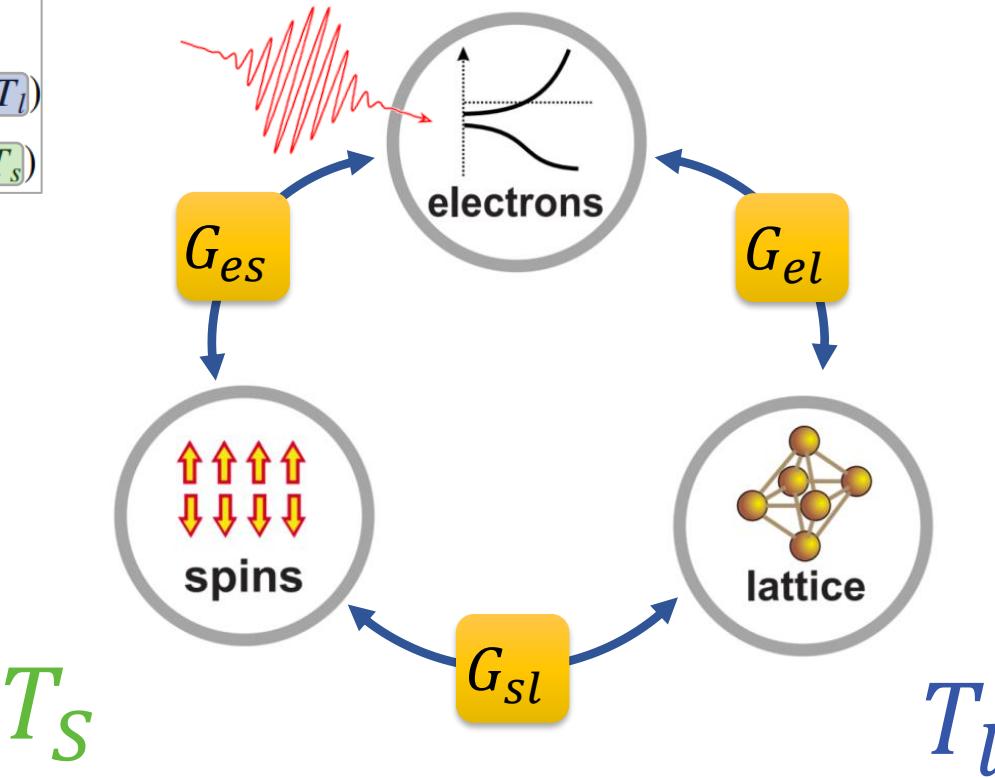
1. Coupled thermalized baths

Can we assume these baths are in thermal equilibrium?

Energy flow

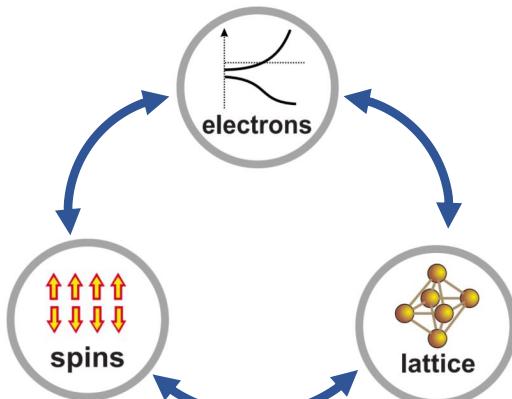
$$\begin{aligned} C_e(T_e) \frac{dT_e}{dt} &= -G_{es}(T_e - T_s) + P(t), \\ C_s(T_s) \frac{dT_s}{dt} &= -G_{es}(T_s - T_e) - G_{sl}(T_s - T_l) \\ C_l(T_l) \frac{dT_l}{dt} &= -G_{el}(T_l - T_e) - G_{sl}(T_l - T_s) \end{aligned}$$

Can we describe them with a temperature?

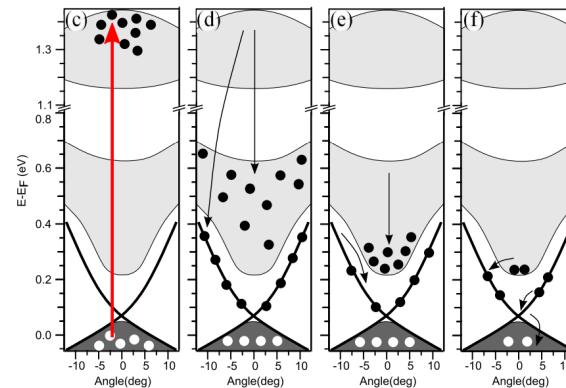


Three levels of understanding coupling

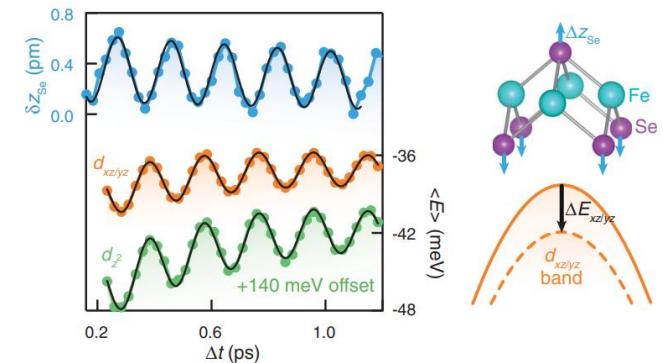
1. Coupled thermalized baths



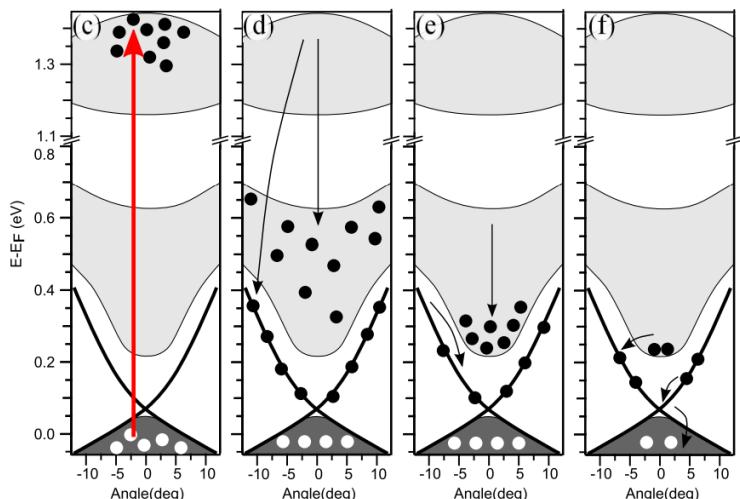
2. Internal thermalization



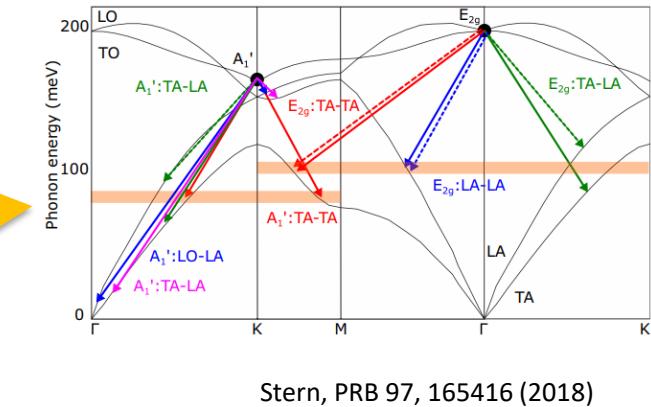
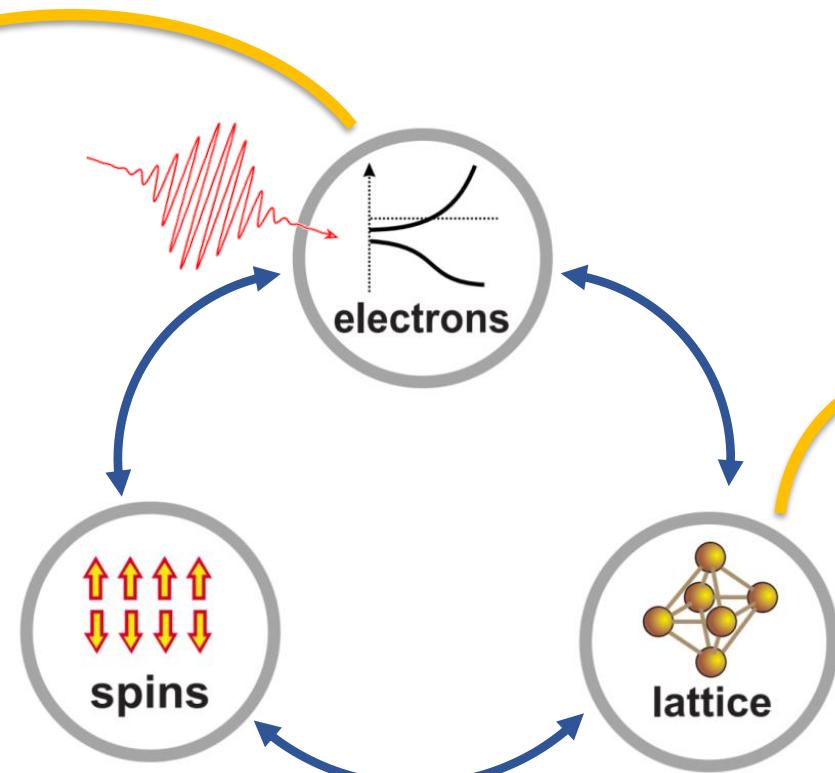
3. intra-DOF coupling



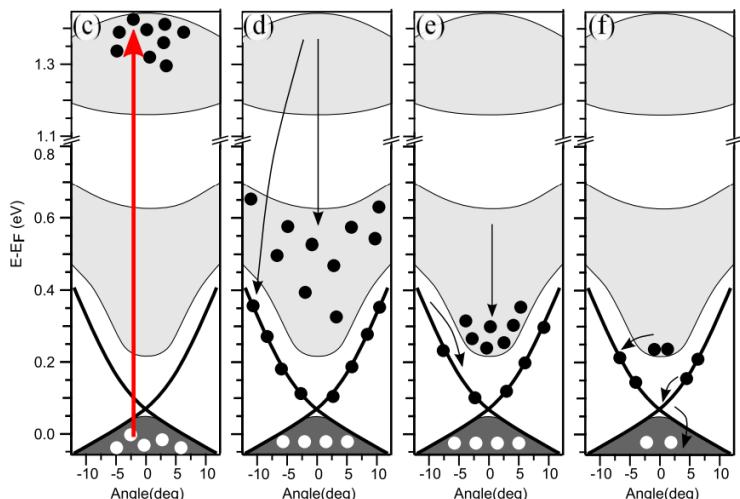
2. Internal thermalization



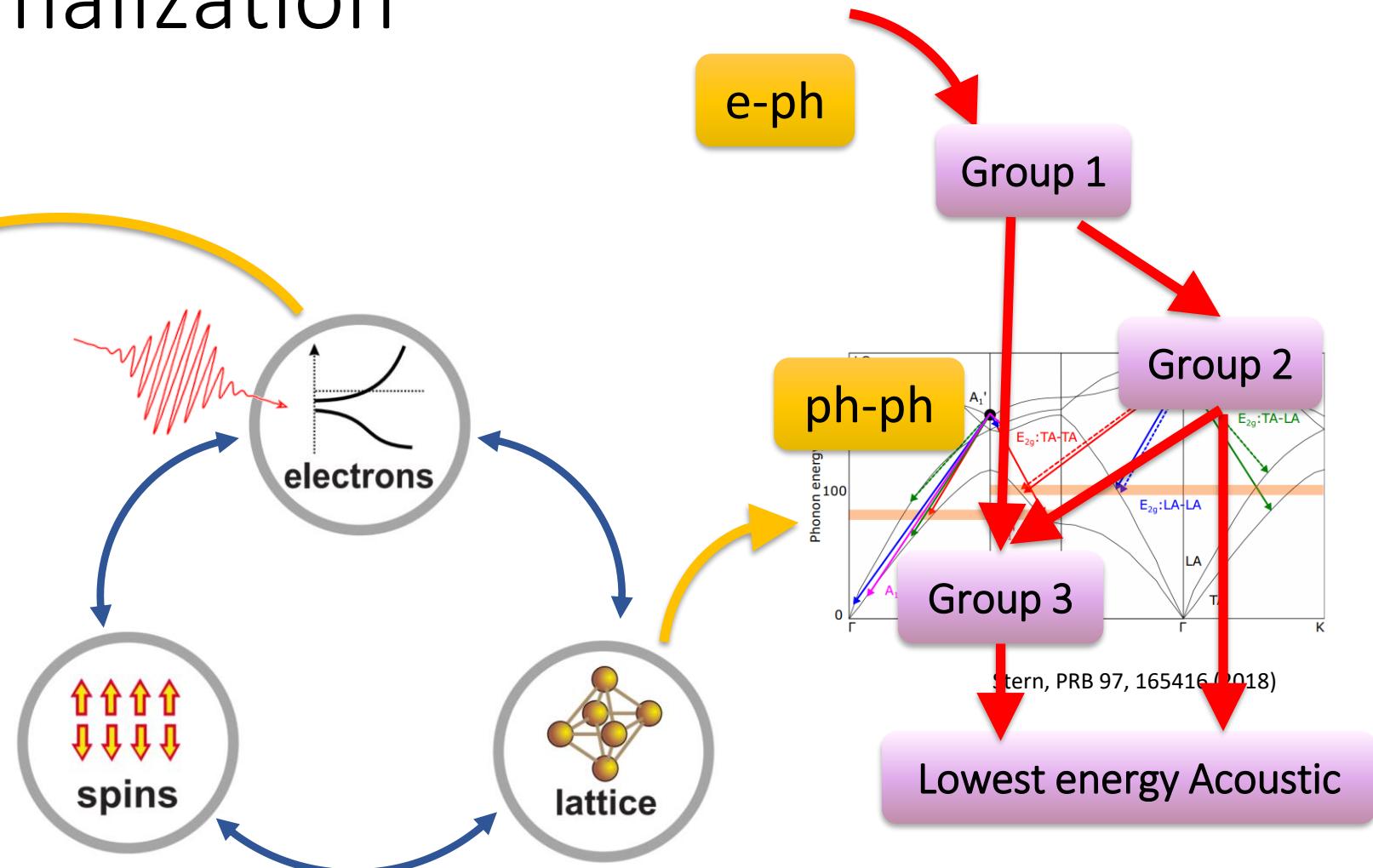
Sabota, PRL 108, 117403 (2012)



2. Internal thermalization

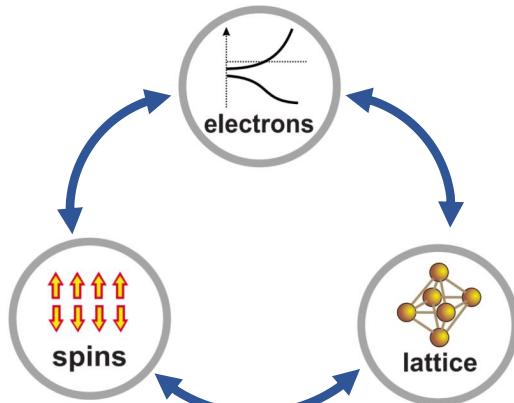


Sabota, PRL 108, 117403 (2012)

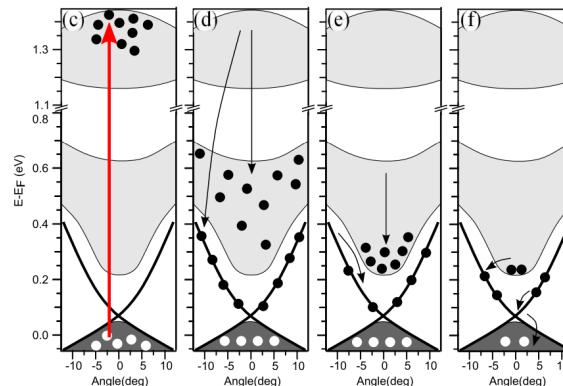


Three levels of understanding coupling

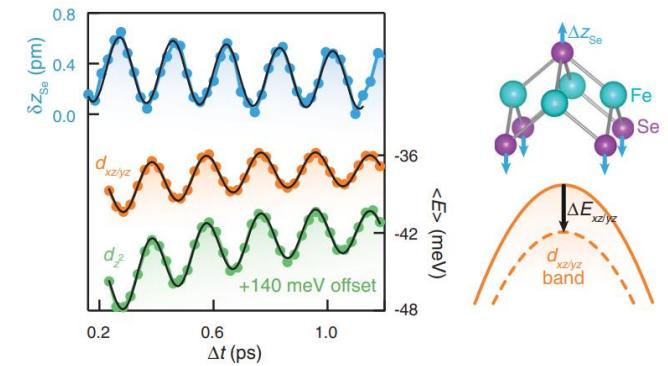
1. Coupled thermalized baths



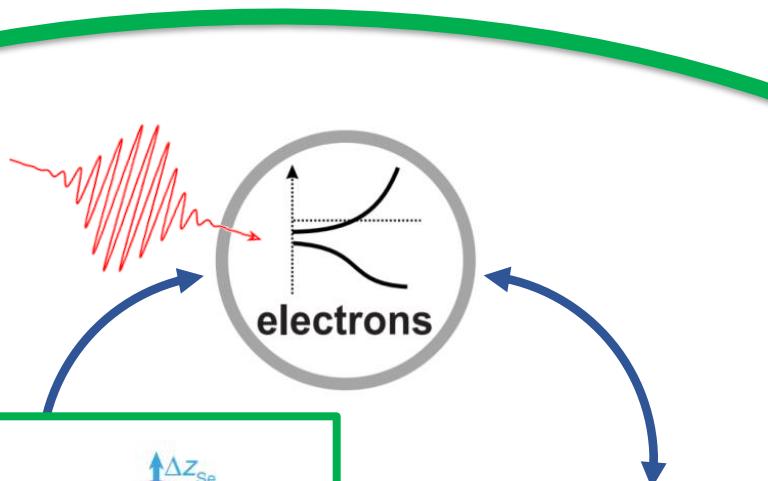
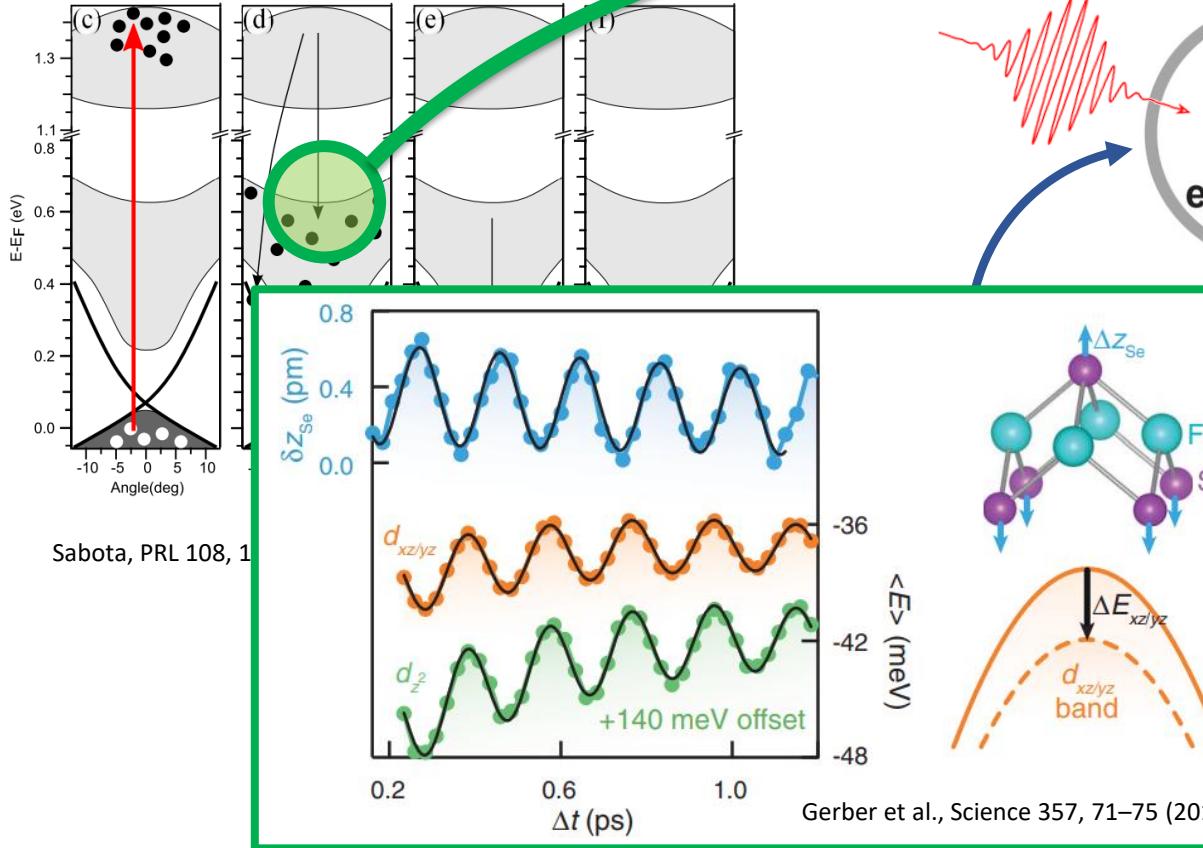
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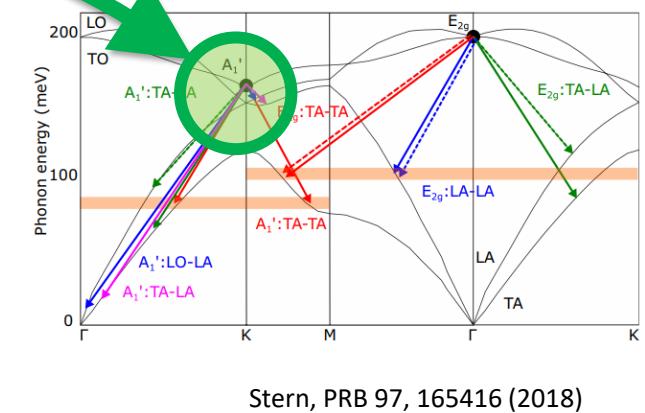
3. intra-DOF coupling



3. intra-DOF coupling



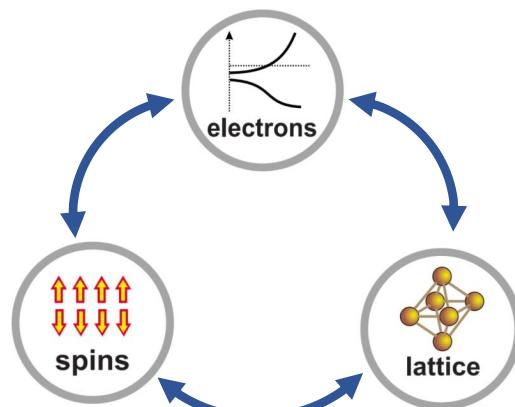
$$\frac{\Delta E}{\Delta Z} \text{ "coupling potential"}$$



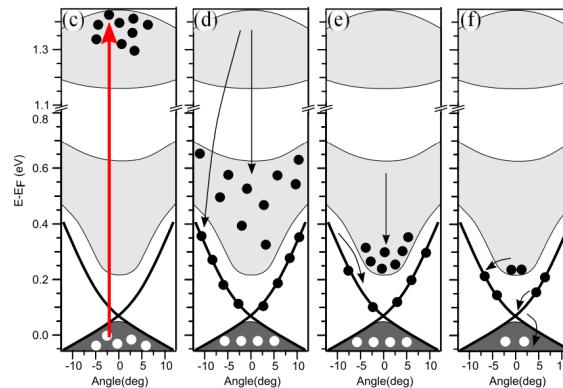
BaFe₂As₂
Yang, PRL 112, 207001 (2014)
Rettig PRL 114, 067402 (2015)

Understanding dynamics in FGT

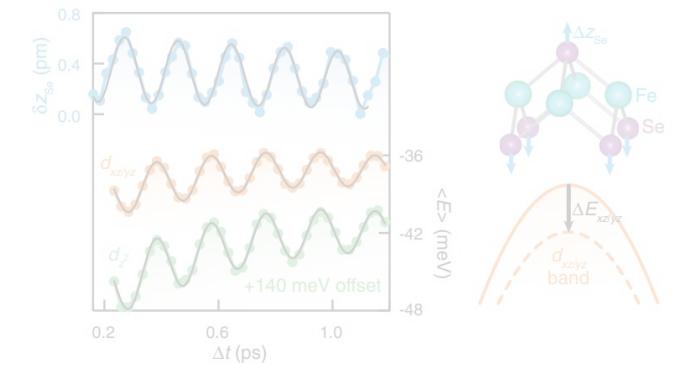
1. Coupled thermalized baths



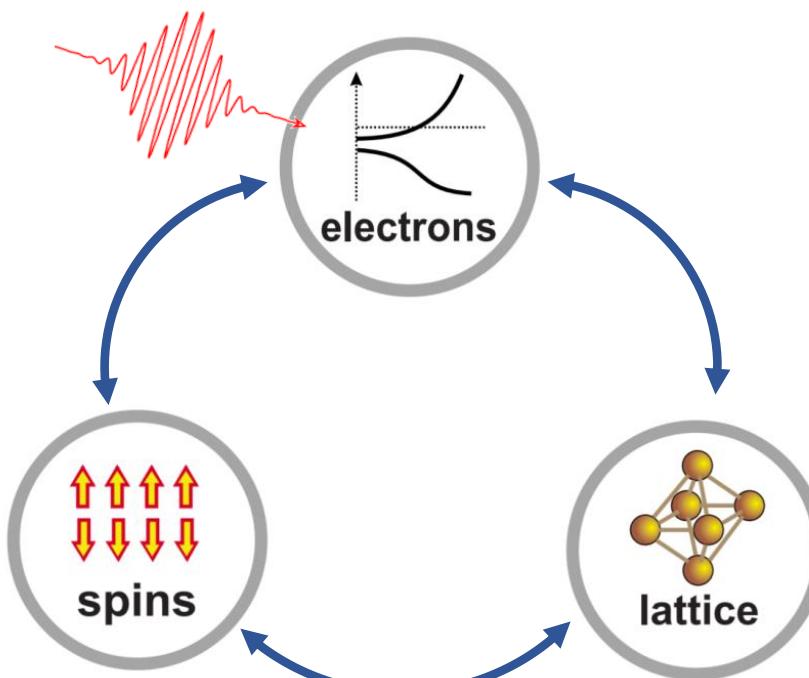
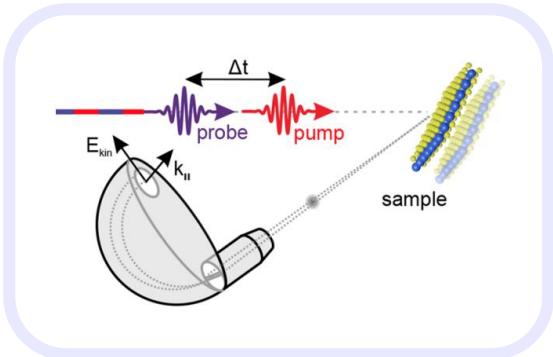
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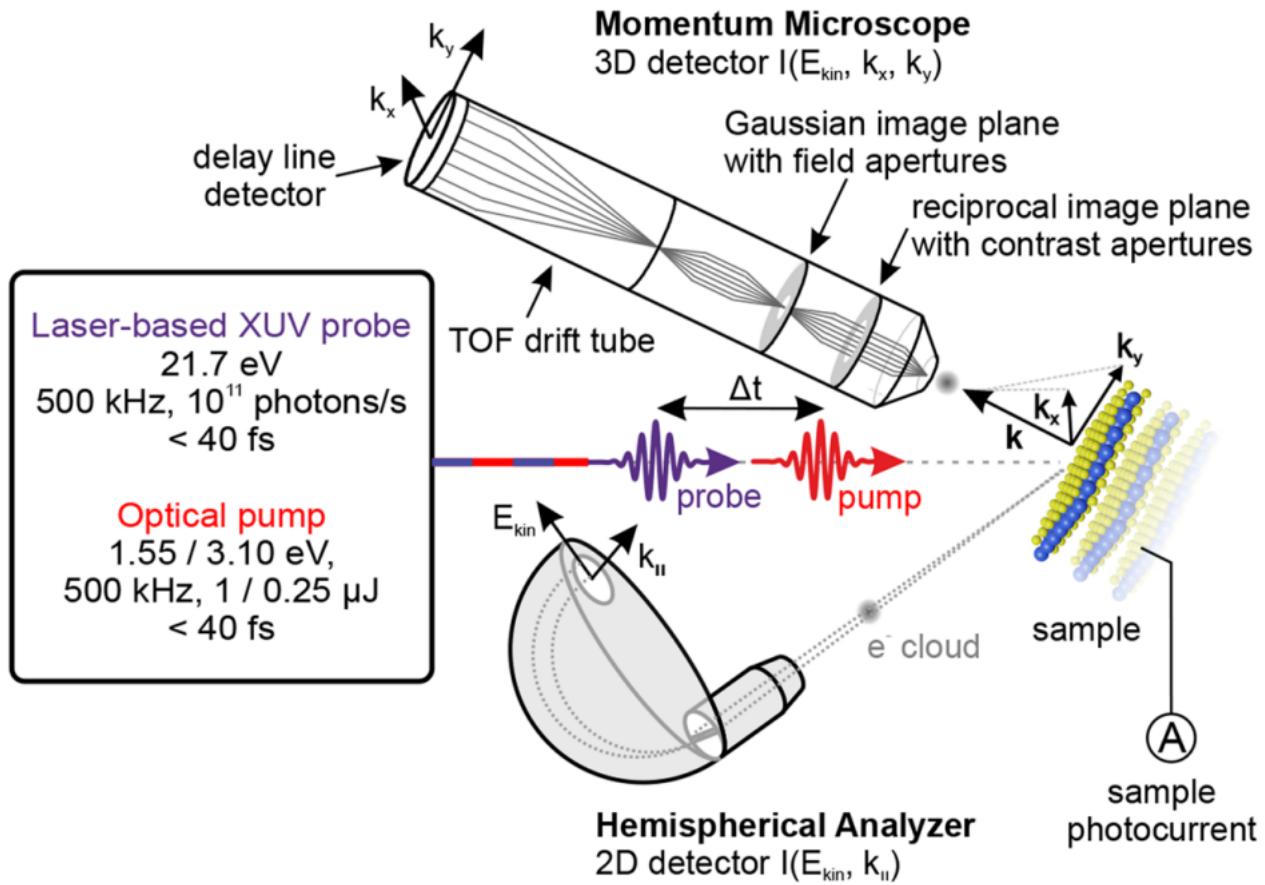
3. intra-DOF coupling



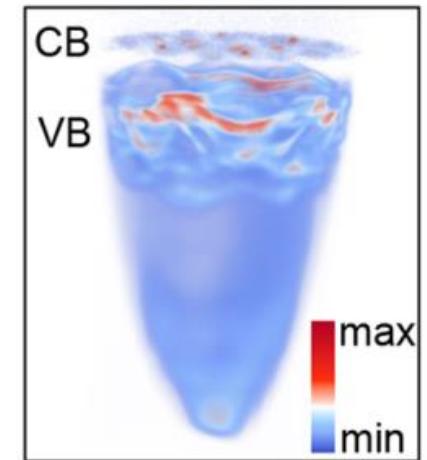
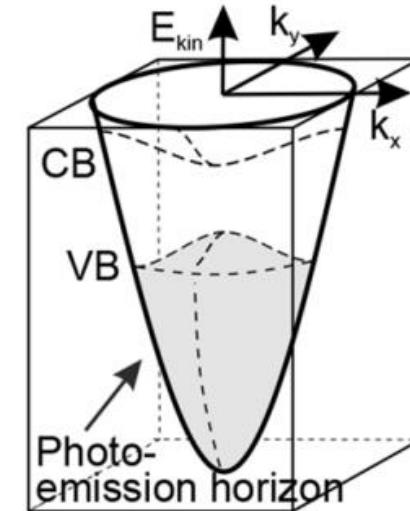
time resolved ARPES



Time resolved ARPES at FHI



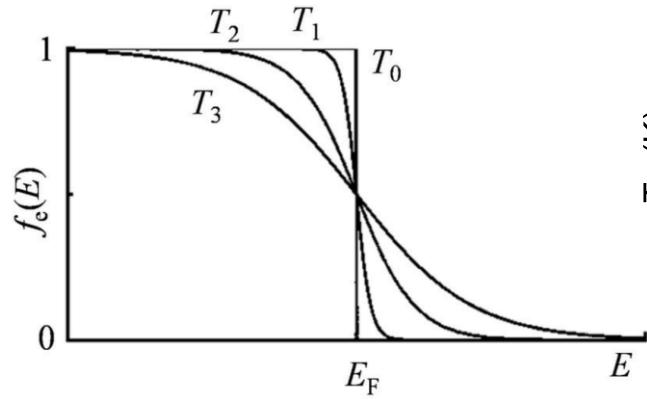
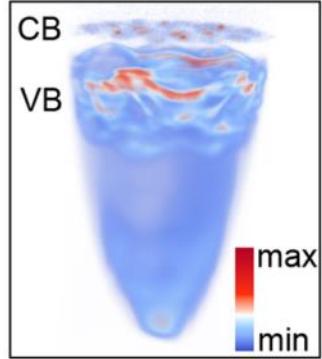
4-dimentional data ($k_x, k_y, E, \Delta t$)



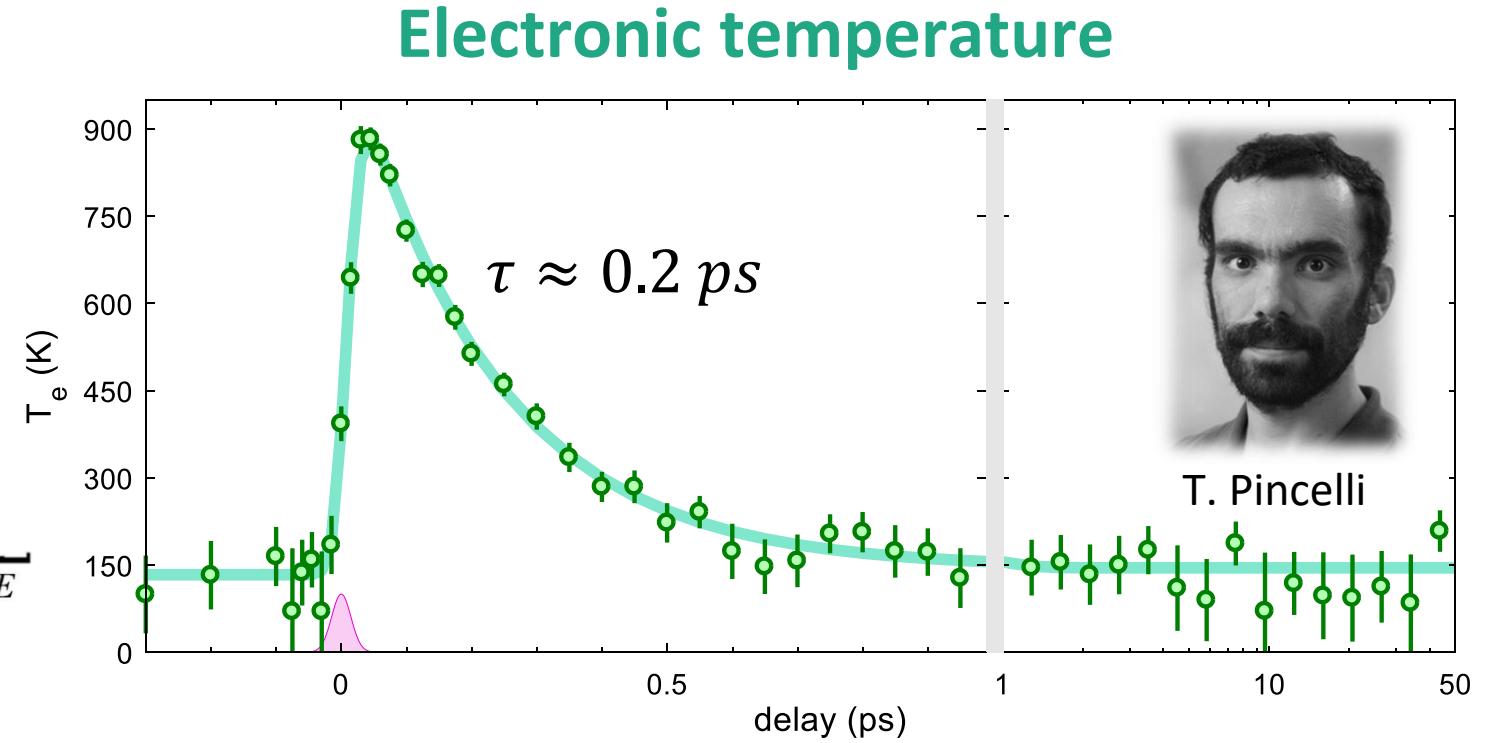
Maklar et al, Rev. Sci. Instr. 91, 123112 (2020)

Electron temperature dynamics

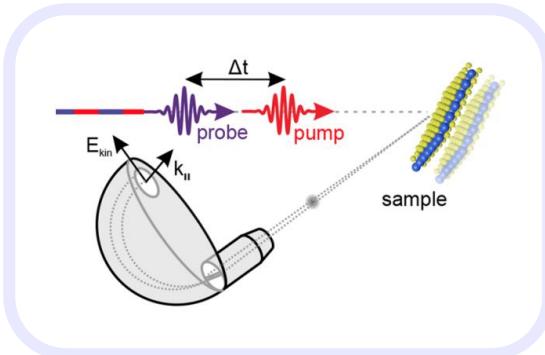
$$I(\mathbf{k}, \omega) = |M(\mathbf{k}, \omega)|^2 f_{FD}(\omega) A(\mathbf{k}, \omega)$$



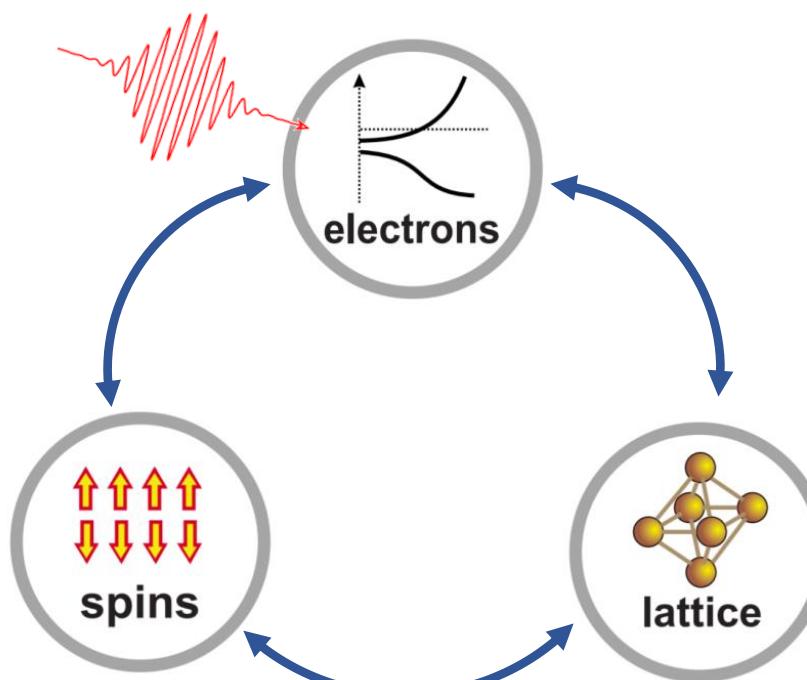
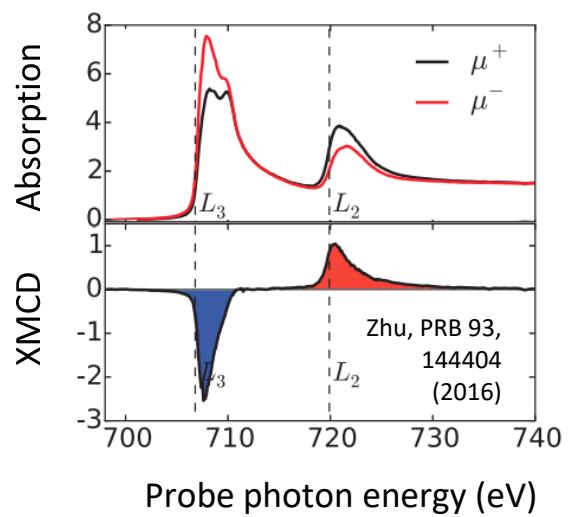
Pump: 800 nm
Probe: 21 eV (HHG XUV)
Resolution: ~35 fs



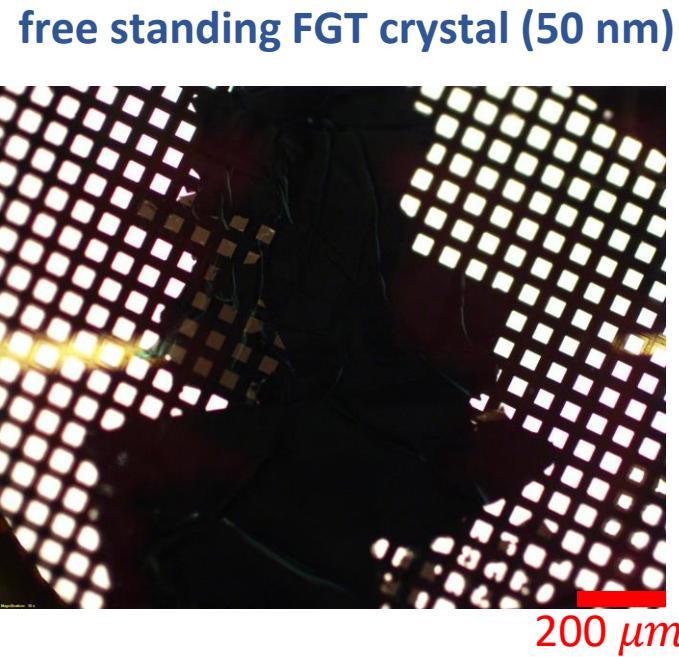
time resolved ARPES



Ultrafast XMCD



XMCD from FGT in transmission



Pump: 800 nm
Probe: 707 eV (Fe L₃)
Resolution: ~120 fs



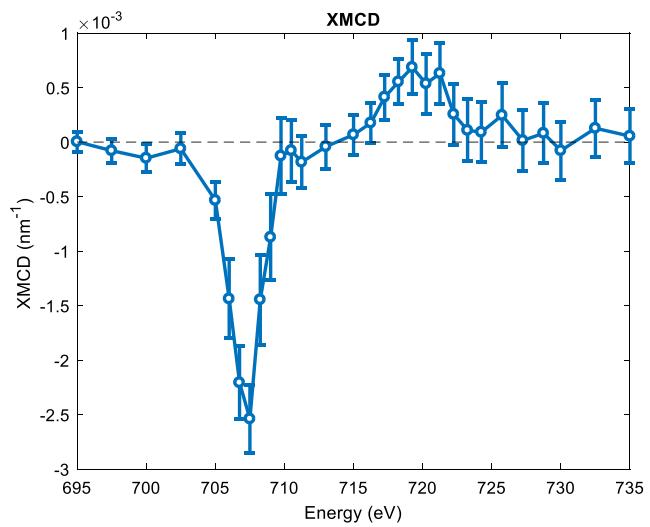
Ch. Schüßler-
Langenheine



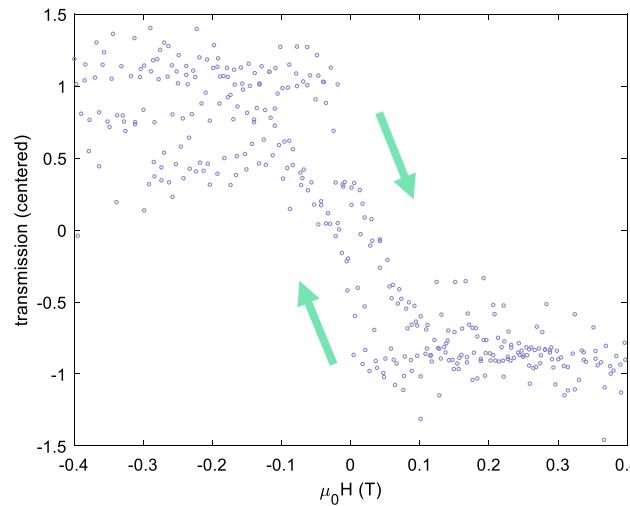
N. Pontius

XMCD results

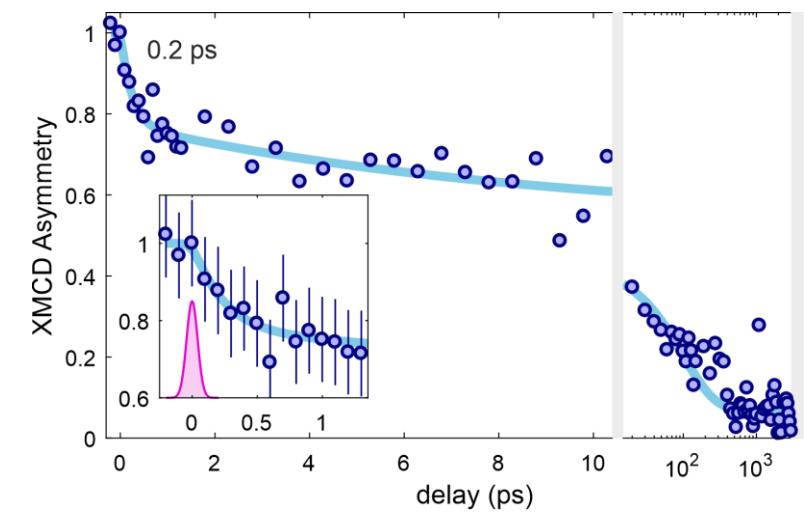
XMCD
(real units)



Hysteresis
(magnetic as expected)

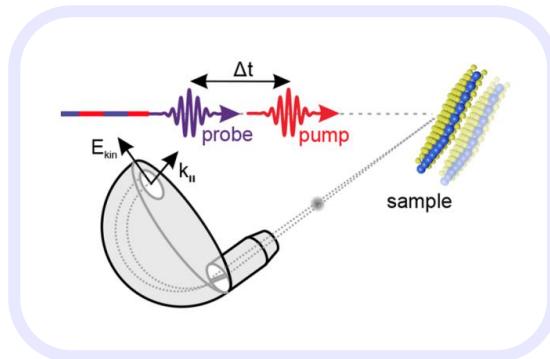
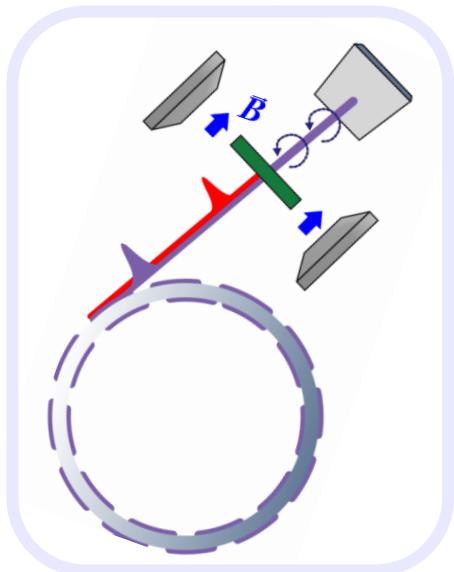


Pump effect
(jump at axis break: artifact)

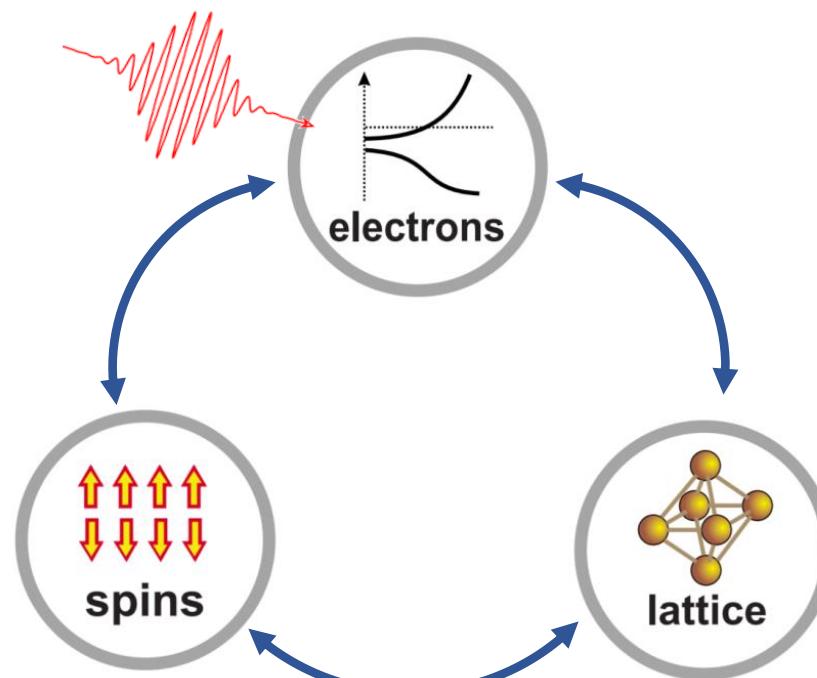


Spin dynamics time scale very similar to electron dynamics

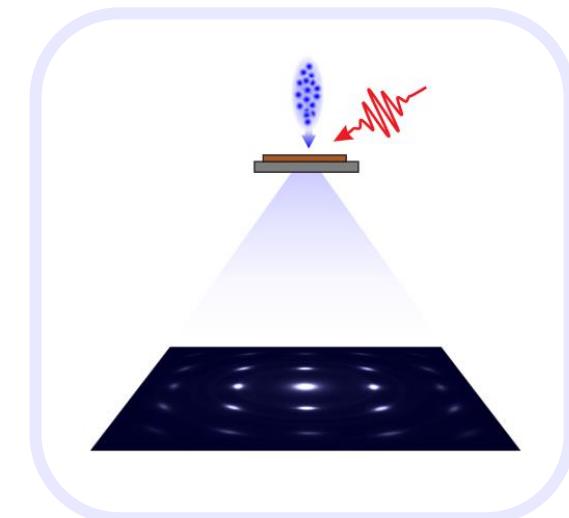
Ultrafast XMCD



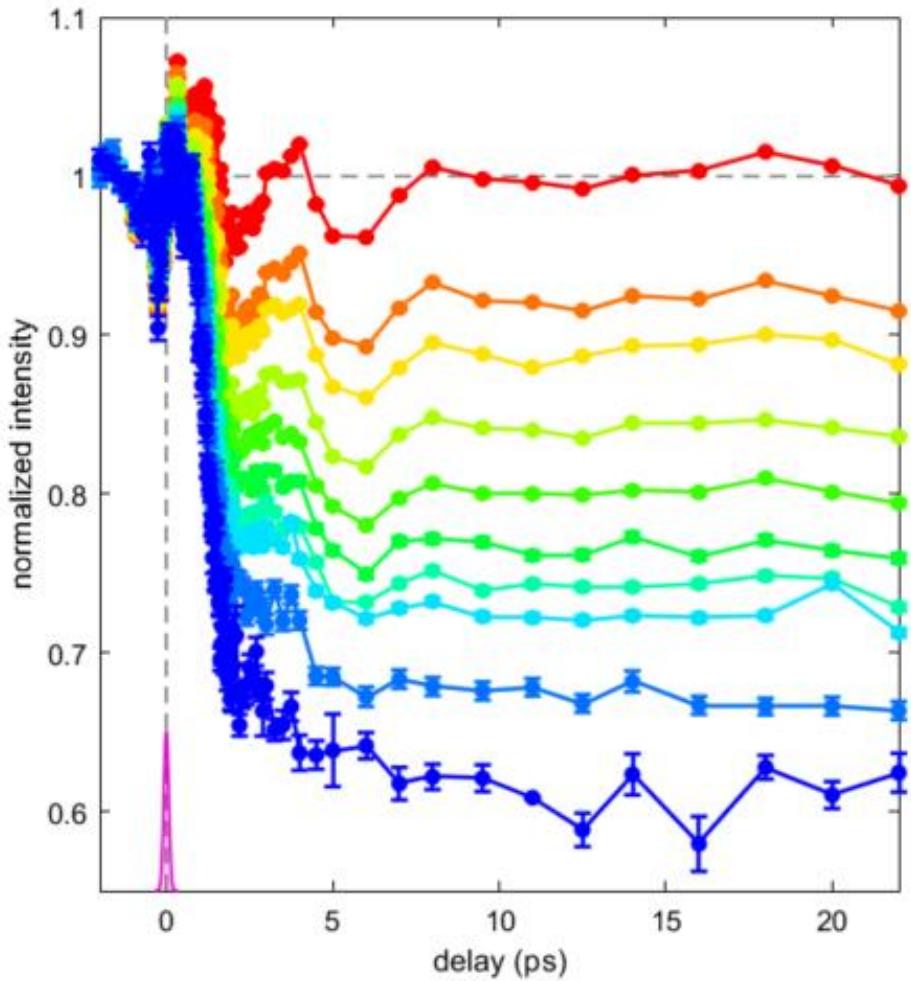
time resolved ARPES



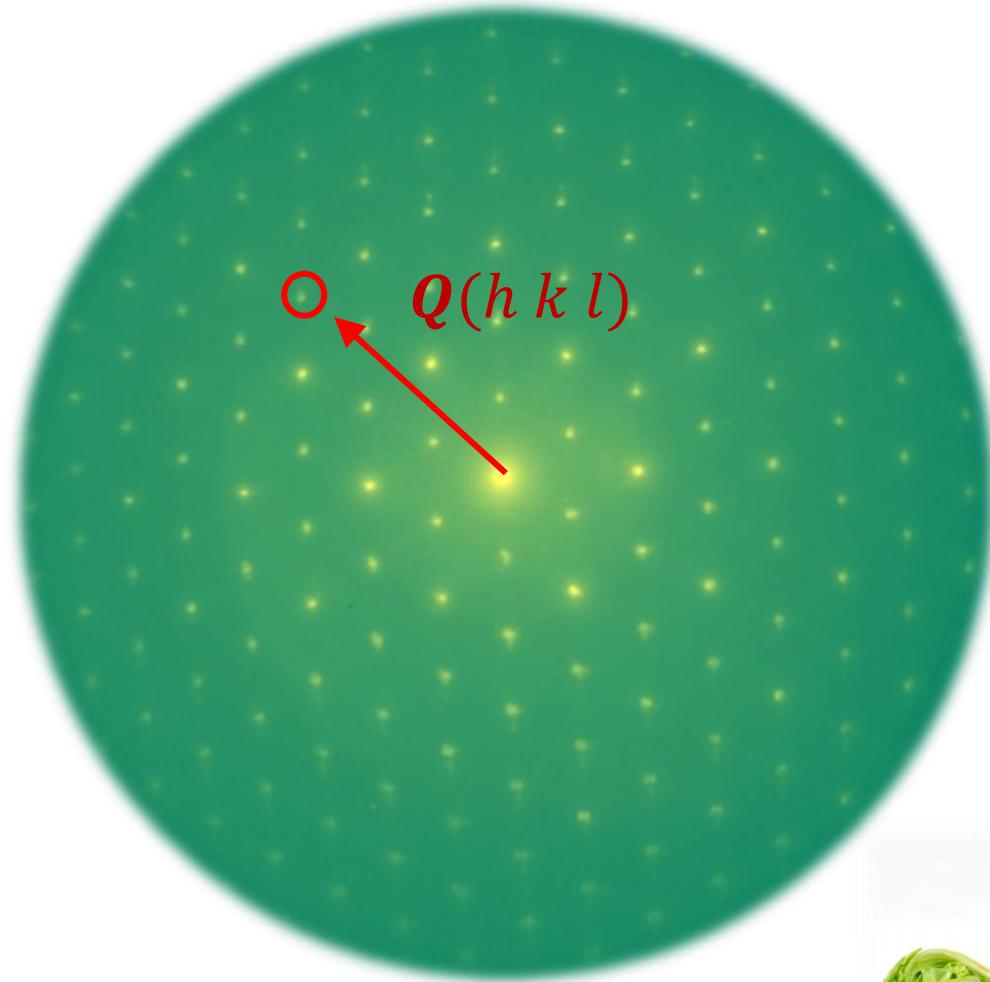
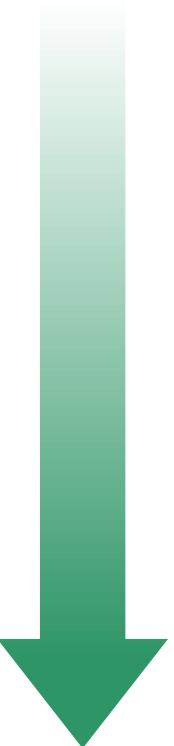
Femtosecond Electron Diffraction



Lattice dynamics



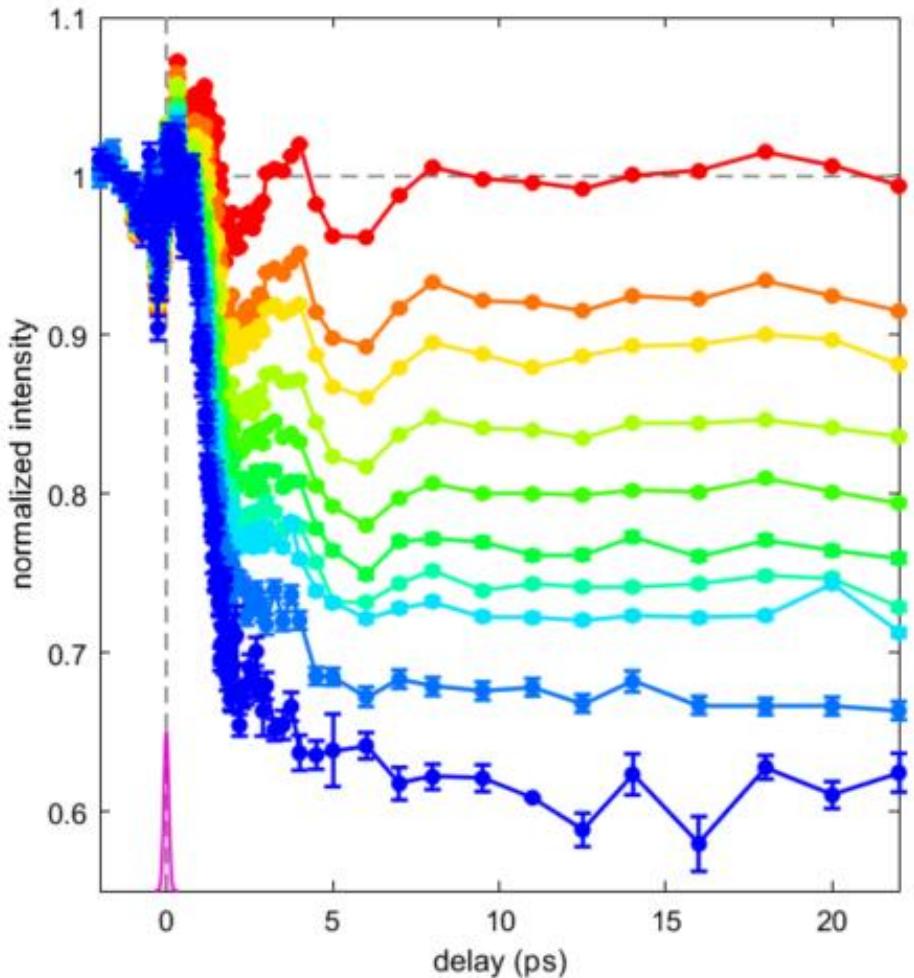
Increasing
 Q



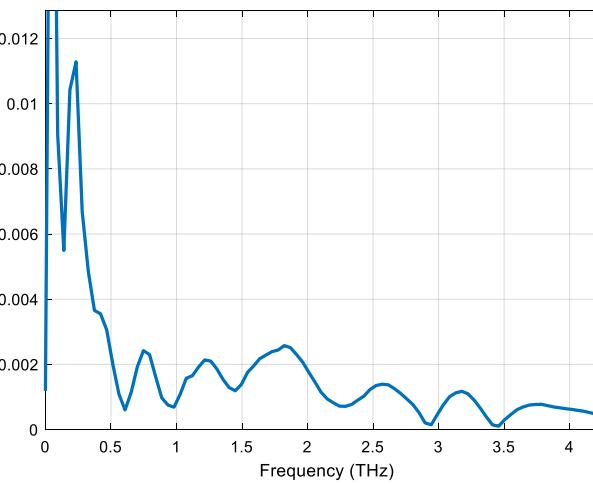
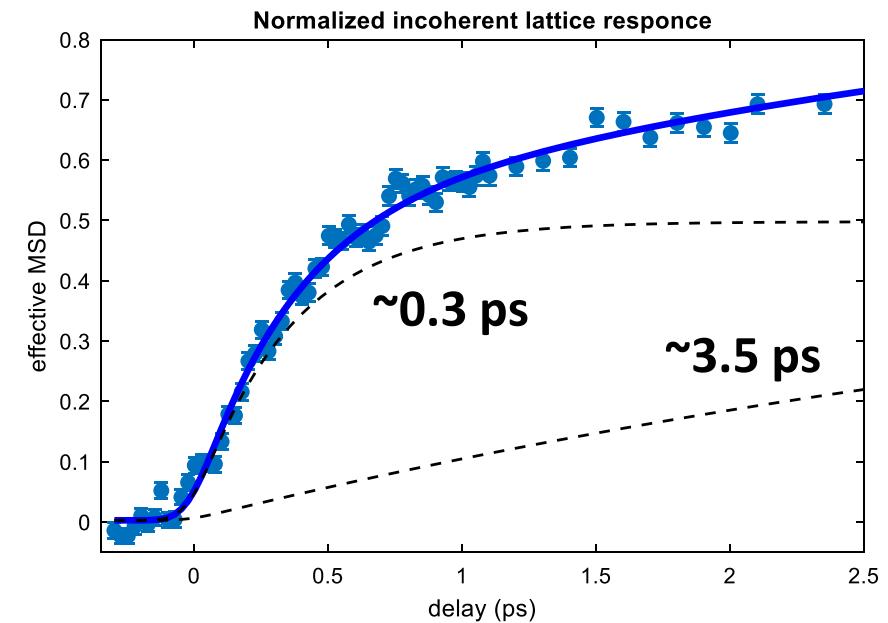
470 peaks, 56 unique $|Q|$



Lattice dynamics



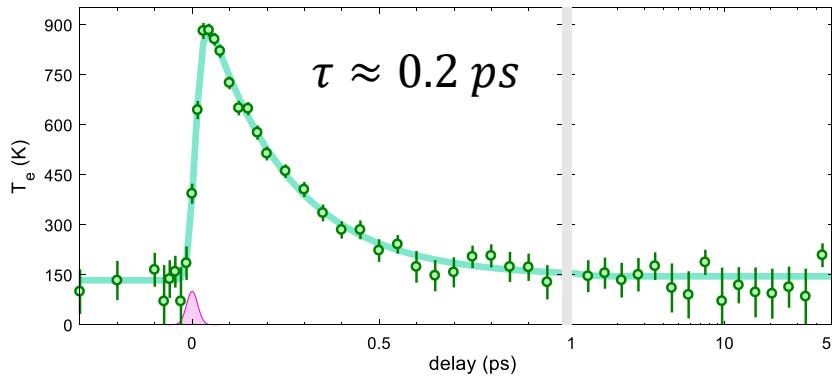
Increasing
Q



Theoretical modeling

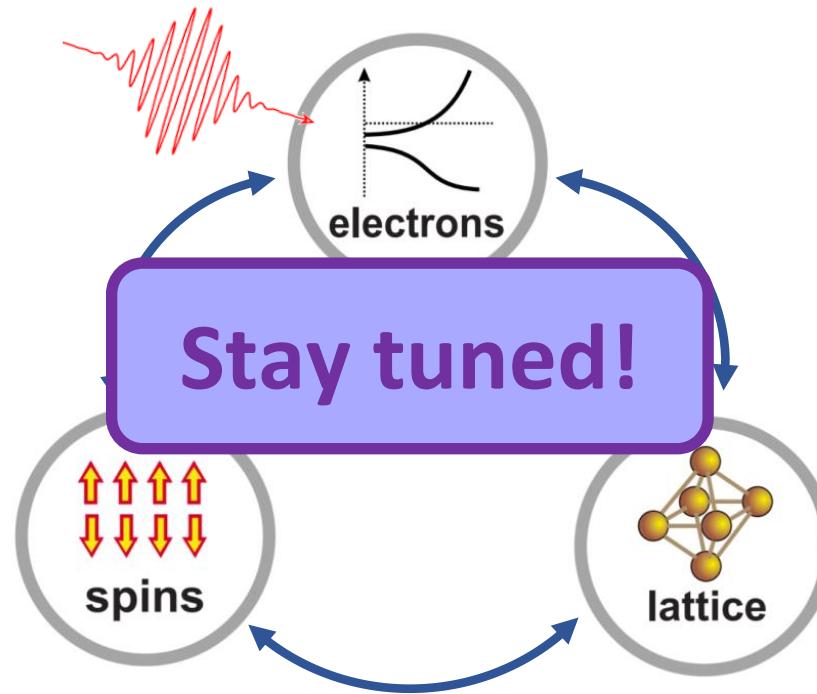
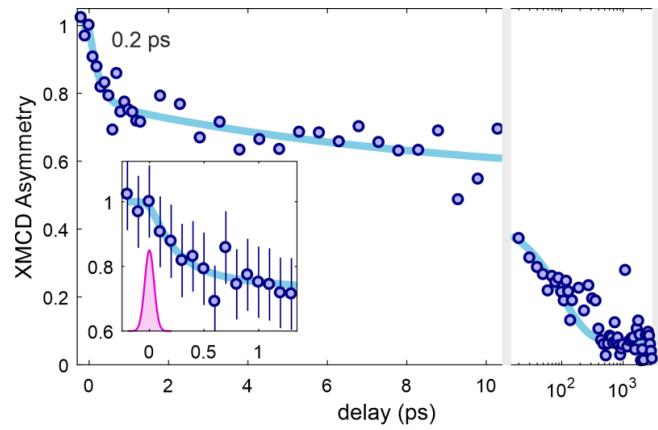


U. Atxitia T. Griepe

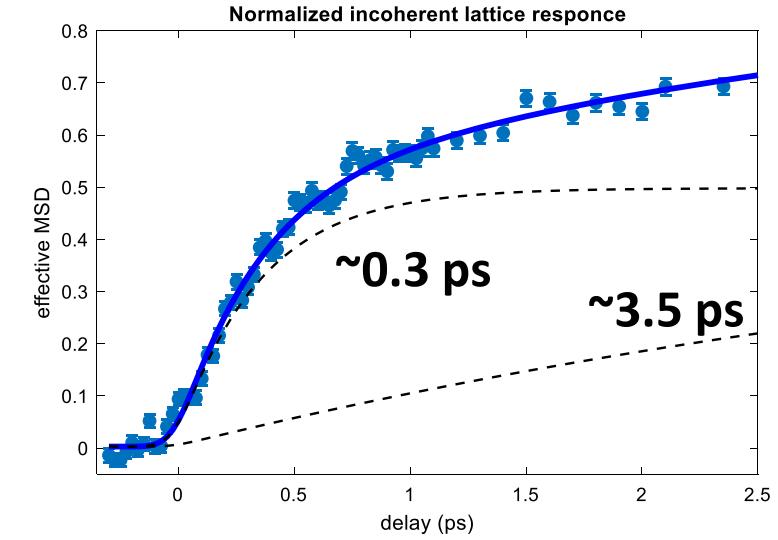


time resolved
ARPES

Ultrafast XMCD

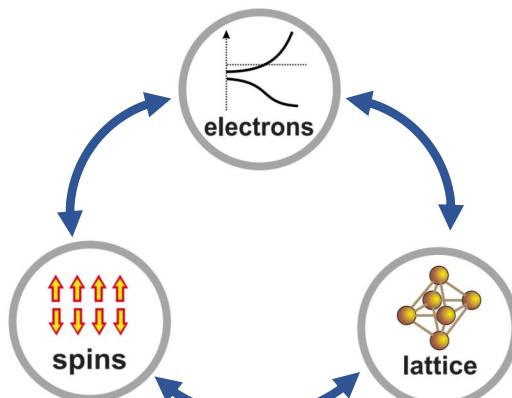


Femtosecond Electron Diffraction

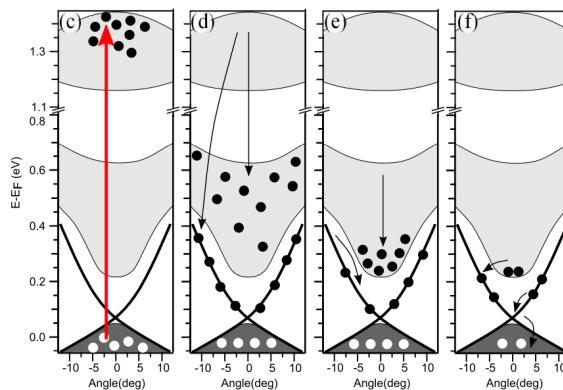


Understanding dynamics in FGT

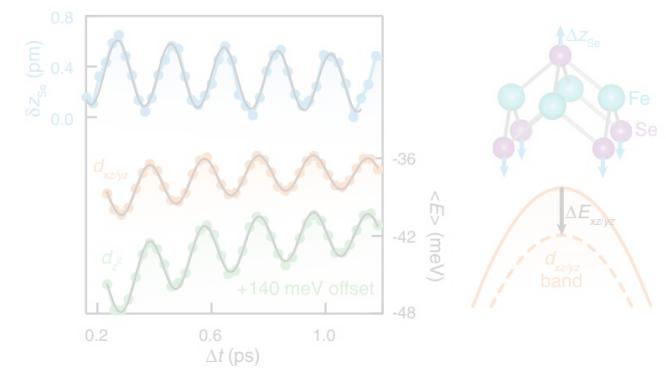
1. Coupled thermalized baths



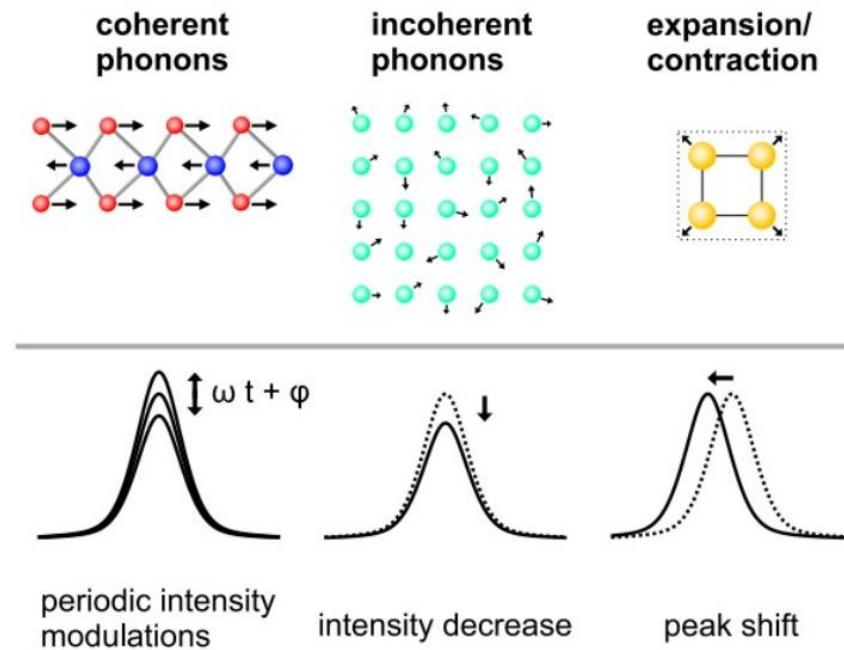
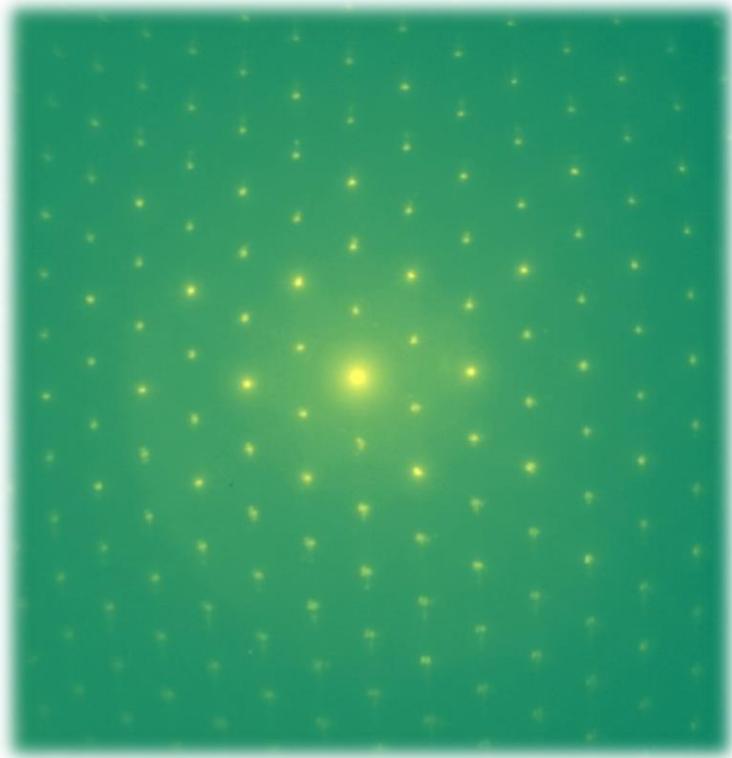
2. Internal thermalization



3. intra-DOF coupling

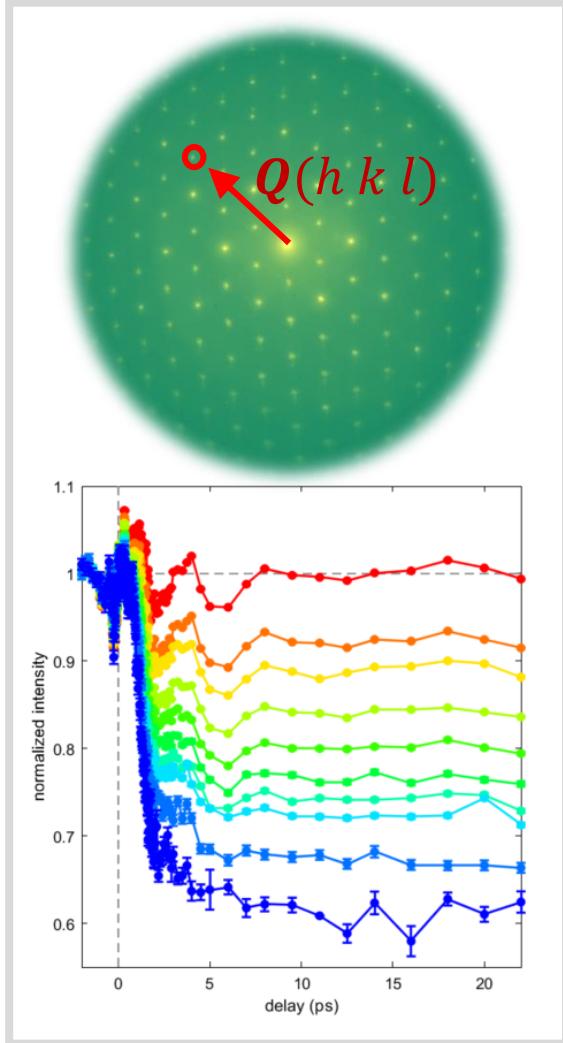


Diffraction

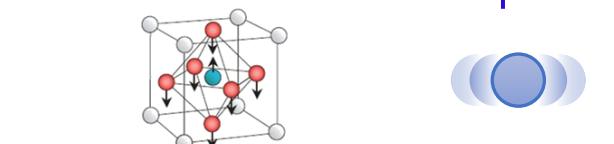


D. Zahn
Phd thesis

Evolution of the phonon system



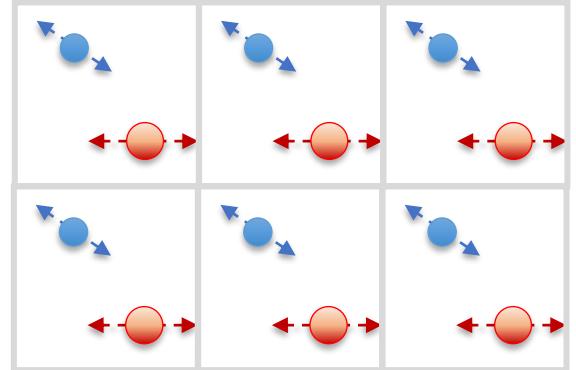
$$I(Q) \propto \left| \sum_i f_i(Q) e^{2\pi i Q \cdot \mathbf{r}_i} e^{-\frac{4\pi^2}{3} \langle u_i^2 \rangle Q^2} \right|^2$$



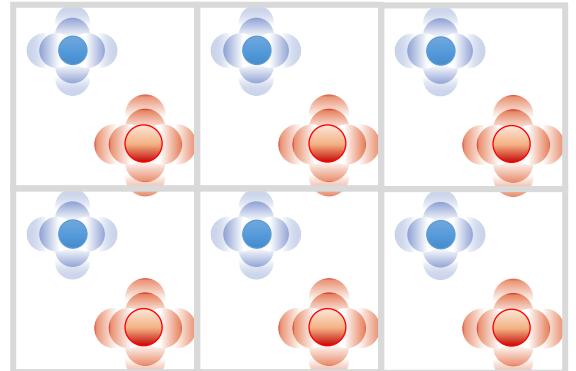
Changes intensity
↑↓

Reduces intensity
↓

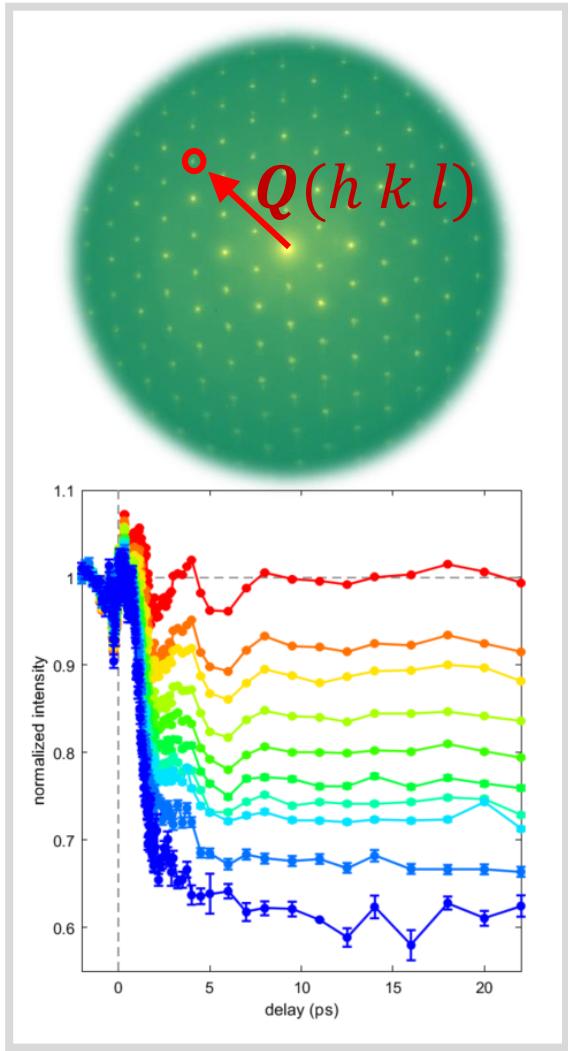
Coherent phonons



Incoherent phonons



Evolution of the phonon system



$$I(Q) \propto \left| \sum_i f_i(Q) e^{2\pi i \mathbf{Q} \cdot \mathbf{r}_i} e^{-\frac{4\pi^2}{3} \langle u_i^2 \rangle Q^2} \right|^2$$

Scattering factors (tabulated) phase factors Temperature factor (Debye Waller effect)

Diagram illustrating the scattering process: Atoms (red spheres) vibrate (arrows) around lattice sites (grey spheres). The wave vector \mathbf{Q} is defined by the scattering angle.

Changes intensity $\uparrow\downarrow$

Reduces intensity \downarrow

Fe: $\mathbf{r}_i(t) = \mathbf{r}_i^0 + \Delta(t)$

Ge: $\mathbf{r}_i(t) = \mathbf{r}_i^0 + \Delta(t)$

Te: $\mathbf{r}_i(t) = \mathbf{r}_i^0 + \Delta(t)$

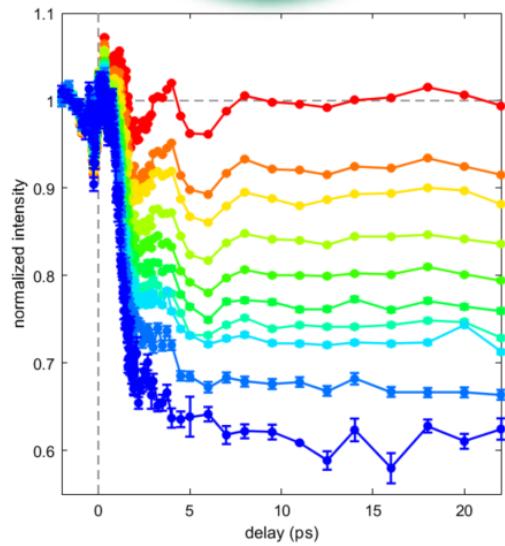
Fe:  $\begin{pmatrix} U_{Fe} & 2U_{Fe} & 0 & 0 \\ 2U_{Fe} & U_{Fe} & 0 & \cancel{U_{Fe}} \\ 0 & 0 & 0 & 0 \end{pmatrix}$

Ge:  $\begin{pmatrix} U_{Ge} & 2U_{Ge} & 0 & 0 \\ 2U_{Ge} & U_{Ge} & 0 & \cancel{U'_{Ge}} \\ 0 & 0 & 0 & 0 \end{pmatrix}$

Te:  $\begin{pmatrix} U_{Te} & 2U_{Te} & 0 & 0 \\ 2U_{Te} & U_{Te} & 0 & \cancel{U'_{Te}} \\ 0 & 0 & 0 & 0 \end{pmatrix}$

Evolution of the phonon system

470 unique data points per delay



Scattering factors (tabulated)
phase factors
Temperature factor (Debye Waller effect)

$$I(Q) \propto \left| \sum_i f_i(Q) e^{2\pi i Q \cdot \mathbf{r}_i} e^{-\frac{4\pi^2}{3} \langle u_i^2 \rangle Q^2} \right|^2$$

Can we systematically extract these quantities?



...Towards capability to solve crystal structures in the time domain!

Fe:

$$\begin{pmatrix} 0 & \Delta(t) \\ -\Delta(t) & 0 \end{pmatrix}$$

Ge:

$$\begin{pmatrix} 0 & \leq 24 \text{ parameters per delay} \\ \leq 24 \text{ parameters per delay} & 0 \end{pmatrix} + \Delta(t)$$

Te:

$$\begin{pmatrix} 0 & \Delta(t) \\ \Delta(t) & 0 \end{pmatrix}$$

Fe:

$$\begin{pmatrix} U_{Fe} & 2U_{Fe} \\ 2U_{Fe} & 0 \end{pmatrix} \times \begin{pmatrix} 0 \\ U_{Fe} \end{pmatrix}$$

Ge:

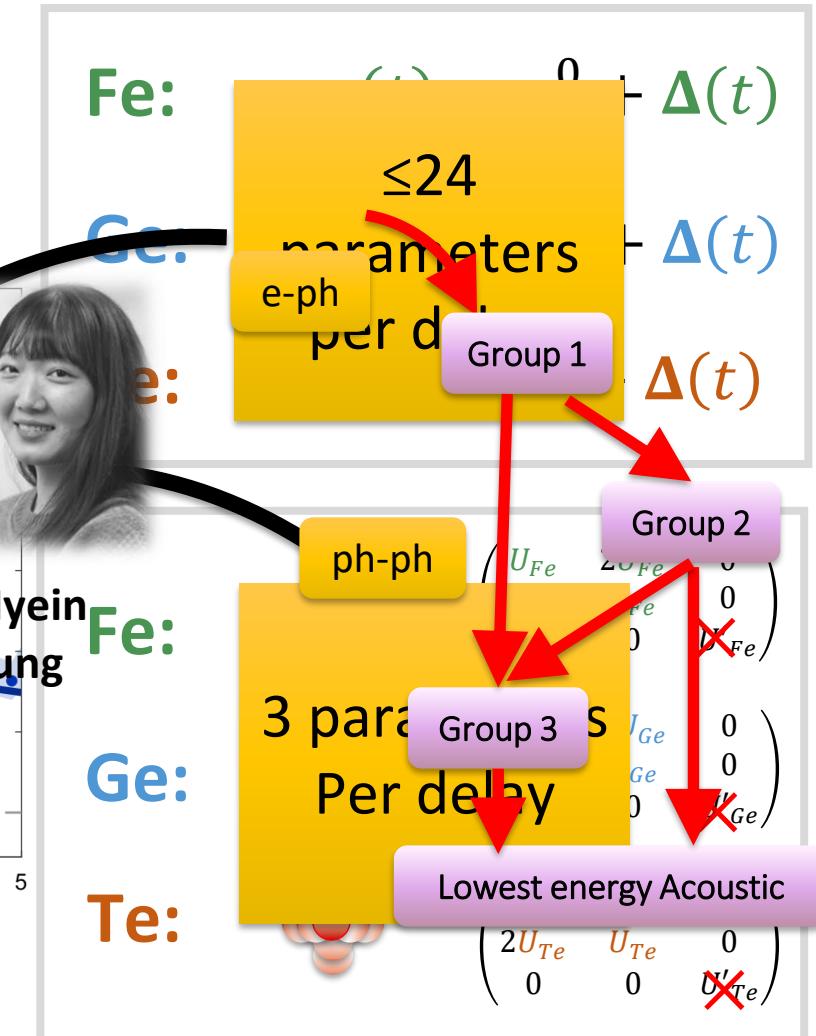
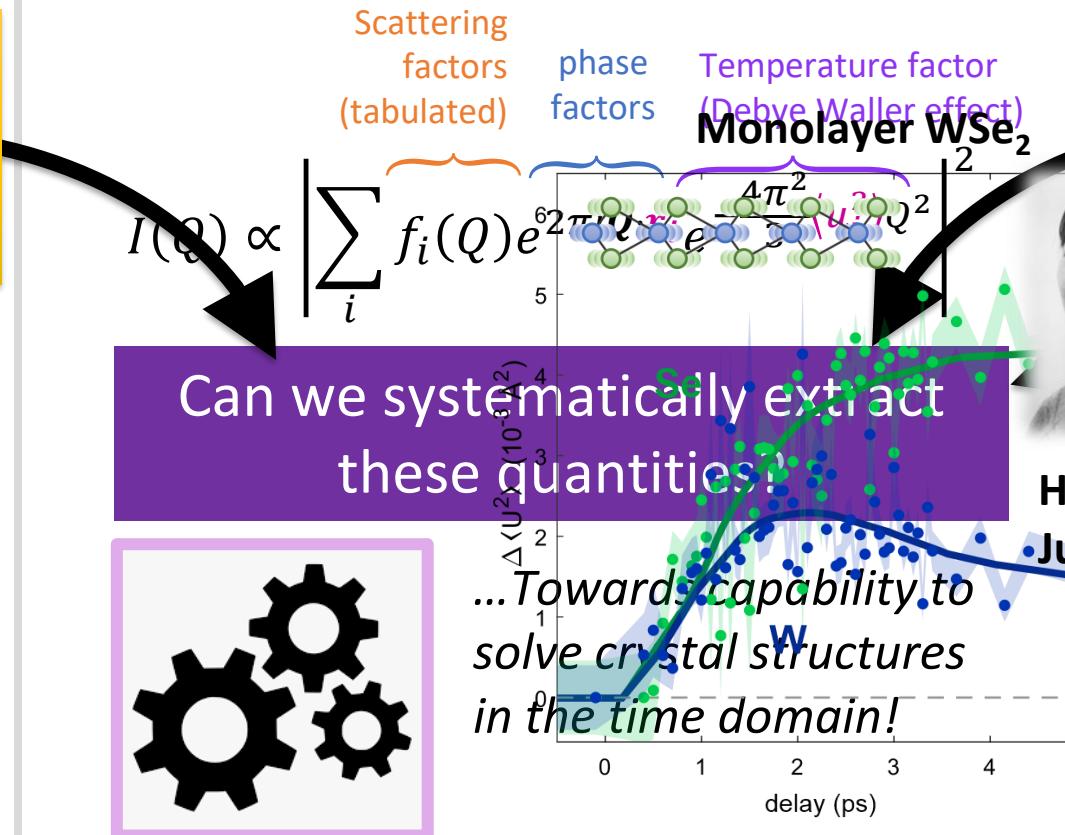
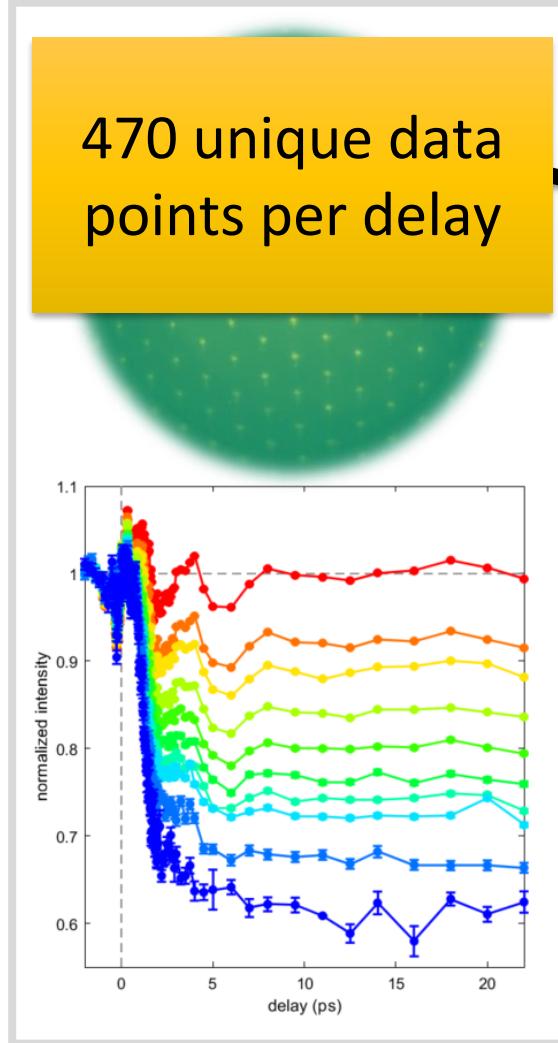
$$\begin{pmatrix} 0 & U_{Ge} \\ U_{Ge} & 0 \end{pmatrix} \times \begin{pmatrix} 0 \\ U'_{Ge} \end{pmatrix}$$

Te:

$$\begin{pmatrix} 0 & U_{Te} \\ U_{Te} & 0 \end{pmatrix} \times \begin{pmatrix} J_{Te} \\ 0 \end{pmatrix}$$

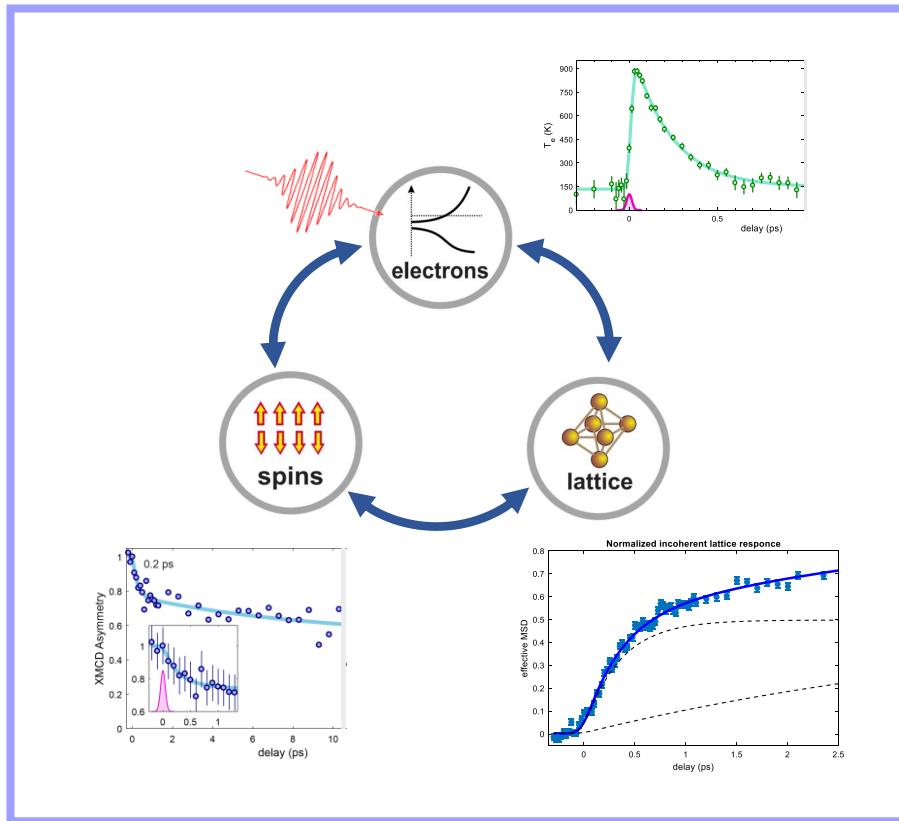
$$\begin{pmatrix} 0 & U'_{Te} \\ U'_{Te} & 0 \end{pmatrix} \times \begin{pmatrix} 0 & U''_{Te} \\ U''_{Te} & 0 \end{pmatrix}$$

Evolution of the phonon system

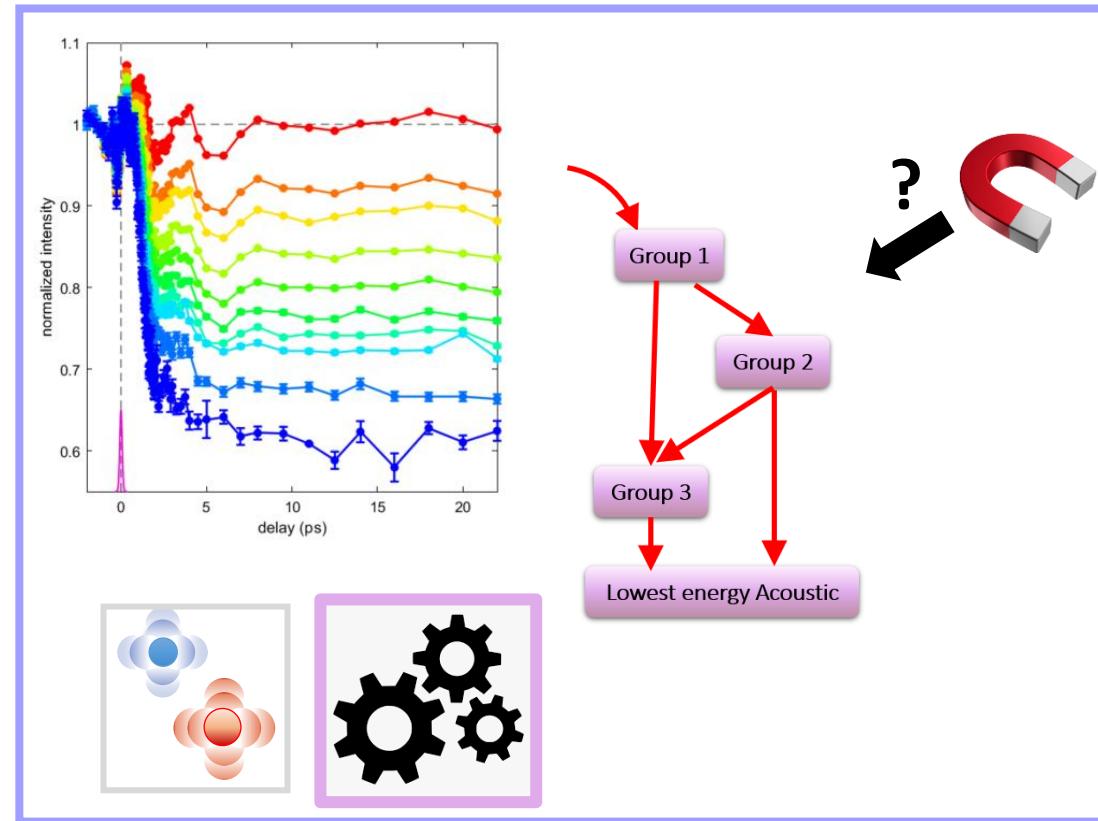


Stay tuned!

Towards “Full” energy flow picture



Towards detailed ph-ph picture



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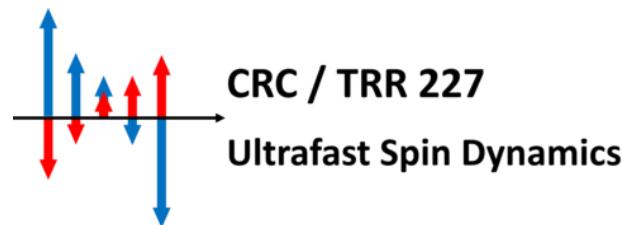
CSIC



U. Atxitia



T. Griepe





Thank you.
