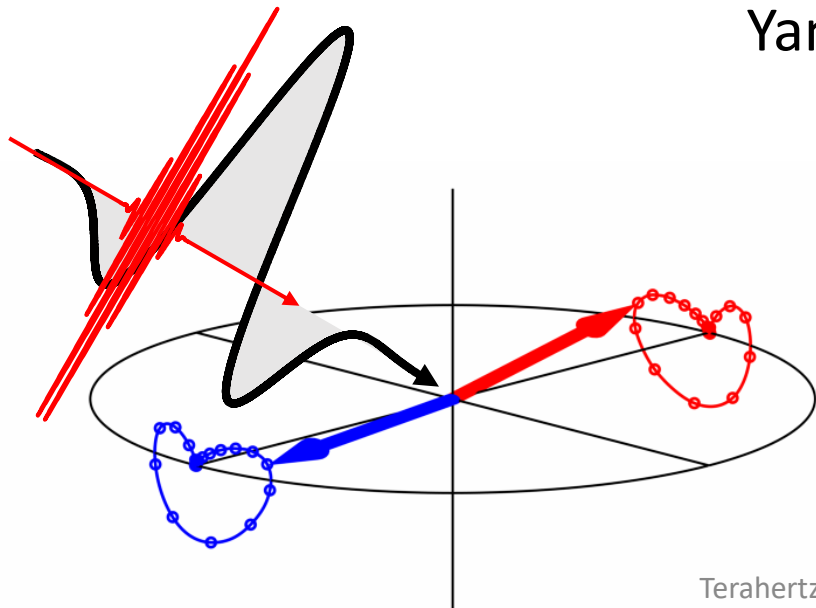




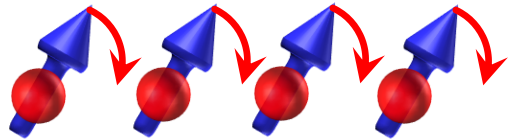
Terahertz Néel spin-orbit torques drive nonlinear spin dynamics in antiferromagnetic Mn_2Au

Yannic Behovits, FU Berlin

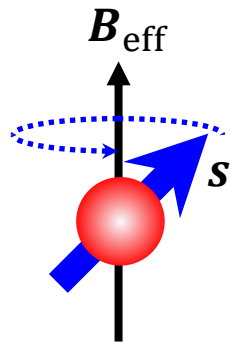


Terahertz spintronics: Basic operations

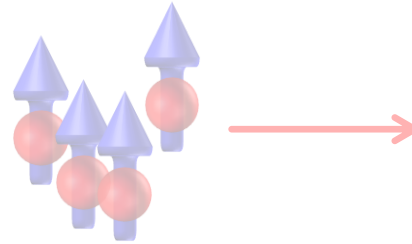
1. Turn spins around



→ Torque



2. Transport spins



3. Detect spin dynamics



Dynamic equation: $\partial_t \mathbf{s} = \mathbf{T} = \gamma \mathbf{s} \times \mathbf{B}_{\text{eff}}(t)$

Effective magnetic field

Contributions to \mathbf{B}_{eff} :

1. Applied field

2. Spin-orbit

3. Exchange

Typically ≤ 1 T

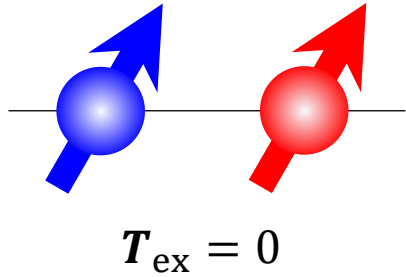
100 – 1000 T

Exchange fields greatly enhance spin dynamics

Can we exploit them?

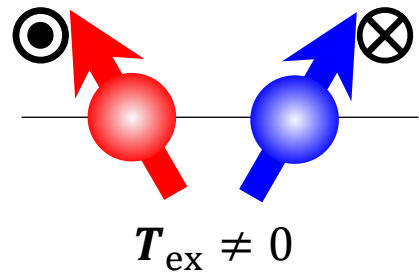
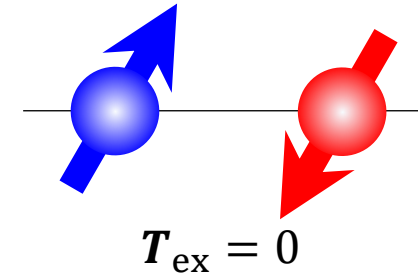
Exchange torques

Ferromagnet

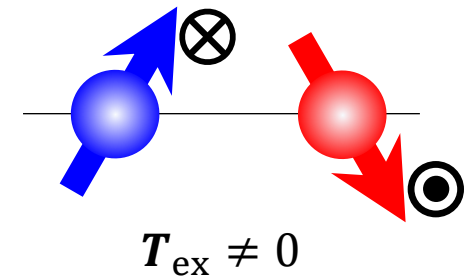


Spins parallel \rightarrow No exchange torques

Antiferromagnet



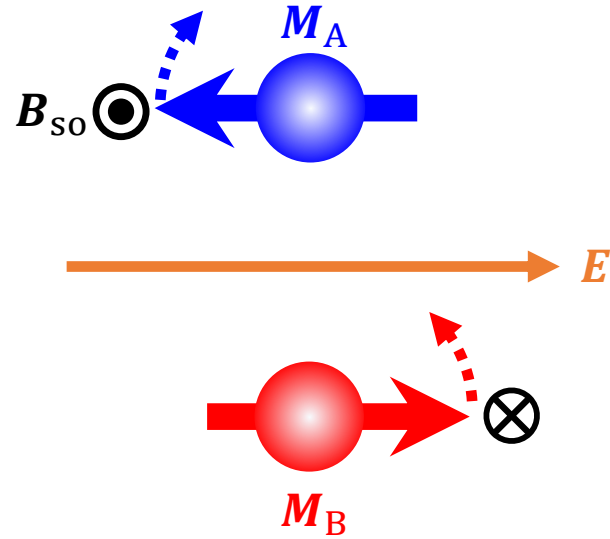
Spin canted \rightarrow Exchange torques



How to cant the spins in the first place?

In antiferromagnets: **Néel spin-orbit torques**

Néel spin-orbit torques (NSOTs)



Néel vector $L = M_A - M_B$

Metallic antiferromagnets Mn_2Au and $CuMnAs$

Apply electric field $E \rightarrow$ Effective spin-orbit field B_{so}

Locally broken inversion symmetry:

- Opposite B_{so} for **A** and **B**
- Torques induce spin canting

Zelezny et al, PRB (2014)

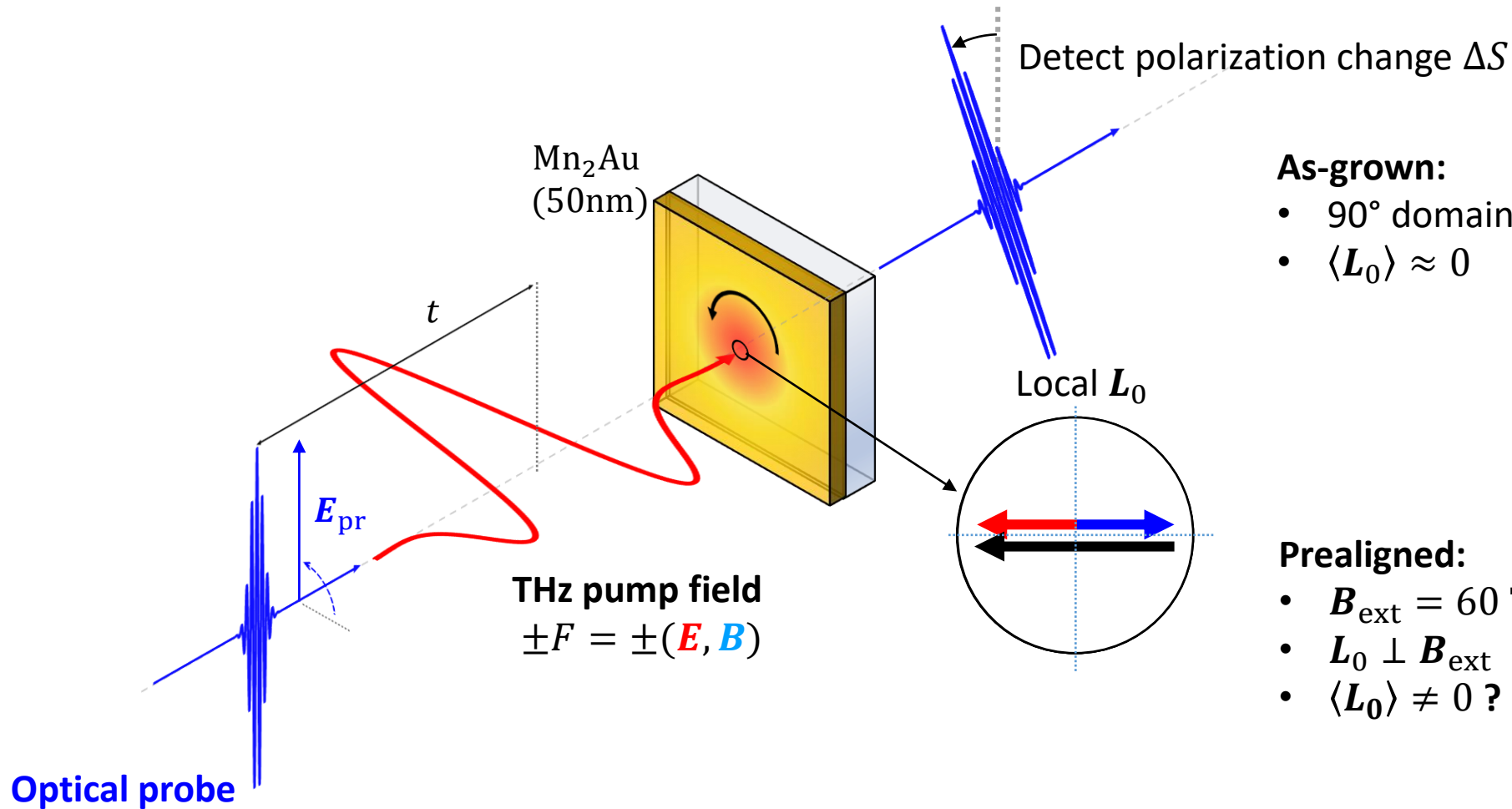
Wadley et al., Science (2016)

Leads to exchange-enhanced dynamics

1. Can NSOTs launch THz magnons?
2. Ultimately, can they switch antiferromagnetic bits?

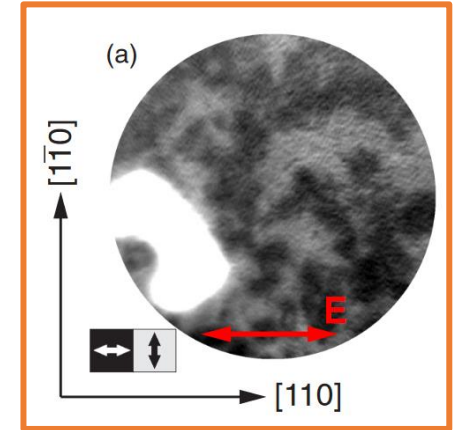
Requires ultrafast experiments

THz pump, magneto-optic probe



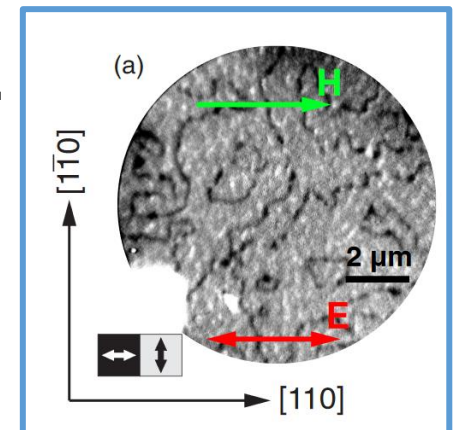
As-grown:

- 90° domains
- $\langle L_0 \rangle \approx 0$



Prealigned:

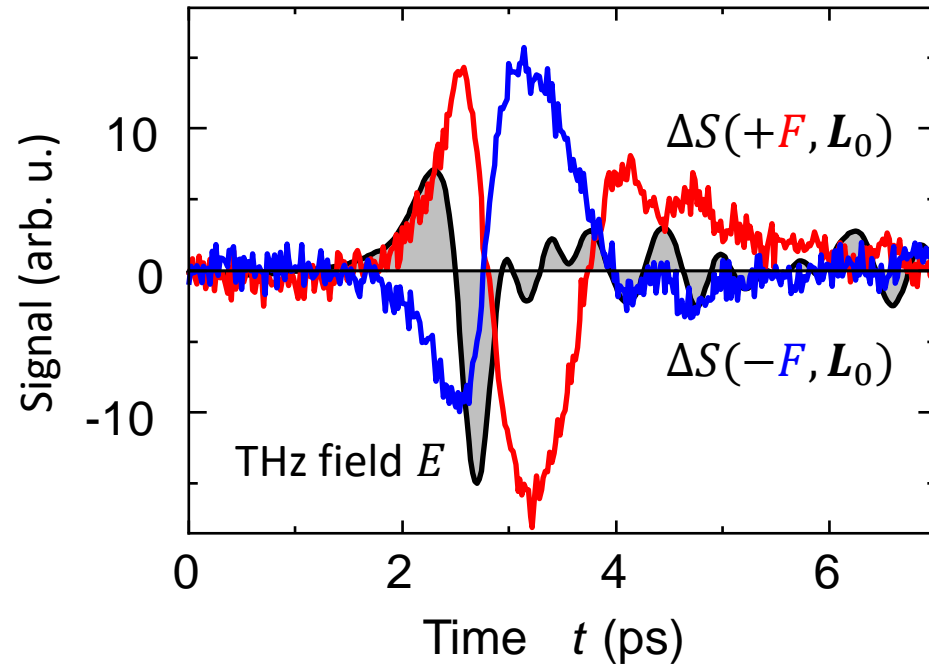
- $B_{\text{ext}} = 60 \text{ T}$
- $L_0 \perp B_{\text{ext}}$
- $\langle L_0 \rangle \neq 0$?



Let us look at the signals from the prealigned sample

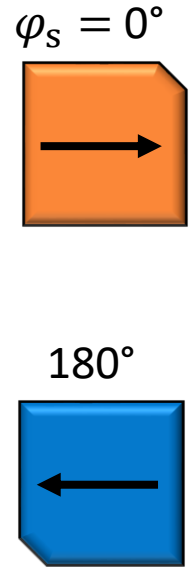
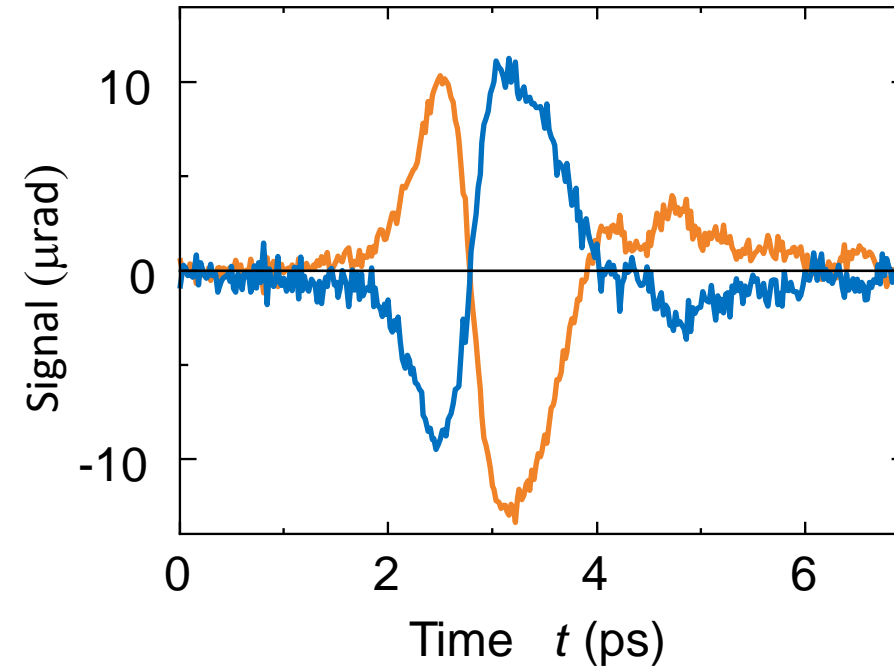
Sapozhnik et al. PRB **97**, 134429 (2018)

Raw signals: Prealigned sample



- Response slower than $F(t)$
- Signal is mostly odd in THz field F
- Focus on:

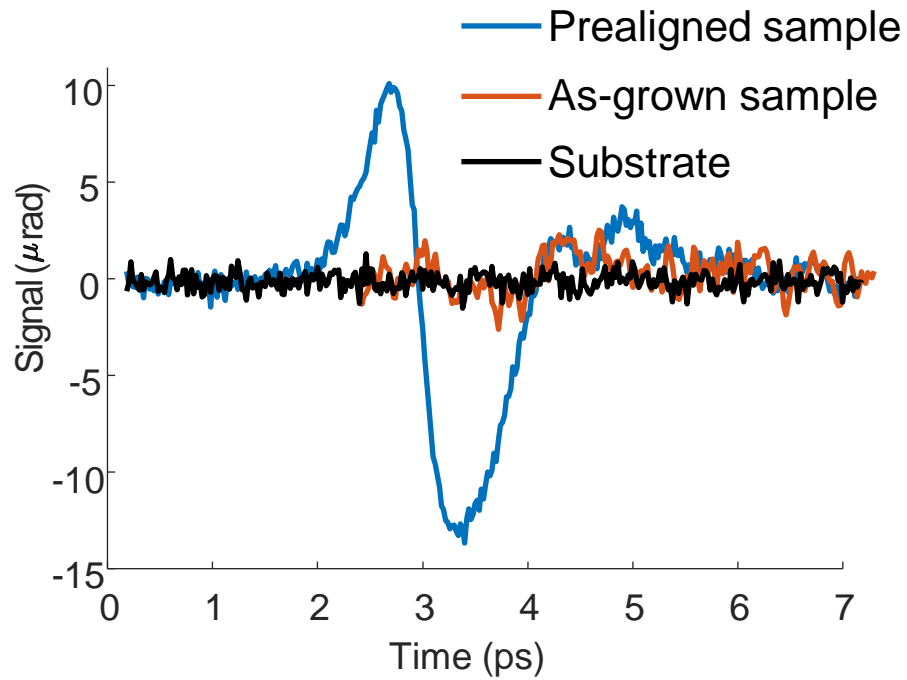
$$\Delta S(L_0) = \frac{\Delta S(+F, L_0) - \Delta S(-F, L_0)}{2}$$



Rotate sample by 180° → Signal changes sign

“Built-in arrow”: Is it the Néel vector L_0 ?

Magnetic origin?



- “Built-in arrow” is L_0
- Signal ΔS odd in $F = (\mathbf{E}, \mathbf{B})$ and odd in L_0

Which field is acting?

Symmetry analysis:

- Space inversion: L_0 and THz \mathbf{E} change sign, \mathbf{B} does not
- Implies: $\Delta S \propto \mathbf{E} \Leftrightarrow \Delta S \propto L_0$

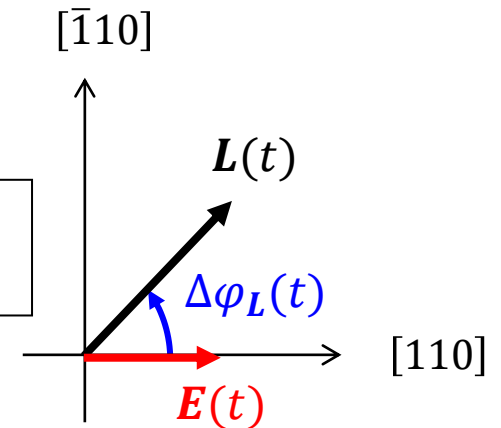
In general: „Odd“

Further analysis (incl. probe polarization) shows:

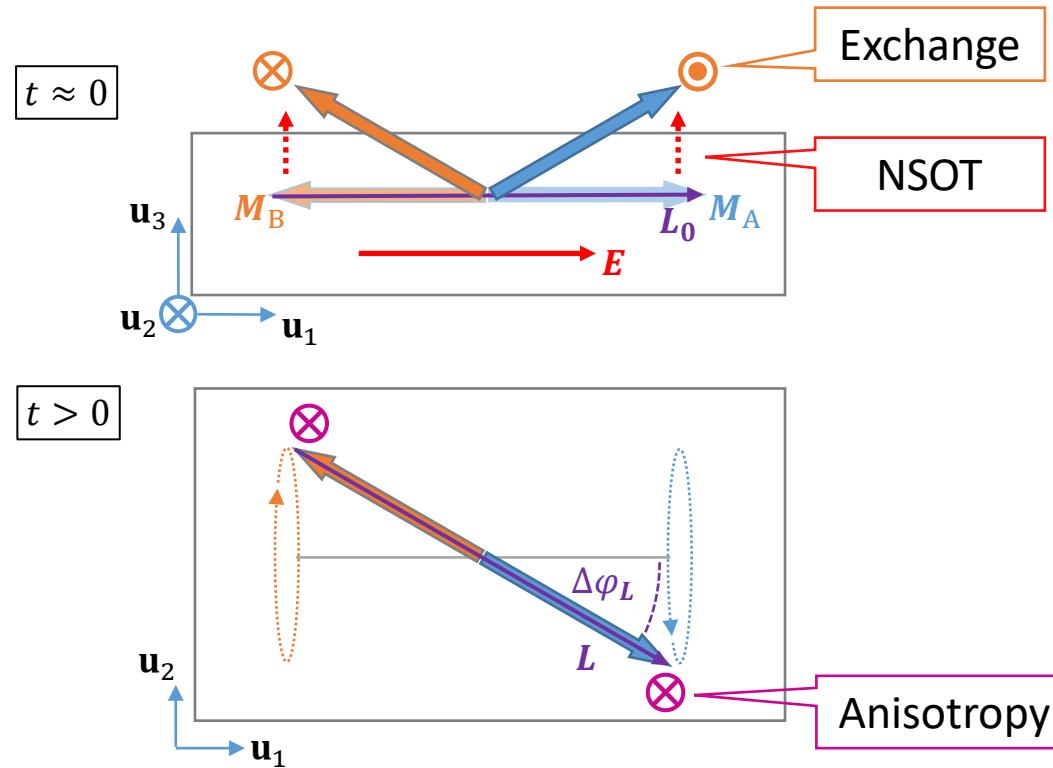
$$\Delta S \propto \Delta\varphi_L(t)$$

In-plane rotation of L

How can we model this rotation?



Magnon model



Response for impulse:

$$E(t) \propto \delta(t)$$

We expect:

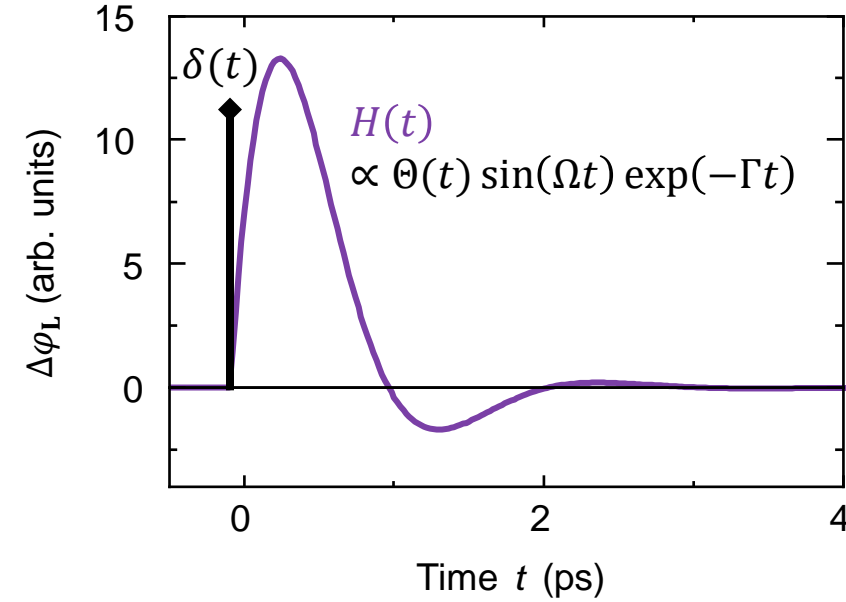
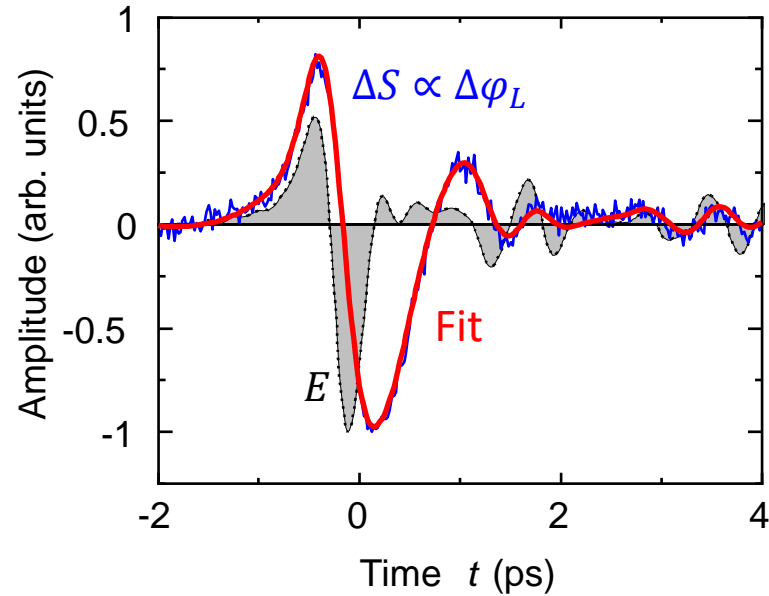
- In-plane magnon, i.e. oscillation of $\Delta\varphi_L$
- Exchange-enhanced (THz frequency)

Roy *et al.*, PRB (2016); Gomonay *et al.*, PRB (2018)

Solution: $\Delta\varphi_L(t) \propto \Theta(t) \sin(\Omega t) \exp(-\Gamma t)$

Does it fit our data?

Model vs. experiment



Linear model:

$$\Delta\varphi_L(t) = \int H(t)E(t - \tau) d\tau$$

Convolution

Bare frequency:

$$\frac{\Omega_0}{2\pi} = \frac{\sqrt{\Omega^2 + \Gamma^2}}{2\pi} = 0.6 \text{ THz}$$

→ Implies spin-flop field $B_{\text{sf}} = \frac{\Omega_0}{\gamma} \approx 20 \text{ T}$

OK with Sapozhnik et al., PRB (2018)

Damping:

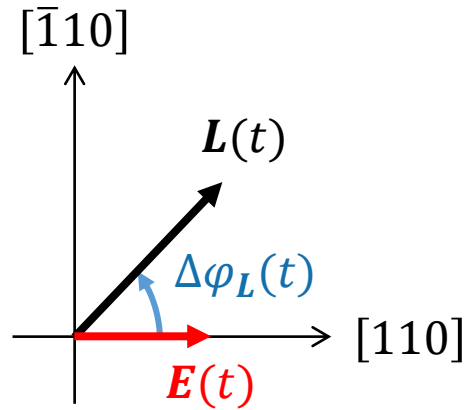
$$\frac{\Gamma}{2\pi} = 0.3 \text{ THz}$$

→ Gilbert damping $\alpha = \frac{\Gamma}{\gamma B_{\text{ex}}} \approx 10^{-2}$

OK with other AFM, e.g. IrMn (Kang et al., APL (2021))

We observe a strongly damped THz magnon

Torkance and deflection

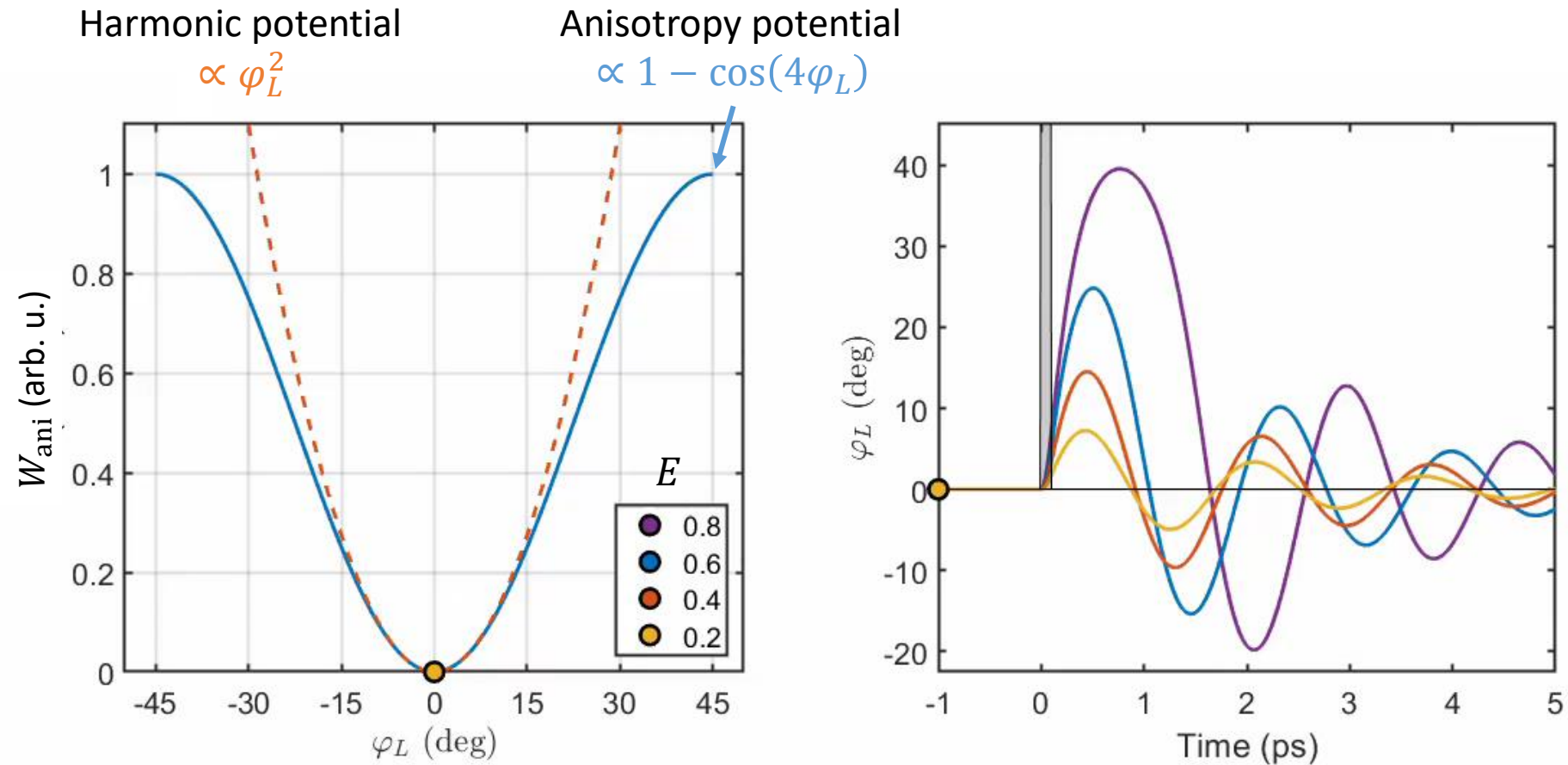


- How strong is the coupling between electric field and spins, i.e. the **effective spin-orbit field**?
- How large is the pump-induced deflection $\Delta\varphi_L$?

Calibration challenging in linear regime

But: We can use the non-linear response instead

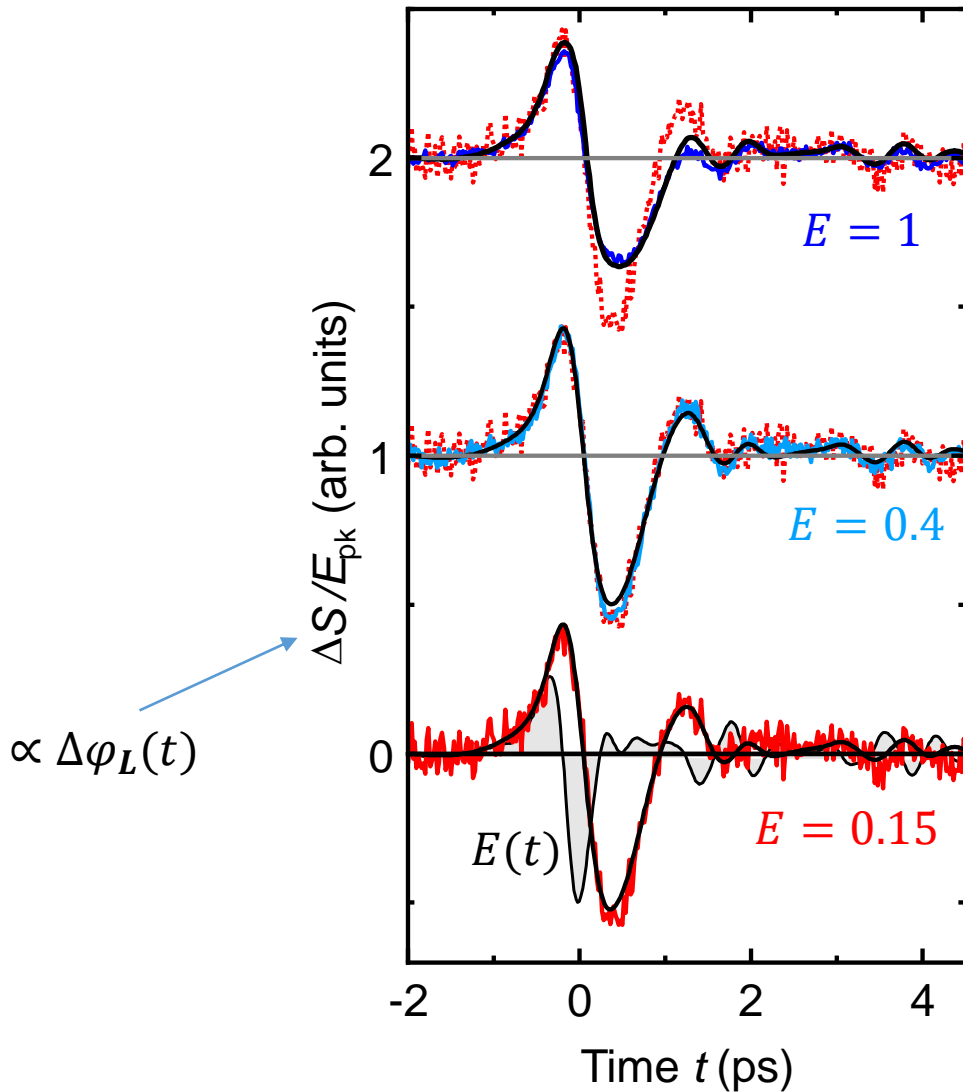
Anharmonic potential for calibration



Beyond harmonic approximation: Size of φ_L is *uniquely* determined by waveform shape

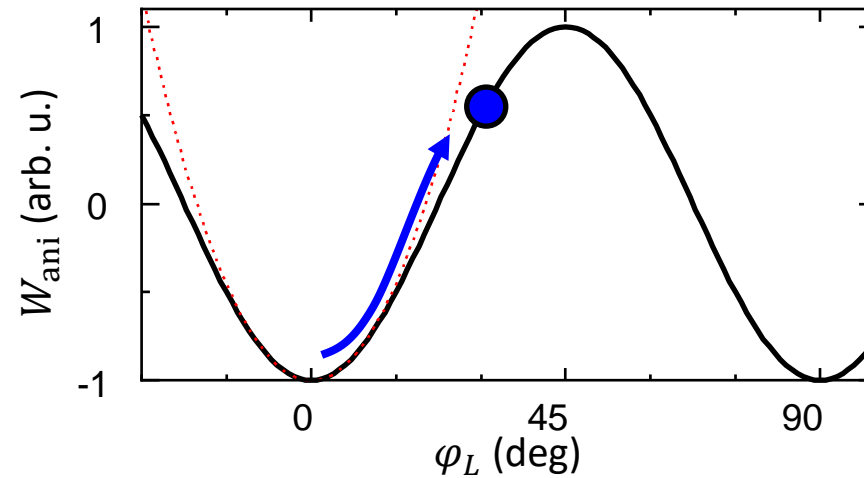
Can we observe non-linear behavior?

Non-linear dynamics



- Clear signs of non-linear dynamics
- Fit by model:
 - Effective field $B_{SO} = 8$ mT per 10^{11} A/m²
 - Maximum deflection $\Delta\varphi_L \approx 30^\circ$

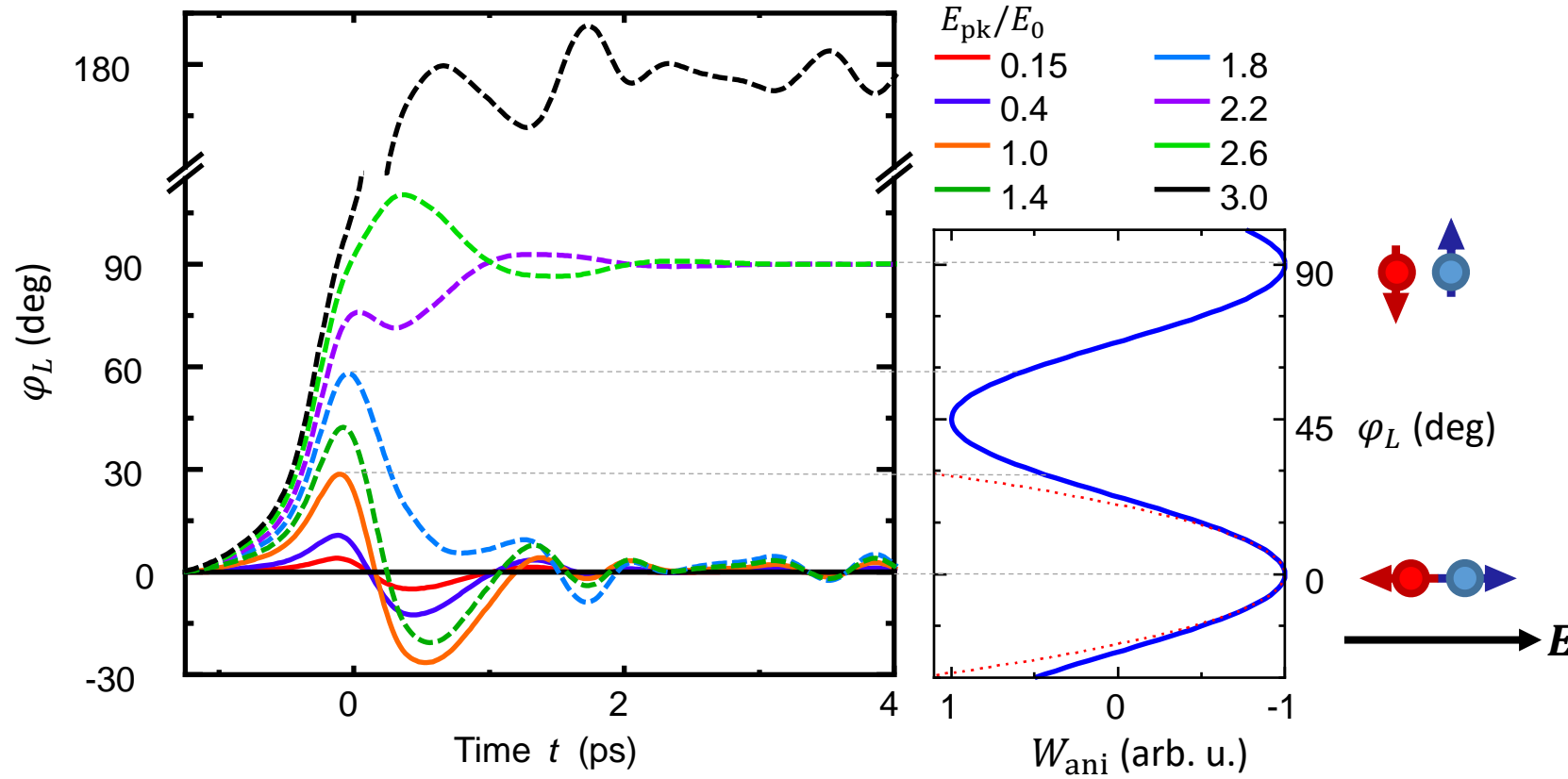
DFT: 2 mT
 Zelezny et al.,
 2017 (PRB)



L gets close to the maximum of the potential barrier

Extrapolate what happens at larger fields

Extrapolation



Possibility of coherent switching for increased fields

- Switching time 1 ps
- $90^\circ \times n$ – rotation possible

Acknowledgments

THz physics group

Afnan Alostaz
Genaro Bierhance
Alexander Chekhov
Oliver Gueckstock
Chihun In
Zdenek Kaspar
Quentin Remy
Reza Rouzegar
Amon Ruge
Bruno Serrano
Tom Seifert
Junwei Tong

Tobias Kampfrath



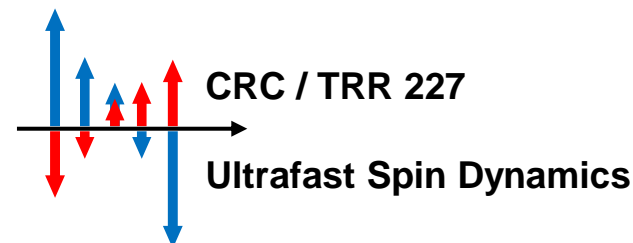
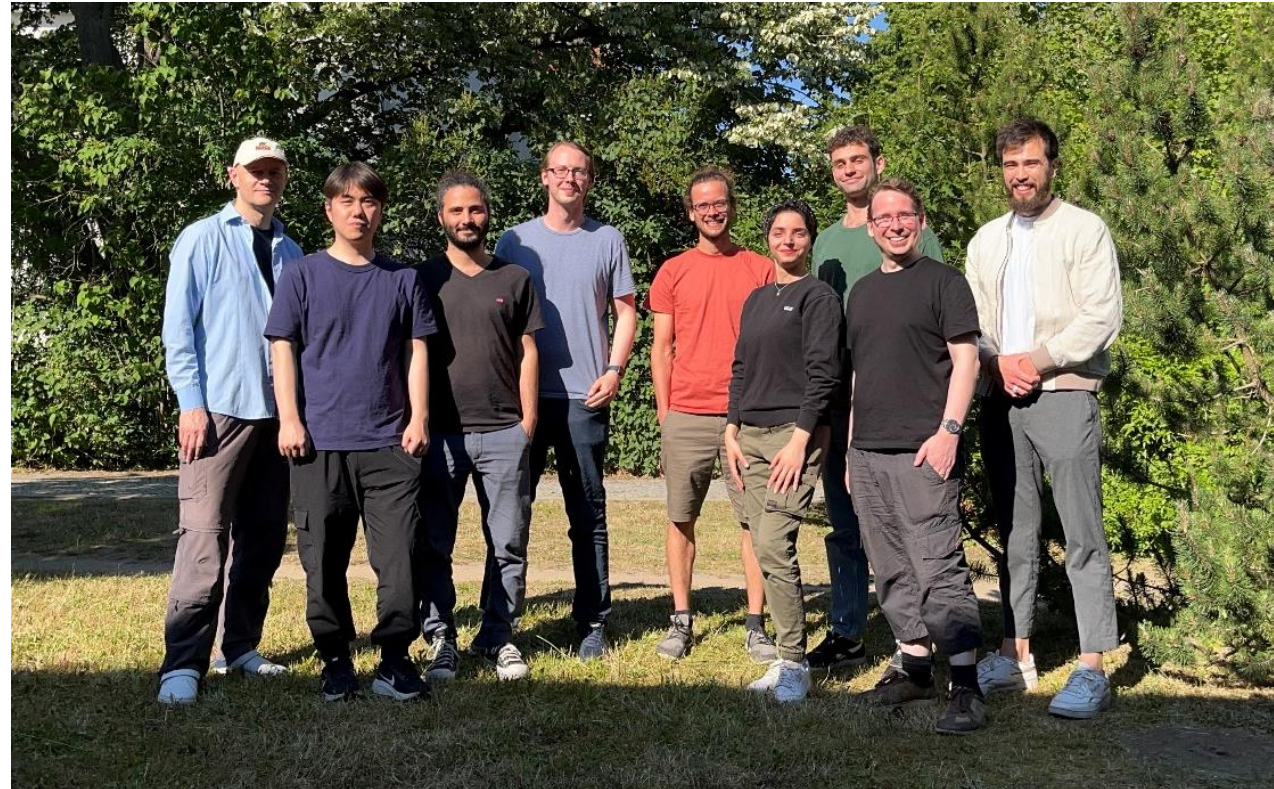
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Yaryna Lytvynenko

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HZDR

Yurii Skourski



Summary and outlook

- We observe signatures of Néel spin-orbit torques
- Exchange-enhanced THz magnon
- Deflection reaches non-linear regime at $\Delta\varphi_L \approx 30^\circ$
- 90° switching is expected at 2-3 times higher THz fields
- For observation in our experiments, we need:
 - Signal sensitive to switched domains
 - Reinitialization by in-situ control
 - Enhanced electric field inside film

