

Chiral phononics

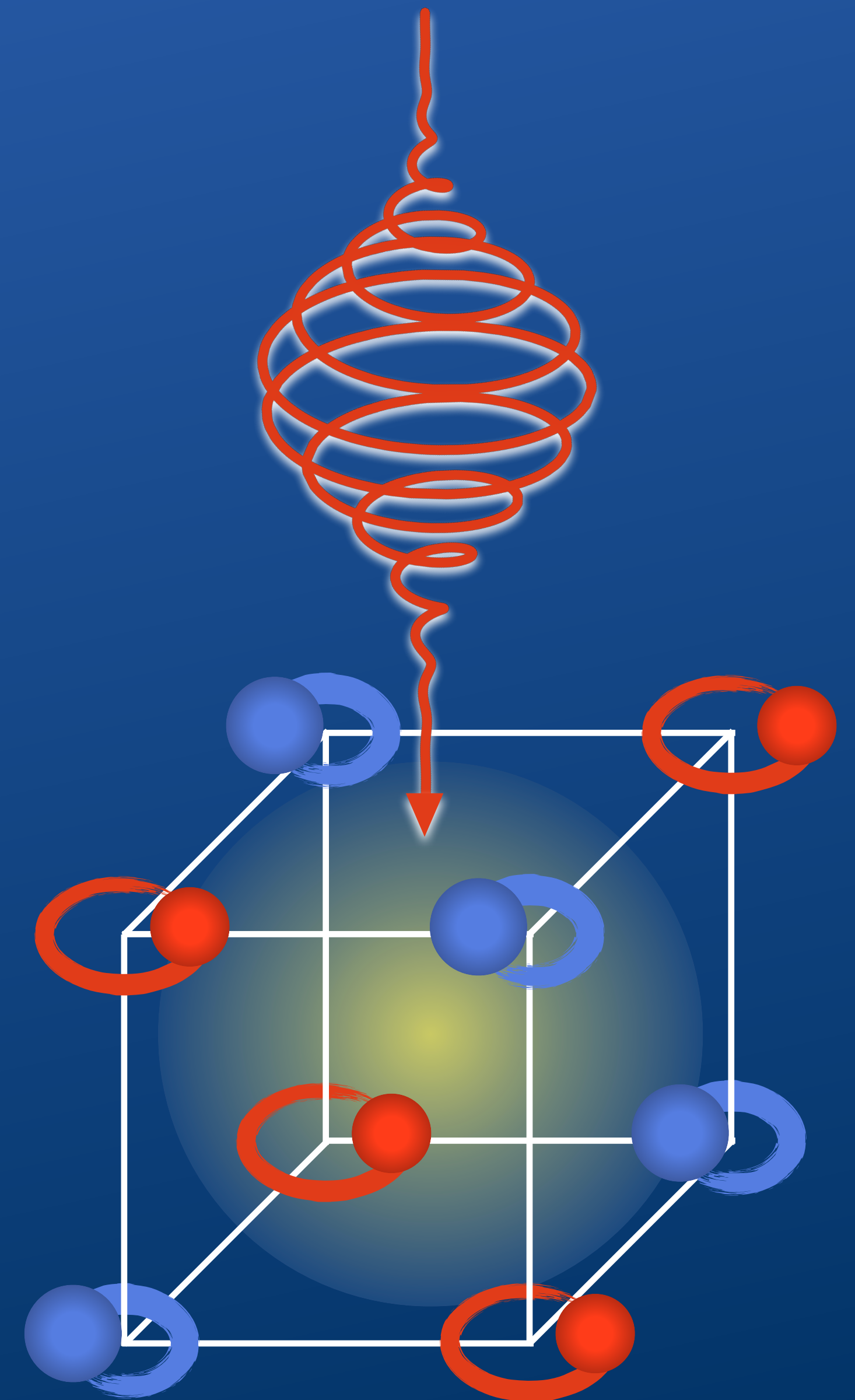
Dominik Maximilian Juraschek



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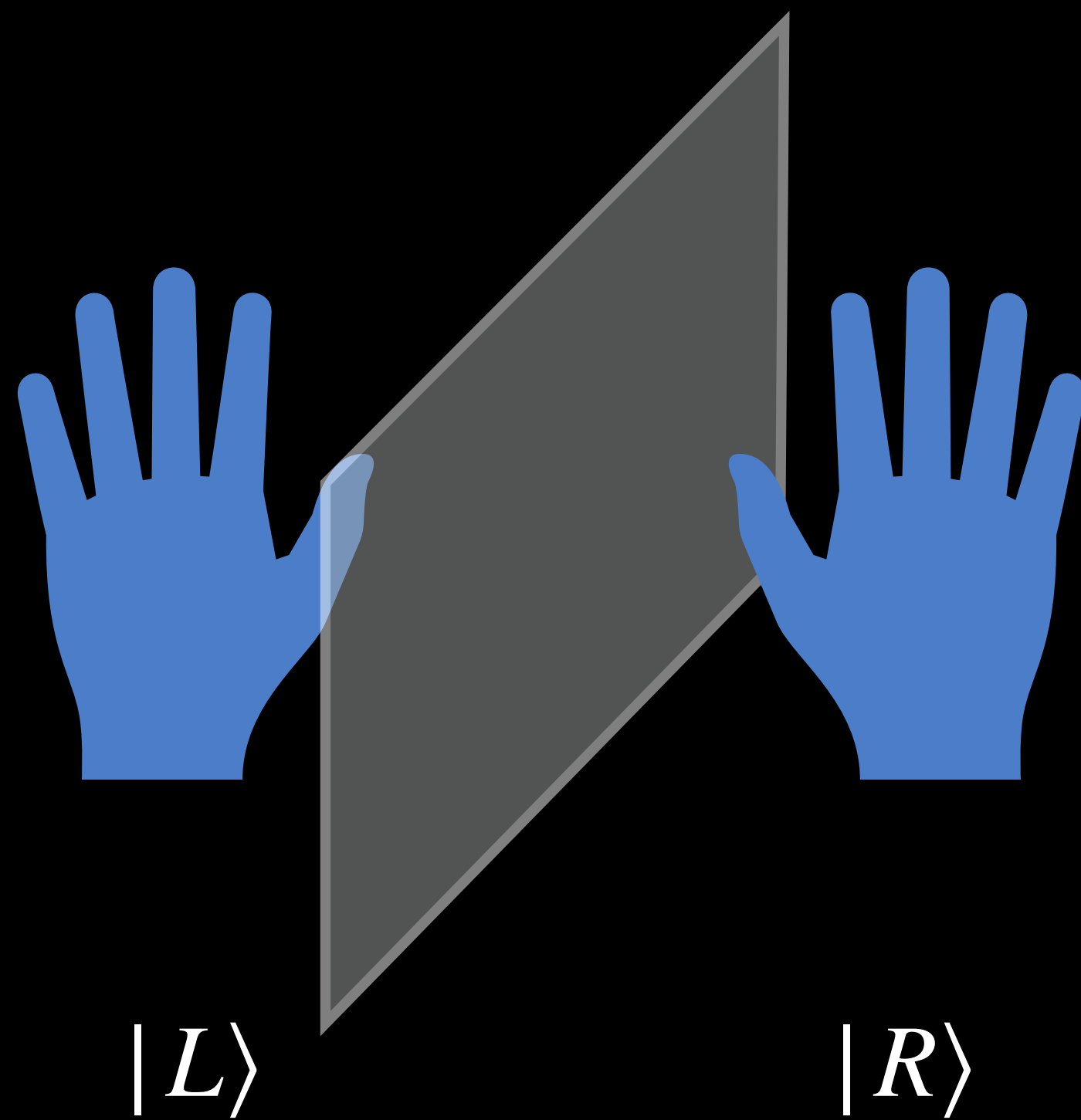
TEL AVIV אוניברסיטת
UNIVERSITY תל אביב



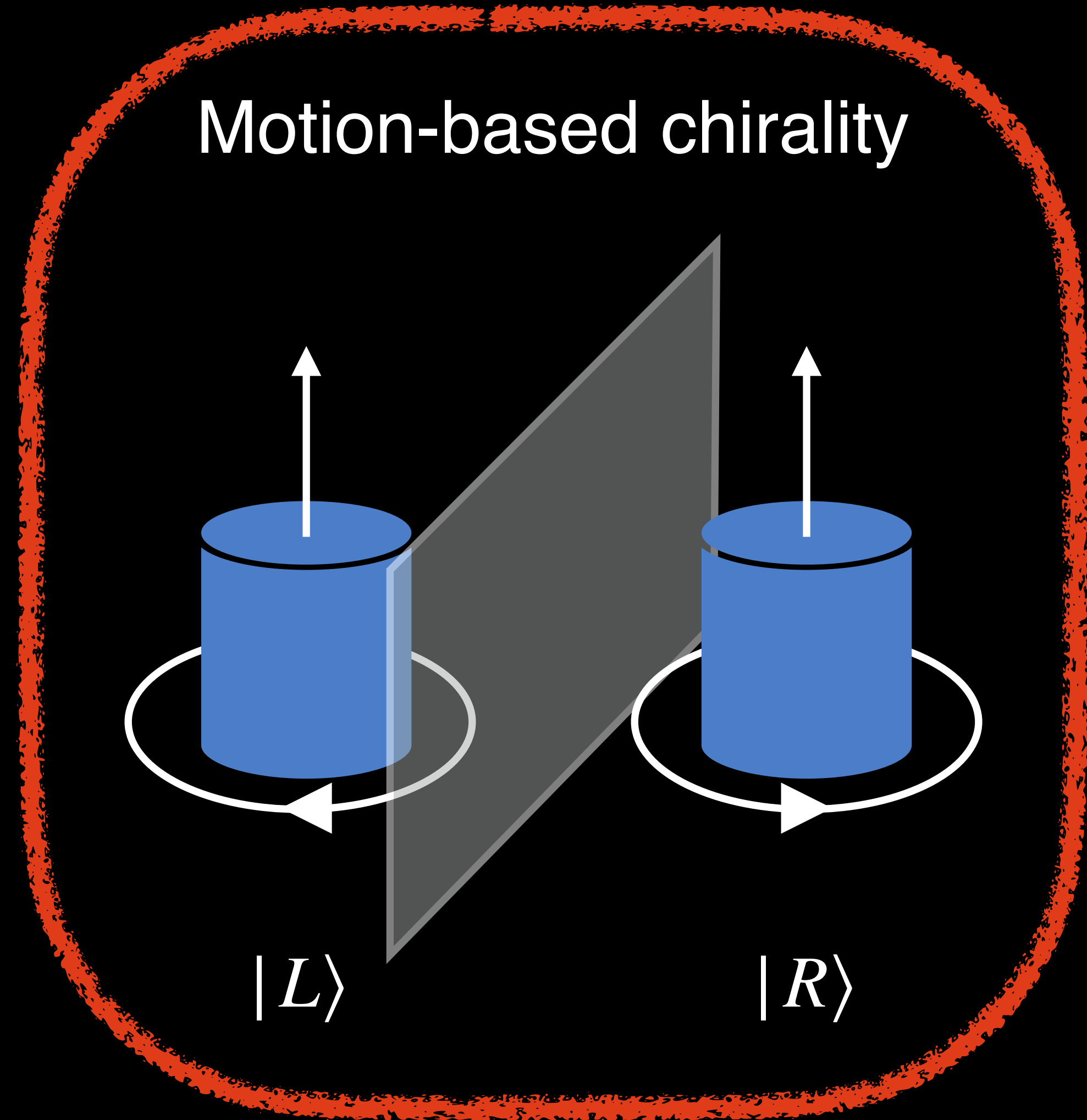
Chirality

TU/e Chirality means no improper rotation symmetry

Static chirality

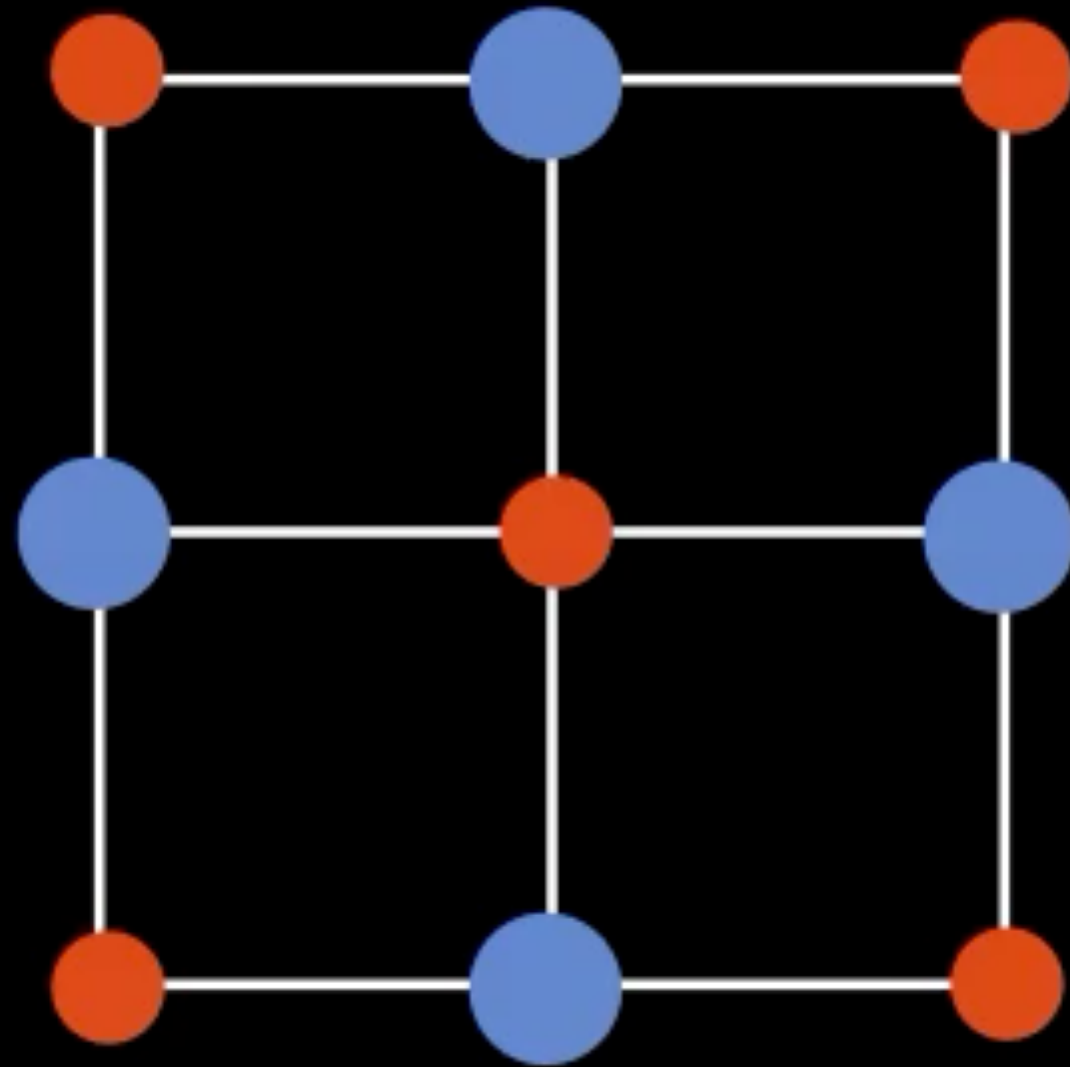
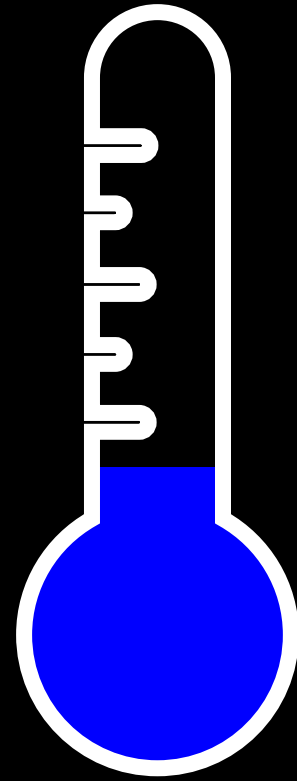


Motion-based chirality



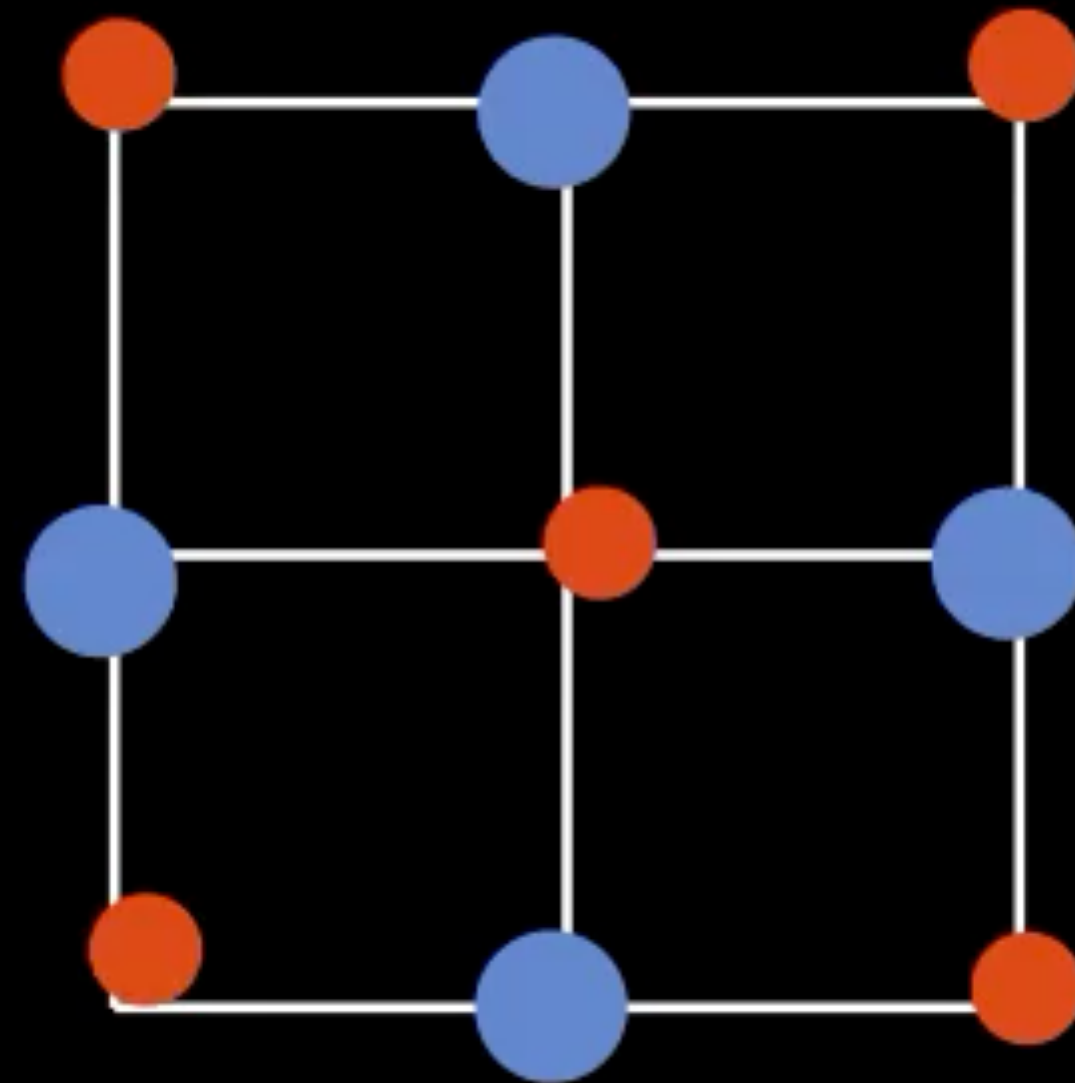
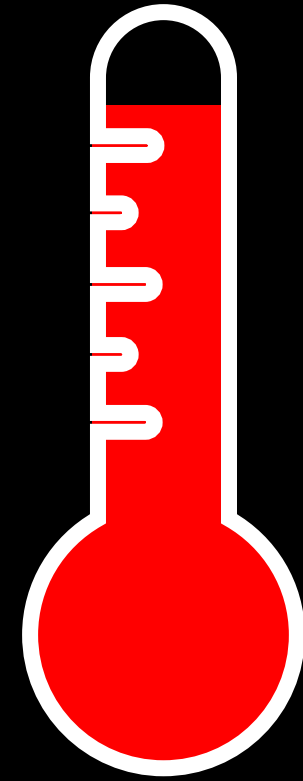
Coherent chiral phonons

TU/e Thermal phonons move atoms randomly

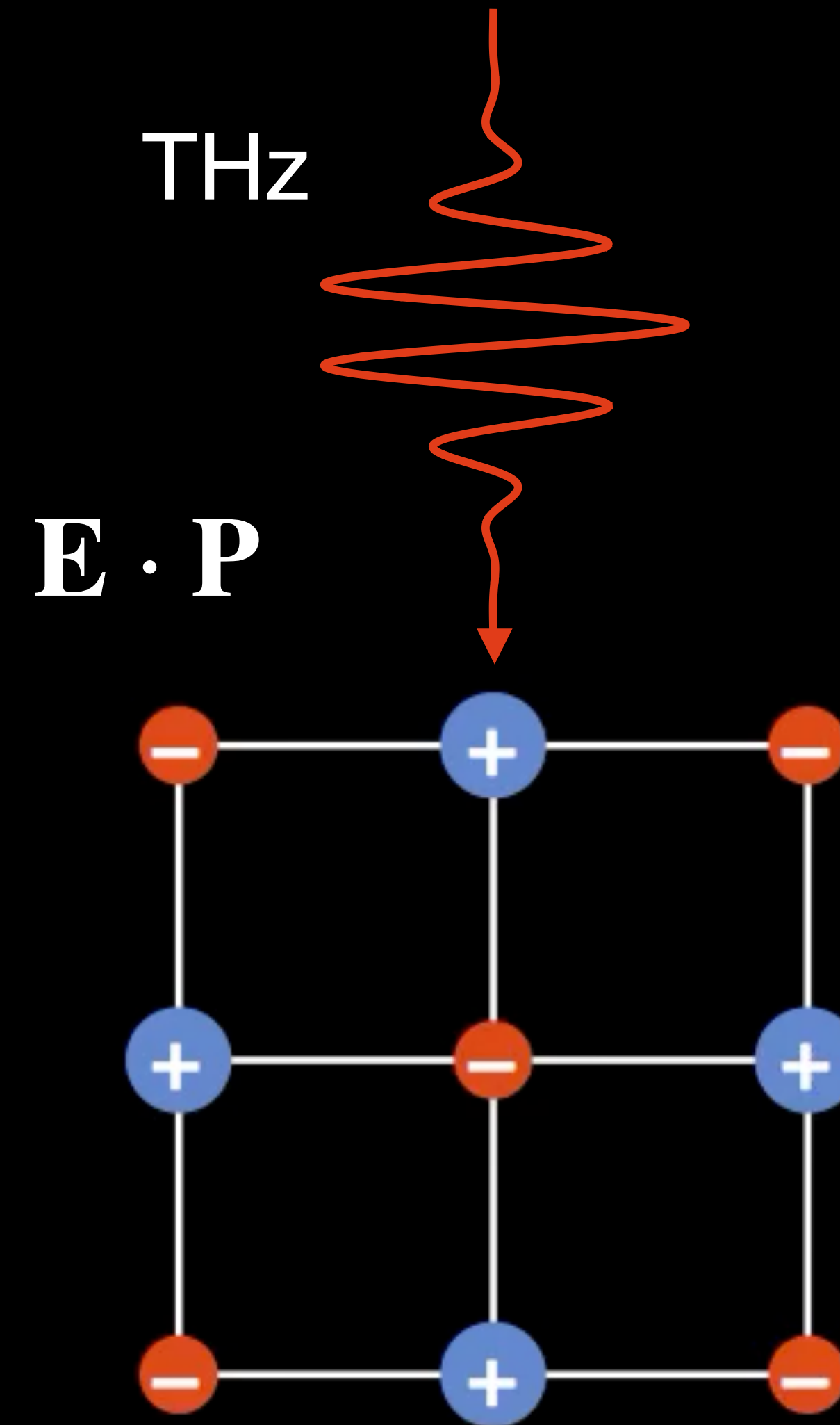


Thermal phonons

TU/e Coherent phonons move atoms in unison

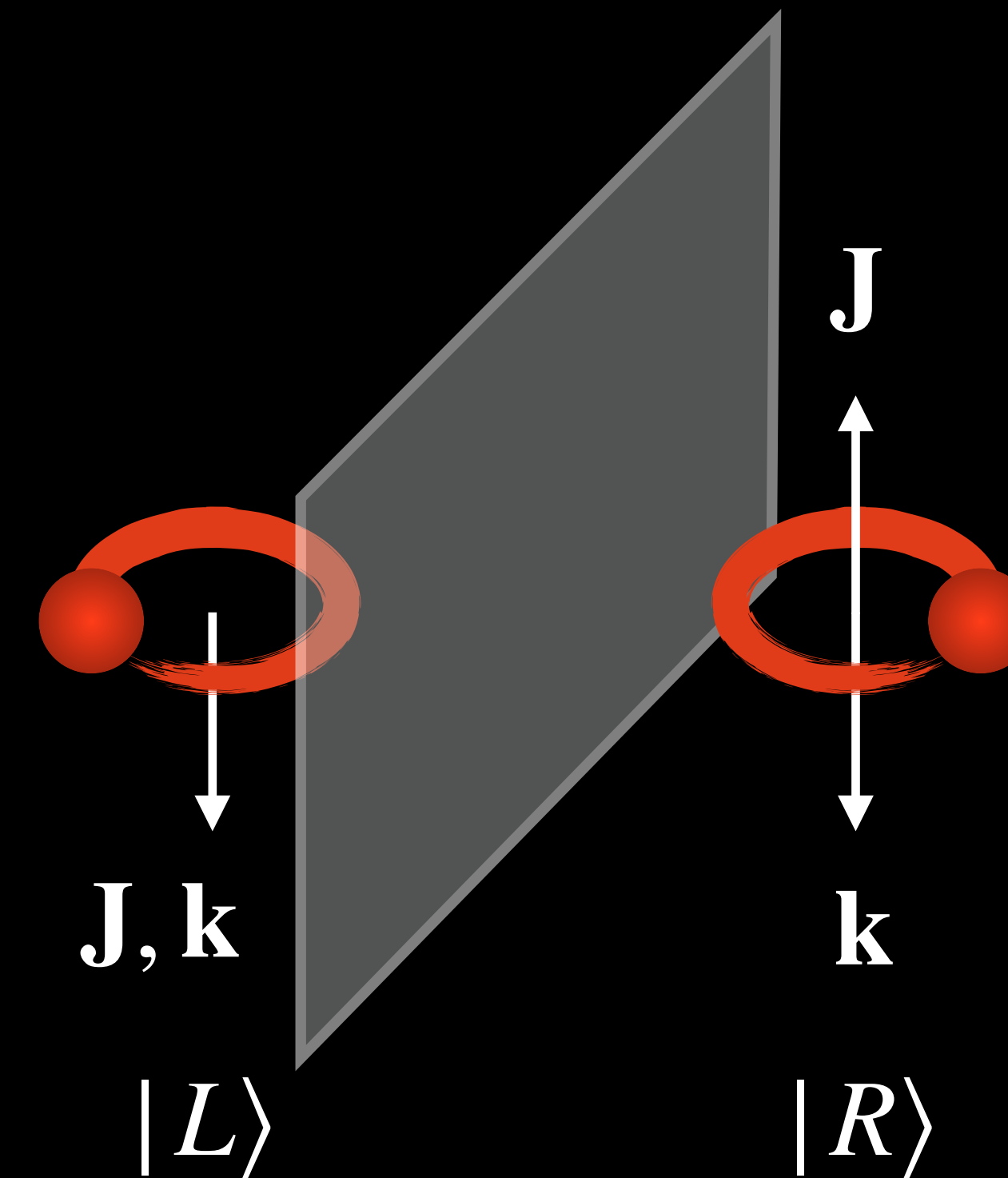
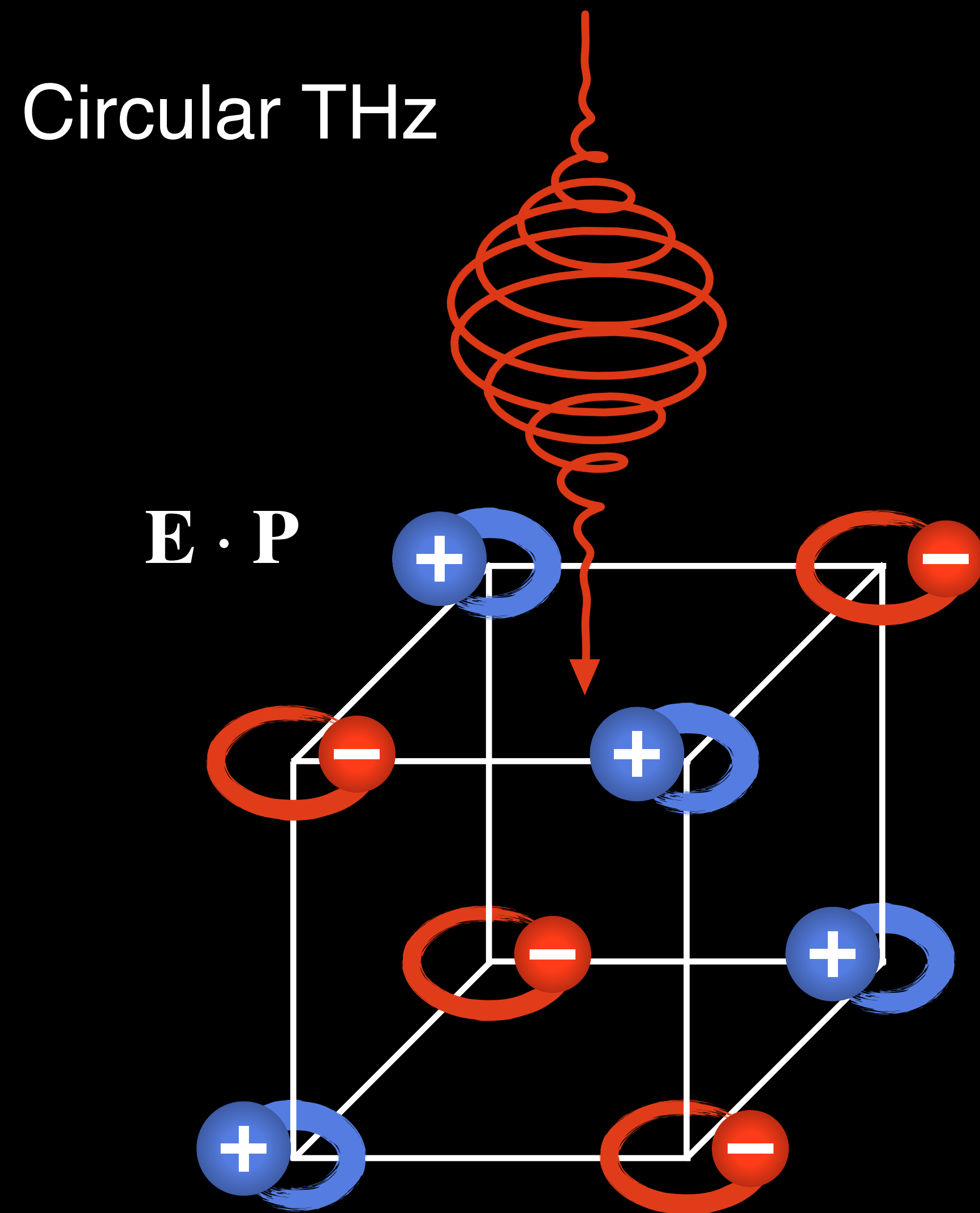


Thermal phonons

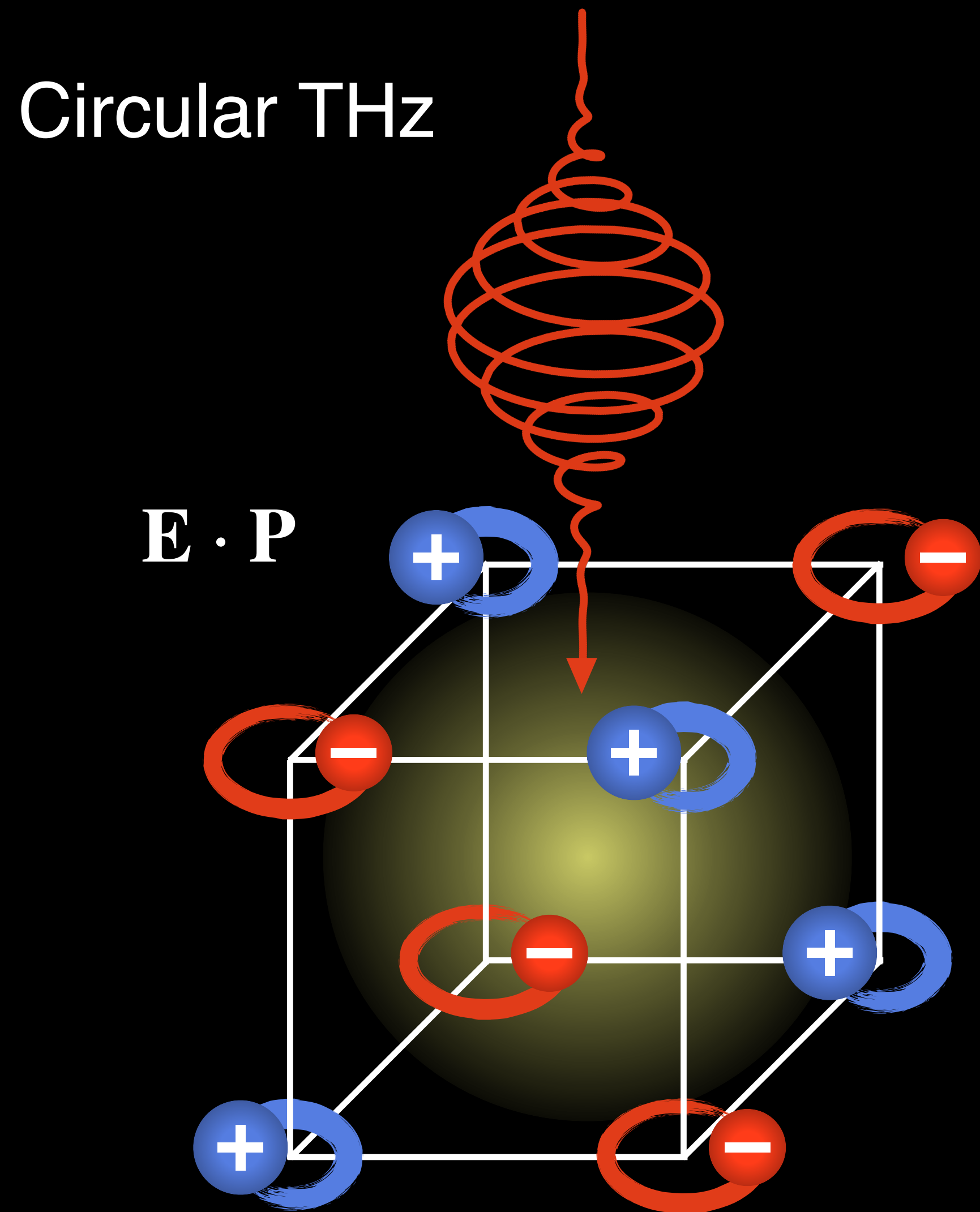


Coherent phonons

TU/e Chiral phonons act as atomic electromagnetic coils



TU/e Chiral phonons act as atomic electromagnetic coils



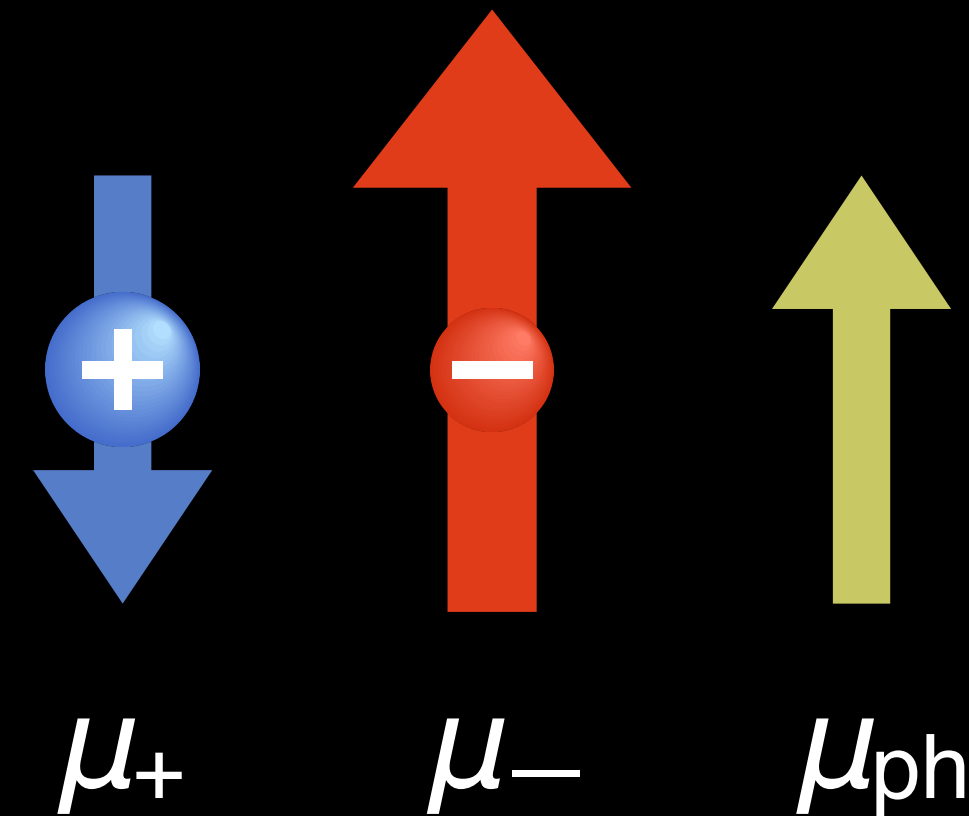
$$\mu_{\text{ph}} = \gamma \mathbf{Q} \times \dot{\mathbf{Q}}$$

$\searrow$

$$\frac{Z}{2M}$$

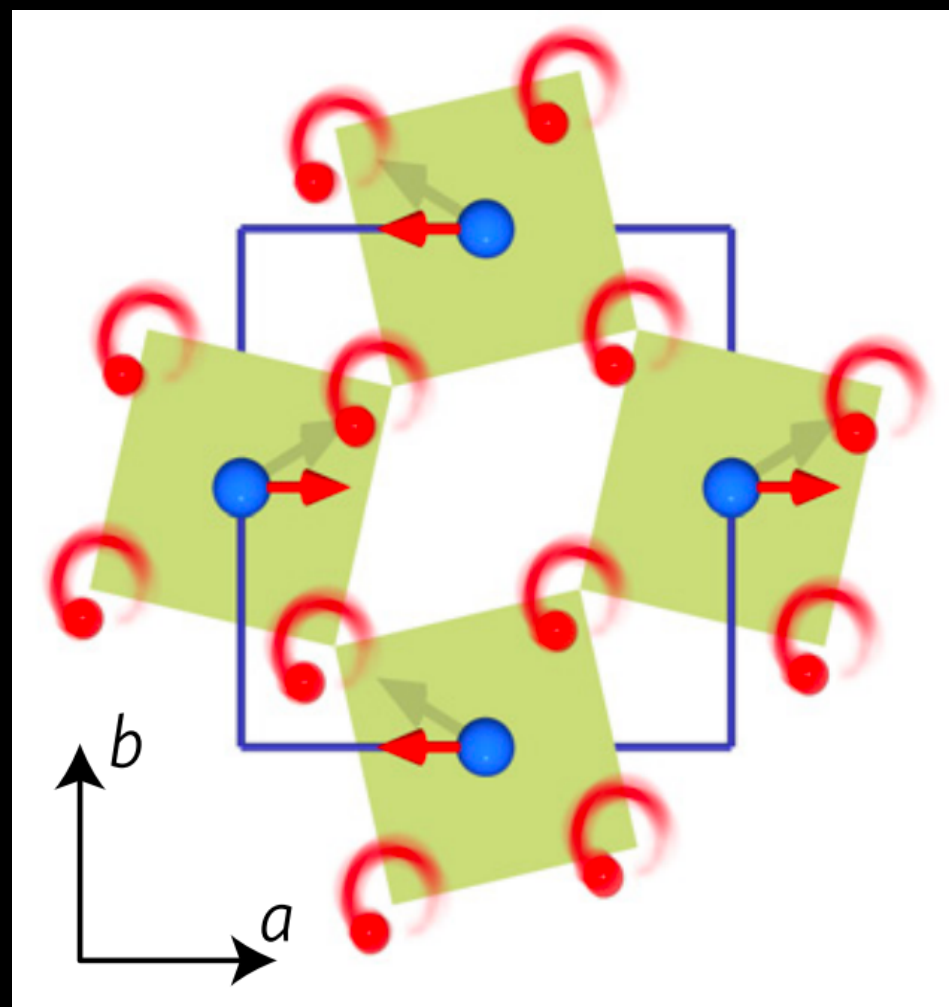
$$\sim \mu_{\text{N}}$$

$$\sim 1 \mu\text{T}$$

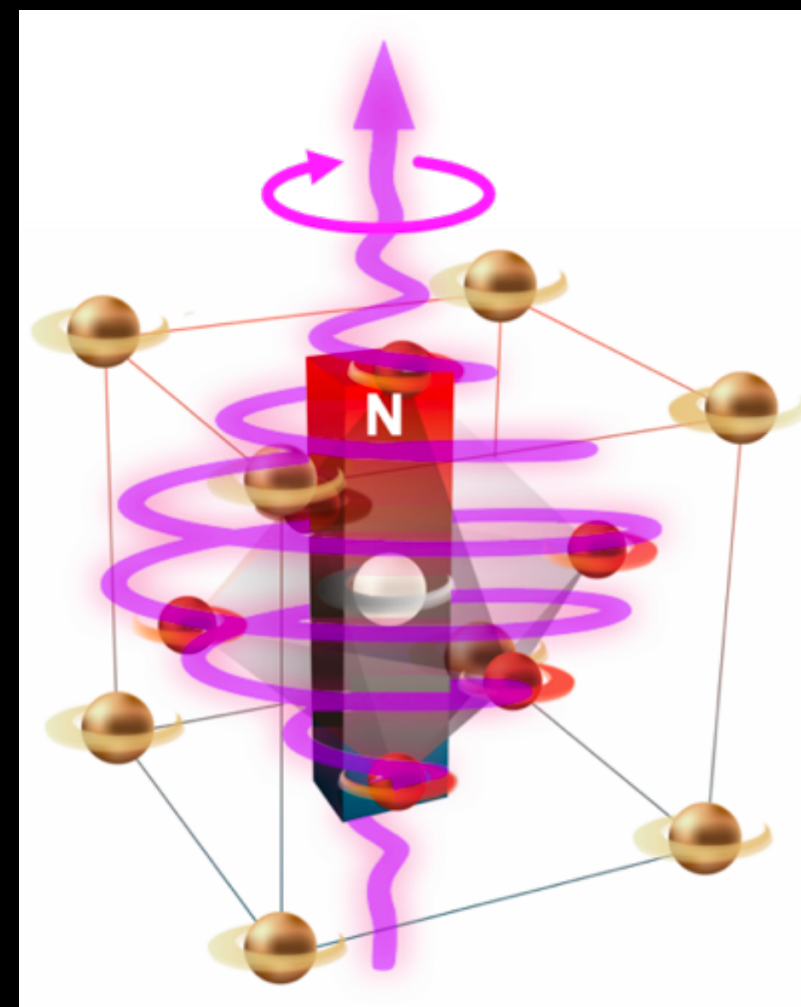


TU/e Different experiments measure phono-magnetic fields

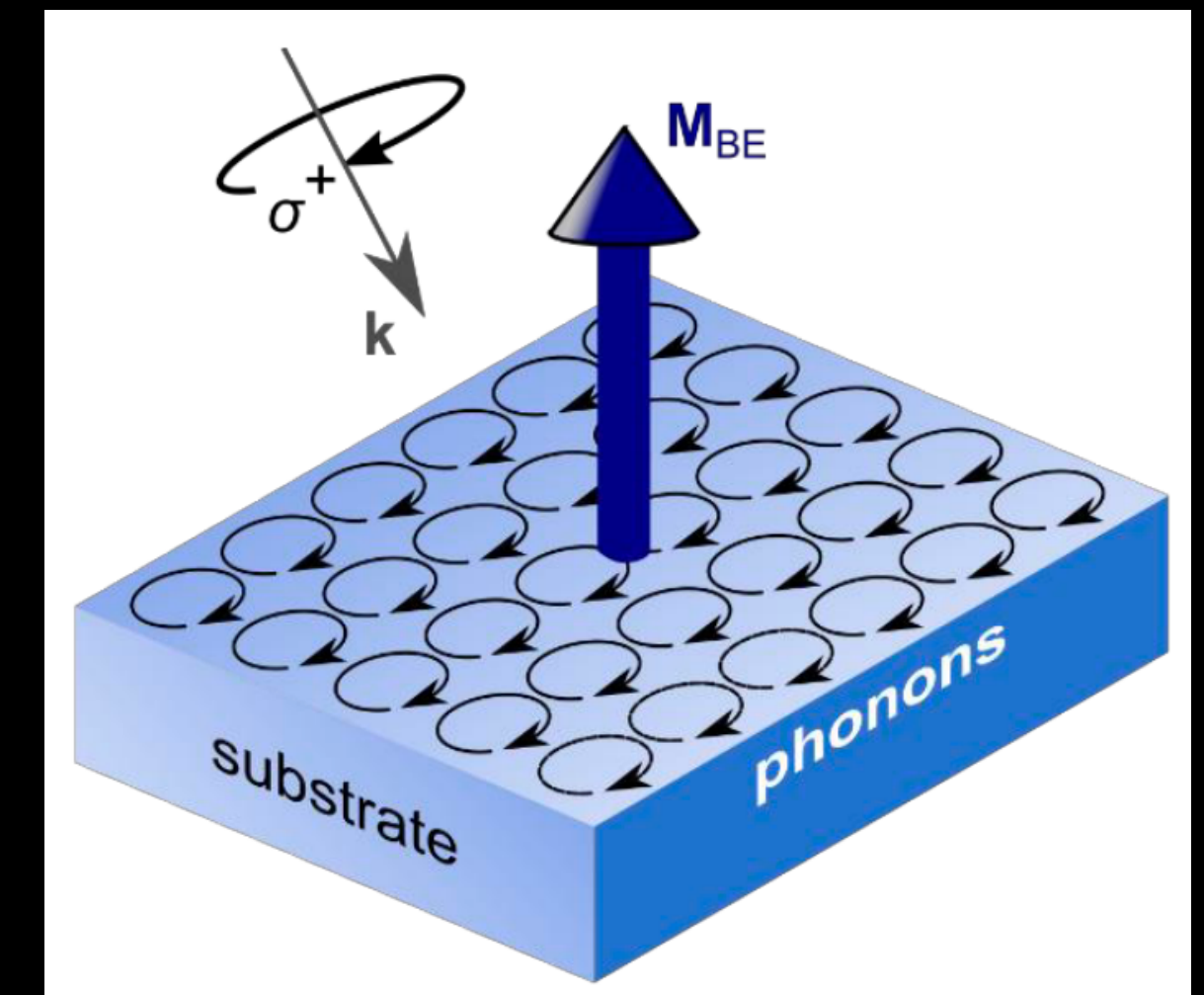
ErFeO₃



SrTiO₃



GdFeCo/Al₂O₃



Nova et al., Nat. Phys. 13, 132 (2017) Basini et al., Nature 628, 534 (2024) Davies et al., Nature 628, 540 (2024)

$$B_{\text{ph}} \sim 10 \text{ s mT}$$

News & Views:
Romao, Juraschek, Nature 628, 505 (2024)

**What makes phonon
magnetic moments large?**

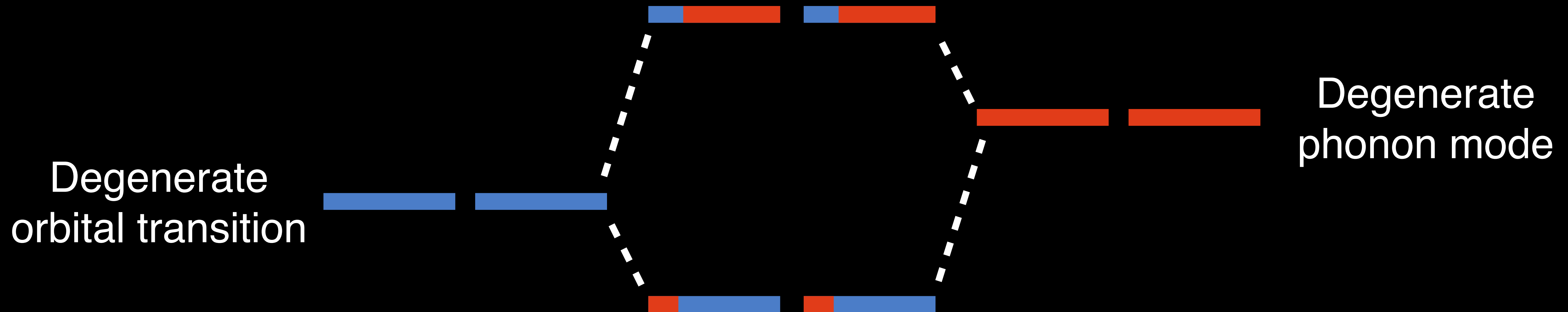
TU/e A general mechanism can be found for magnetic systems



Swati
Chaudhary



Greg Fiete



TU/e A general mechanism can be found for magnetic systems

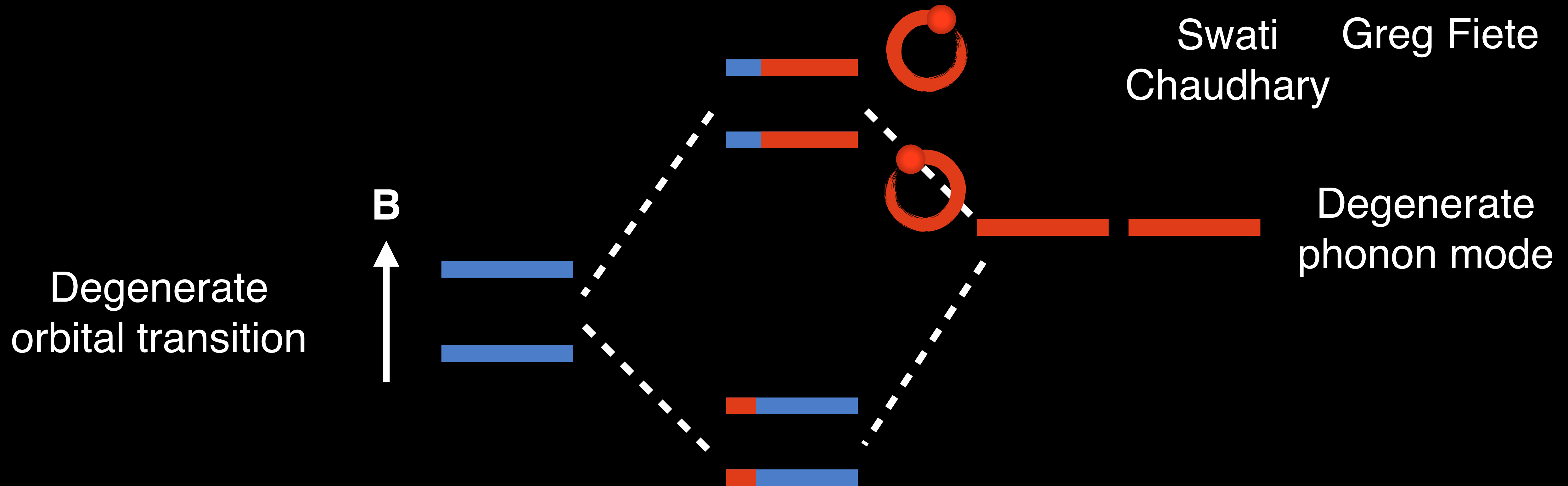


Swati
Chaudhary



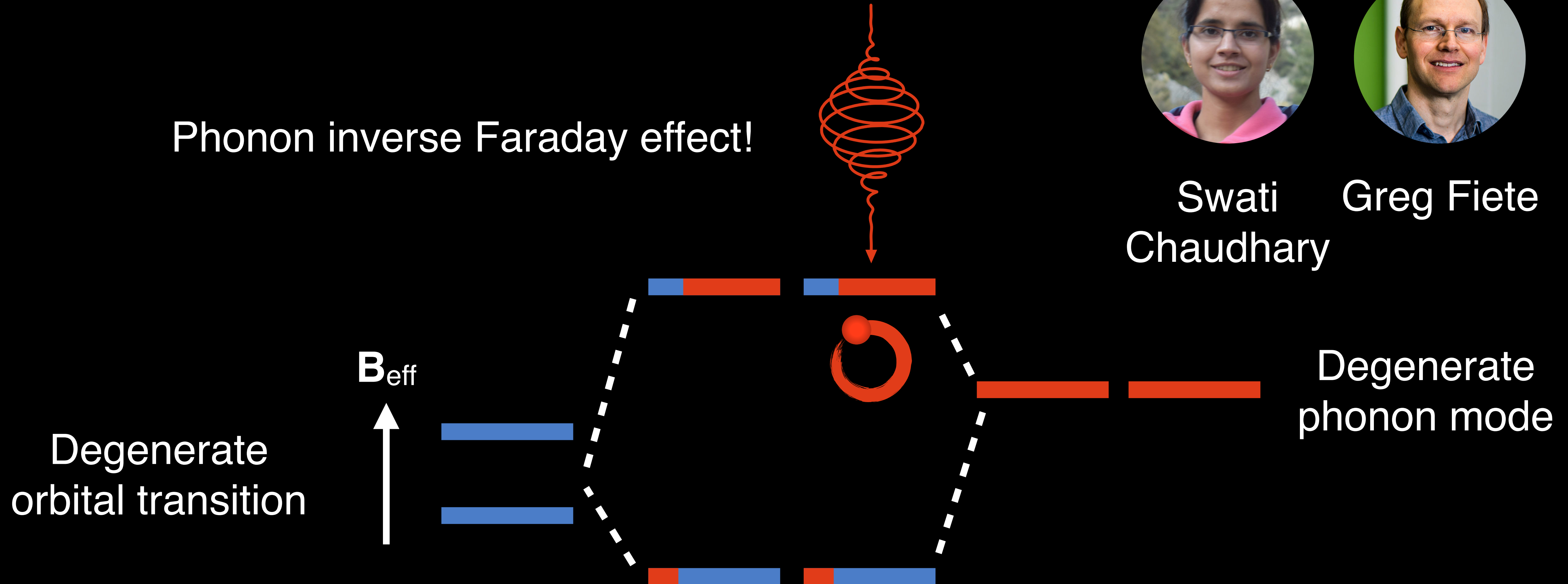
Greg Fiete

Phonon Zeeman effect!



TU/e A general mechanism can be found for magnetic systems

Phonon inverse Faraday effect!



Swati
Chaudhary

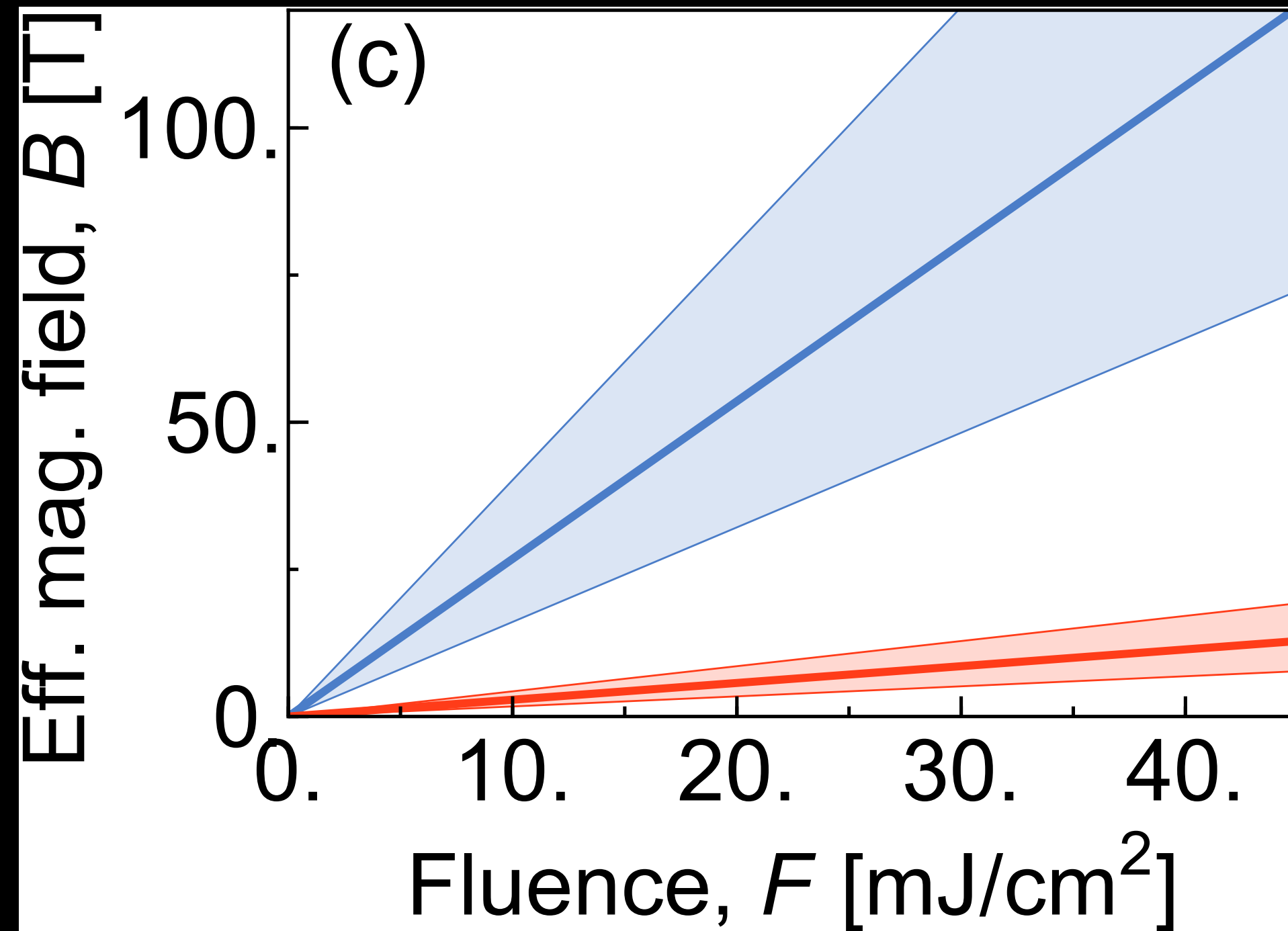
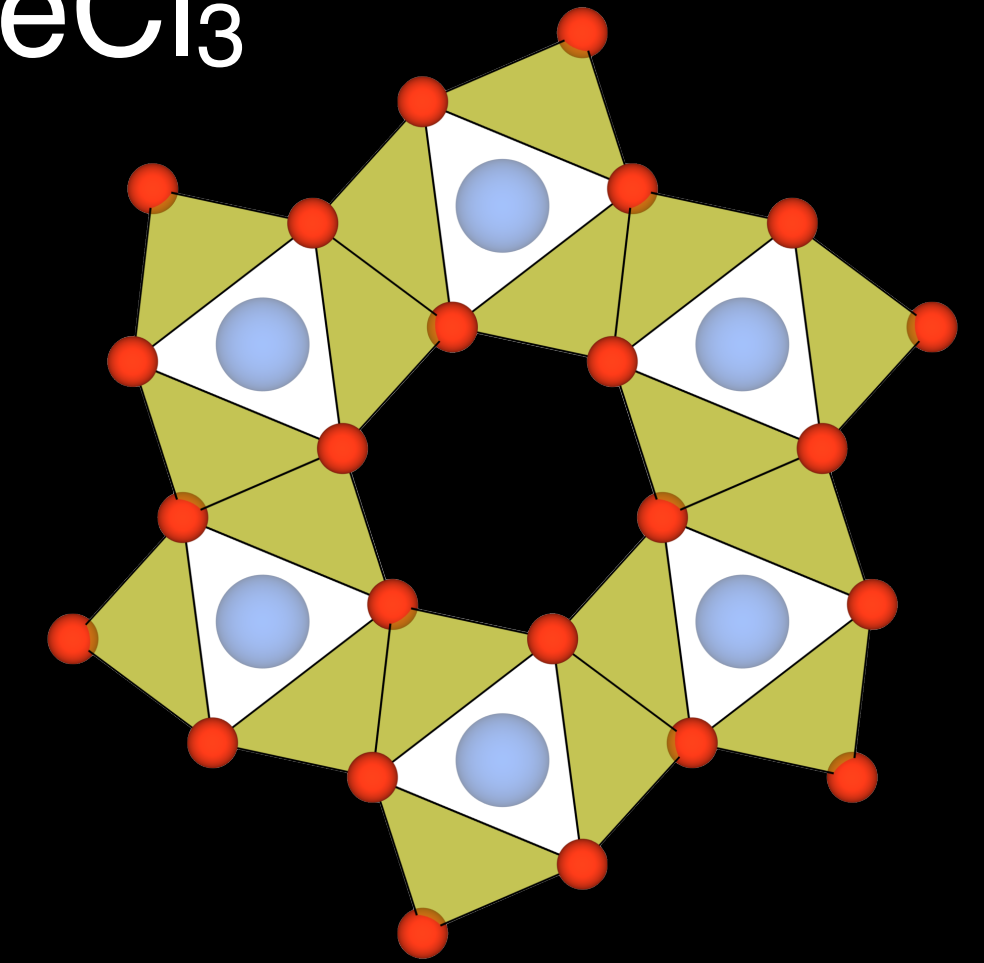
Greg Fiete

Giant phono-magnetic fields in CeCl_3 , CeF_3

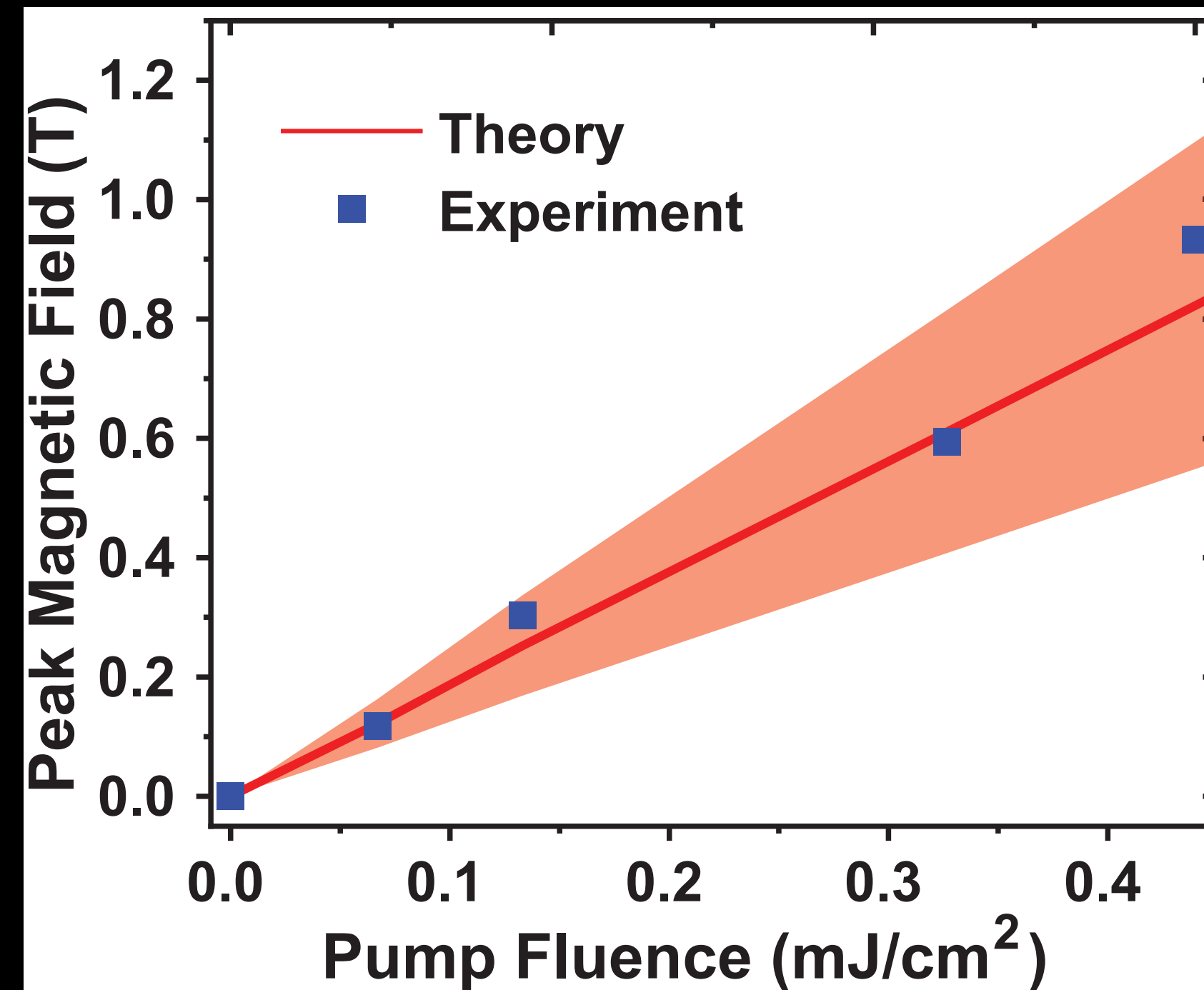
TU/e Chiral phonons produce giant effective magnetic fields

$$\mathbf{B}_{\text{ph}} \sim \mu_{\text{ph}} = \gamma \mathbf{Q} \times \partial_t \mathbf{Q}$$

CeCl₃



10 T for 4 mJ/cm²



1 T for 0.4 mJ/cm²

Magnetizing antiferromagnets

TU/e Phonomagnetic field couples to magnon in AFM

$$V = -\mathbf{M}_{\text{mag}} \cdot \mathbf{B}_{\text{ph}}$$

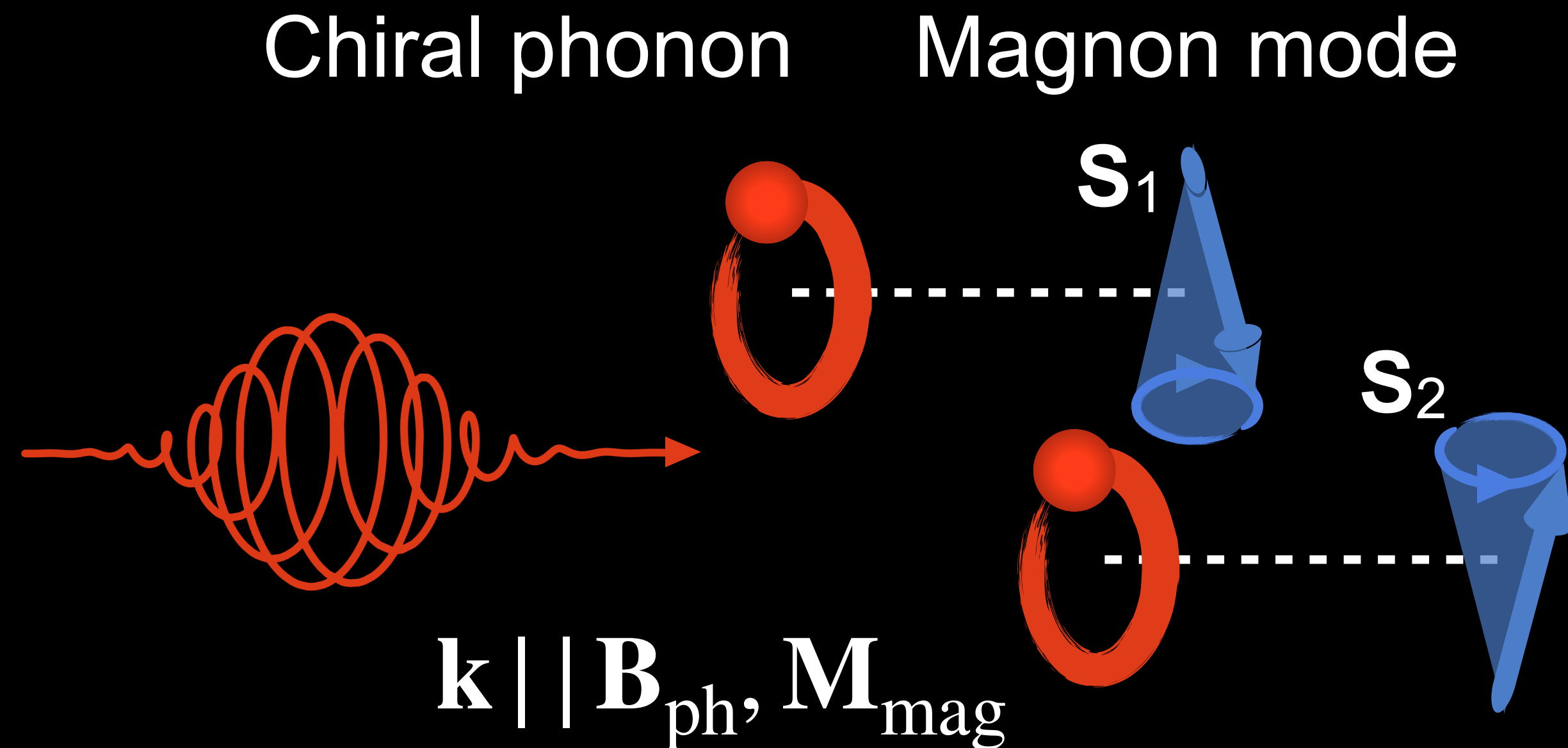
Easy-plane Heisenberg AFM



Tom Kahana

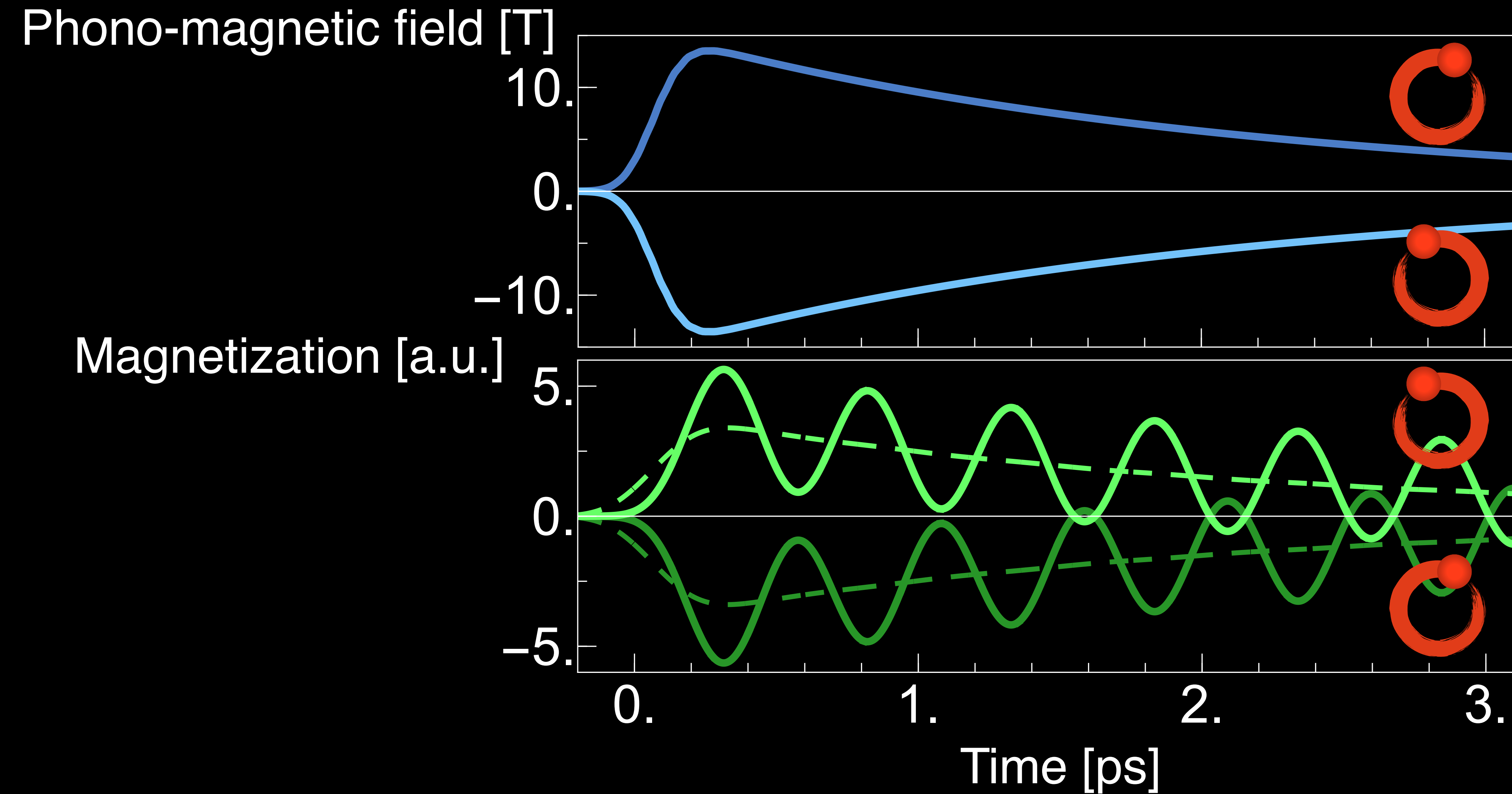


Daniel
B.-Lopez



Dynamics: coupled Landau-Lifshitz-Gilbert + oscillator model

TU/e Magnetization gets rectified by phonomagnetic field

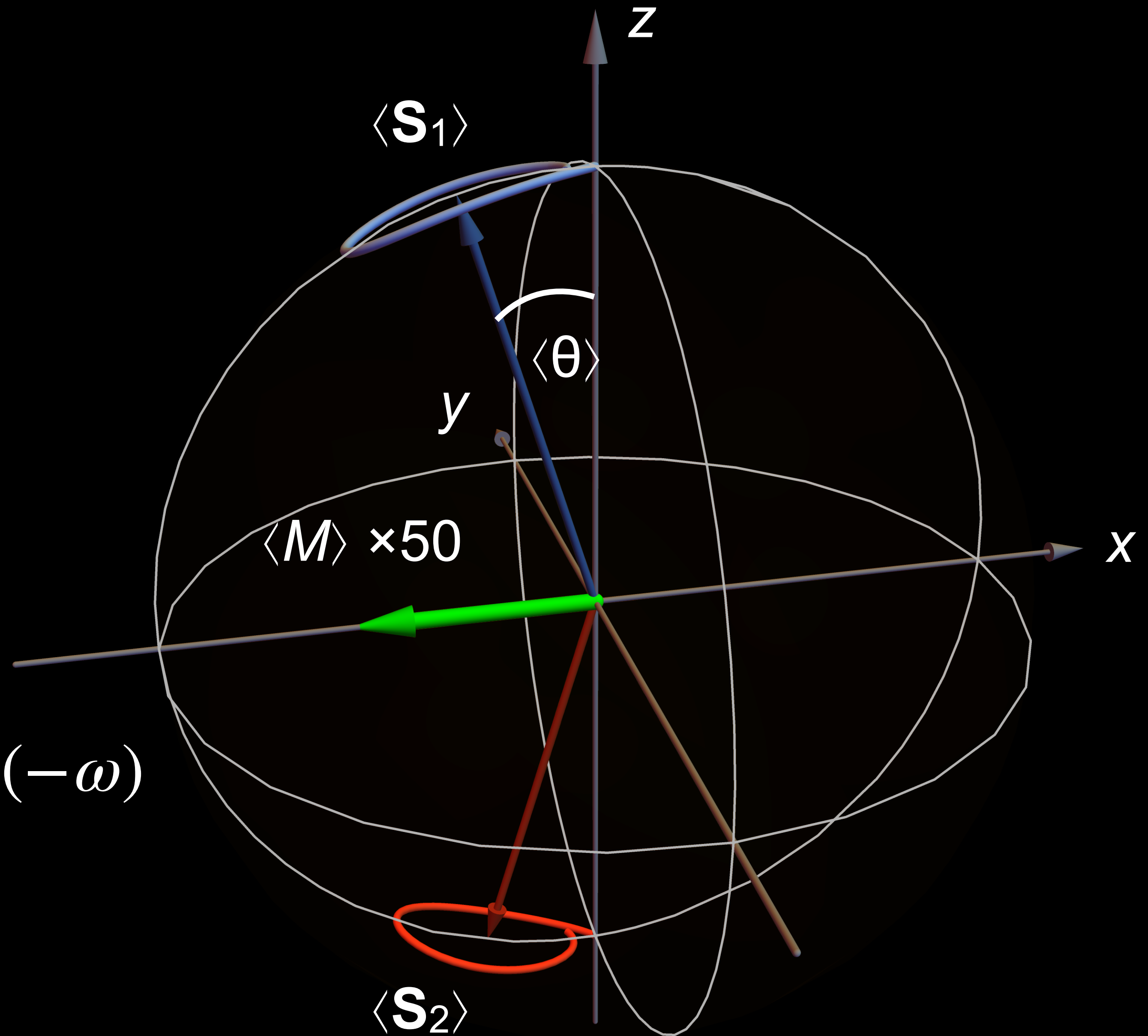


TU/e Rectification leads to light-induced weak ferromagnetism

$$\langle \mathbf{M} \rangle \sim \langle \mathbf{Q} \times \partial_t \mathbf{Q} \rangle \neq 0$$

$$\mathbf{Q} \sim \mathbf{E}$$

$$\mathbf{M}(0) = \chi_{\text{mag}}^{(2)}(0; \omega, -\omega) \mathbf{E}(\omega) \mathbf{E}^*(-\omega)$$



Beyond circular polarization

TU/e Multicolor Floquet driving promises advanced control

PHYSICAL REVIEW B **108**, 035151 (2023)

Suppression of heating by multicolor driving protocols in Floquet-engineered strongly correlated systems

Yuta Murakami ^{1,*} Michael Schöler,^{2,3} Ryotaro Arita ^{1,4} and Philipp Werner³

PHYSICAL REVIEW RESEARCH **4**, 033213 (2022)

Floquet engineering the band structure of materials with optimal control theory

Alberto Castro ^{1,2,*} Umberto De Giovannini,^{3,4,†} Shunsuke A. Sato ^{5,4,‡} Hannes Hübener ^{4,§} and Angel Rubio^{4,6,||}

PHYSICAL REVIEW RESEARCH **4**, 013056 (2022)

Floquet engineering of individual band gaps in an optical lattice using a two-tone drive

Kilian Sandholzer , Anne-Sophie Walter, Joaquín Minguzzi, Zijie Zhu, Konrad Viebahn , and Tilman Esslinger 

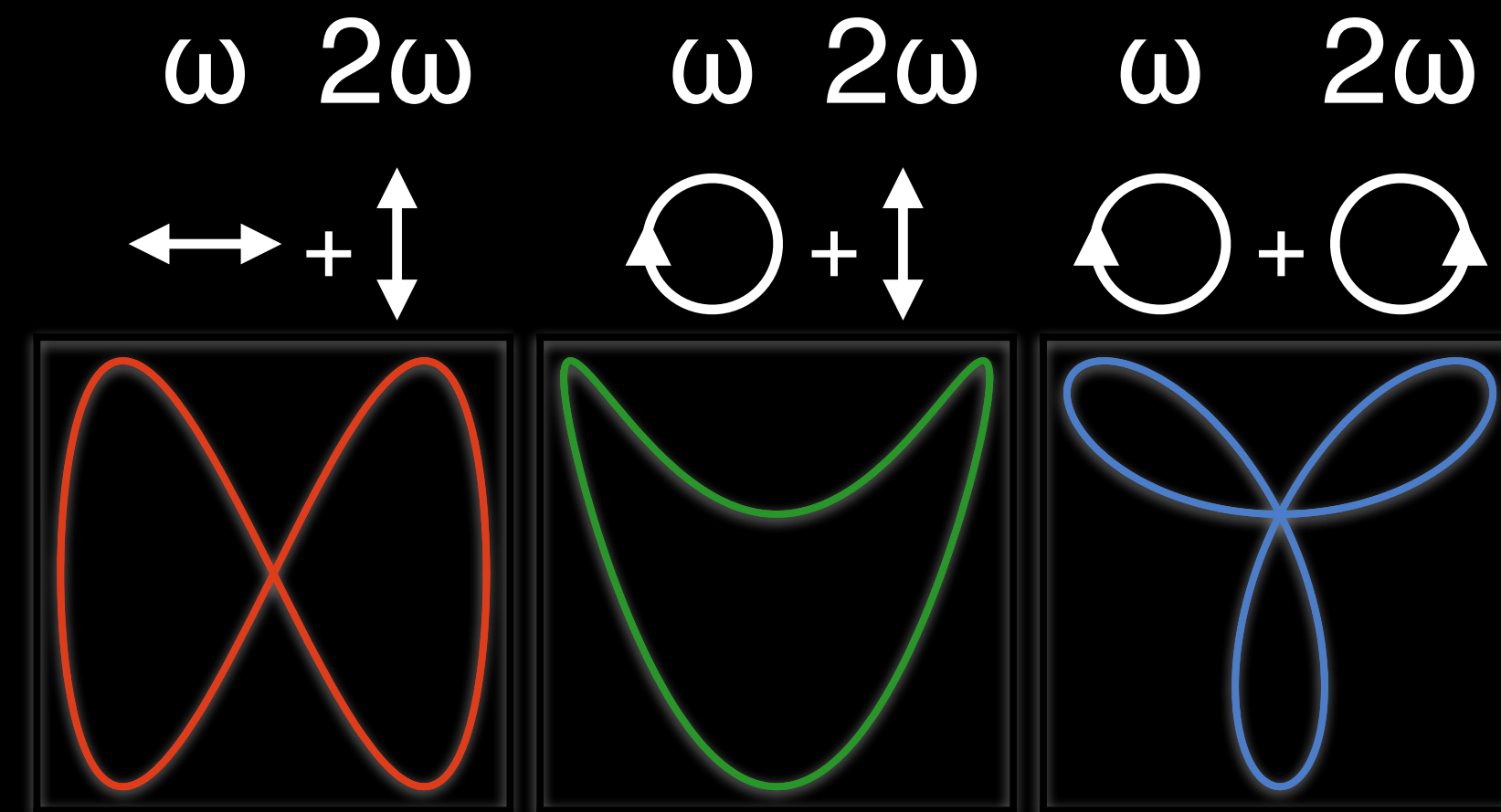
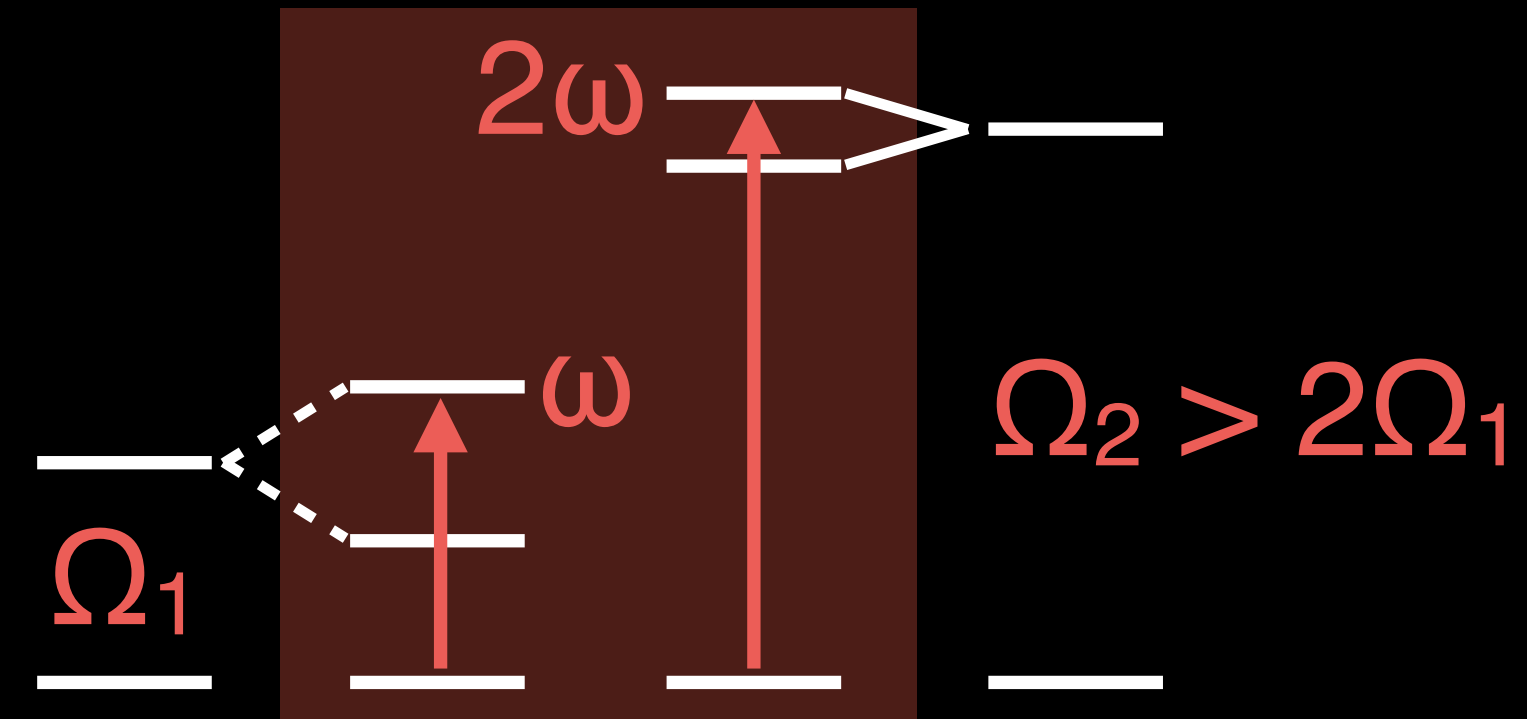
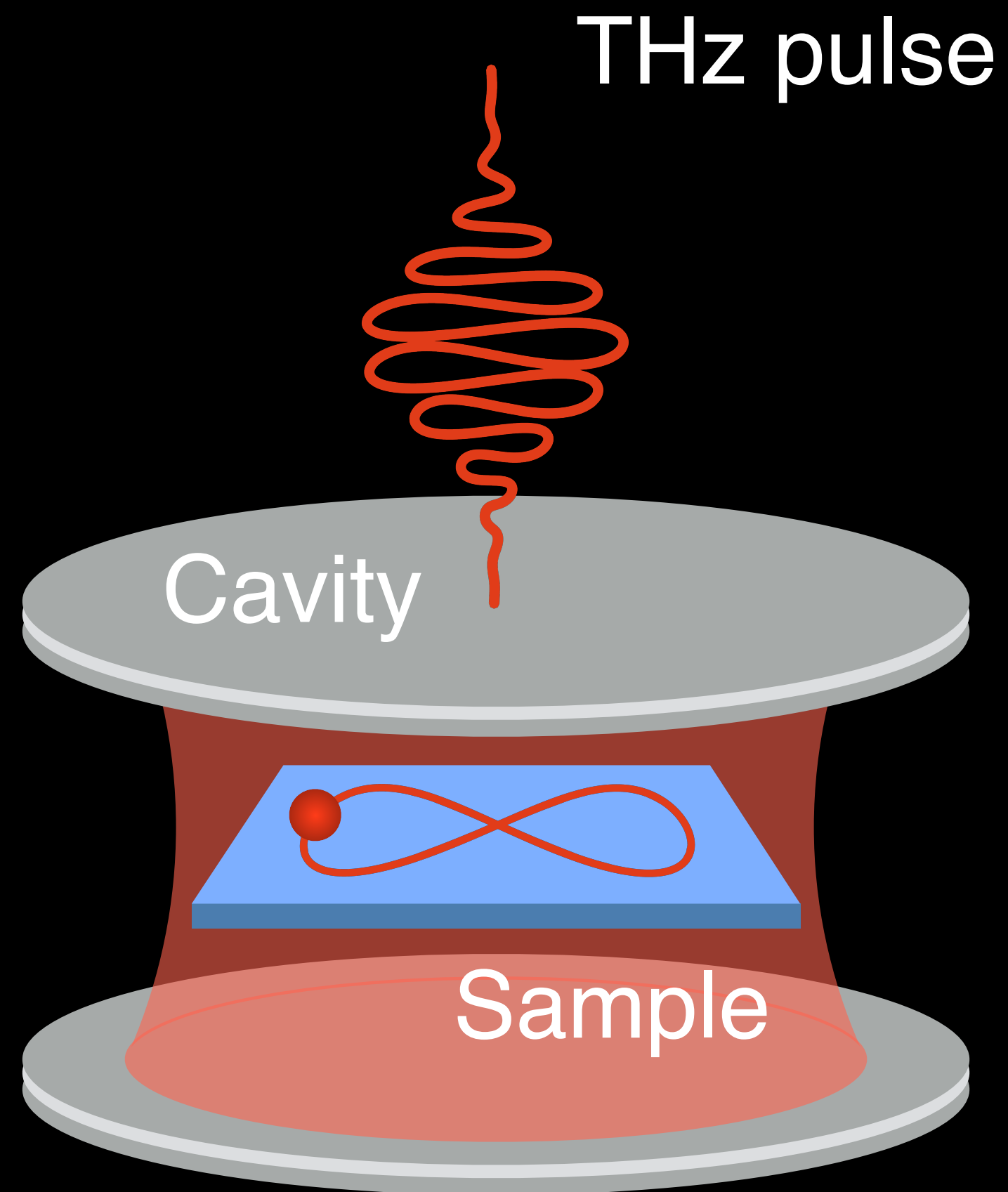
Bosonic Entanglement and Quantum Sensing from Energy Transfer in two-tone Floquet Systems

Yinan Chen,^{1,2,*} Andreas Elben,^{1,3,†} Angel Rubio,^{4,5} and Gil Refael^{1,2,6,‡}

TU/e Phononic Lissajous figures require frequency matching



Omer Yaniv

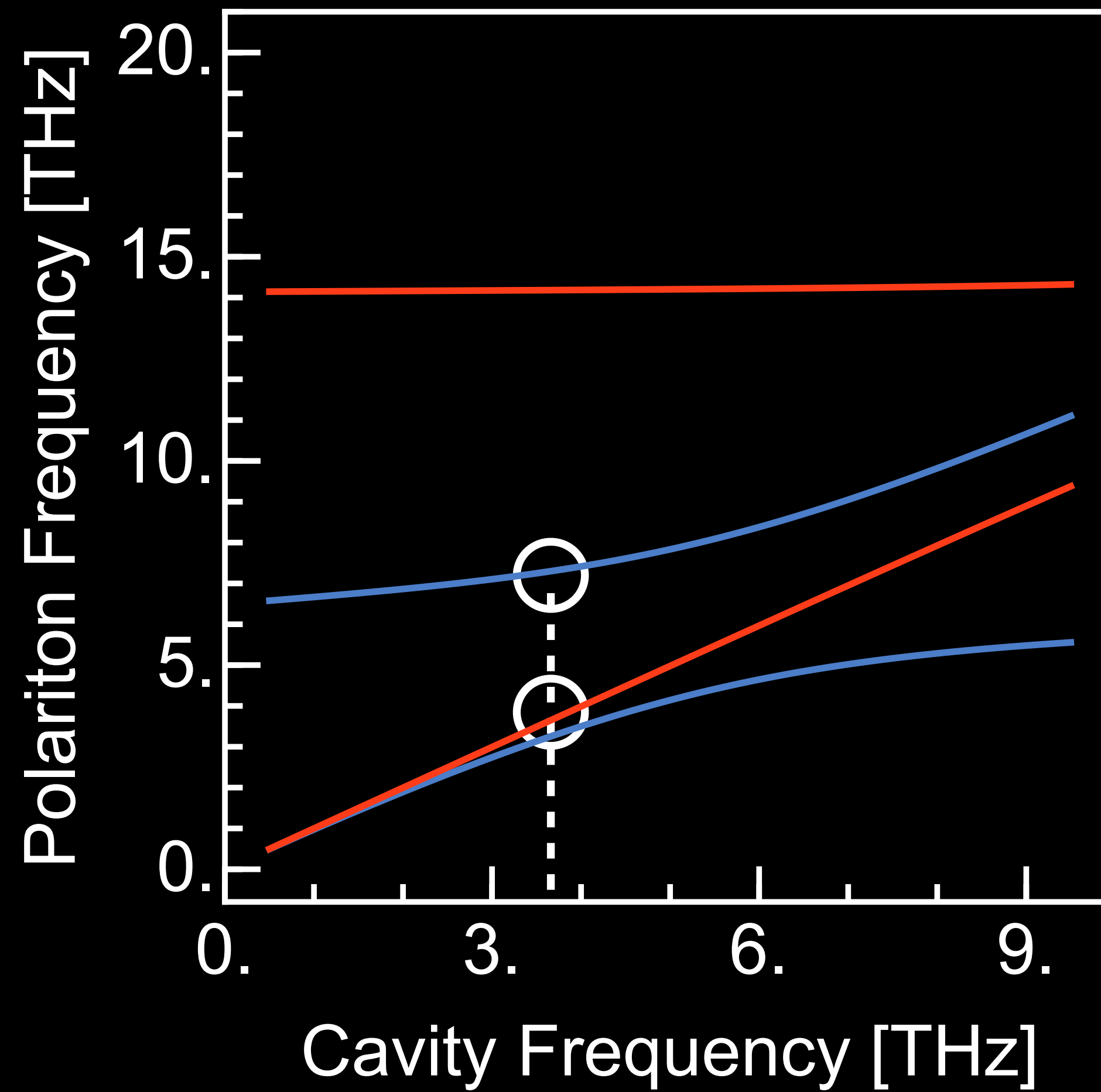


TU/e Cavity phonon-polariton branches match in BaTiO₃

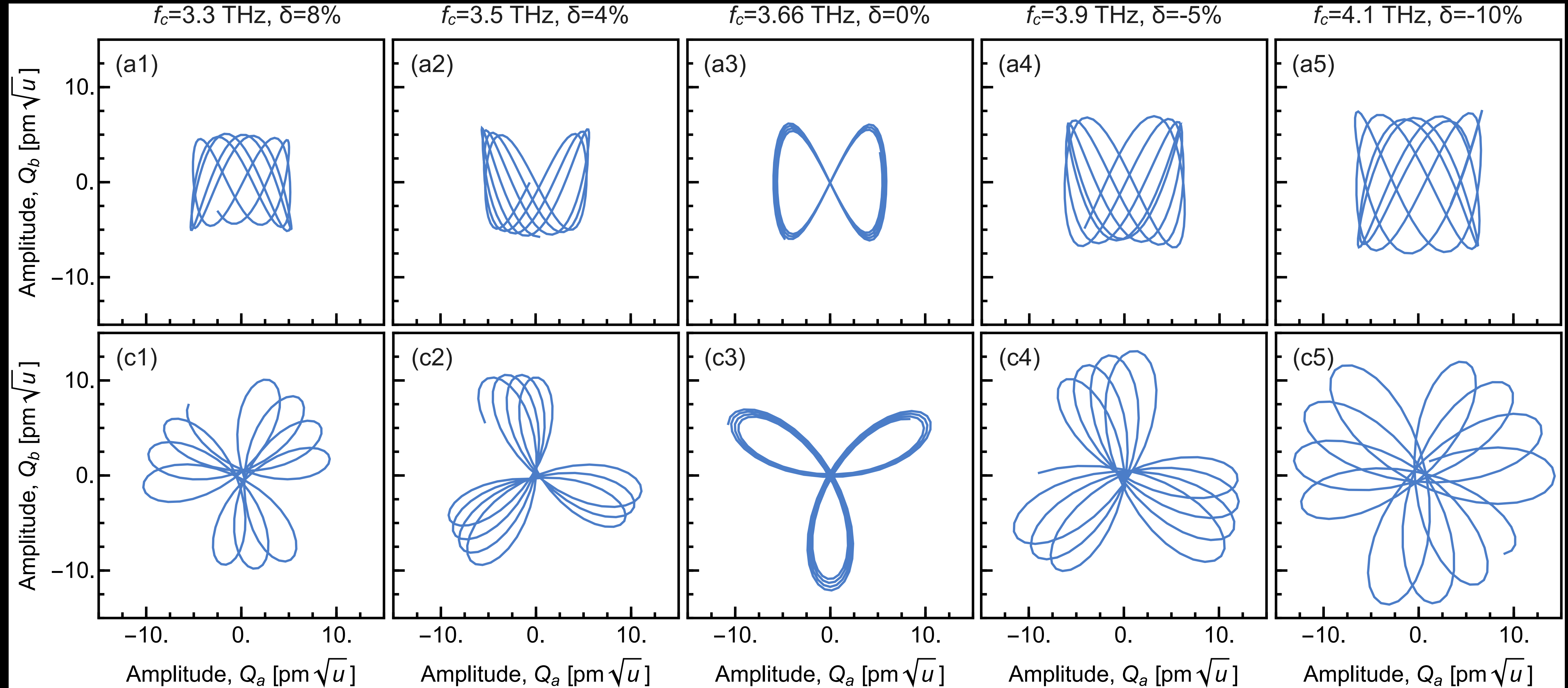
BaTiO₃

E_u 6.5 THz

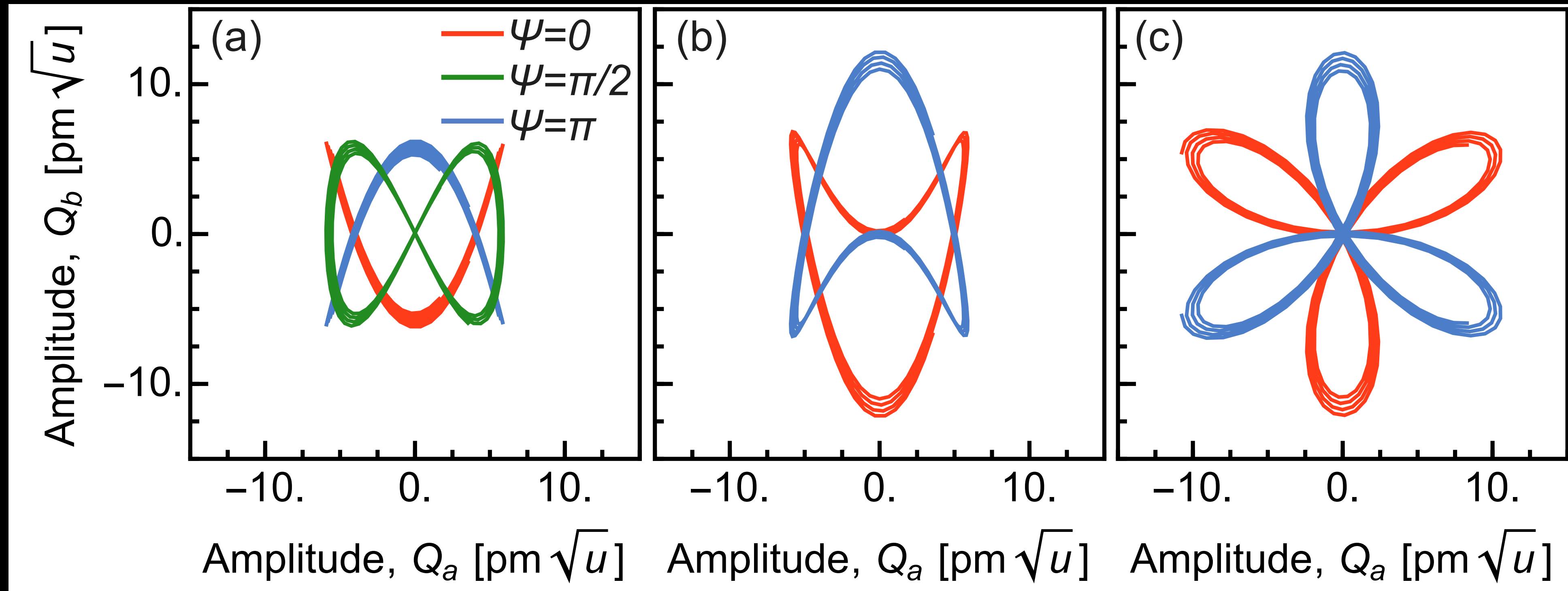
E_u 14.1 THz



TU/e Cavities can engineer phononic Lissajous figures

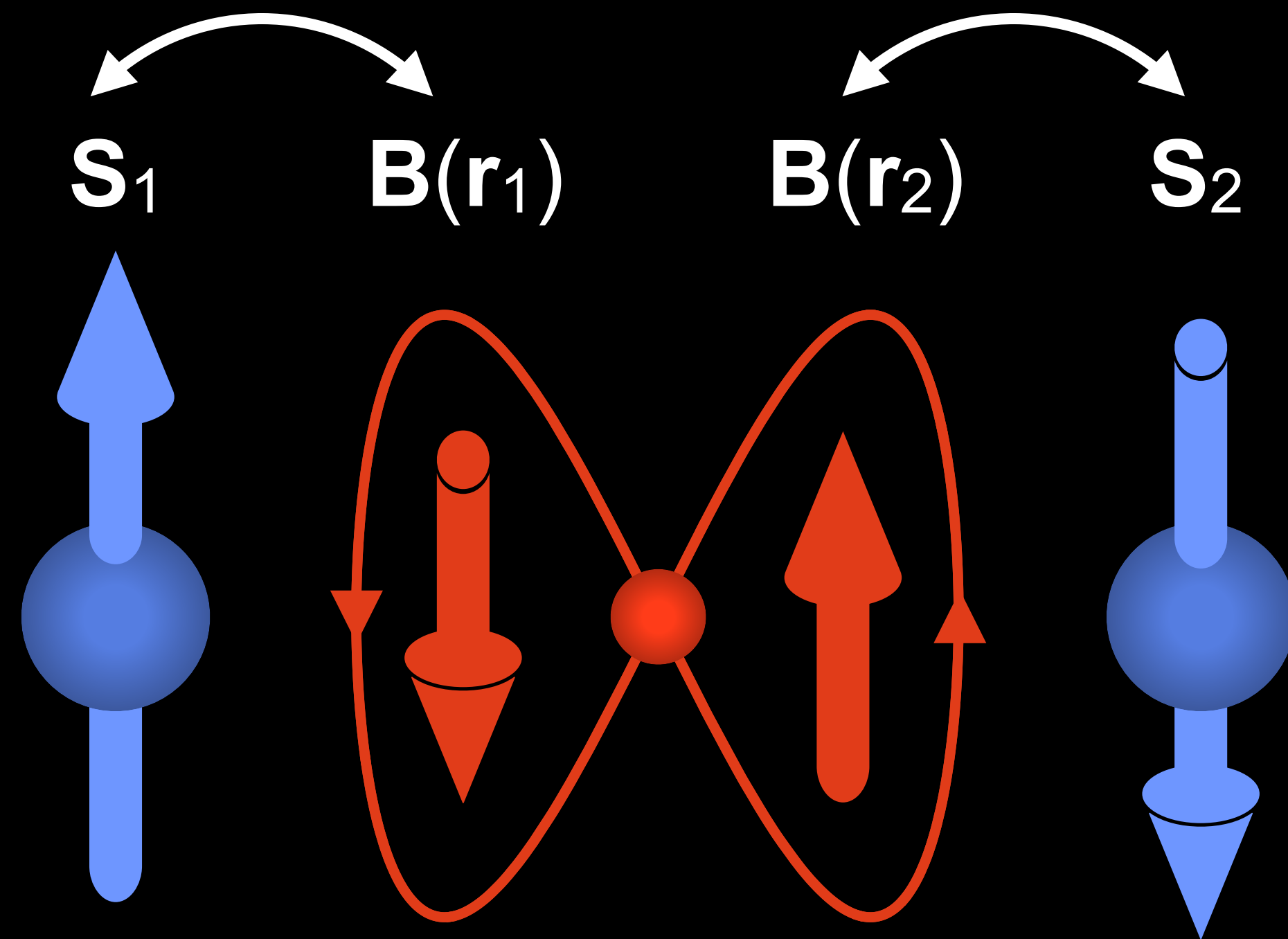


TU/e Pulse shaping can control phononic symmetry breaking

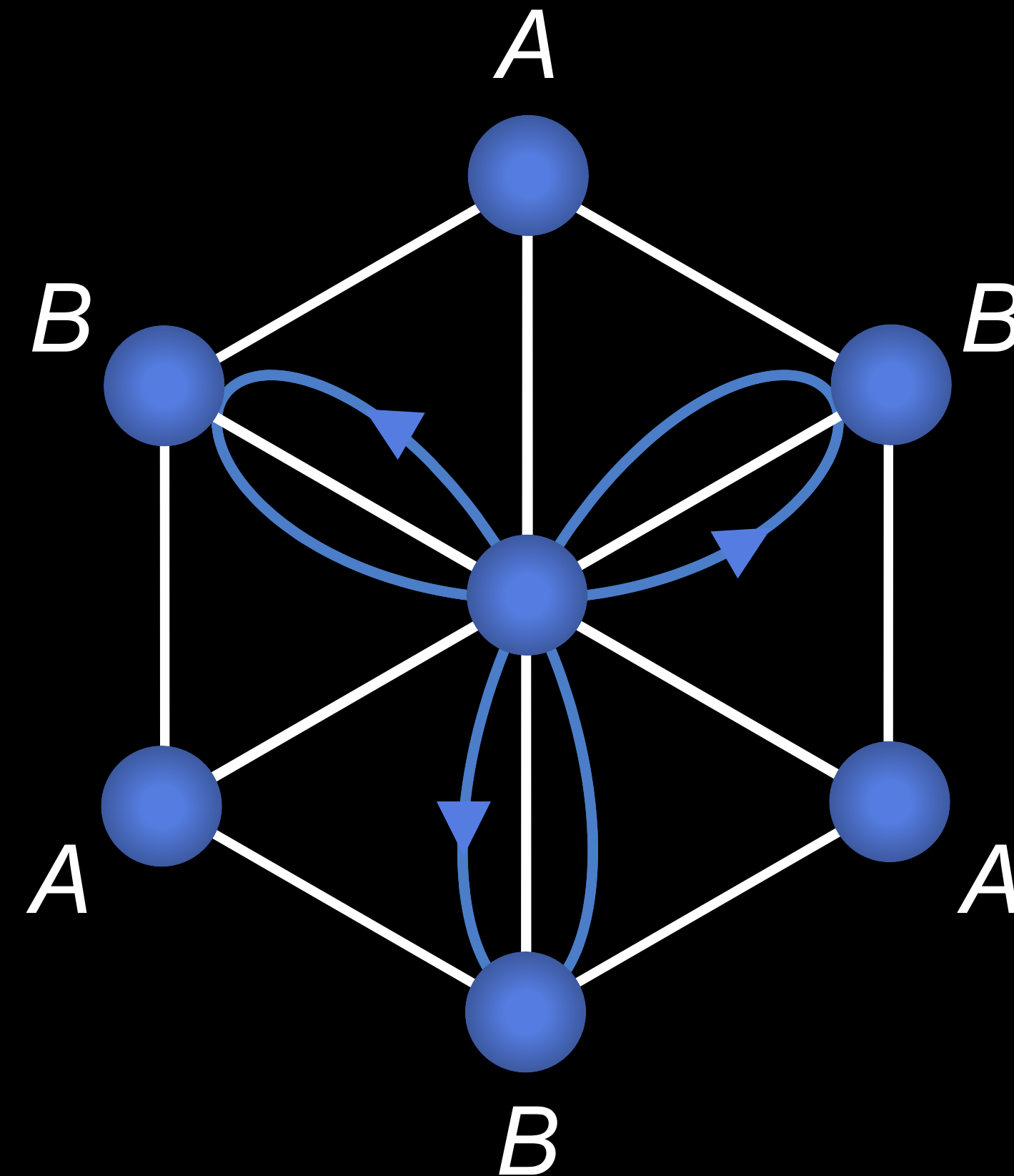


TU/e Possible applications involve Floquet driving

Staggered magnetic fields



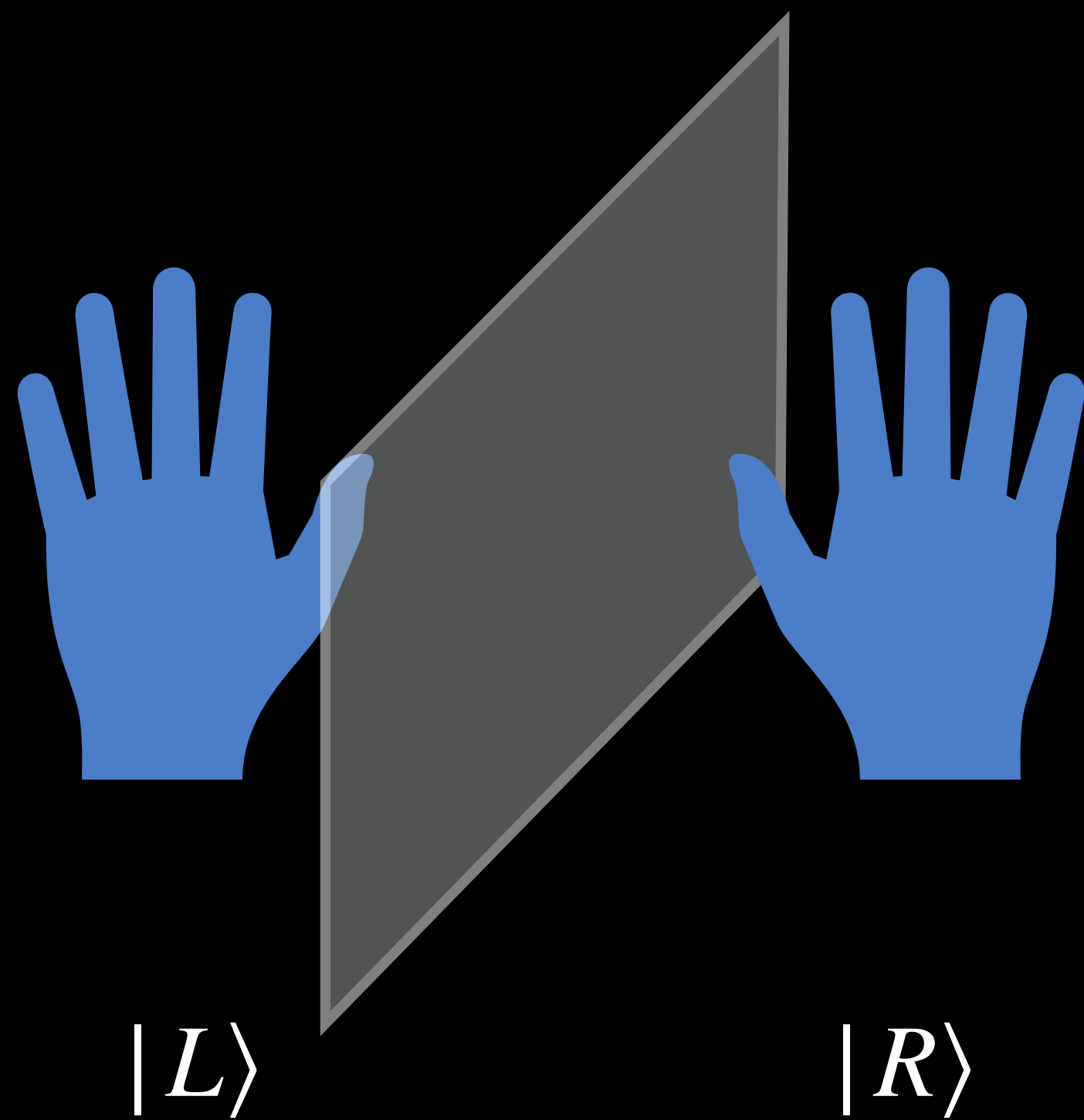
Selective symmetry breaking



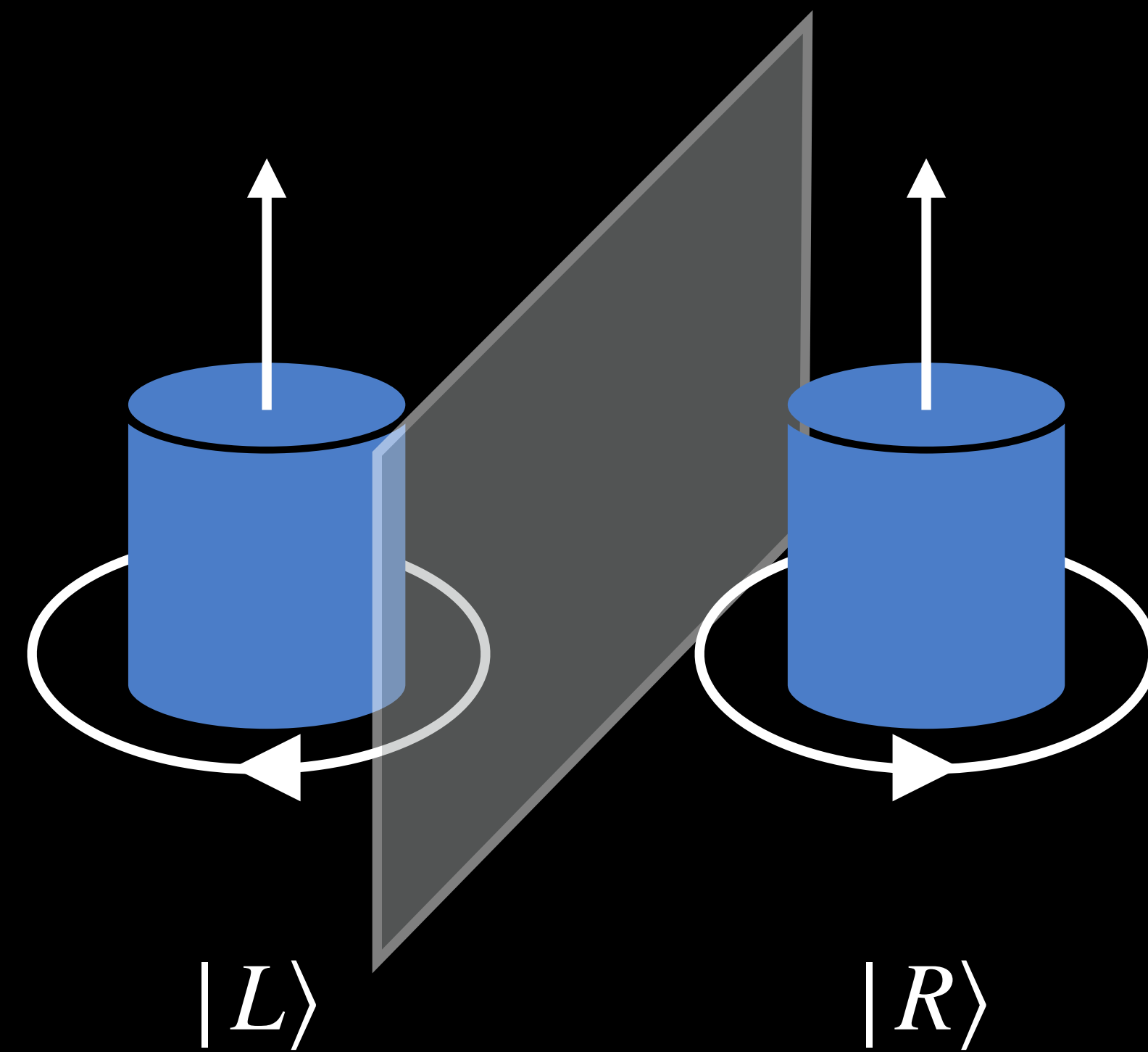
**Can phonons make
achiral materials chiral?**

TU/e Chirality means no improper rotation symmetry

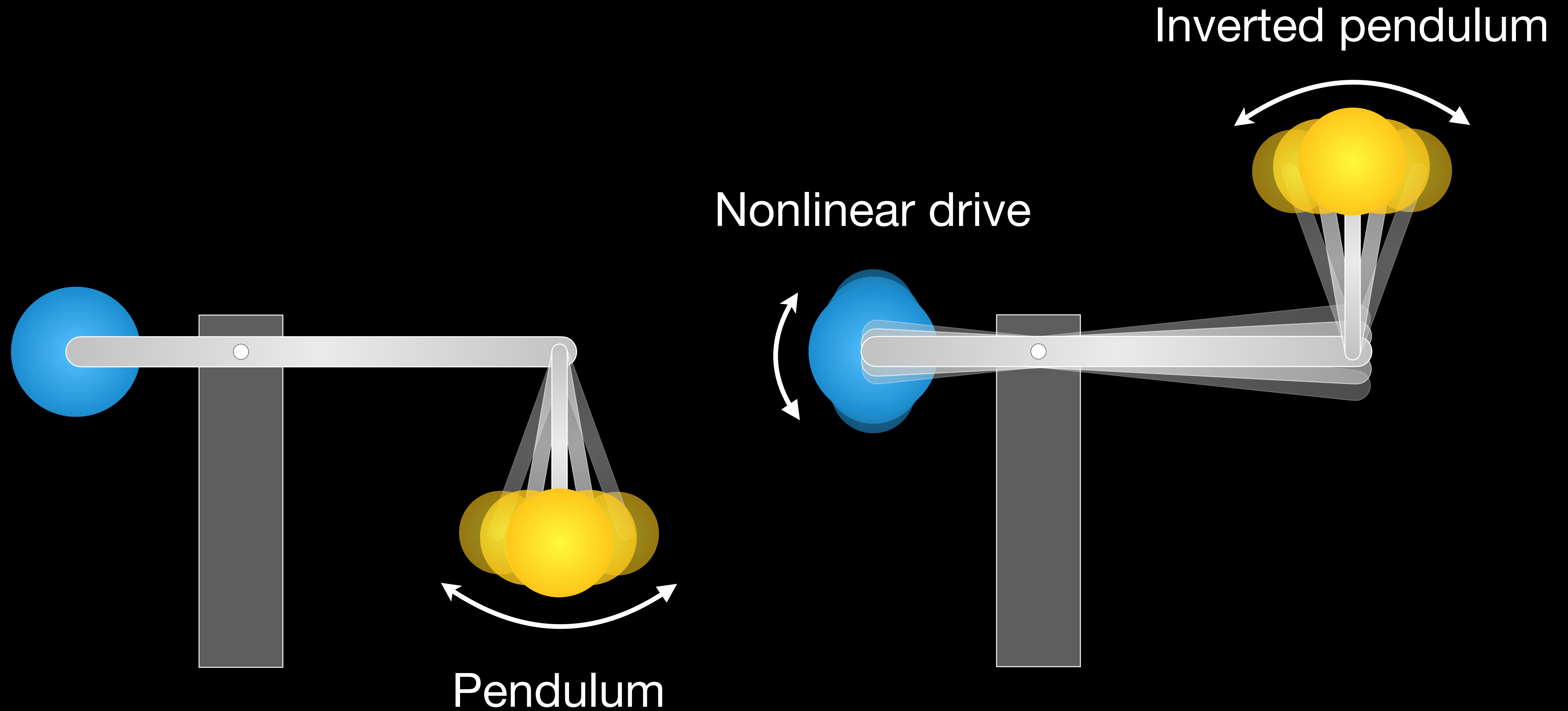
Static chirality



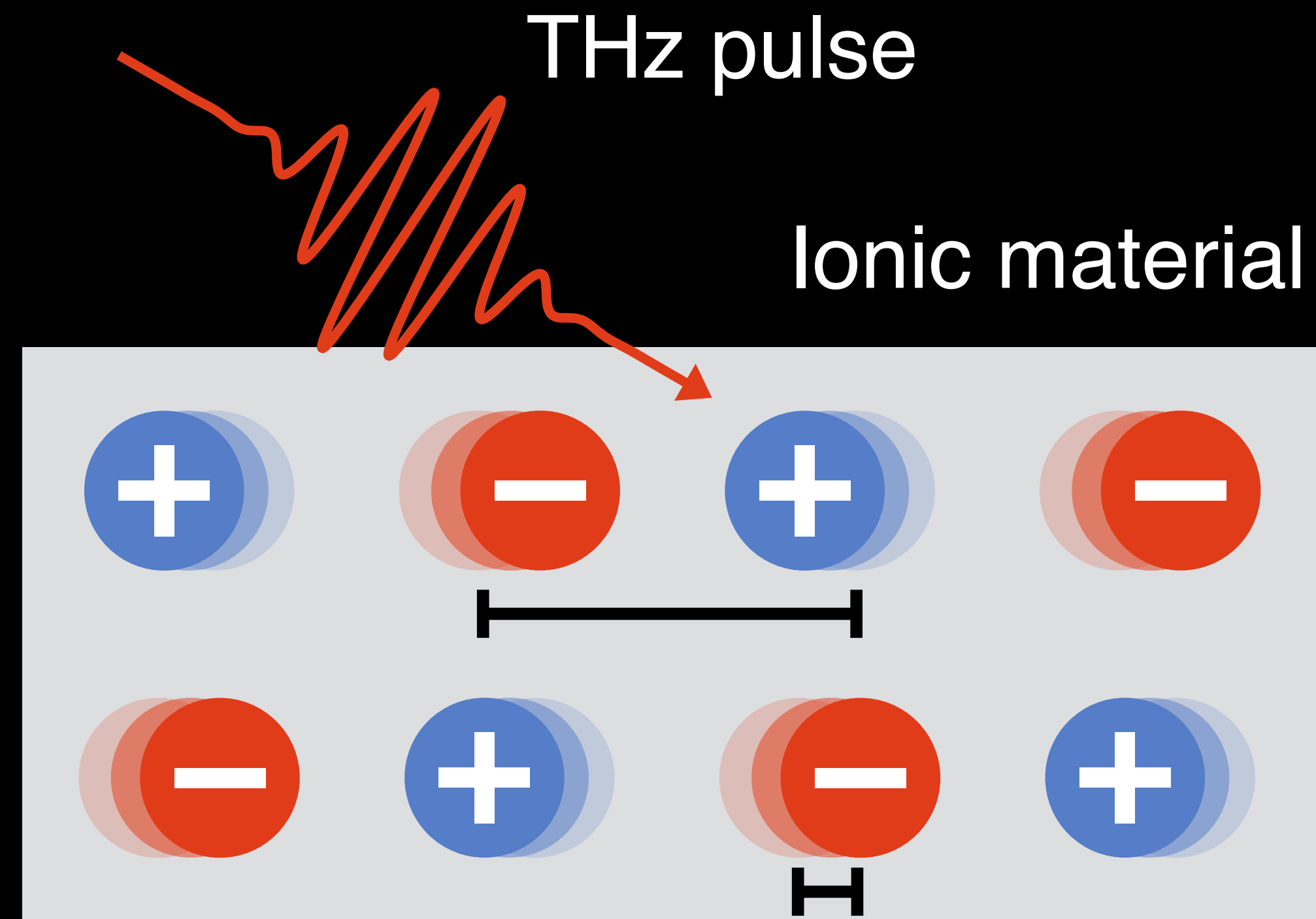
Motion-based chirality



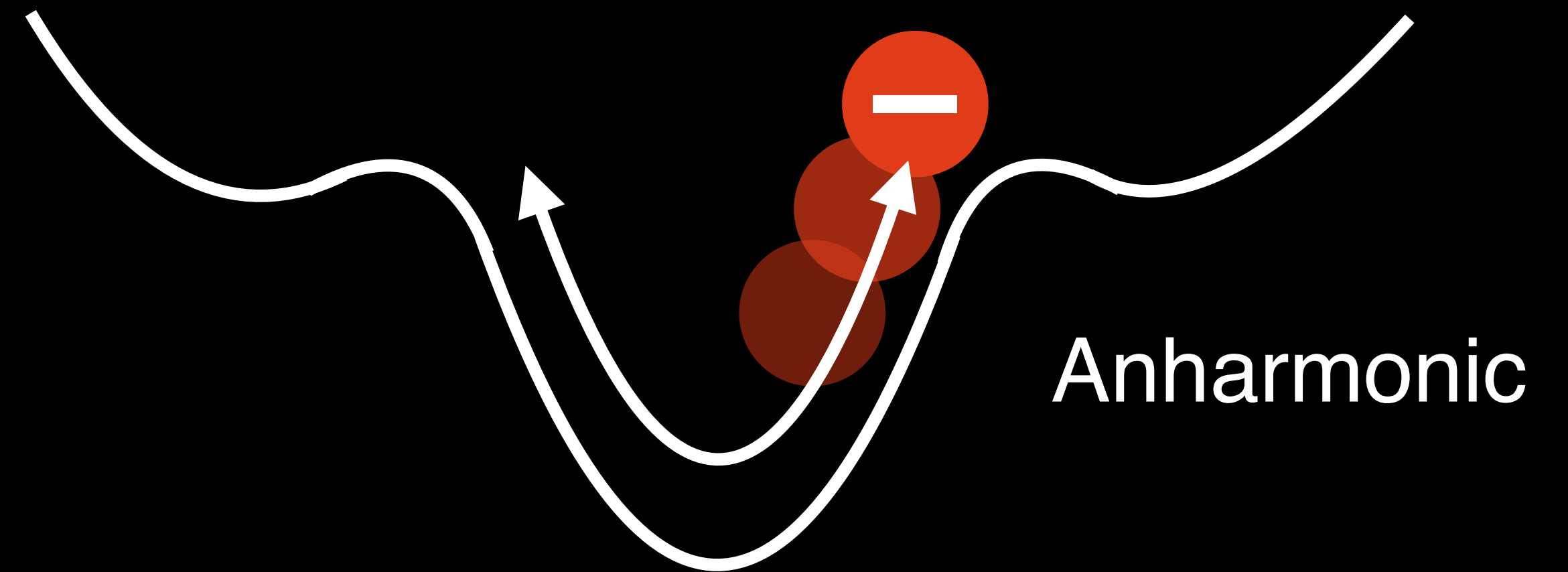
TU/e Nonlinear dynamics create metastable oscillator states



TU/e Large amplitude vibrations produce nonlinear phononic effects



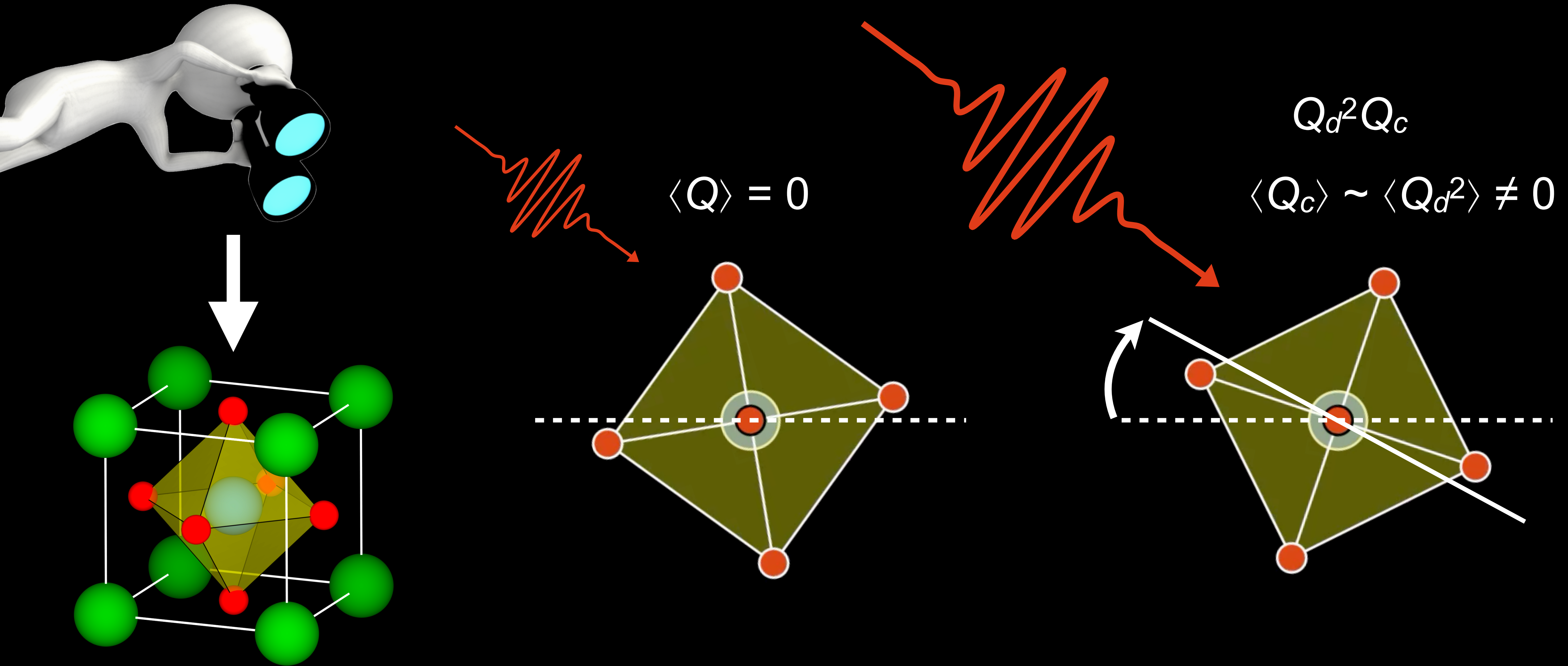
Motion 1-10% of interatomic distance



Harmonic

Anharmonic

TU/e Phononic rectification induces structural distortions



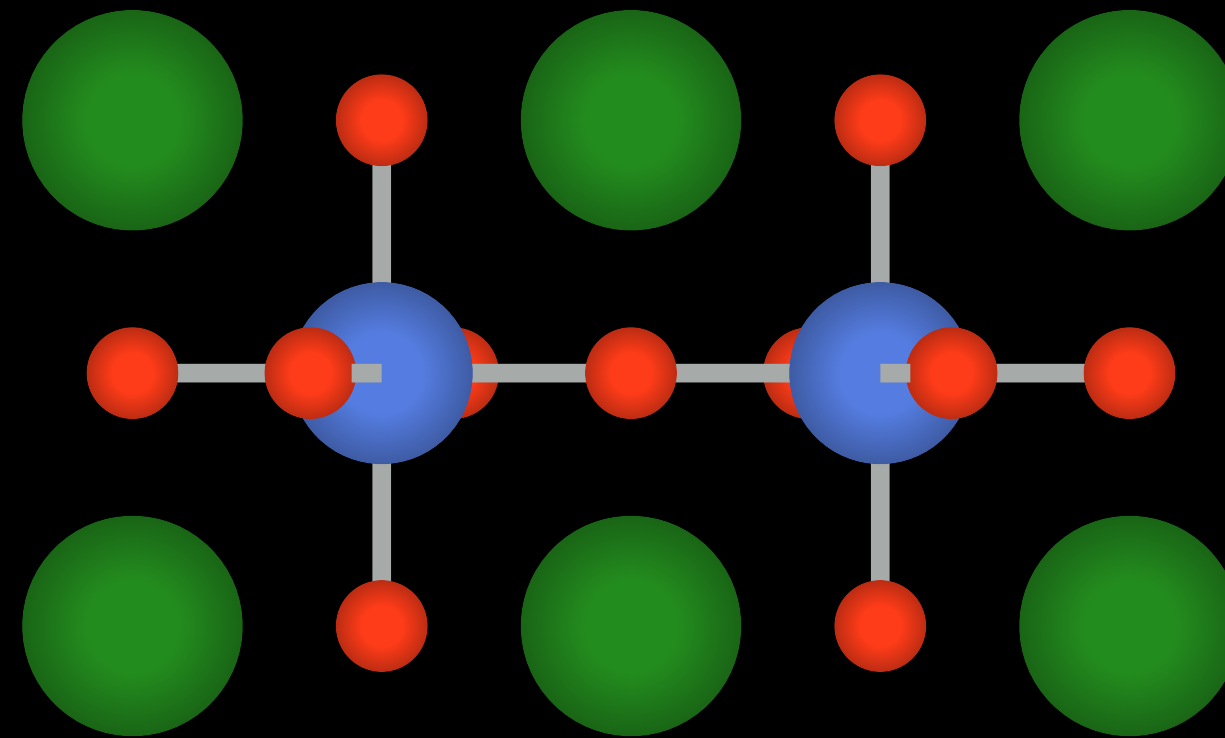
Först et al., Nat. Phys. 7, 854 (2011)
Subedi et al., Phys. Rev. B 89, 220301(R) (2014)
Juraschek et al., Phys. Rev. Lett. 118, 054101 (2017)

TU/e Geometric chiral phonons break all improper rotations

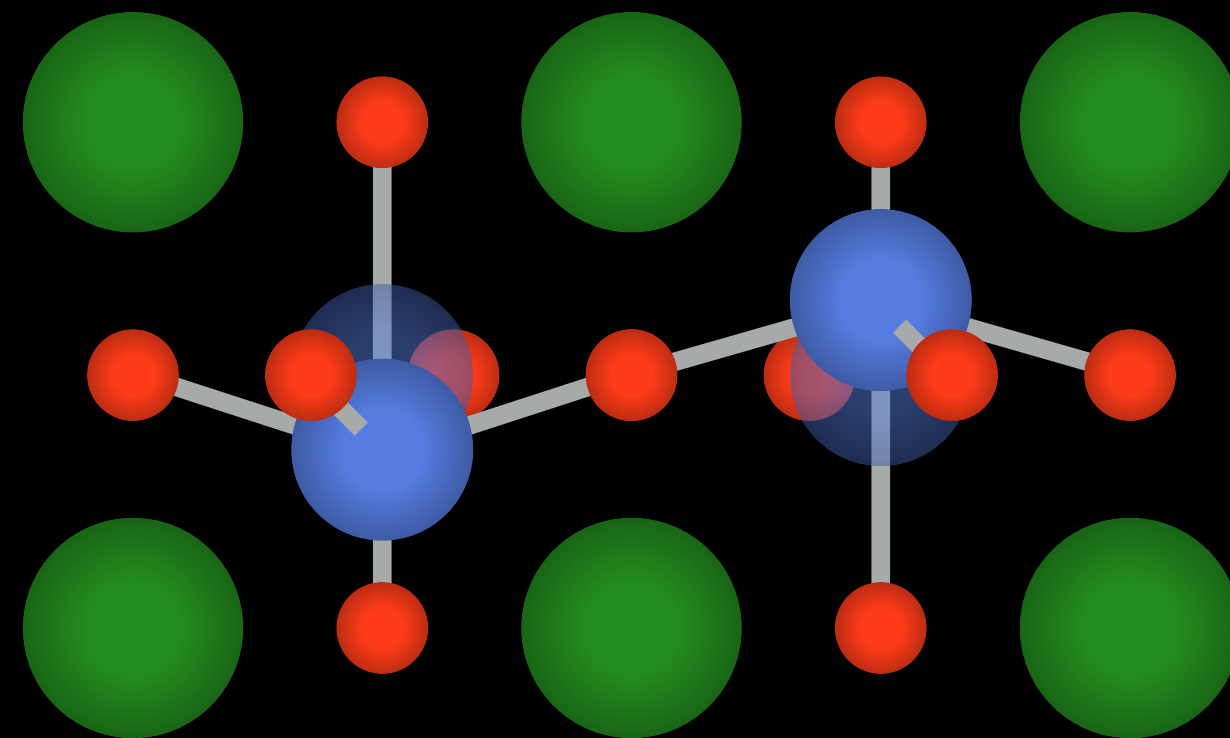
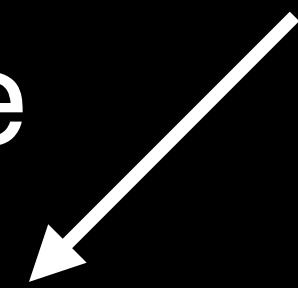


Carl Romao

D_{4h} (achiral)

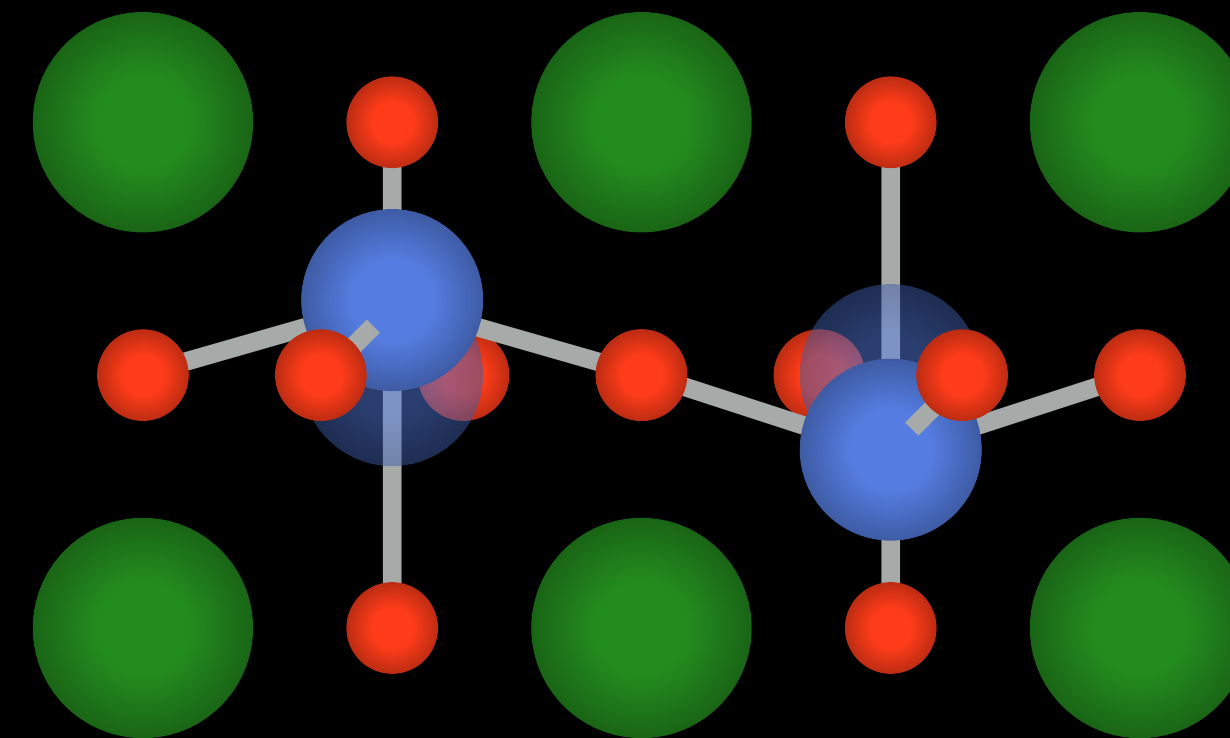
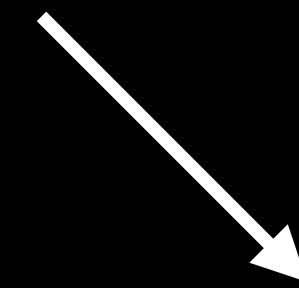


$+A_{1u}$ mode



D_4 (chiral)

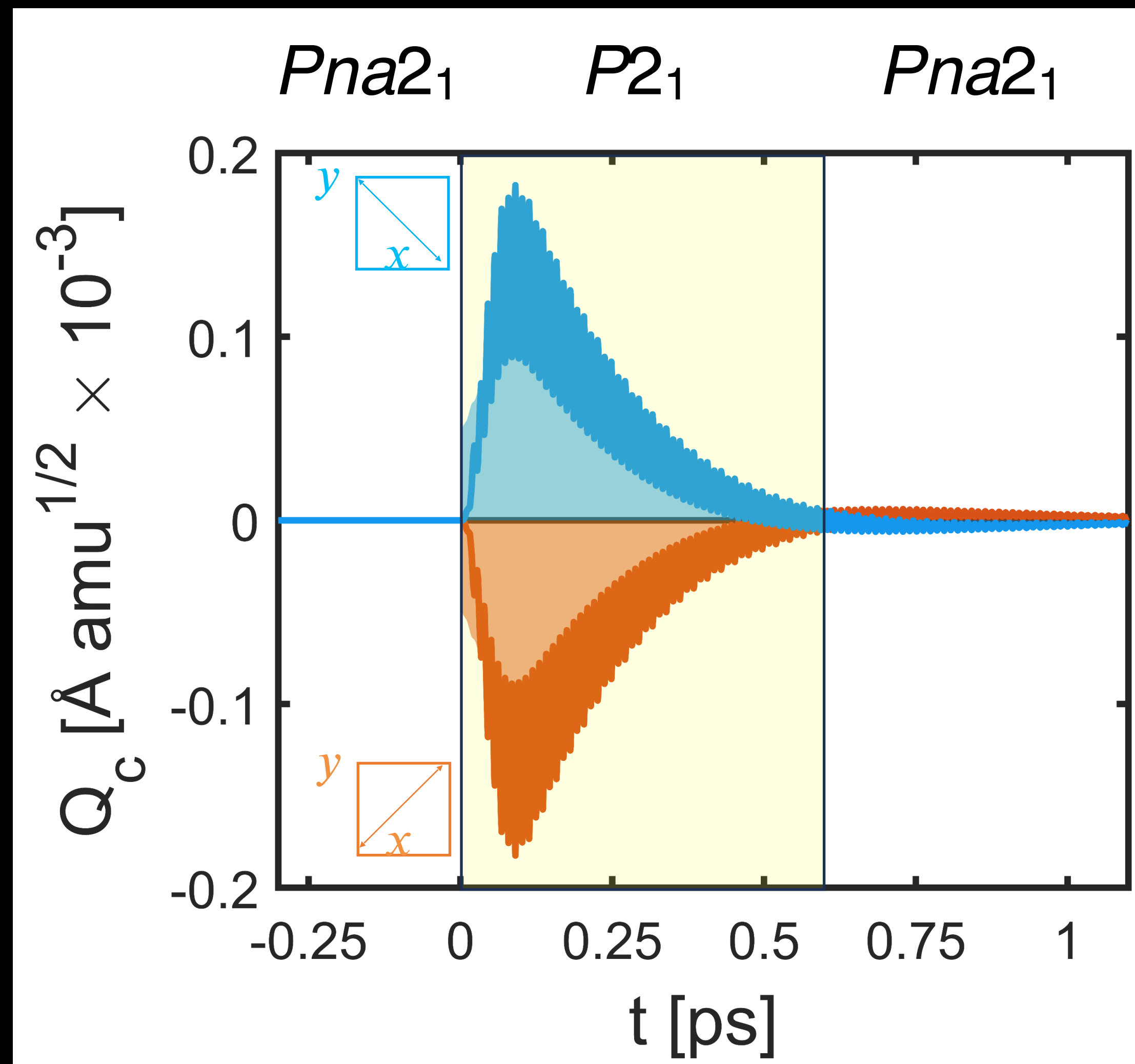
$-A_{1u}$ mode



D_4 (chiral)



TU/e A_2 modes induce chirality in LiB_3O_5

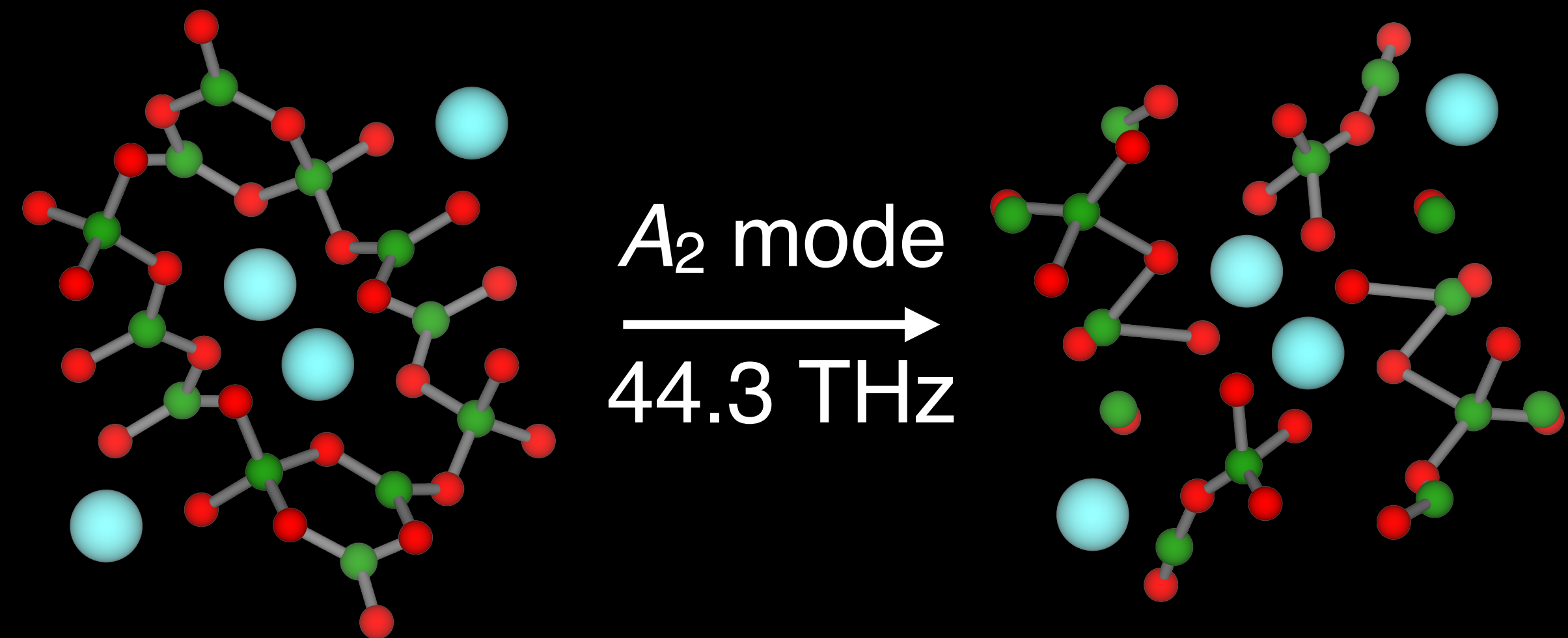


$$V = Q_{B_1} Q_{B_2} Q_{A_2}$$

$$\langle Q_{A_2} \rangle \sim \langle Q_{B_1} Q_{B_2} \rangle \neq 0$$

$$Q_{B_{1/2}} \sim E$$

$$Q_{A_2}(0) = \chi_{\text{ph}}^{(2)}(0; \omega, -\omega) \mathbf{E}(\omega) \mathbf{E}^*(-\omega)$$



TU/e Group theory reveals promising materials

Point group	GCP	Subgroup	IR-active modes	Coupling	Example materials
$C_s(\text{m})$	A''	$C_1(1)$	$A'(x, y), A''(z)$	$A'' A'' A'$	$\text{KH}_2\text{PO}_4, \text{BaGa}_4\text{Se}_7$
$C_{2v}(\text{mm}2)$	A_2	$C_2(2)$	$B_1(x), B_2(y)$	$A_2 B_1 B_2$	$\text{LiB}_3\text{O}_5, \text{CdTiO}_3, \text{GaFeO}_3$
$S_4(\bar{4})$	B	$C_2(2)$	$^i E(x, y)$	$B^i E^i E$	$\text{BPO}_4, \text{Na}_2\text{ZnSnS}_4$
	$^i E$	$C_1(1)$	$^i E(x, y), B(z)$	$^i E^i E B$	
$C_{4v}(4\text{mm})$	A_2	$C_4(4)$	$E(x, y)$	$A_2 E E$	$\text{SrBaNb}_2\text{O}_6$
	E	$C_1(1), C_s(\text{m})^*$	$E(x, y), A_1(z)$	$E E A_1$	
$D_{2d}(\bar{4}2\text{m})$	A_2	$S_4(\bar{4})^*$	$E(x, y)$	$A_2 E E$	$\text{ZnGeP}_2, \text{AgGaS}_2$
	B_1	$D_2(222)$	$E(x, y)$	$B_1 E E$	
	E	$C_1(1), C_2(2), C_s(\text{m})^*$	$E(x, y), B_2(z)$	$E E B_2$	
$C_{3v}(3\text{m})$	A_2	$C_3(3)$	$E(x, y)$	$A_2 E E$	$\text{LiNbO}_3, \text{BiFeO}_3$
	E	$C_1(1), C_s(\text{m})^*$	$E(x, y), A_1(z)$	$E E A_1, E E E$	
$C_{3h}(\bar{6})$	$^i E''$	$C_1(1)$	$^i E'(x, y), A''(z)$	$^i E'' ^j E' A''$	$\text{LiCdBO}_3, \text{BaZnBO}_3\text{F}$
$C_{6v}(6\text{mm})$	A_2	$C_6(6)$	$E_1(x, y)$	$A_2 E_1 E_1$	$\text{GaBO}_3, \text{Ba}_3\text{YbB}_3\text{O}_9$
	E_1	$C_1(1), C_s(\text{m})^*$	$E_1(x, y), A_1(z)$	$E_1 E_1 A_1$	
	E_2	$C_2(2), C_{2v}(\text{mm}2)^*$	$E_1(x, y)$	$E_2 E_1 E_1$	
$D_{3h}(\bar{6}\text{m}2)$	E''	$C_1(1), C_2(2), C_s(\text{m})^*$	$E'(x, y), A_2''(z)$	$E'' E' A_2''$	$\text{Na}_3\text{La}_9\text{B}_8\text{O}_{27}$
$T_d(\bar{4}3\text{m})$	E	$D_2(222), D_{2d}(\bar{4}2\text{m})^*$	$T_2(x, y, z)$	$E T_2 T_2$	$\text{CsNbMoO}_6, \text{Zn}_4\text{B}_6\text{O}_{13}$
	T_1	$P_1(1), C_s(\text{m}),^* S_4(\bar{4}),^* C_3(3)$	$T_2(x, y, z)$	$T_1 T_2 T_2$	
*Subgroup is not chiral — $i, j = 1, 2$					

TU/e Possible experiments involve pump-probe studies

Point group	GCP	Subgroup	IR-active modes	Coupling	Example materials
$C_s(\text{m})$	A''	$C_1(1)$	$A'(x, y), A''(z)$	$A'' A'' A'$	$\text{KH}_2\text{PO}_4, \text{BaGa}_4\text{Se}_7$
$C_{2v}(\text{mm}2)$	A_2	$C_2(2)$	$B_1(x), B_2(y)$	$A_2 B_1 B_2$	$\text{LiB}_3\text{O}_5, \text{CdTiO}_3,$ GaFeO_3
$S_4(\bar{4})$	B	$C_2(2)$	$^i E(x, y)$	$B^i E^i E$	$\text{BPO}_4, \text{Na}_2\text{ZnSnS}_4$
	$^i E$	$C_1(1)$	$^i E(x, y), B(z)$	$^i E^i E B$	
$C_{4v}(4\text{mm})$	A_2	$C_4(4)$	$E(x, y)$	$A_2 E E$	$\text{SrBaNb}_2\text{O}_6$
	E	$C_1(1), C_s(\text{m})^*$	$E(x, y), A_1(z)$	$E E A_1$	
$D_{2d}(\bar{4}2\text{m})$					AgGaS_2
$C_{3v}(3\text{m})$					FeO_3
$C_{3h}(\bar{6})$					
$C_{6v}(6\text{mm})$					
$D_{3h}(\bar{6}\text{m}2)$					Fe_8O_{27}
$T_d(\bar{4}3\text{m})$	E	$D_2(222), D_{2d}(\bar{4}2\text{m})^*$	$T_2(x, y, z)$	$E T_2 T_2$	$\text{CsNbMoO}_6,$ $\text{Zn}_4\text{B}_6\text{O}_{13}$
	T_1	$P_1(1), C_s(\text{m}),^* S_4(\bar{4}),^*$	$T_2(x, y, z)$	$T_1 T_2 T_2$	
		$C_3(3)$			

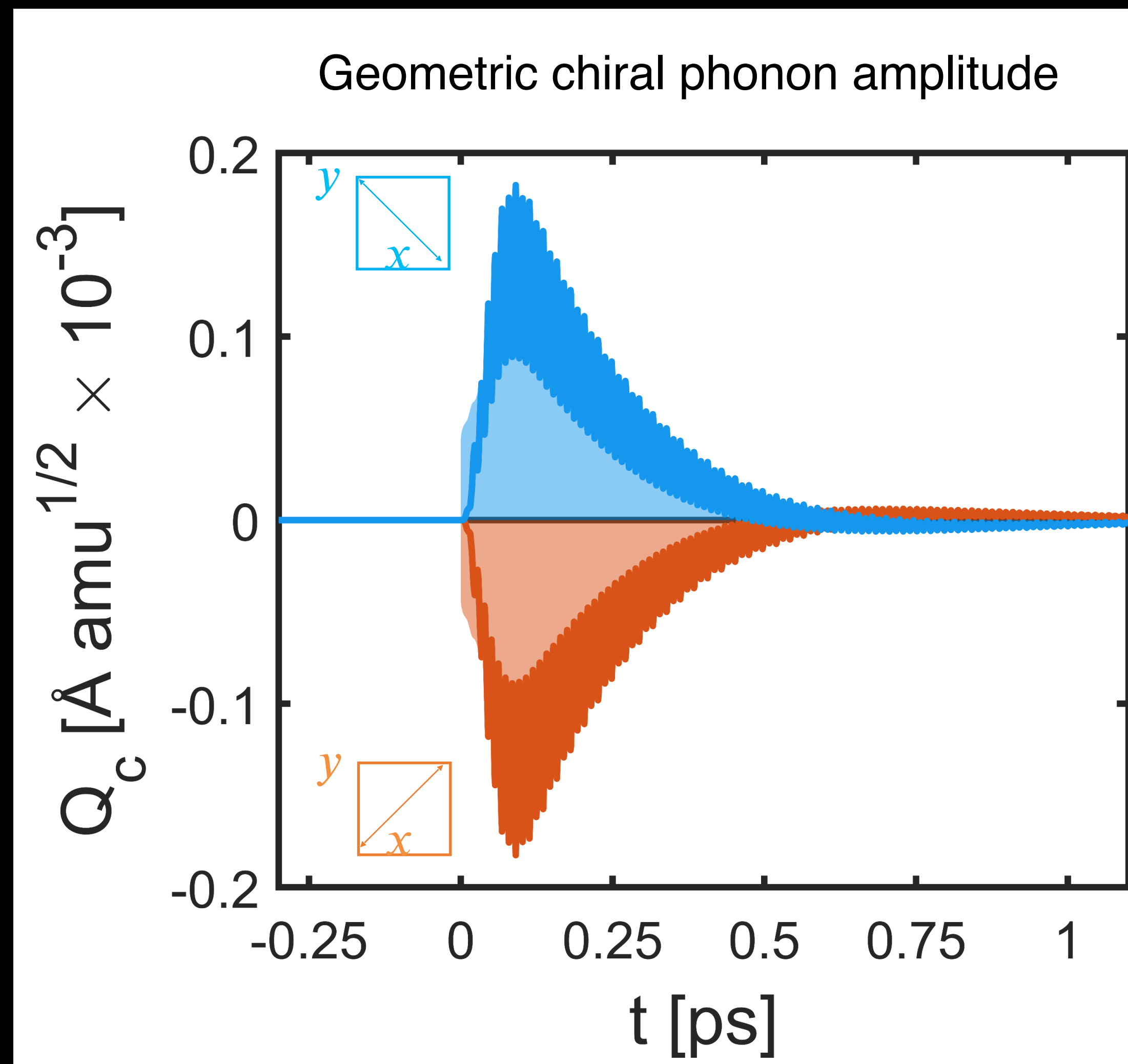
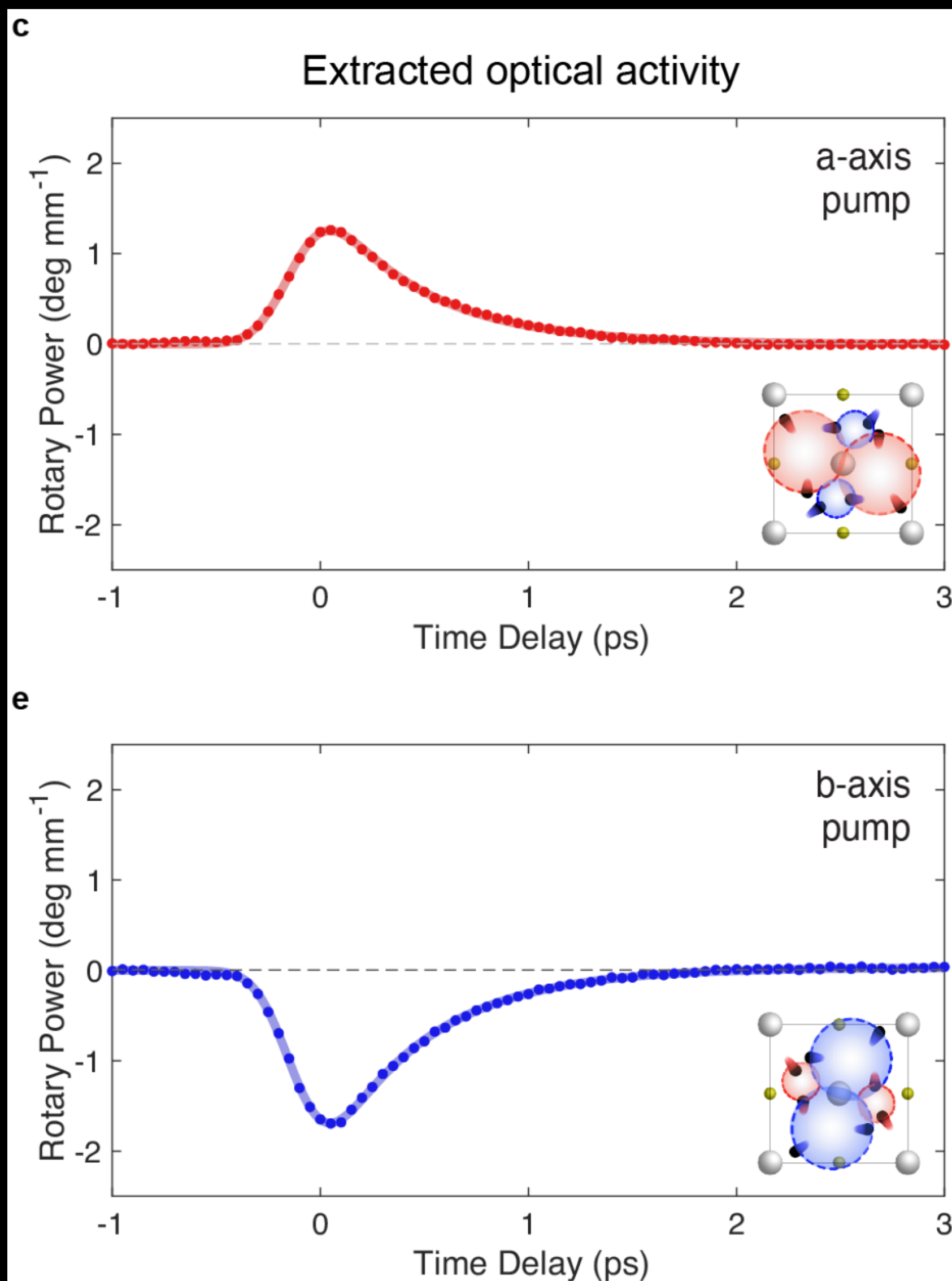
UED: Measure point group

tr-XCD: Distinguish enantiomers

Optical probe: Measure optical activity

*Subgroup is not chiral — $i, j = 1, 2$

TU/e First experiment measures optical activity



Zeng et al., Science 387, 431 (2025)
Romao, Juraschek, Science 387, 361 (2025)

Romao & Juraschek, ACS Nano 18, 29550 (2024)

- Chiral soft modes and displacive phase transitions?
- Order parameter for chirality?
- Modern theory of chiralization?

TU/e Collaborators & Funding



Omer Yaniv
Tel Aviv University



Carl Romao
Czech Technical University



Tom Kahana
U Hamburg



Swati Chaudhary
UTokyo



Daniel B.-Lopez
Boston University



Greg Fiete
Northeastern



Michael Fechner
MPSD



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المؤسسة الإسرائيلية للعلوم
Israel Science Foundation



- Chaudhary, Juraschek, Rodriguez-Vega, Fiete, Phys. Rev. B 110, 094401 (2024)
- Kahana, Bustamante-Lopez, Juraschek, Science Advances, 10, eado0722 (2024)
- Romao, Juraschek, ACS Nano 18, 29550 (2024)
- Romao, Juraschek, Nature 628, 505 (2024)
- Romao, Juraschek, Science 387, 361 (2025)
- Yaniv, Juraschek, arXiv:2504.03323 (2025)